Comparison of STRIPS, ADL and PDDL

Explanation of PDDL

We can use specification languages like STRIPS or ADL to describe a system. Another possibility to describe systems is the **Planning Domain Definition Language (PDDL)**. It primarily describes a system using a set of preconditions and post-conditions. PDDL is a domain definition language which is supported by most planners. It is used to define the properties of a domain, the **predicates** which are used and the **action** definition. A predicate defines the property of an object which can be true or false, e.g. yellow t-shirt. *Yellow* is the property and *t-shirt* is the object.

• Like in every other programming language you can define variables and types, e.g.

```
?iterator - int
?ms - myStructure
```

• Representation of and, not and or:

- Like STRIPS and contrary to ADL the PDD Language uses the closed world assumption.
- Nevertheless the **forall** operator is usefull.

e.g. let all the t-shirts in the world be yellow:

```
(:types T-shirt)
(:predicates(Yellow ?things - T-shirt))
...
(forall(?things - T-shirt)(Yellow ?things))
```

This implies that the property yellow should be true for all objects in the domain that are of type T-shirt.

• Also known from the mathematical set theory: the **exists** operator:

e.g. there exists even one green shoe:

```
(:types Shoes)
(:predicates(Green ?things - Shoes))
...
(exists(?things - Shoes)(Green Shoes ?things))
```

This evaluates TRUE if there exists one or more object which has the property green.

PDDL - Domain Definition, Problem Definition

To define a domain with PDDL you have to define

- Requirements to declare which packages are used.
- Types to define own types.
- Constants.
- Predicates to define the truth statement.
- Action operators with a precondition (predicates have to be true before the operator applies) and effects (predicates become true after the operator is applied).

To define a problem you have to define a initial (predicates which are true at the beginning of the problem) and a goal state (predicates which are true at the end of the problem).

Example – the air cargo transport problem

Now the three languages are explained with one example, the air cargo transport problem: This problem is involving loading and unloading cargo onto and off planes and flying it from place to place. The problem can be defined with tree actions: Load, unload and fly.

STRIPS

```
The complete air cargo transport example:
```

```
3 actions: Load, Unload, Fly
```

```
variables: a: Airport, c: Cargo, p: Plane, from: start, to: destination
```

possible substitutions for a, from, to: JFK – John F. Kennedy Airport New York,

SFO – San Francisco International Airport

c: C1, C2 p: P1, P2

Action (**Load** (c, p, a),

```
PRECOND: At (c, a) \land At (p, a) \land Cargo (c) \land Plane (p) \land airport (a)
EFFECT: \neg At (c, a) \land In (c, p)
```

Action (**Unload** (c, p, a),

```
PRECOND: In (c, p) \land At (p, a) \land Cargo (c) \land Plane (p) \land Airport (a)
EFFECT: At (c, a) \land \neg In (c, p)
```

Action (**Fly** (p, from, to),

```
PRECOND: At (p, from) \land Plane(p) \land Airport(from) \land Airport(to)
EFFECT: \neg At(p, from) \land At(p, to))
```

Initial State:

```
 \begin{array}{l} \text{Init (At (C1, SFO)} \land \text{At (C2, JFK)} \land \text{At (P1, SFO)} \land \text{At (P2, JFK)} \land \text{Cargo (C1)} \land \text{Cargo (C2)} \\ \land \text{Plane (P1)} \land \text{Plane (P2)} \land \text{Airport (JFK)} \land \text{Airport (SFO))} \end{array}
```

Goal State:

```
Goal (At (C1, JFK) \wedge At (C2, SFO))
```

Init (At (C1, SFO) \land At (C2, JFK) \land At (P1, SFO) \land At (P2, JFK) \land Cargo (C1) \land Cargo (C2) \land Plane (P1) \land Plane (P2) \land Airport (JFK) \land Airport (SFO))

• First Action: Load (C1, P1, SFO)

Action (Load (C1, P1, SFO),

PRECOND: At $(C1, SFO) \land At (P1, SFO) \land Cargo (C1) \land Plane (P1) \land airport (SFO)$ EFFECT: $\neg At (C1, SFO) \land In (C1, P1)$

S1 (In (C1, P1) \land At (C2, JFK) \land At (P1, SFO) \land At (P2, JFK) \land Cargo (C1) \land Cargo (C2) \land Plane (P1) \land Plane (P2) \land Airport (JFK) \land Airport (SFO))

• Second Action: Fly (P1, SFO, JFK)

Action (Fly (P1, SFO, JFK),

PRECOND: At $(P1, SFO) \land Plane (P1) \land Airport (SFO) \land Airport (JFK)$ EFFECT: $\neg At (P1, SFO) \land At (P1, JFK))$

S2 (In (C1, P1) \land At (C2, JFK) \land At (P1, JFK) \land At (P2, JFK) \land Cargo (C1) \land Cargo (C2) \land Plane (P1) \land Plane (P2) \land Airport (JFK) \land Airport (SFO))

• Third Action: Load (C2,P2,JFK)

