



AAE2004 INTRODUCTION TO AVIATION SYSTEMS

AAE

DESIGN OF PATH PLANNING ALGORITHM FOR AIRCRAFT OPERATION

Group 9

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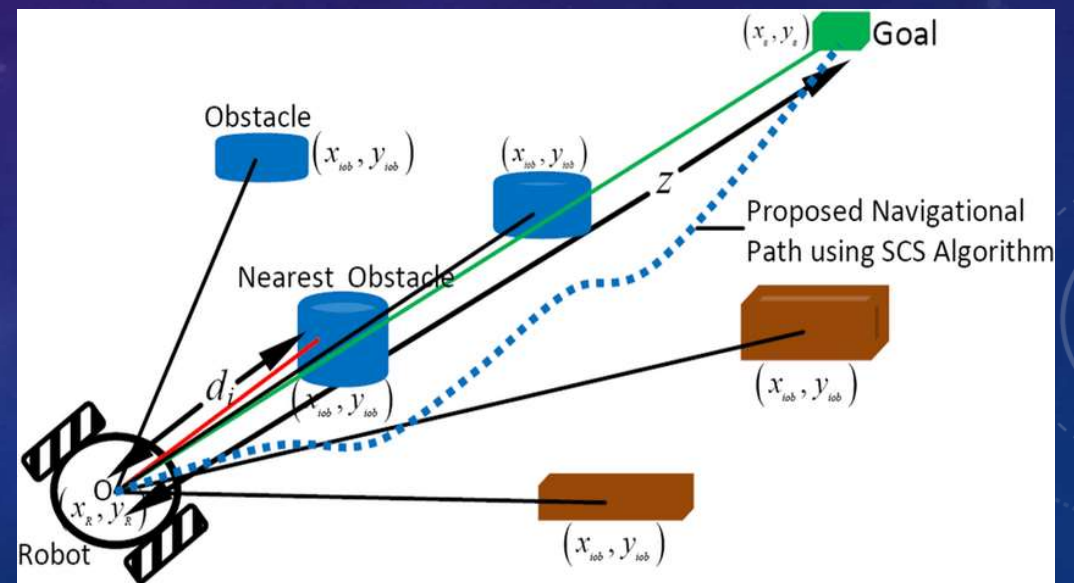
TUMBAPO DINA HANG

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- Reflection

The background features a dark, atmospheric sky with a sunset or sunrise gradient. Overlaid on the left are several concentric white circles and arcs, resembling radar or flight path indicators, with some numerical labels like 160, 170, 180, 190, 200, 210, 220, 230, 240, 250, and 260. On the right, a large white circle contains a black silhouette of a commercial airplane in flight, viewed from below. The text "WHAT IS PATH PLANNING?" is centered over the airplane silhouette.

WHAT IS PATH PLANNING?





