```
import pandas as pd
import numpy as np
import seaborn as sns
import matplotlib.pyplot as plt
from sklearn.model selection import train test split
from sklearn.linear_model import LinearRegression
from sklearn.metrics import mean_absolute_error, mean_squared_error, r2_score
# Generate a random dataset
np.random.seed(42)
data = {
    'make': np.random.choice(['Ford', 'Toyota', 'BMW', 'Honda'], 100),
    'model': np.random.choice(['Model1', 'Model2', 'Model3', 'Model4'], 100),
    'year': np.random.randint(2000, 2023, 100),
    'engine_size': np.random.uniform(1.0, 5.0, 100),
    'num_doors': np.random.choice([2, 4], 100),
    'price': np.random.uniform(15000, 45000, 100)
# Create a DataFrame
df = pd.DataFrame(data)
# a) Read the dataset using the Pandas module (already created here)
# b) Print the 1st five rows
print("First five rows of the dataset:")
print(df.head())
# c) Basic statistical computations on the data set or distribution of data
print("\nBasic statistical computations:")
print(df.describe())
# d) The columns and their data types
print("\nColumns and their data types:")
print(df.dtypes)
# e) Detect null values in the dataset. If there are any null values, replace them with mode value
print("\nDetecting null values:")
print(df.isnull().sum())
# Replace null values with mode (although there shouldn't be any in this synthetic data)
df = df.fillna(df.mode().iloc[0])
print("\nNull values after replacement (if any):")
print(df.isnull().sum())
# g) Split the data into test and train
# Encoding categorical features
df_encoded = pd.get_dummies(df, columns=['make', 'model'], drop_first=True)
X = df_encoded.drop('price', axis=1)
y = df_encoded['price']
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=42)
# h) Fit into the model Linear Regression (since Naive Bayes is not suitable for regression)
model = LinearRegression()
model.fit(X_train, y_train)
# i) Predict the model
y_pred = model.predict(X_test)
# j) Find the accuracy of the model (using regression metrics)
mae = mean_absolute_error(y_test, y_pred)
mse = mean_squared_error(y_test, y_pred)
rmse = np.sqrt(mse)
r2 = r2_score(y_test, y_pred)
print("\nModel Evaluation Metrics:")
print(f"Mean Absolute Error (MAE): {mae}")
print(f"Mean Squared Error (MSE): {mse}")
print(f"Root Mean Squared Error (RMSE): {rmse}")
print(f"R-squared (R2): {r2}")
```

```
→ First five rows of the dataset:
              model year
                             engine_size num_doors
                                                             price
                                                      27588.001873
    0
         BMW
              Model3
                       2006
                                4.746920
                                                  4
                                                      22431.929685
    1 Honda
             Model2
                       2016
                                1.550084
                                                   4
        Ford
              Model2
                       2019
                                2.364265
                                                      25679.180360
                       2003
                                1.453894
                                                      37735.383314
    3
         BMW
              Model4
                                                   4
                                                   4 15431.804659
         BMW
                                4.698774
             Model2
                       2004
    Basic statistical computations:
                  year engine_size num_doors
                                                         price
            100.000000
                         100.000000
                                                    100.000000
    count
                                          100.0
    mean
           2010.350000
                            3.214630
                                            3.1
                                                  29889.227910
                            1.173796
                                                  8998.292300
    std
              7.101536
                                            1.0
                            1.020246
                                            2.0 15325.129544
           2000.000000
    min
    25%
           2004.000000
                            2.176939
                                            2.0
                                                  23199.714854
    50%
           2010.000000
                            3.442873
                                            4.0
                                                  29790.542697
    75%
           2016.500000
                            4.247562
                                            4.0 37661.060495
           2022.000000
                            4.960215
                                            4.0 44715.154260
    max
    Columns and their data types:
    make
                    object
    model
                     object
                      int64
    year
    engine_size
                    float64
    num_doors
                      int64
    price
                    float64
    dtype: object
    Detecting null values:
    model
                    0
    year
                    0
    engine_size
    num_doors
                    0
    price
                    0
    dtype: int64
    Null values after replacement (if any):
    make
                    0
    model
                    0
    year
                    0
    engine_size
                    a
    num_doors
                    0
    price
    dtype: int64
    Model Evaluation Metrics:
    Mean Absolute Error (MAE): 8088.274486557004
Mean Squared Error (MSE): 91855251.51655649
    Root Mean Squared Error (RMSE): 9584.11454003741
    R-squared (R2): -0.47185899029023926
```

```
import numpy as np
# Define the dataset
data = [
    ['Japan', 'Honda', 'Blue', '1980', 'Economy', 'Positive'],
    ['Japan', 'Toyota', 'Green', '1970', 'Sports', 'Negative'],
['Japan', 'Toyota', 'Blue', '1990', 'Economy', 'Positive'],
['USA', 'Chrysler', 'Red', '1980', 'Economy', 'Negative'],
['Japan', 'Honda', 'White', '1980', 'Economy', 'Positive']
# Convert dataset to a numpy array for easier manipulation
data = np.array(data)
# Function to implement Find-S algorithm
def find_s_algorithm(data):
    # Initialize the most specific hypothesis
    hypothesis = ['0'] * (data.shape[1] - 1)
    # Iterate through the dataset
    for instance in data:
         if instance[-1] == 'Positive':
              # Update hypothesis for each positive example
              for i in range(len(hypothesis)):
                   if hypothesis[i] == '0':
                        hypothesis[i] = instance[i]
                   elif hypothesis[i] != instance[i]:
                        hypothesis[i] = '?'
    return hypothesis
# Apply Find-S algorithm on the dataset
most_specific_hypothesis = find_s_algorithm(data)
print("The most specific hypothesis is:", most_specific_hypothesis)
```