Action (Load (C2, P2, JFK),

PRECOND: At (C2, JFK) \land At (P2, JFK) \land Cargo (C2) \land Plane (P2) \land airport (JFK) EFFECT: \neg At (C2, JFK) \land In (C2, P2))

S3 (In (C1, P1) \wedge In (C2, P2) \wedge At (P1, JFK) \wedge At (P2, JFK) \wedge Cargo (C1) \wedge Cargo (C2) \wedge Plane (P1) \wedge Plane (P2) \wedge Airport (JFK) \wedge Airport (SFO))

• Fourth Action: Fly (P2, JFK, SFO)

Action (Fly (P2, JFK, SFO),

PRECOND: At (P2, JFK) ∧ Plane (P2) ∧ Airport (JFK) ∧ Airport (SFO) EFFECT: ¬At (P2, JFK) ∧ At (P2, SFO))

S4 (In (C1, P1) \land In (C2, P2) \land At (P1, JFK) \land At (P2, SFO) \land Cargo (C1) \land Cargo (C2) \land Plane (P1) \land Plane (P2) \land Airport (JFK) \land Airport (SFO))

• **Fifth Action: Unload** (C1, P1, JFK)

Action (Unload (C1, P1, JFK),

PRECOND: In (C1, P1) \land At (P1, JFK) \land Cargo (C1) \land Plane (P1) \land Airport (JFK) EFFECT: At (C1, JFK) $\land \neg$ In (C1, P1))

S5 (At (C1, JFK) \wedge In (C2, P2) \wedge At (P1, JFK) \wedge At (P2, SFO) \wedge Cargo (C1) \wedge Cargo (C2) \wedge Plane (P1) \wedge Plane (P2) \wedge Airport (JFK) \wedge Airport (SFO))

• Sixth Action: Unload (C2, P2, SFO)

Action (Unload (C2, P2, SFO),

PRECOND: In (C2, P2) \land At (P2, SFO) \land Cargo (C2) \land Plane (P2) \land Airport (SFO) EFFECT: At (C2, SFO) \land ¬In (C2, P2))

S6 (At (C1, JFK) \land At (C2, SFO) \land At (P1, JFK) \land At (P2, SFO) \land Cargo (C1) \land Cargo (C2) \land Plane (P1) \land Plane (P2) \land Airport (JFK) \land Airport (SFO))

Goal (At (C1, JFK) \wedge At (C2, SFO))

A state s satisfies a goal g if s contains all the atoms in g (and possibly others)

S6 satisfies Goal

ADL

```
The complete air cargo transport example: 3 actions: Load, Unload, Fly
```

```
Action (Load (c: cargo, p: plane, a: airport),
PRECOND: At (c, a) \wedge At (p, a)
EFFECT: \negAt (c, a) \wedge In (c, p))
```

Action (**Unload** (c: cargo, p: plane, a: airport), PRECOND: In
$$(c, p) \wedge At (p, a)$$

EFFECT: At $(c, a) \land \neg In(c, p)$

Action (**Fly** (p: plane, from: airport, to: airport), PRECOND: At (p, from) \land (from \neq to) EFFECT: \neg At (p, from) \land At (p, to))

Initial State:

Init (At (C1, SFO) \land At (C2, JFK) \land At (P1, SFO) \land At (P2, JFK) \land (C1:Cargo) \land (C2:Cargo) \land (P1:Plane) \land (P2:Plane) \land (JFK:Airport) \land (SFO:Airport) \land (SFO \neq JFK))

Goal State:

Goal (At (C1, JFK) \wedge At (C2, SFO))

• First Action: Load (C1, P1, SFO)

Action (**Load** (C1, P1, SFO), PRECOND: At (C1, SFO) ∧ At (P1, SFO) EFFECT: ¬At (C1, SFO) ∧ In (C1, P1))

S1 (\neg At (C1, SFO) \land In (C1, P1) \land At (C2, JFK) \land At (P1, SFO) \land At (P2, JFK) \land (C1:Cargo) \land (C2:Cargo) \land (P1:Plane) \land (P2:Plane) \land (JFK:Airport) \land (SFO:Airport) \land (SFO \neq JFK))

• Second Action: Fly (P1,SFO,JFK)

Action (**Fly** (P1, SFO, JFK),

PRECOND: At (P1, SFO) ∧ (SFO ≠ JFK)

EFFECT: ¬At (P1, SFO) ∧ At (P1, JFK))

 $S2 \left(\neg At \ (P1, SFO) \land At \ (P1, JFK) \land \neg At \ (C1, SFO) \land In \ (C1, P1) \land At \ (C2, JFK) \land At \ (P2, JFK) \land (C1:Cargo) \land (C2:Cargo) \land (P1:Plane) \land (P2:Plane) \land (JFK:Airport) \land (SFO:Airport) \land (SFO \neq JFK) \right)$

• Third Action: Load (C2, P2, JFK)

Action (Load (C2, P2, JFK),

PRECOND: At $(C2, JFK) \land At (P2, JFK)$ EFFECT: $\neg At (C2, JFK) \land In (C2, P2)$