IMPORTANCE TO AVIATION ENGINEERING

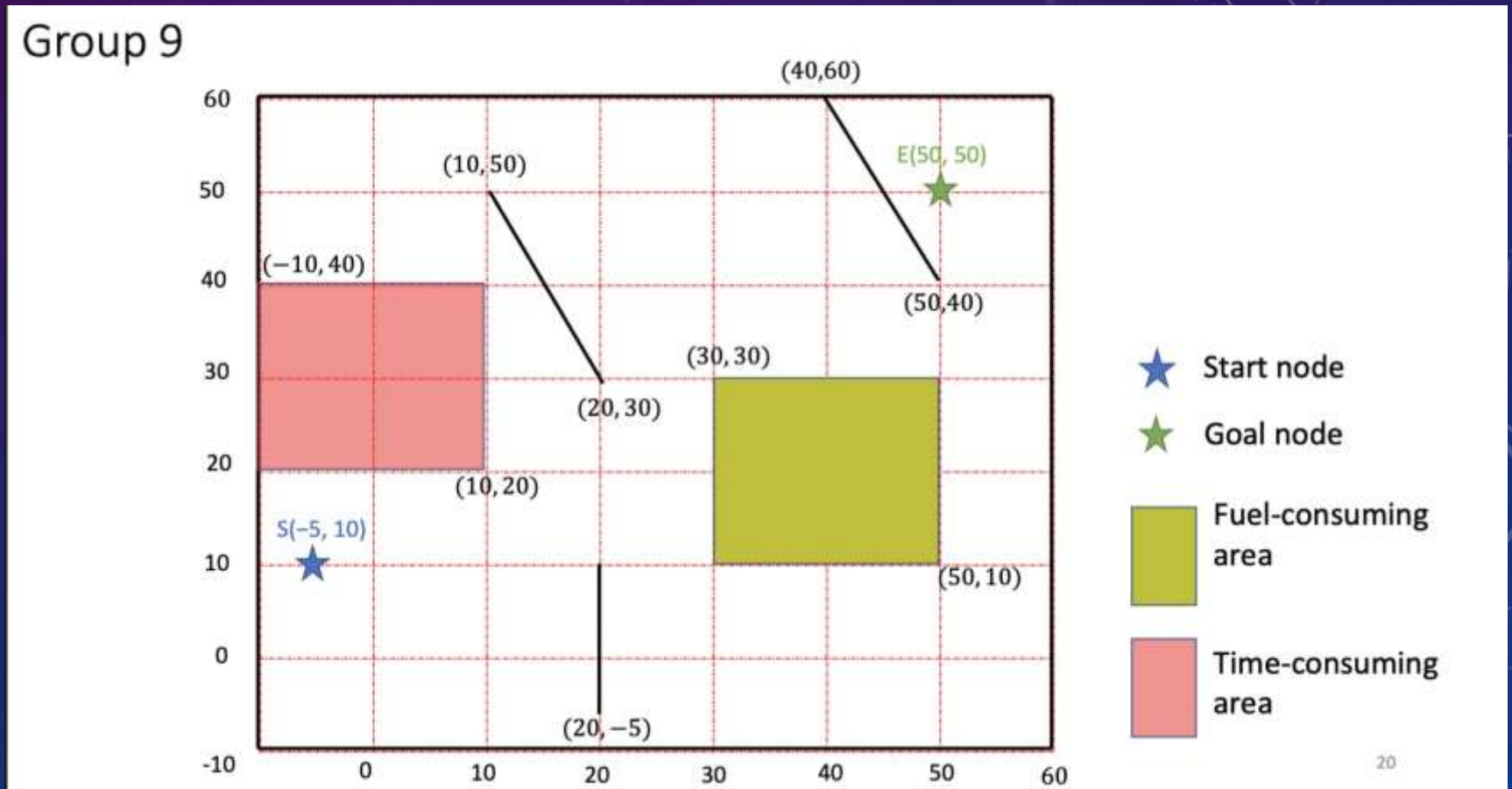
OUR GOAL !

- Select the best aircraft models with minimum costs
- Design safe and cheapest path considering different scenarios



TASK 1

Finding an appropriate aircraft model that achieve minimum cost for 3 scenario for the challenge



[CODING 1]

```
self.Delta_C1 = 0.2 # cost intensive area 1 modifier time
self.Delta_C2 = 0.4 # cost intensive area 2 modifier fuel
```



Accountable for the percentage charge of going through these two cost intensive areas, cost and time zones

```
# reaching goal
if current.x == goal_node.x and current.y == goal_node.y:
    print("Total Trip time required -> ", current.cost )
    goal_node.parent_index = current.parent_index
    goal_node.cost = current.cost
    T = current.cost
    #A321neo
    F321 = 54 #Fuel Consumption
    P321 = 200 #Passenger capacity
    TL321 = 10 #Cost time Low
    TM321 = 15 #Cost time Medium
    TH321 = 20 #Cost time High
    CA321 = 1800 #Fixed Cost
```



Add constants

written each constant for each aircraft separately

```
N320 = math.ceil(TP / P321) #number of flights capable, maximum 12
Total_cost_A321 = (T * F321 * CF + T * TM321 + CA321) * N320
if N320 <= 12:
    print("Total Cost of A321neo -> ", Total_cost_A321)
else:
    print("A321neo is not viable")
```



Calculates the total number of flights necessary for A321neo to carry all 3000 passengers in a week


```
# start and goal position
sx = -5.0 # [m]
sy = 10.0 # [m]
gx = 50.0 # [m]
gy = 50.0 # [m]
grid_size = 1 # [m]
robot_radius = 1.0 # [m]
```

