```
import pandas as pd
from sklearn.datasets import load_breast_cancer
from sklearn.model_selection import train_test_split
from sklearn.naive_bayes import GaussianNB
from sklearn.metrics import confusion matrix, classification report
# Load breast cancer dataset from sklearn
data = load_breast_cancer()
# Convert to DataFrame
df = pd.DataFrame(data.data, columns=data.feature_names)
df['target'] = data.target # Adding the target column (0 or 1)
# (a) Print the first five rows
print("First five rows of the dataset:")
print(df.head())
# (b) Basic statistical computations
print("\nBasic statistical computations:")
print(df.describe())
# (c) Columns and their data types
print("\nColumns and their data types:")
print(df.dtypes)
# Check for null values
print("\nChecking for null values:")
print(df.isnull().sum())
# Replace null values with mode (if any)
mode_values = df.mode().iloc[0]
df = df.fillna(mode_values)
# Separate features (X) and target (y)
X = df.drop('target', axis=1)
y = df['target']
# Split data into train and test sets (80% train, 20% test)
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=42)
# Initialize Gaussian Naive Bayes classifier
nb_classifier = GaussianNB()
# Train the classifier
nb_classifier.fit(X_train, y_train)
# Predictions on test set
y_pred = nb_classifier.predict(X_test)
# Confusion matrix
cm = confusion_matrix(y_test, y_pred)
print("\nConfusion Matrix:")
print(cm)
# Additional metrics (precision, recall, F1-score)
print("\nClassification Report:")
print(classification_report(y_test, y_pred))

→ First five rows of the dataset:
        mean radius mean texture mean perimeter mean area mean smoothness \
     0
              17.99
                            10.38
                                          122.80
                                                     1001.0
                                                                      0.11840
     1
              20.57
                            17.77
                                           132.90
                                                      1326.0
                                                                      0.08474
     2
              19.69
                            21.25
                                          130.00
                                                      1203.0
                                                                      0.10960
     3
              11.42
                            20.38
                                           77.58
                                                       386.1
                                                                      0.14250
              20.29
                                          135.10
                                                      1297.0
                            14.34
                                                                      0.10030
        mean compactness mean concavity mean concave points mean symmetry
     0
                0.27760
                                 0.3001
                                                      0.14710
                                                                      0.2419
                                  0.0869
     1
                 0.07864
                                                      0.07017
                                                                      0.1812
     2
                 0.15990
                                  0.1974
                                                      0.12790
                                                                      0.2069
     3
                 0.28390
                                  0.2414
                                                      0.10520
                                                                      0.2597
     4
                0.13280
                                 0.1980
                                                      0.10430
                                                                      0.1809
        mean fractal dimension ... worst texture worst perimeter
                                                                     worst area \
                       0.07871 ...
     0
                                             17.33
                                                             184.60
                                                                         2019.0
                       0.05667
                                             23.41
                                                             158.80
                                                                         1956.0
```