The most specific hypothesis is: ['Japan', '?', '?', 'Economy']

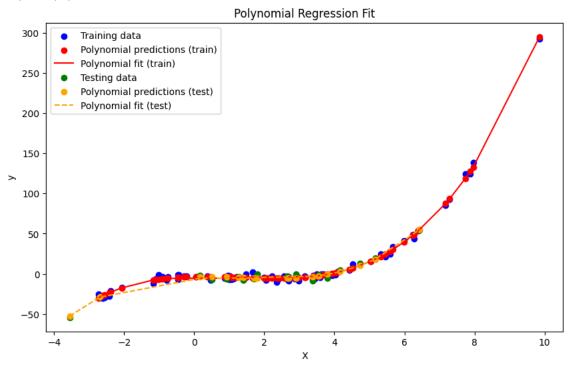
```
import numpy as np
import matplotlib.pyplot as plt
from sklearn.model_selection import train_test_split
from sklearn.preprocessing import PolynomialFeatures
from sklearn.linear_model import LinearRegression
from sklearn.metrics import mean_squared_error, r2_score
# Generate a synthetic dataset
np.random.seed(42)
X = 2 - 3 * np.random.normal(0, 1, 100)
y = X - 2 * (X ** 2) + 0.5 * (X ** 3) + np.random.normal(-3, 3, 100)
X = X[:, np.newaxis] # Reshape X to a 2D array
# Split the data into training and testing sets
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=42)
# Preprocess the data to include polynomial features
degree = 3  # Degree of the polynomial
poly_features = PolynomialFeatures(degree=degree)
X_train_poly = poly_features.fit_transform(X_train)
X_test_poly = poly_features.transform(X_test)
# Fit a polynomial regression model
model = LinearRegression()
model.fit(X_train_poly, y_train)
# Make predictions
y train pred = model.predict(X train poly)
y_test_pred = model.predict(X_test_poly)
# Evaluate the model's performance
mse_train = mean_squared_error(y_train, y_train_pred)
mse_test = mean_squared_error(y_test, y_test_pred)
r2_train = r2_score(y_train, y_train_pred)
r2_test = r2_score(y_test, y_test_pred)
print("Training set performance:")
print(f"Mean Squared Error (MSE): {mse_train}")
print(f"R-squared (R2): {r2_train}")
print("\nTesting set performance:")
print(f"Mean Squared Error (MSE): {mse_test}")
print(f"R-squared (R2): {r2_test}")
# Plot the results
plt.figure(figsize=(10, 6))
# Plot training data and predictions
plt.scatter(X_train, y_train, color='blue', label='Training data')
plt.scatter(X_train, y_train_pred, color='red', label='Polynomial predictions (train)')
plt.plot(np.sort(X\_train[:, 0]), np.sort(y\_train\_pred), color='red', label='Polynomial fit (train)')
# Plot testing data and predictions
plt.scatter(X_test, y_test, color='green', label='Testing data')
plt.scatter(X_test, y_test_pred, color='orange', label='Polynomial predictions (test)')
plt.plot(np.sort(X_test[:, 0]), np.sort(y_test_pred), color='orange', linestyle='dashed', label='Polynomial fit (test)')
plt.title('Polynomial Regression Fit')
plt.xlabel('X')
plt.ylabel('y')
plt.legend()
plt.show()
```