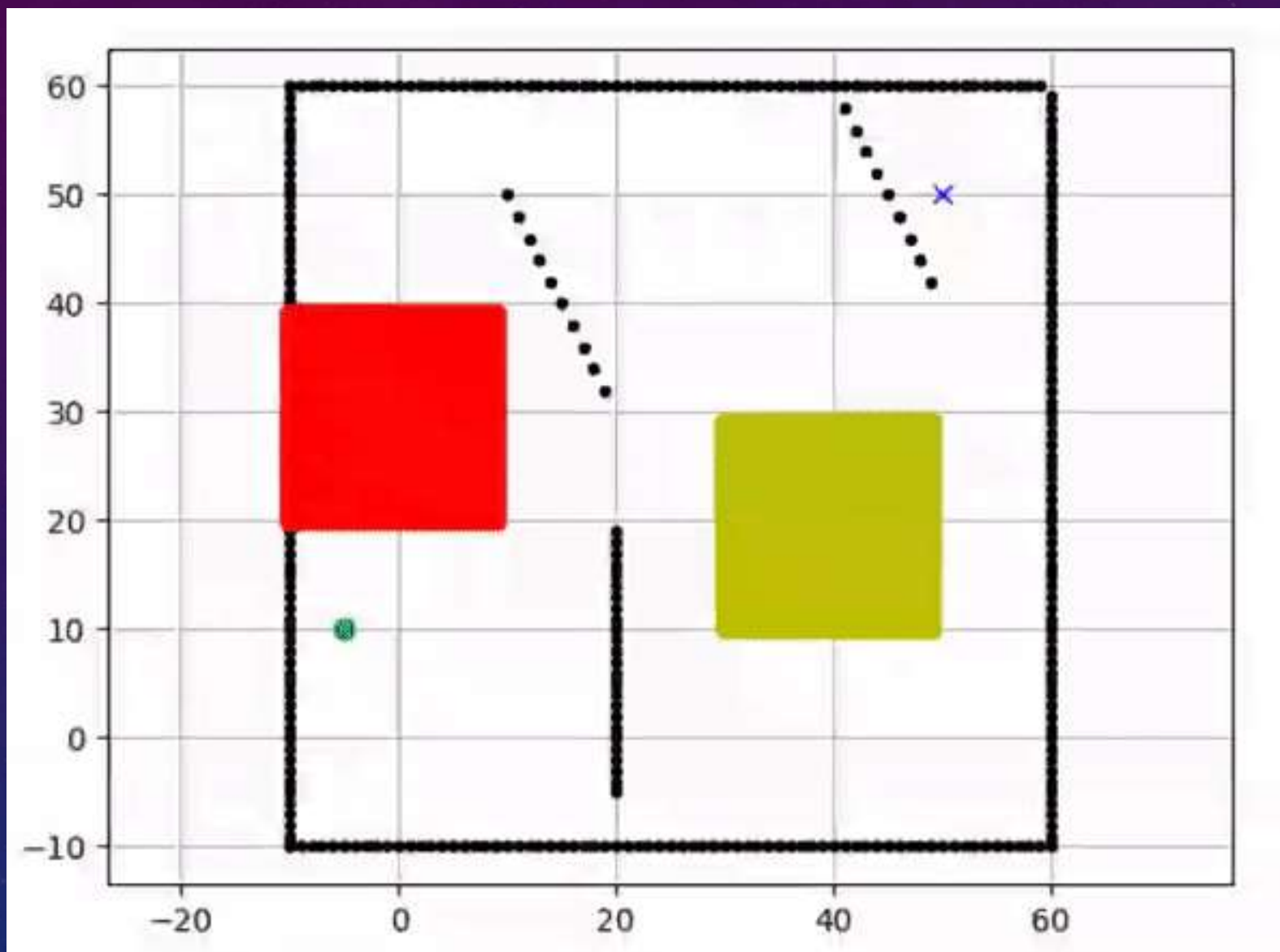
```
for i in range(-5, 20): # draw the free border
    ox.append(20.0)
    oy.append(i)
for i in range(40, 50):
    ox.append(i)
    oy.append(-2 * i + 140)
for i in range(10, 20):
    ox.append(i)
    oy.append(-2 * i + 70)
```

```
# set cost intensive area 1
tc_x, tc_y = [], []
for i in range(-10, 10):
    for j in range(20, 40):
        tc_x.append(i)
        tc_y.append(j)
```

```
# set cost intensive area 2
fc_x, fc_y = [], []
for i in range(30, 50):
    for j in range(10, 30):
        fc_x.append(i)
        fc_y.append(j)
```

→ Setting of intensive areas

→ Represents the obstacles that do not let aircraft to fly through them.



$$C = C_F \cdot \Delta F \cdot T_{best} + C_T \cdot T_{best} + C_c$$

Scenario 1:

- 3000 passengers (week)
- Max. of 12 flights
- Time cost = MEDIUM
- Fuel cost = \$0.76/kg

