Hegens 6.

Peansune razol. Terenne razol. Hopent Ochogns-Tomcong

T=com+

V. → V./2

Vo/2 →Vo (l lauggm)

9, 5, T.

2= 1 work

05-7

$$\delta S = c_{\nu} \ln \frac{T_2}{T_1} + R \ln \frac{V_1 - b}{V_1 - b}$$

1-2: изотерм. СКИ

DS12= R 17 16/2-b

2-3: paom. & bangon -> bugop. zneprus coxp-cs

$$u_1 = u_3$$
; $c_1 c_1 T_0 - \frac{2c}{v_0} = c_1 c_1 T - \frac{q}{2v_0}$

$$c_{v} \ln \frac{T}{T_{0}} = \frac{a}{V_{0}} \left(\frac{1}{2} - 2 \right) = -\frac{3}{2} \frac{q}{V_{0}}$$

$$0S = 6S_{13} = 8S_{12} + 8S_{23} = R \ln \frac{2V_0 - b}{V_0 - b} - \frac{3}{2} \frac{q}{V_0}$$

6.73

Tub/T = 0,4

77 -0,9

Vup/v = 0,09

4= 1/3T)p

5 Toy 4 al. -?

$$\rho = \frac{RT}{V-b} - \frac{q}{V^2}$$

aguadama;

$$as = \frac{c_0}{T}aT + \left(\frac{\partial s}{\partial \rho}\right)_T d\rho = \frac{c_0}{T}dT - \left(\frac{\partial v}{\partial T}\right)_P d\rho = 0$$

dy= = (21) dp.

$$V_{4}T_{4} = \frac{8\times}{30}$$
, $\angle = \frac{9}{8} e V_{4} T_{4}$

244. DWayne-Poncong

$$\frac{\partial T_{0,4,T}}{\partial T_{0y}} = \frac{\frac{\ell RT}{(V-b)^2} - \frac{24}{V^2}}{T(\frac{\partial \ell}{\partial V})_T(\frac{\partial V}{\partial T})_{\ell}} = \frac{\frac{\ell RT}{(V-b)^2} - \frac{24}{V^2}}{T(\frac{\partial \ell}{\partial V})_T(\frac{\partial V}{\partial T})_{\ell}} = \frac{24}{V^2} - \frac{\ell RT}{(V-b)^2} = \frac{24}{V^2} - \frac{24}{V^2} - \frac{24}{V^2} = \frac{24}{V^2} - \frac{24}{V^2} - \frac{24}{V^2} = \frac{24}{V^2} - \frac{24}{V^2} =$$

$$= \frac{s_{/1} \ e_{Tex} \ v_{up}}{e_{T}} - \frac{1}{v \cdot \xi v_{ep}} - \frac{1}{v \cdot \xi v_{ep}} = \frac{3}{1} \frac{T_{up}}{r} \frac{v_{up}}{v} \left(3 - \frac{v_{up}}{v}\right) - \frac{h_{up}/v}{3 - v_{up}/v} \approx \frac{0.48}{2}$$

$$C_{v}T_{o} - \frac{q}{V_{o}} + p_{v}V_{o} = C_{v}T + pV$$

$$C_{v}T_{o} - \frac{q}{V_{o}} + \left(\frac{R}{V_{o}-b} - \frac{q}{V_{o}^{2}}\right)V_{o} = C_{v}T + RT$$

$$dT = \frac{-\frac{2q}{V_{o}^{2}} + \frac{RT_{o}b}{(V_{o}-b)^{2}}}{C_{v}+R}$$

$$V_{0} = \frac{2a \pm \sqrt{2a + xeT_{0}}}{2a - eT_{0}} = \frac{2a \pm \sqrt{2aeT_{0}}}{\frac{2a}{5} - eT_{0}} = \frac{2a \pm \sqrt{6a^{2} \frac{e}{2a}}}{\frac{2a}{5} eT_{0} + -3eT_{0}} = \frac{2a \pm \sqrt{4} \frac{a}{5} \frac{a}{6}}{\frac{a}{5} eT_{0} + -3eT_{0}} = \frac{2a \pm \sqrt{4} \frac{a}{5} \frac{a}{6}}{\frac{a}{5} eT_{0} + -3eT_{0}} = \frac{2a \pm \sqrt{4} \frac{a}{5} \frac{a}{6}}{\frac{a}{5} eT_{0} + -3eT_{0}} = \frac{2a \pm \sqrt{6a^{2} \frac{e}{2a}}}{\frac{a}{5} eT_{0} + -3eT_{0}}} = \frac{2a \pm \sqrt{6a^{2} \frac{e}{2a}}}{\frac{a}{5} eT_{0} + -3eT_{0}}} = \frac{2a \pm \sqrt{6a^{2} \frac{e}{2a}}}{\frac{a}{5} eT_{0} + -3eT_{0}} = \frac{2a \pm \sqrt{6a^{2} \frac{e}{2a}}}{\frac{a}{5} eT_{0} + -3eT_{0}}}$$

$$= \frac{18}{3} \cdot \frac{36}{3} = 36 = 146$$

$$= \frac{3}{3} \cdot \frac{10}{10} = 36 = 146$$

$$V_{up} = 3b$$
, $T_{up} = \frac{89}{23 hR}$

ny com to - Tennebody to toppy to g mora paneon

$$T_0 = T(1 + \frac{1}{2} \ln^2)$$
; $\frac{T_0}{T} = 1 + \frac{1}{2} \ln^2 = \frac{1}{2}$

agnasara:
$$\frac{P_0}{P} = \left(\frac{T_0}{T}\right)^{\frac{1}{N-1}} = \left(\frac{d+1}{2}\right)^{\frac{1}{N-1}} \approx 1,89$$

agnadas.
$$M = \sqrt[3p]{r_{3q}}$$

$$\frac{16^{\circ}}{\left(\frac{P}{Pup} - \frac{3}{(V/Vup)^{\circ}}\right)\left(\frac{V}{Vup} - \frac{1}{3}\right) = \frac{8}{3}\frac{T}{Tup}}$$

$$\frac{P}{Pup} = \frac{8(T/Tup)}{3(V/Vup) - \frac{1}{3}} - \frac{3}{(V/Vup)^{\circ}} = \frac{77 = 3,19}{(V/Vup)^{\circ}}$$

$$\frac{17^{\circ}}{OS - ?}$$

$$S = (v ln T + R ln V) = Cv ln T + R ln T - R ln P + c$$

$$U\Gamma$$

$$S = (p ln T - R ln P + c)$$

$$P_{1} = 4eon$$

$$P_{2} = 1eon$$

$$I_{1} = I_{2}: \quad C_{p}T_{1} = C_{p}T_{2}; \quad T_{1} = T_{2}$$

$$OS = C_{p}ln \frac{T_{2}}{S_{0}} - R ln \frac{P_{1}}{P_{1}} = R ln \frac{P_{2}}{P_{1}} = 2R ln 2 \approx 11,5 \frac{\Omega uv}{R}$$

$$\frac{18^{\circ}}{T = 735k}$$

$$\frac{C_{p}T = C_{p}T' + \frac{v_{her}}{2} \approx \frac{v_{har}}{2}$$

$$\frac{C_{p}T = \frac{v_{har}}{2}$$

$$\frac{C_{p}T = \frac{v_{har}}{2}$$

$$\frac{C_{p}T = \frac{v_{har}}{2}$$

$$\frac{v_{har} = \frac{v_{har}}{h} = \frac{740 \frac{h}{c}}{h}$$