→ Training set performance:

Mean Squared Error (MSE): 7.546412010296407 R-squared (R2): 0.9962534104874832

Testing set performance:

Mean Squared Error (MSE): 7.720695475663606 R-squared (R2): 0.9795784516066509



```
import numpy as np
import matplotlib.pyplot as plt
from sklearn.datasets import load_iris
from sklearn.model_selection import train_test_split
from sklearn.preprocessing import StandardScaler
from sklearn.neighbors import KNeighborsClassifier
from sklearn.metrics import accuracy_score, confusion_matrix, classification_report
# Load the Iris dataset
iris = load_iris()
X = iris.data
y = iris.target
# Split the data into training and testing sets
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=42)
# Standardize the features (important for KNN)
scaler = StandardScaler()
X_train = scaler.fit_transform(X_train)
X_test = scaler.transform(X_test)
# Train the KNN model
k = 3 # Number of neighbors
knn = KNeighborsClassifier(n_neighbors=k)
knn.fit(X_train, y_train)
# Make predictions
y_train_pred = knn.predict(X_train)
y test pred = knn.predict(X test)
# Evaluate the model's performance
train accuracy = accuracy score(y train, y train pred)
test_accuracy = accuracy_score(y_test, y_test_pred)
conf_matrix = confusion_matrix(y_test, y_test_pred)
class_report = classification_report(y_test, y_test_pred)
print(f"Training set accuracy: {train_accuracy}")
print(f"Testing set accuracy: {test_accuracy}")
print("\nConfusion Matrix:")
print(conf_matrix)
print("\nClassification Report:")
print(class_report)
# Visualize the decision boundaries (for 2D feature space)
def plot_decision_boundaries(X, y, model, title):
    x_{min}, x_{max} = X[:, 0].min() - 1, X[:, 0].max() + 1
    y_{min}, y_{max} = X[:, 1].min() - 1, X[:, 1].max() + 1
    xx, yy = np.meshgrid(np.arange(x_min, x_max, 0.01),
                         np.arange(y_min, y_max, 0.01))
    Z = model.predict(np.c_[xx.ravel(), yy.ravel()])
    Z = Z.reshape(xx.shape)
    plt.contourf(xx, yy, Z, alpha=0.3)
    plt.scatter(X[:, 0], X[:, 1], c=y, edgecolor='k', s=20)
    plt.title(title)
    plt.xlabel('Feature 1')
    plt.ylabel('Feature 2')
    plt.show()
# Reduce to 2 features for visualization
X_train_2D = X_train[:, :2]
X_test_2D = X_test[:, :2]
# Train and plot with 2D features
knn_2D = KNeighborsClassifier(n_neighbors=k)
knn_2D.fit(X_train_2D, y_train)
plot_decision_boundaries(X_train_2D, y_train, knn_2D, "KNN Decision Boundaries (Training set)")
plot_decision_boundaries(X_test_2D, y_test, knn_2D, "KNN Decision Boundaries (Testing set)")
```

Training set accuracy: 0.941666666666667

Testing set accuracy: 1.0

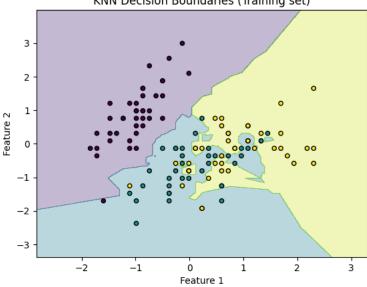
Confusion Matrix:

[[10 0 0] [0 9 0] [0 0 11]]

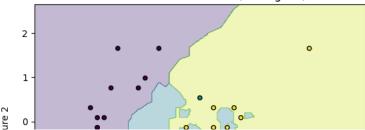
## Classification Report:

010331.10001	precision	recall	f1-score	support
0	1.00	1.00	1.00	10
1	1.00	1.00	1.00	9
2	1.00	1.00	1.00	11
accuracy			1.00	30
macro avg	1.00	1.00	1.00	30
weighted avg	1.00	1.00	1.00	30