}

```
2
                                                                          1709.0
                       0.05999
                                             25.53
                                                              152,50
     3
                       0.09744
                                             26.50
                                                              98.87
                                                                           567.7
     4
                                                                          1575.0
                       0.05883 ...
                                             16.67
                                                              152.20
        worst smoothness worst compactness worst concavity worst concave points
     0
                  0.1622
                                     0.6656
                                                      0.7119
                                                                             0.2654
     1
                  0.1238
                                     0.1866
                                                      0.2416
                                                                             0.1860
                  0.1444
                                     0.4245
                                                      0.4504
                                                                             0.2430
     2
                                                      0.6869
     3
                  0.2098
                                     0.8663
                                                                             0.2575
     4
                  0.1374
                                     0.2050
                                                      0.4000
                                                                             0.1625
        worst symmetry worst fractal dimension target
     0
                0.4601
                                        0.11890
                                                      0
                0.2750
                                        0.08902
     1
                                                      0
                                        0.08758
                                                      0
     2
                0.3613
     3
                0.6638
                                        0.17300
                                                      0
                0.2364
                                        0.07678
     [5 rows x 31 columns]
     Basic statistical computations:
            mean radius mean texture mean perimeter
                                                         mean area \
     count
             569.000000
                           569.000000
                                           569.000000
                                                         569,000000
              14.127292
                            19.289649
                                            91.969033
                                                         654.889104
     mean
                                            24.298981
               3,524049
                             4.301036
                                                         351,914129
     std
                                            43.790000
     min
               6.981000
                             9.710000
                                                        143.500000
     25%
              11.700000
                            16.170000
                                            75.170000
                                                         420.300000
              13.370000
                            18.840000
                                            86.240000
                                                         551.100000
     50%
                            21,800000
                                           104,100000
                                                        782,700000
     75%
              15,780000
     max
              28.110000
                            39.280000
                                           188.500000
                                                       2501.000000
            mean smoothness mean compactness mean concavity mean concave points \
     count
                 569.000000
                                   569.000000
                                                   569.000000
                                                                         569.000000
                   0.096360
                                     0.104341
                                                      0.088799
                                                                           0.048919
     mean
     std
                   0.014064
                                     0.052813
                                                     0.079720
                                                                           0.038803
                                                     0.000000
                                                                           0.000000
     min
                   0.052630
                                     0.019380
     25%
                   0.086370
                                     0.064920
                                                      0.029560
                                                                           0.020310
     50%
                                     0.092630
                                                      0.061540
                                                                           0.033500
                   0.095870
                                                      0.130700
                                                                           0.074000
     75%
                   0.105300
                                     0.130400
                                                                           a 201200
                   0 163100
                                     0 315100
                                                      0 126800
     mav
import pandas as pd
# Define the dataset
data = {
    'Size': ['Big', 'Small', 'Small', 'Big', 'Small'],
    'Color': ['Red', 'Red', 'Blue', 'Blue'],
    'Shape': ['Circle', 'Triangle', 'Circle', 'Circle', 'Circle'],
    'Class': ['No', 'No', 'Yes', 'No', 'Yes']
# Convert to DataFrame
df = pd.DataFrame(data)
# Function to find the most specific hypothesis using Find-S algorithm
def find_s_algorithm(df):
    # Initialize the most specific hypothesis
    hypothesis = ['0', '0', '0']
    # Iterate over the examples
    for index, row in df.iterrows():
        if row['Class'] == 'Yes':
            for i in range(len(hypothesis)):
                if hypothesis[i] == '0': # If the hypothesis is at its initial state
                    hypothesis[i] = row[i]
                elif hypothesis[i] != row[i]: # Generalize if the attribute value is different
                    hypothesis[i] = '?'
    return hypothesis
# Apply the Find-S algorithm
most_specific_hypothesis = find_s_algorithm(df)
# Show the output
print("The most specific hypothesis found by Find-S algorithm is:")
print(most_specific_hypothesis)
    The most specific hypothesis found by Find-S algorithm is:
     ['Small', '?', 'Circle']
```

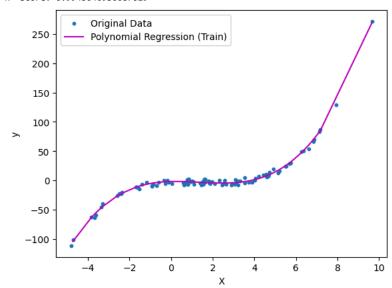
```
import numpy as np
import matplotlib.pyplot as plt
from sklearn.model_selection import train_test_split
from sklearn.preprocessing import PolynomialFeatures
from sklearn.linear_model import LinearRegression
from sklearn.metrics import mean_squared_error, r2_score
# Generate synthetic data
np.random.seed(0)
X = 2 - 3 * np.random.normal(0, 1, 100)
y = X - 2 * (X ** 2) + 0.5 * (X ** 3) + np.random.normal(-3, 3, 100)
X = X[:, np.newaxis]
# Split the data into training and testing sets
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=0)
# Transform the features to polynomial features
polynomial_features = PolynomialFeatures(degree=3)
X_train_poly = polynomial_features.fit_transform(X_train)
X_test_poly = polynomial_features.transform(X_test)
# Train the Polynomial Regression model
model = LinearRegression()
model.fit(X_train_poly, y_train)
# Predict using the model
y_train_pred = model.predict(X_train_poly)
y_test_pred = model.predict(X_test_poly)
# Evaluate the model
mse train = mean squared error(y train, y train pred)
mse_test = mean_squared_error(y_test, y_test_pred)
r2_train = r2_score(y_train, y_train_pred)
r2_test = r2_score(y_test, y_test_pred)
print("Training set performance:")
print(f"Mean Squared Error (MSE): {mse_train}")
print(f"R2 score: {r2_train}")
print("\nTest set performance:")
print(f"Mean Squared Error (MSE): {mse_test}")
print(f"R2 score: {r2_test}")
# Visualize the Polynomial Regression results
plt.scatter(X, y, s=10, label='Original Data')
# Sort the values for plotting
sorted_zip = sorted(zip(X_train, y_train_pred))
X_train_sorted, y_train_pred_sorted = zip(*sorted_zip)
plt.plot(X_train_sorted, y_train_pred_sorted, color='m', label='Polynomial Regression (Train)')
plt.xlabel("X")
plt.ylabel("y")
plt.legend()
plt.show()
```