S3 (\neg At (C2, JFK) \wedge In (C2, P2) \wedge \neg At (P1, SFO) \wedge At (P1, JFK) \wedge \neg At (C1, SFO) \wedge In (C1, P1) \wedge At (P2, JFK) \wedge (C1:Cargo) \wedge (C2:Cargo) \wedge (P1:Plane) \wedge (JFK:Airport) \wedge (SFO:Airport) \wedge (SFO \neq JFK))

• Fourth Action: Fly (P2,JFK,SFO)

Action (Fly (P2, JFK, SFO),

PRECOND: At (P2, JFK) \land (SFO \neq JFK)

EFFECT: $\neg At (P2, JFK) \wedge At(P2, SFO)$

 $S4 \left(\neg At \left(P2, JFK \right) \land At(P2, SFO) \land \neg At \left(C2, JFK \right) \land In \left(C2, P2 \right) \land \neg At \left(P1, SFO \right) \land At \left(P1, JFK \right) \land \neg At \left(C1, SFO \right) \land In \left(C1, P1 \right) \land \left(C1:Cargo \right) \land \left(C2:Cargo \right) \land \left(P1:Plane \right) \land \left(JFK:Airport \right) \land \left(SFO:Airport \right) \land \left(SFO \neq JFK \right)$

• **Fifth Action: Unload** (C1, P1, JFK)

Action (Unload (C1, P1, JFK),

PRECOND: In (C1, P1) ∧ At (P1, JFK)

EFFECT: At $(C1, JFK) \land \neg In (C1, P1)$

S5 (At (C1, JFK) $\land \neg$ In (C1, P1) $\land \neg$ At (P2, JFK) \land At(P2, SFO) $\land \neg$ At (C2, JFK) \land In (C2, P2) $\land \neg$ At (P1, SFO) \land At (P1, JFK) $\land \neg$ At (C1, SFO) \land (C1:Cargo) \land (P1:Plane) \land (P2:Plane) \land (JFK:Airport) \land (SFO:Airport) \land (SFO \neq JFK))

• Sixth Action: Unload (C2, P2, SFO)

Action (Unload (C2, P2, SFO),

PRECOND: In $(C2, P2) \land At (P2, SFO)$

EFFECT: At (C2, SFO) $\land \neg In (C2, P2)$)

S6 (At (C2, SFO) $\land \neg \text{In}$ (C2, P2) \land At (C1, JFK) $\land \neg \text{In}$ (C1, P1) $\land \neg \text{At}$ (P2, JFK) \land At(P2, SFO) $\land \neg \text{At}$ (C2, JFK) $\land \neg \text{At}$ (P1, SFO) \land At (P1, JFK) $\land \neg \text{At}$ (C1, SFO) \land (C1:Cargo) \land (C2:Cargo) \land (P1:Plane) \land (P2:Plane) \land (JFK:Airport) \land (SFO:Airport) \land (SFO \neq JFK))

Goal (At (C1, JFK) \wedge At (C2, SFO))

A state s satisfies a goal g if s contains all the atoms in g (and possibly others)

→ S6 satisfies Goal

PDDL

```
(define (domain air-cargo)
       (:requirements :typing :adl)
       (:types cargo plane airport)
       (:predicates (at ?t - (either cargo plane) ?a - airport)
       (in ?c - cargo ?p - plane))
       (:action load
        :parameters (?c - cargo ?p - plane ?a - airport)
        :precondition (and (at ?c ?a) (at ?p ?a))
       :effect (and (not (at ?c ?a)) (in ?c ?p)))
       (:action unload
        :parameters (?c -cargo ?p - plane ?a - airport)
       :precondition (and (in ?c ?p) (at ?p ?a))
       :effect (and (at ?c ?a) (not (in ?c ?p))))
       (:action fly
        :parameters (?p - plane ?a1 ?a2 - airport)
       :precondition (and (at ?p ?a1) (not (= ?a1 ?a2)))
        :effect (and (not (at ?p ?a1)) (at ?p ?a2)))
)
(define (problem sfo-jfk)
       (:domain air-cargo)
       (:objects c1 c2 - cargo sfo jfk - airport p1 p2 - plane)
       (:init (at c1 sfo)
       (at p1 sfo)
       (at c2 jfk)
       (at p2 jfk)
        (:goal (and (at c1 jfk) (at c2 sfo)))
)
```

Introduction to AI planning

Main Sources:

Stuart Russell, Peter Norvig: Artificial Intelligence, New Jersey, 2003

http://www.cs.umd.edu/~atif/Teaching/Spring2002/Slides/5.pdf

http://www.informatik.uni-freiburg.de/~koehler/aips/PDDL-MANUAL.ps.gz

http://www.ksl.stanford.edu/people/fikes/cs222/2001/pddl.ps

http://www.ai.sri.com

http://www.cs.washington.edu/homes/weld

http://www.2.cs.cmu.edu/~aips98/