## KNN Decision Boundaries (Training set)



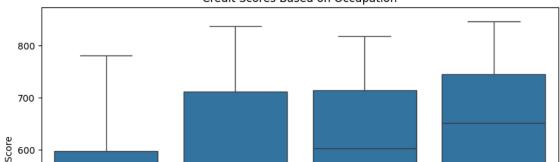
## KNN Decision Boundaries (Testing set)



```
import pandas as pd
import numpy as np
import seaborn as sns
import matplotlib.pyplot as plt
from sklearn.model_selection import train_test_split
from sklearn.naive_bayes import GaussianNB
from sklearn.metrics import accuracy_score, classification_report
# Generate a random dataset
np.random.seed(42)
ages = np.random.randint(20, 70, 100)
incomes = np.random.randint(30000, 120000, 100)
occupations = np.random.choice(['Engineer', 'Teacher', 'Doctor', 'Artist'], 100)
credit_scores = np.random.randint(300, 850, 100)
approved = np.random.choice(['Yes', 'No'], 100)
# Create a DataFrame
data = {
    'Age': ages,
    'Income': incomes,
    'Occupation': occupations,
    'CreditScore': credit_scores,
    'Approved': approved
df = pd.DataFrame(data)
# a) Print the 1st five rows
print("First five rows of the dataset:")
print(df.head())
# b) Basic statistical computations on the dataset
print("\nBasic statistical computations:")
print(df.describe())
# c) Print the columns and their data types
print("\nColumns and their data types:")
print(df.dtypes)
# d) Detect null values in the dataset and replace them with the mode value
print("\nDetecting null values:")
print(df.isnull().sum())
# Replace null values with mode
for column in df.columns:
    mode value = df[column].mode()[0]
    df[column].fillna(mode_value, inplace=True)
print("\nNull values after replacement (if any):")
print(df.isnull().sum())
# e) Explore the dataset using a box plot of credit scores based on occupation
plt.figure(figsize=(10, 6))
sns.boxplot(x='Occupation', y='CreditScore', data=df)
plt.title('Credit Scores Based on Occupation')
plt.show()
# f) Split the dataset into training and testing sets
# Assuming 'CreditScore' is the target variable
X = df.drop('CreditScore', axis=1)
y = df['CreditScore']
# One-hot encode categorical variables
X = pd.get_dummies(X, drop_first=True)
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=42)
# g) Fit a Naive Bayes Classifier model
model = GaussianNB()
model.fit(X_train, y_train)
# h) Predict using the model
y_pred = model.predict(X_test)
# Evaluate the model's performance
accuracy = accuracy_score(y_test, y_pred)
```

```
report = classification_report(y_test, y_pred)
print("\nModel Evaluation Metrics:")
print(f"Accuracy: {accuracy}")
print("\nClassification Report:")
print(report)
First five rows of the dataset:
             Income Occupation CreditScore Approved
        Age
              32568
                                        308
        58
                      Engineer
                                                 Yes
     1
         48
              92592
                        Artist
                                        532
                                                  No
     2
         34
              97563
                      Engineer
                                        398
                                                  No
        62
              32695
                                        507
     3
                        Doctor
                                                  No
         27
              78190
                      Engineer
                                        430
                                                  No
     Basic statistical computations:
                                      CreditScore
                  Age
                              Income
     count 100.000000
                           100.00000
                                       100.000000
             44.070000
                         75837.40000
                                       562.410000
     mean
             14.447575
                         26342.49392
                                       163.560516
     std
             20.000000
                         30206.00000
                                       308.000000
     min
                         53229.75000
     25%
             33.000000
                                       425.000000
     50%
             43.000000
                         79547.50000
                                       548.500000
                                       700.750000
     75%
             58.000000
                         96924.50000
     max
             69.000000
                        119474.00000
                                       846.000000
     Columns and their data types:
                     int64
     Income
                     int64
     Occupation
                    object
                     int64
     CreditScore
     Approved
                    object
     dtype: object
     Detecting null values:
     Age
                    0
     Income
     Occupation
                    0
     CreditScore
                    0
                    0
     Approved
     dtype: int64
     Null values after replacement (if any):
     Age
     Income
                    a
     Occupation
                    0
     CreditScore
                    0
     Approved
                    0
     dtype: int64
```