Training set performance:
Mean Squared Error (MSE): 9.715696673923548

R<sup>2</sup> score: 0.9943181060190821

Test set performance:

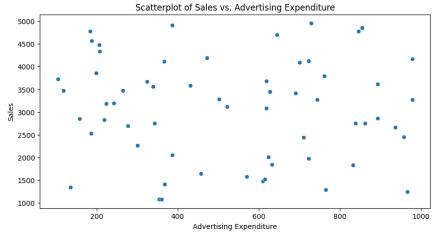
Mean Squared Error (MSE): 8.727114881750316 R<sup>2</sup> score: 0.9945040930087029



```
import pandas as pd
from sklearn.datasets import load iris
from sklearn.model_selection import train_test_split
from sklearn.preprocessing import StandardScaler
from sklearn.neighbors import KNeighborsClassifier
from sklearn.metrics import confusion_matrix, classification_report, accuracy_score
# Load the Iris dataset
iris = load iris()
X = iris.data
y = iris.target
# Convert to DataFrame for better visualization (optional)
df = pd.DataFrame(data=iris.data, columns=iris.feature_names)
df['target'] = iris.target
print("First five rows of the dataset:")
print(df.head())
# Split the data into training and testing sets
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=42)
# Standardize the features (important for KNN)
scaler = StandardScaler()
X_train = scaler.fit_transform(X_train)
X_test = scaler.transform(X_test)
\# Initialize the KNN classifier with k=3
knn = KNeighborsClassifier(n neighbors=3)
# Train the model
knn.fit(X_train, y_train)
# Make predictions on the test set
y_pred = knn.predict(X_test)
# Evaluate the model
print("Confusion Matrix:")
print(confusion_matrix(y_test, y_pred))
print("\nClassification Report:")
print(classification_report(y_test, y_pred))
print("\nAccuracy Score:")
print(accuracy_score(y_test, y_pred))
First five rows of the dataset:
        sepal length (cm) sepal width (cm) petal length (cm) petal width (cm) \
     0
                      5.1
                                        3.5
                                                           1.4
     1
                      4.9
                                        3.0
                                                           1.4
                                                                              0.2
     2
                                        3.2
                                                           1.3
                                                                              0.2
                      4.7
     3
                      4.6
                                        3.1
                                                           1.5
                                                                              0.2
     4
                                                                              0.2
                      5.0
                                        3.6
        target
     0
             0
     1
     2
             0
     3
             0
     Confusion Matrix:
     [[10 0 0]
      [ 0 9 0]
      [0 0 11]]
     Classification Report:
                   precision
                                recall f1-score
                                                   support
                0
                        1.00
                                  1.00
                                            1.00
                                                        10
                        1.00
                                  1.00
                                            1.00
                                                         9
                1
                2
                        1.00
                                            1.00
                                  1.00
                                                        11
         accuracy
                                            1.00
                                                        30
        macro avg
                        1.00
                                  1.00
                                            1.00
                                                        30
     weighted avg
                        1.00
                                  1.00
                                            1.00
                                                        30
     Accuracy Score:
```