Scenario 2:

- 1250 passengers (month)
- Max. of 5 flights
- Time cost = HIGH
- Fuel cost = \$0.88/kg

Scenario 3:

- 2500 passengers (week)
- Max. of 25 flights
- Time cost = LOW
- Fuel cost = \$0.95/kg

Total Trip time required -> 77.7mins

A330neo -> \$85894.42/trip

A350-900 -> \$89186.64/trip

A330neo -> \$49191.80/trip

A350-900 -> \$45168.54/trip

A330neo -> \$84267.23/trip

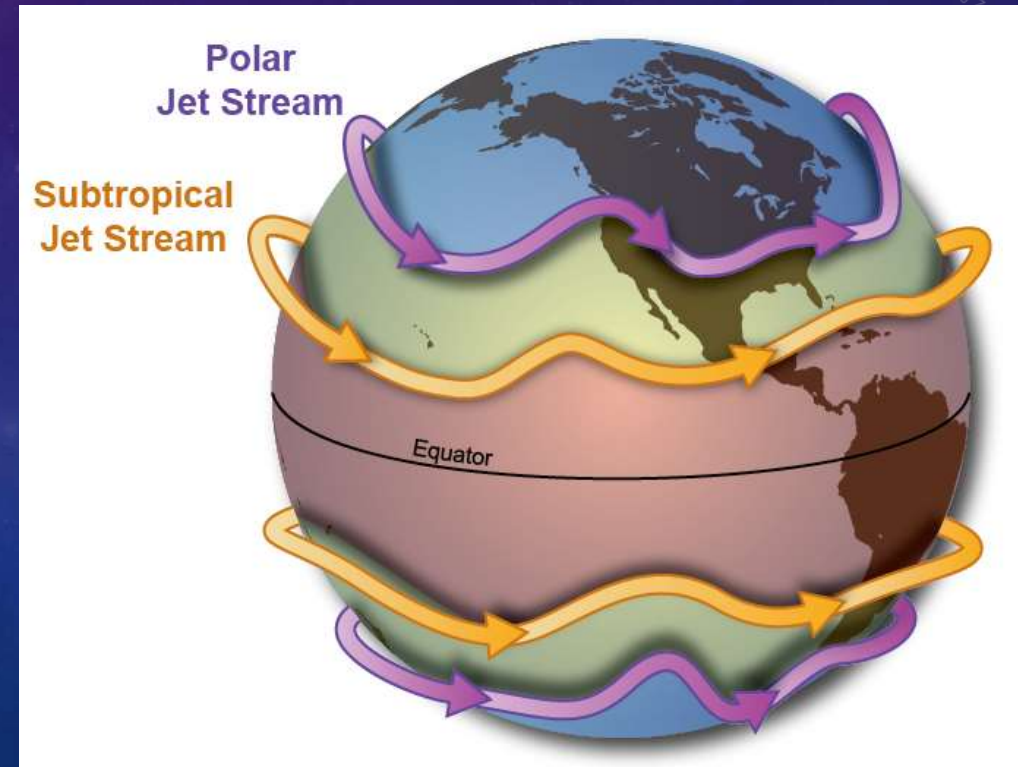
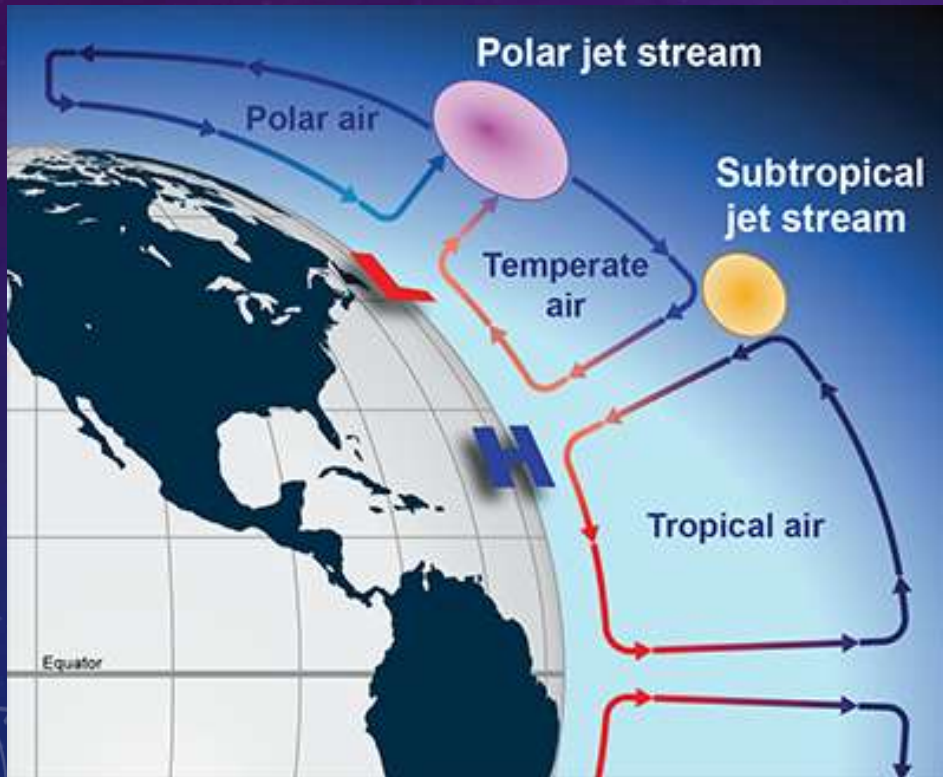
A350-900 -> \$85552.68/trip

