

- ① 7.2.1.1 c
sample size 10
 $sd(\bar{x}) = 9$

$$9 = \frac{y}{\sqrt{10}}$$

$$1 = \frac{9\sqrt{10}}{\sqrt{5}}$$

$$9\sqrt{10} = y$$

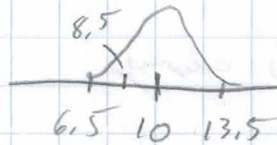
$$(\sqrt{5})^2 = (9\sqrt{10})^2$$

$$5 = 810$$

you need a sample size of 810

- ② 7.2.1.2

mean 10
sd 3.5

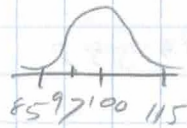


$$1 - \text{pnorm}(8.5, \text{mean} = 10, \text{sd} = 3.5) = 1 - 0.3341176$$

$$\text{pr}(X > 8.5) = .6659$$

- ③ 7.2.2.1

mean 100
sd 15



$$1 - \text{pnorm}(97, 100, 15) = 1 - .4207 = .5793$$

$$\text{pr}(X > 97) = .5793$$

- ④ 7.2.2.2 (b)

$\mu = 3.1$ minutes

$$\bar{x} = 3.3 - 50$$

$\sigma = 1.2$

$$\text{Normal}(\mu_{\bar{x}} = 3.1, \sigma_{\bar{x}} = \frac{1.2}{\sqrt{50}} = 0.1697)$$

$$1 - \text{pnorm}(3.3, 3.1, 0.1697) = 0.11973$$

- ⑤ 7.2.3.3

$$se(\bar{x}) = \frac{50}{\sqrt{40}} = 7.9057$$

$$\bar{x} \pm 2se(\bar{x}) = 250 \pm 2 \times 7.9057 = (234.18, 265.81)$$

6 7.3, 1.1

a)

$$se(\hat{p}) = \sqrt{\frac{.39 \times .61}{90}} = .0514$$

b) $.39 \pm 2(.0514) = (.287, .493)$

- no, it is not possible to have a ses of 23% because the lowest is 28.7%

- it is 2 standard errors away

7 a) $1.350 < p\text{-value} < 1.771$

b) $Pr(T \leq 2.228) - Pr(T \leq -2.228) = 0.9499882$

c) 0.4810891

d) 1.439756 and -0.4397557