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns
from sklearn.model_selection import train_test_split
from sklearn.linear_model import LinearRegression
from sklearn.metrics import mean_squared_error, r2_score
# Step 1: Generate Random Data
np.random.seed(0)
dates = pd.date_range(start='2018-01-01', periods=60, freq='M') # Monthly data for 5 years
sales = np.random.uniform(1000, 5000, size=(60,)) # Random sales data
ad_expenditure = np.random.uniform(100, 1000, size=(60,)) # Random advertising expenditures
# Create DataFrame
df = pd.DataFrame({'Date': dates, 'Sales': sales, 'Ad_Expenditure': ad_expenditure})
# Step 2: Print the first five rows
print("First five rows of the dataset:")
print(df.head())
# Step 3: Basic statistical computations
print("\nBasic statistical computations:")
print(df.describe())
# Step 4: Columns and their data types
print("\nColumns and their data types:")
print(df.dtypes)
# Step 5: Explore the data using scatterplot
plt.figure(figsize=(10, 5))
\verb|sns.scatterplot(x='Ad_Expenditure', y='Sales', data=df)|\\
plt.title('Scatterplot of Sales vs. Advertising Expenditure')
plt.xlabel('Advertising Expenditure')
plt.ylabel('Sales')
plt.show()
# Step 6: Detect and handle null values
print("\nChecking for null values:")
print(df.isnull().sum())
# No null values in the randomly generated data; if there were, replace with mode
# mode_values = df.mode().iloc[0]
# df = df.fillna(mode_values)
# Step 7: Split the data into train and test sets
X = df[['Ad_Expenditure']]
y = df['Sales']
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=42)
# Step 8: Train the linear regression model
model = LinearRegression()
model.fit(X_train, y_train)
# Predict using the model
y_pred = model.predict(X_test)
# Evaluate the model
mse = mean_squared_error(y_test, y_pred)
r2 = r2_score(y_test, y_pred)
print("\nModel Performance:")
print(f"Mean Squared Error (MSE): {mse}")
print(f"R2 Score: {r2}")
# Plotting the regression line
plt.figure(figsize=(10, 5))
sns.scatterplot(x='Ad_Expenditure', y='Sales', data=df, label='Actual Data')
plt.plot(X_test, y_pred, color='red', label='Regression Line')
plt.title('Sales vs. Advertising Expenditure with Regression Line')
plt.xlabel('Advertising Expenditure')
plt.ylabel('Sales')
plt.legend()
plt.show()
```

```
→ First five rows of the dataset:
            Date
                        Sales Ad_Expenditure
                                    243.072625
    0 2018-01-31
                  3195.254016
    1 2018-02-28
                  3860.757465
                                    199.337627
    2 2018-03-31
                  3411.053504
                                    690.696631
                  3179.532732
                                    224.364656
    3 2018-04-30
                  2694.619197
                                    276.924126
    4 2018-05-31
    Basic statistical computations:
                                             Ad_Expenditure
                                       Sales
                          Date
                                   60.000000
                                                   60.000000
    count
    mean
           2020-07-15 12:00:00
                                3065.653028
                                                  529.633412
           2018-01-31 00:00:00
                                1075.159202
                                                  104.225929
    min
    25%
           2019-04-22 12:00:00
                                2210.840665
                                                  294.811133
    50%
           2020-07-15 12:00:00
                                3187.393374
                                                  546.354665
    75%
           2021-10-07 18:00:00
                                3808.082954
                                                  733.322132
           2022-12-31 00:00:00
                                4953.495352
                                                  979.084979
    max
    std
                           NaN 1106.913479
                                                  266.827253
    Columns and their data types:
                      datetime64[ns]
    Date
    Sales
                             float64
    Ad_Expenditure
    dtype: object
```

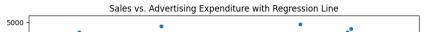


Checking for null values:
Date 0
Sales 0
Ad\_Expenditure 0
dtype: int64

Model Performance:

Mean Squared Error (MSE): 698321.8811120327

R<sup>2</sup> Score: -0.00047767753061500606