Result

TASK 2

Design a new minus cost area that can reduce the cost of the route.

II Jet Stream



[CODING 2]

Create a new area

```
# set jet stream area
for x in range(10, 49): # 40 values
    js_x, js_y = [], []
    for i in range(-10, 60):
        for j in range(x, x+5):
            js_x.append(i)
            js_y.append(j)
    a_star = AStarPlanner(ox, oy, grid_size, robot_radius, fc_x, fc_y, tc_x, tc_y, js_x, js_y)
    rx, ry, costpath = a_star.planning(sx, sy, gx, gy, x)

    if x==10:
        lowest = costpath
        bestx = x

    if costpath < lowest:
        lowest = costpath
        bestx = x

x=3
```

```
#set jet stream best x
js_x, js_y = [], []
for i in range(-10, 60):
    for j in range(bestx, bestx+5):
        js_x.append(i)
        js_y.append(j)
```

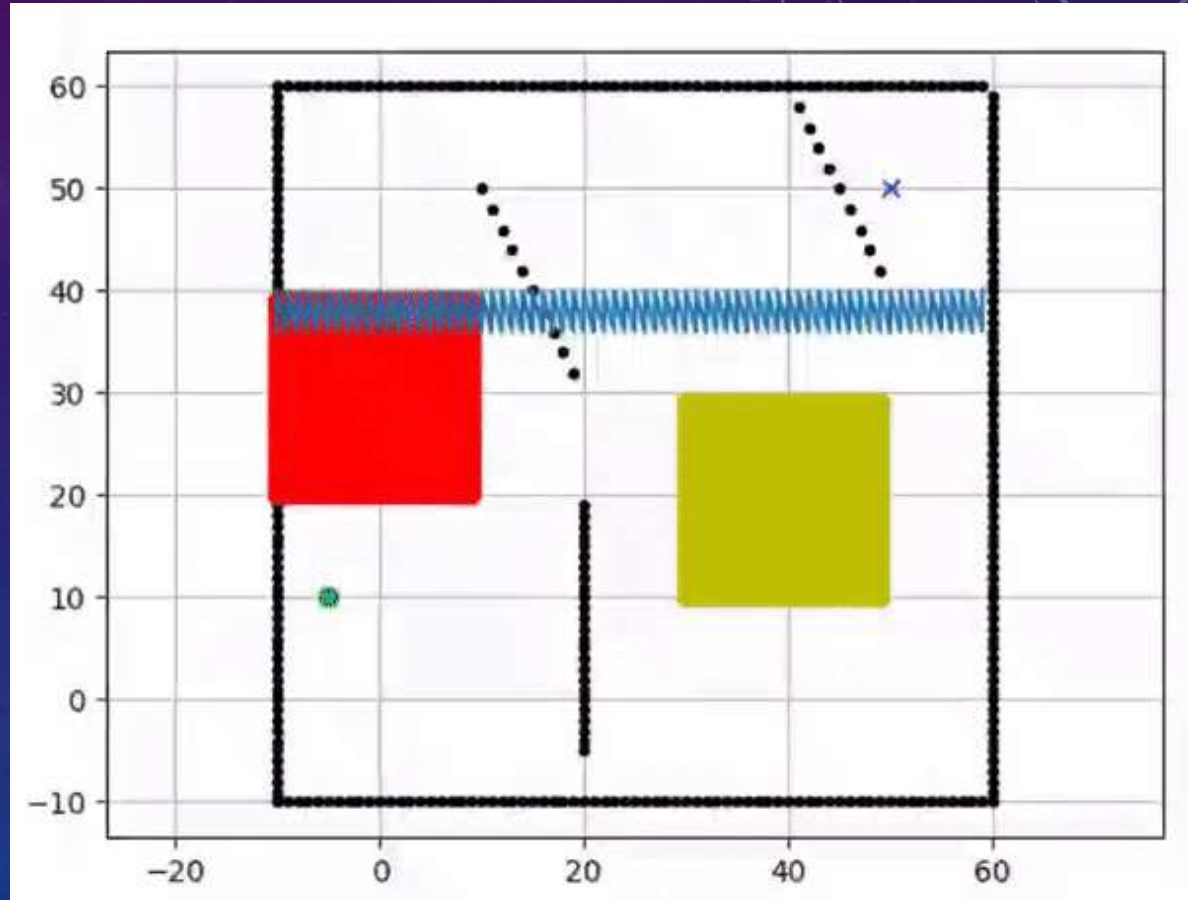
→ Set a range, choose the best area for jeet stream base on the best α value

```
a_star = AStarPlanner(ox, oy, grid_size, robot_radius, fc_x, fc_y, tc_x, tc_y, js_x, js_y)
rx, ry, costpath = a_star.planning(sx, sy, gx, gy, x)
```