## Credit Scores Based on Occupation



```
import pandas as pd
import numpy as np
# Manually create the dataset
data = {
    'Origin': ['Japan', 'Japan', 'Japan', 'USA', 'Japan'],
    'Manufacturer': ['Honda', 'Toyota', 'Toyota', 'Chrysler', 'Honda'], 'Color': ['Blue', 'Green', 'Blue', 'Red', 'White'],
    'Decade': ['1980', '1970', '1990', '1980', '1980'],
    'Type': ['Economy', 'Sports', 'Economy', 'Economy', 'Economy'], 'ExampleType': ['Positive', 'Negative', 'Positive', 'Negative', 'Positive']
df = pd.DataFrame(data)
# Initialize the specific boundary (S0) and the general boundary (G0)
def initialize boundaries(df):
    num_attributes = len(df.columns) - 1
    specific_boundary = ['0'] * num_attributes
    general_boundary = [['?'] * num_attributes]
    return specific_boundary, general_boundary
def is_more_general(h1, h2):
    more_general_parts = []
    for x, y in zip(h1, h2):
        mg = x == '?' \text{ or } (x != '0' \text{ and } (x == y \text{ or } y == '0'))
        more_general_parts.append(mg)
    return all(more_general_parts)
def generalize_specific(h, instance):
    return [i if i == '?' else j if i == '0' else '?' if i != j else i for i, j in zip(h, instance)]
def specialize_general(h, domains, instance):
    specializations = []
    for i, val in enumerate(h):
        if val == '?':
            for domain in domains[i]:
                 if domain != instance[i]:
                     new_h = h.copy()
                     new_h[i] = domain
                     specializations.append(new_h)
        elif val != '0' and val != instance[i]:
            new_h = h.copy()
            new h[i] = '0'
            specializations.append(new_h)
    return specializations
def candidate_elimination(df):
    specific_boundary, general_boundary = initialize_boundaries(df)
    domains = [list(df[col].unique()) for col in df.columns[:-1]]
    for index, row in df.iterrows():
        instance = row[:-1]
        if row['ExampleType'] == 'Positive':
            for i, val in enumerate(instance):
                 if specific_boundary[i] == '0':
                     specific_boundary[i] = val
                 elif specific_boundary[i] != val:
                     specific boundary[i] = '?'
            general_boundary = [g for g in general_boundary if is_more_general(g, specific_boundary)]
        elif row['ExampleType'] == 'Negative':
            new general boundary = []
            for g in general_boundary:
                 if not is_more_general(g, instance):
                     new general boundary.append(g)
                     new_general_boundary.extend(specialize_general(g, domains, instance))
            general_boundary = [g for g in new_general_boundary if any(is_more_general(g, s) for s in [specific_boundary])]
    return specific_boundary, general_boundary
# Apply Candidate Elimination algorithm on the dataset
specific_boundary, general_boundary = candidate_elimination(df)
print("Final Specific Boundary:")
print(specific_boundary)
print("\nFinal General Boundary:")
```

```
for g in general_boundary:
    print(g)

Final Specific Boundary:
    ['Japan', '?', '?', 'Economy']

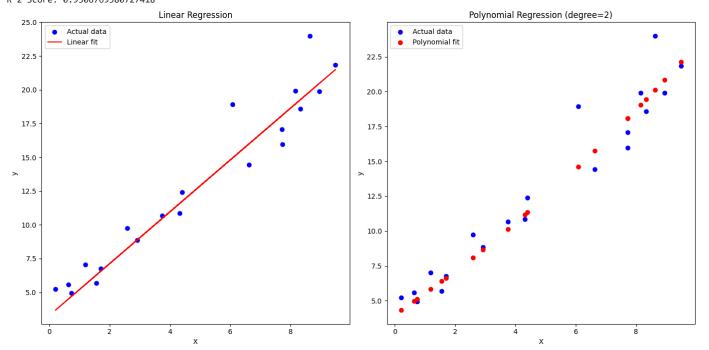
Final General Boundary:
    ['Japan', '?', '?', 'Economy']
```

```
import numpy as np
import matplotlib.pyplot as plt
from sklearn.model_selection import train_test_split
from sklearn.linear_model import LinearRegression
from sklearn.preprocessing import PolynomialFeatures
from sklearn.metrics import mean_squared_error, r2_score
# Generate a sample dataset
np.random.seed(42)
X = np.random.rand(100, 1) * 10 # Random values between 0 and 10
y = 2 * X + 3 + np.random.randn(100, 1) * 2 # Linear relationship with noise
# Split the data into training and testing sets
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=42)
# Linear Regression
linear model = LinearRegression()
linear_model.fit(X_train, y_train)
y_pred_linear = linear_model.predict(X_test)
# Polynomial Regression (degree=2)
poly_features = PolynomialFeatures(degree=2)
X_poly_train = poly_features.fit_transform(X_train)
X_poly_test = poly_features.transform(X_test)
poly_model = LinearRegression()
poly_model.fit(X_poly_train, y_train)
y_pred_poly = poly_model.predict(X_poly_test)
# Performance Evaluation
mse_linear = mean_squared_error(y_test, y_pred_linear)
r2_linear = r2_score(y_test, y_pred_linear)
mse_poly = mean_squared_error(y_test, y_pred_poly)
r2_poly = r2_score(y_test, y_pred_poly)
print("Linear Regression Performance:")
print(f"Mean Squared Error: {mse_linear}")
print(f"R^2 Score: {r2_linear}")
print("\nPolynomial Regression Performance:")
print(f"Mean Squared Error: {mse_poly}")
print(f"R^2 Score: {r2_poly}")
# Plotting the results
plt.figure(figsize=(14, 7))
# Plot Linear Regression results
plt.subplot(1, 2, 1)
plt.scatter(X_test, y_test, color='blue', label='Actual data')
plt.plot(X_test, y_pred_linear, color='red', label='Linear fit')
plt.title('Linear Regression')
plt.xlabel('X')
plt.ylabel('y')
plt.legend()
# Plot Polynomial Regression results
plt.subplot(1, 2, 2)
plt.scatter(X_test, y_test, color='blue', label='Actual data')
plt.scatter(X_test, y_pred_poly, color='red', label='Polynomial fit')
plt.title('Polynomial Regression (degree=2)')
plt.xlabel('X')
plt.ylabel('y')
plt.legend()
plt.tight_layout()
plt.show()
```