```
import pandas as pd
import numpy as np
# Load data into DataFrame
data = {
    'Size': ['Big', 'Small', 'Small', 'Big', 'Small'],
    'Color': ['Red', 'Red', 'Blue', 'Blue'],
    'Shape': ['Circle', 'Triangle', 'Circle', 'Circle', 'Circle'],
    'Class': ['No', 'No', 'Yes', 'No', 'Yes']
df = pd.DataFrame(data)
# Print the dataset
print("Dataset:")
print(df)
# Initialize the most specific hypothesis (S) and the most general hypothesis (G)
def initialize_S_and_G(df):
    num_attributes = len(df.columns) - 1 # Exclude the class column
    S = ['0'] * num_attributes # Most specific hypothesis
    G = [['?'] * num_attributes] # Most general hypothesis
    return S, G
# Update the most specific hypothesis (S)
def update_S(S, instance):
    for i, value in enumerate(instance[:-1]):
        if S[i] == '0':
           S[i] = value
        elif S[i] != value:
           S[i] = '?'
    return S
# Update the most general hypothesis (G)
def update_G(G, instance):
   new_G = []
    for hypothesis in G:
        if all(h == '?' or h == val for h, val in zip(hypothesis, instance[:-1])):
            for i in range(len(hypothesis)):
                if hypothesis[i] == '?':
                    new_hypothesis = hypothesis[:]
                    new_hypothesis[i] = instance[i]
                    new_G.append(new_hypothesis)
    G.extend(new G)
    G = [hypothesis for hypothesis in G if any(h == '?' for h in hypothesis)]
    return G
# Candidate-Elimination algorithm
def candidate_elimination(df):
    S, G = initialize_S_and_G(df)
    for index, instance in df.iterrows():
        if instance['Class'] == 'Yes':
           S = update_S(S, instance)
            G = [hypothesis for hypothesis in G if any(h == '?' or h == val for h, val in zip(hypothesis, instance[:-1]))]
        else:
            G = update_G(G, instance)
            G = [hypothesis for hypothesis in G if any(h != val for h, val in zip(hypothesis, instance[:-1]))]
    return S, G
# Run the algorithm
S, G = candidate_elimination(df)
# Print the final hypotheses
print("\nMost specific hypothesis (S):")
print(S)
print("\nMost general hypotheses (G):")
for hypothesis in G:
    print(hypothesis)
₹
    Dataset:
         Size Color
                        Shape Class
          Big
                Red
                       Circle
     1 Small
                     Triangle
                Red
                                 No
     2 Small
                Red
                       Circle
                                Yes
```

```
3 Big Blue Circle No
4 Small Blue Circle Yes

Most specific hypothesis (S):
['Small', '?', 'Circle']

Most general hypotheses (G):
['?', '?', '?']
['Big', '?', '?']
['?', 'Red', 'Triangle']
['Big', '?', 'Red', '?']
['Pi, 'Red', 'Triangle']
['Big', '?', 'Circle']
['?', 'Blue', 'Circle']
```

```
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
import seaborn as sns
from sklearn.model_selection import train_test_split
from sklearn.linear_model import LogisticRegression
from sklearn.metrics import confusion_matrix, classification_report, accuracy_score
# Load the Breast Cancer dataset
from sklearn.datasets import load_breast_cancer
data = load_breast_cancer()
# Create a DataFrame
df = pd.DataFrame(data.data, columns=data.feature names)
df['target'] = data.target
# Step 1: Print the first five rows
print("First five rows of the dataset:")
print(df.head())
# Step 2: Basic statistical computations
print("\nBasic statistical computations:")
print(df.describe())
# Step 3: Columns and their data types
print("\nColumns and their data types:")
print(df.dtypes)
# Step 4: Explore the data using scatterplot
plt.figure(figsize=(10, 5))
sns.scatterplot(x='mean radius', y='mean texture', hue='target', data=df)
plt.title('Scatterplot of Mean Radius vs. Mean Texture')
plt.xlabel('Mean Radius')
plt.ylabel('Mean Texture')
plt.show()
# Step 5: Detect and handle null values
print("\nChecking for null values:")
print(df.isnull().sum())
# Step 6: Split the data into train and test sets
X = df.drop(columns=['target'])
y = df['target']
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=42)
# Step 7: Train the Logistic Regression model
model = LogisticRegression(max iter=10000)
model.fit(X_train, y_train)
# Predict using the model
y_pred = model.predict(X_test)
# Step 8: Evaluate the model
conf_matrix = confusion_matrix(y_test, y_pred)
class_report = classification_report(y_test, y_pred)
accuracy = accuracy_score(y_test, y_pred)
print("\nConfusion Matrix:")
print(conf matrix)
print("\nClassification Report:")
print(class_report)
print(f"\nAccuracy Score: {accuracy}")
# Optional: Visualize the confusion matrix
plt.figure(figsize=(6, 6))
sns.heatmap(conf_matrix, annot=True, fmt='d', cmap='Blues', cbar=False)
plt.xlabel('Predicted')
plt.ylabel('Actual')
plt.title('Confusion Matrix')
plt.show()
```