ECON 7103 Homework 4

Yifan Liu (yliu3494)

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1 Python

1. Visualization of the parallel trends

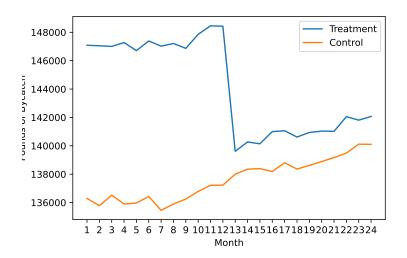


Figure 1: Bycatch before and after treatment for treated and control groups in months of 2017 and 2018

From Figure 1, we can tell that there are parallel trends before treatment (January 2018) between treatment and control groups.

2. DID

$$DID = \{E[Y_{igt}|g(i) = treat, t = Post] - E[Y_{igt}|g(i) = treat, t = Pre]\} - \{E[Y_{igt}|g(i) = control, t = Post] - E[Y_{igt}|g(i) = control, t = Pre]\} = (139612.51 - 148430.64) - (138001.81 - 137228.6) = -9591.35$$

The DID estimator is defined as the difference in average monthly yields of bycatch in the treatment group before and after treatment minus the difference in average monthly yields of bycatch in the control group before and after treatment.

The intuition of the estimator here is the effect of the program on the monthly yields of bycatch. The program was implemented by an environmental nonprofit to reduce bycatch.

3.

(a) Table 1 shows the two-period difference-in-differences estimator using the regression specification in the equation (3) and the observations in December 2017 and January 2018 only.

Dep. Variable:		bycatch		R-squared:		0.003
Model:	Model: OLS		Adj. R-squared		quared:	-0.028
Method:		Least Squar	res F-statistic:		c:	3.161
Date:	S	un, 12 Feb	2023 Prob (F-statistic):		statistic):	0.0327
Time:		17:30:18]	Log-Likelihood:		-1270.4
No. Obser	$\mathbf{vations}$:	100	AIC:			2549.
Df Residu	als:	96	BIC:			2559.
Df Model:		3				
Covariance	e Type:	cluster				
	coef	std err	\mathbf{z}	$\mathbf{P} > \mathbf{z} $	[0.025]	0.975]
const	1.38e + 05	1.87e+04	7.396	0.000	1.01e+05	1.75e + 05
\mathbf{pre}	-773.2158	598.685	-1.292	0.197	-1946.617	400.186
${f treated}$	1.12e+04	2.35e + 04	0.477	0.634	-3.49e+04	5.73e + 04
${\it treated:post}$	-9591.3495	3231.787	-2.968	0.003	-1.59e + 04	-3257.164
Omnibus:		11.020	Durbin-Watson: 2.387			7
Prob(Omnibus):		0.004	Jarque-Bera (JB): 11.5			3
Skew:		0.697	$\mathbf{Prob}(\mathbf{JB})$: 0.00		0.0031	13
Kurtosis:		3.908	Cond. No.		6.89	
						

Notes:

[1] Standard Errors are robust to cluster correlation (cluster)

Table 1: Two-period difference-in-differences estimator using the regression specification in the equation (3)

(b)

Table 2 shows the treatment estimator using the regression specification in the equation (4) and the full monthly sample.

I deleted the month 13 to avoid multicollinearity.

Using the full monthly sample, the estimate of the treatment effects becomes smaller than the result with the observations in December 2017 and January 2018.

(c)

Table 3 shows the treatment estimator using the regression specification in the equation (5) with added controls and the full monthly sample.

The estimate of the treatment effects becomes a bit smaller after adding controls.

(d)

Table 4 reports the results from the previous three questions (a) (b) (c) in a table with clustered standard errors at the firm level. Note that here we omit the estimates of the coefficients on the month and firm indicators in the table.

The result in the model (a) is the same with my previous calculation in the question 2. The estimator is smaller in the model (b). This means the treatment effect of the program is smaller while using the full monthly sample. The estimator in the model (c) is a bit smaller than that in the model (b) due to the addition of control variables. The lack of these controls can make the treatment effect of the program biased upward. After controlling for firm size and other covariates that change over time, the estimator becomes slightly smaller.

2 Stata

1.

(a)

The long table shows the regression results using the equation (6) after generating indicator variables for each firm.

PS: I failed to display Table 6 in multiple pages using "longtable" in a tidy way, but it worked somehow generating many repeated pages.

(b)

Table 6 shows the regression results of within-transformation after demeaning each variable.

(c)

Table 7 reports the estimates from (a) and (b) in the same table.

Comparing (a) and (b), we find that the estimates of the coefficients are same in terms of the treatment effects of the program. The within-transformation reduces the clustered standard errors.

Comparing Table 4 and Table 7, we find that considering indicator variables for each firm makes the treatment effects smaller than the previous estimates. The interpretation of the estimates now becomes the treatment effects of the program while taking into account the heterogeneity of each firm.