→ In order to make the programme work

- Using Scenario 1 in Task 1 as the background
- Cost along the jet stream is reduced by 5%

Result:



TASK 3

Design a new Aircraft Model that achieve minimum cost for the challenge mentioned in Task 1

$$C = C_F \cdot \Delta F \cdot T_{best} + C_T \cdot T_{best} + C_c$$

C_F =cost of fuel per kg

C_T =time related cost per minute of flight

C_c =fixed cost independent of time

ΔF =trip fuel

ΔT =trip time

Potential design of aircraft: B797



- Twin win RR Trent 1000 engine aircraft
- The targeted no of flights is 11 with 273 passengers per flight

```
TP = 3000 #Total passengers per week
MF = 12 # Maximum number of flights per week
CT = 2000 # Fixed cost for twin-engine
CF = 2500 # Fixed cost for 4-engine
Ctime = 12 # Cost for time
F = 20 # Kg per minute
usdbbl = 105.68 # usd/bbl for Asia n Oceania Region
```

- List of constants

$$C = C_F \cdot \Delta F \cdot T_{best} + C_T \cdot T_{best} + C_c$$

C_F : \$ 105.68/bbl

ΔF : $2 \cdot 20 = 40$ kg/min = 0.251592 bbl/min

T_{best} : 77.7mins

C_T : 273 passengers/ $50 \cdot \$2/\text{min} + 12(\text{base})$
= 22.92 = \$23/min

C_c : \$2000

RESULT:

Twin-engine B797 -> 69735.13

Passenger capacity B797 -> 273

Max. cost = \$69375

[CODING 3]

```
for add_pass in range(0, 200):
    passengers = 250 + add_pass # number of passengers
    cfuel = usdbbl/ 119.24047 # cost for fuel
    m = math.ceil(add_pass/50) # by what value it is increased
    N = math.ceil(TP/passengers) # number of flights

    if passengers >= 300:
        Total_cost = (T * 4 * F * cfuel + T * (18 + 2 * m) + CF)*N
    else:
        Total_cost = (T * 2 * F * cfuel + T * (18 + 2 * m) + CT)*N

    if passengers==250:
        lowest = Total_cost
        bestpassengers = passengers
    if Total_cost < lowest:
        lowest = Total_cost
        bestpassengers = passengers
```

The coding will give either one of the solution which probably describes all information that is needed.

MOST ENSSENTIAL PART !

- Write a formula for converting from USD per barrel to cost for fuel in terms of kilograms
- Formulas of "m" and "N" are responsible for adding additional costs for every 50 passengers and revealing the total number of flights



```
Nbest = math.ceil(TP/bestpassengers) # number of flights with best number of passengers
if bestpassengers >= 300:
    print("Total cost of 4-engine B797-> ",lowest)
    print("Passenger capacity B797-> ",bestpassengers)
else:
    print("Total cost of twin-engine B797 -> ",lowest)
    print("Passenger capacity B797-> ",bestpassengers)
break
```