Linear Regression Performance:
Mean Squared Error: 2.614798054868011

R^2 Score: 0.9287298556395621

Polynomial Regression Performance: Mean Squared Error: 2.5433624291283223 R^2 Score: 0.9306769380727418



```
import numpy as np
import matplotlib.pyplot as plt
from sklearn.datasets import make_blobs
# Generate a synthetic dataset
np.random.seed(42)
X, _ = make_blobs(n_samples=300, centers=3, cluster_std=0.60, random_state=0)
# Number of clusters
K = 3
# Initialize the parameters
def initialize_parameters(X, K):
   n, d = X.shape
   pi = np.ones(K) / K
    means = X[np.random.choice(n, K, replace=False)]
    covariances = np.array([np.eye(d)] * K)
    return pi, means, covariances
# E-step: Calculate the responsibilities
def e_step(X, pi, means, covariances):
   n, d = X.shape
    responsibilities = np.zeros((n, K))
    for k in range(K):
        diff = X - means[k]
        exponent = np.einsum('ij, ij -> i', diff @ np.linalg.inv(covariances[k]), diff)
        responsibilities[:, k] = pi[k] * np.exp(-0.5 * exponent) / <math>np.sqrt(np.linalg.det(covariances[k]))
    responsibilities /= responsibilities.sum(axis=1, keepdims=True)
    return responsibilities
# M-step: Update the parameters based on the responsibilities
def m step(X, responsibilities):
    n, d = X.shape
   N = responsibilities.sum(axis=0)
   pi = N_k / n
   means = responsibilities.T @ X / N_k[:, np.newaxis]
    covariances = np.zeros((K, d, d))
    for k in range(K):
        diff = X - means[k]
        covariances[k] = (responsibilities[:, k, np.newaxis, np.newaxis] * np.einsum('ij, ik -> ijk', diff, diff)).sum(axis=0) / N_k[k]
    return pi, means, covariances
# Log-likelihood
def log_likelihood(X, pi, means, covariances):
    n, d = X.shape
    log_likelihood = 0
    for k in range(K):
       diff = X - means[k]
        exponent = np.einsum('ij, ij -> i', diff @ np.linalg.inv(covariances[k]), diff)
        log_likelihood += np.sum(np.log(pi[k] * np.exp(-0.5 * exponent) / np.sqrt(np.linalg.det(covariances[k]))))
    return log_likelihood
# EM Algorithm
def expectation_maximization(X, K, max_iter=100, tol=1e-4):
    pi, means, covariances = initialize_parameters(X, K)
    log_likelihoods = []
    for i in range(max_iter):
        responsibilities = e_step(X, pi, means, covariances)
        pi, means, covariances = m_step(X, responsibilities)
        log_likelihoods.append(log_likelihood(X, pi, means, covariances))
        if i > 0 and abs(log_likelihoods[-1] - log_likelihoods[-2]) < tol:
            break
    return pi, means, covariances, responsibilities, log_likelihoods
```