Bisection Method

Problem Set 1

September 18, 2019

1 Problem

Estimate root of a polynomial $f(x) = a_n x^n + a_{n-1} x^{n-1} + \ldots + a_1 x + a_0$ using **Bisection** and **False-Position** method. Stop iterations if ϵ_a becomes less than ϵ_s or maxitr no. of iterations are already completed.

2 Input

```
x_l: float (initial lower bound) x_u: float (initial upper bound) x_t: float (true value) \epsilon_s: float (error tolerance) maxitr: int (maximum no. of iterations allowed) n: int (highest degree of f(x)) coefficients: a list of floats (It will contain the coefficients a_0, a_1, a_2, \ldots, a_n)
```

3 Output

For each iteration, print $x_l, x_u, x_r, \epsilon_a, \epsilon_t$ Print the final estimated root

4 calculating f(x)

```
\begin{split} & \textbf{function} \ \text{Func}(\mathbf{x}) \\ & i \leftarrow 0 \\ & fun \leftarrow 0 \\ & \textbf{while} \ i \leq n \ \textbf{do} \\ & fun \leftarrow fun + coefficients[i] * x^i \\ & i \leftarrow i + 1 \\ & \textbf{end while} \\ & \textbf{end function} \end{split}
```

5 Sample Input-Output

5.1 Input

n	2
x_l	5
x_u	10
maxitr	25
ϵ_a	.003
x_t	6.405
$coefficients(x_0, x_1, x_2)$	4.5, 2.5, -0.5

5.2 Output

Click Here

6 Important Notes

- Implement using Python programming language
- Be careful about floating point arithmetic
- Be careful in maintaining order of coefficients

7 Marks Distribution

• Bisection Method: 6

• False Position Method: 6

• Output: 2

• Submission: 1

8 Rules

• You have to submit your code (only .py file) through the submission link provided in the site. The file name will be in the following format:

For example, the submitted file name would look like 2016-2-60-108.py if it is submitted by a student having 2016-2-60-108 as student id.

• Any type of plagiarism is strongly forbidden. No marks will be given to the students who will be found to be involved in plagiarism (from internet/senior/class- mates code etc.). It does not matter who is the server and who is the client.

9 Deadline

Deadline is set at 24 September, 2019 8:00 am