Dep. Variable:		bycatch R-squared:		0.003		
Model:		OLS		Adj. R-squared:		-0.018
Method:		Least Squares		F-statistic:		7.349
Date: Sur		n, 12 Feb 20		ob (F-st		1.74e-09
Time:		17:30:18		g-Likelih	iood:	-15242.
No. Observations:		1200 AIC:		3	.054e + 04	
Df Residual	s:	1174 BIC:		3	.067e + 04	
Df Model:		25				
Covariance	Type:	cluster				
	coef	std err	${f z}$	$\mathbf{P} > \mathbf{z} $	[0.025]	0.975]
const	1.377e + 05	1.86e + 04	7.401	0.000	1.01e + 05	1.74e + 05
treated	1.105e + 04	2.32e+04	0.477	0.633	-3.43e+04	5.65e + 04
treated:post	-8956.7837	3166.921	-2.828	0.005	-1.52e+04	-2749.732
$\mathrm{month}_{-}1$	-1585.8815	539.636	-2.939	0.003	-2643.549	-528.214
month_{-2}	-1843.1931	500.218	-3.685	0.000	-2823.603	-862.783
month_{-3}	-1524.8250	514.584	-2.963	0.003	-2533.392	-516.258
month_{-4}	-1667.3508	516.646	-3.227	0.001	-2679.958	-654.743
$\mathrm{month}_{-}5$	-1941.1701	556.739	-3.487	0.000	-3032.359	-849.981
$\mathrm{month}_{-}6$	-1359.7701	592.424	-2.295	0.022	-2520.900	-198.640
$\mathrm{month}_{-}7$	-2007.1326	691.661	-2.902	0.004	-3362.764	-651.501
month_{-8}	-1701.7864	567.648	-2.998	0.003	-2814.356	-589.217
month_9	-1726.8567	584.867	-2.953	0.003	-2873.175	-580.538
$month_{-}10$	-945.9439	559.874	-1.690	0.091	-2043.276	151.388
month_11	-422.6513	555.809	-0.760	0.447	-1512.018	666.715
$\mathrm{month}_{-}12$	-430.5503	480.193	-0.897	0.370	-1371.711	510.610
$month_{-}14$	517.6268	513.551	1.008	0.313	-488.915	1524.168
$\mathrm{month}_{-}15$	464.9736	477.082	0.975	0.330	-470.089	1400.036
$\mathrm{month}_{-}16$	833.5673	571.850	1.458	0.145	-287.238	1954.373
$\mathrm{month}_{-}17$	1151.7560	445.231	2.587	0.010	279.119	2024.392
$month_{-}18$	707.9408	401.926	1.761	0.078	-79.819	1495.701
$month_{-}19$	998.7330	453.848	2.201	0.028	109.208	1888.258
month_20	1178.5464	410.169	2.873	0.004	374.630	1982.463
month_21	1295.0004	369.765	3.502	0.000	570.275	2019.726
$\mathrm{month}_{-}22$	2000.9103	477.260	4.192	0.000	1065.498	2936.323
$\mathrm{month}_{-}23$	2157.1445	441.289	4.888	0.000	1292.233	3022.056
$month_{-}24$	2293.5956	385.532	5.949	0.000	1537.967	3049.224
Omnibus:		95.036	Durbin-Watson: 2.		2.43	1
Prob((Omnibus):	0.000	Jarque-Bera (JB): 124		3): 124.30	08
Skew:		0.670	`		1.02e-	27
Kurtosis:		3.832	Cond. I	No.	30.9	

Notes:

[1] Standard Errors are robust to cluster correlation (cluster)

Table 2: The treatment estimator using the regression specification in the equation (4)

Dep. Variable:		bycatch	R-squared:			0.991	
Model:		OLS Adj. R-squa		ıared:	0.991		
		east Squares F-statistic:			4733.		
		n, 12 Feb 20	023 Pr	Prob (F-statistic):		3.57e-75	
Time:		17:30:18		$\mathbf{g} extbf{-}\mathbf{Likelih}$		-12401.	
No. Observa	ations:	1200 AIC :		6	2.486e + 04		
Df Residual	s:	1171	$_{ m BI}$	\mathbf{C} :	6	2.501e + 04	
Df Model:		28					
Covariance	Type:	cluster					
	coef	std err	${f z}$	$\mathbf{P} > \mathbf{z} $	[0.025]	0.975]	
const	1424.1693	1176.857	1.210	0.226	-882.428	3730.767	
$\mathbf{firmsize}$	-2119.7133	3406.960	-0.622	0.534	-8797.232	4557.805	
${f treated}$	-21.9017	308.244	-0.071	0.943	-626.049	582.246	
${f shrimp}$	1.0554	0.053	19.991	0.000	0.952	1.159	
salmon	0.6021	0.210	2.871	0.004	0.191	1.013	
treated:post	-8436.2817	2823.973	-2.987	0.003	-1.4e+04	-2901.397	
month_1	122.8366	285.466	0.430	0.667	-436.666	682.339	
month_2	138.6053	289.076	0.479	0.632	-427.973	705.183	
month_{-3}	107.4263	253.662	0.424	0.672	-389.742	604.594	
month_4	111.6298	232.909	0.479	0.632	-344.863	568.122	
month_{-5}	118.7962	225.810	0.526	0.599	-323.784	561.377	
month_6	67.0887	166.699	0.402	0.687	-259.635	393.812	
$\mathrm{month}_{-}7$	104.8093	189.877	0.552	0.581	-267.343	476.962	
month_{-8}	67.2376	136.640	0.492	0.623	-200.571	335.046	
month_9	63.9654	131.159	0.488	0.626	-193.102	321.033	
month_10	22.4845	100.222	0.224	0.822	-173.947	218.916	
month_11	-16.6447	54.718	-0.304	0.761	-123.889	90.600	
$\mathrm{month}_{-}12$	-20.9227	48.266	-0.433	0.665	-115.523	73.677	
$\mathrm{month}_{-}14$	-65.7937	63.417	-1.037	0.300	-190.089	58.501	
month_15	-35.9279	78.513	-0.458	0.647	-189.810	117.954	
month_16	-128.3744	87.097	-1.474	0.141	-299.082	42.333	
month_17	-142.7108	116.243	-1.228	0.220	-370.543	85.121	
month_18	-64.5680	118.037	-0.547	0.584	-295.915	166.779	
month_19	-148.3208	146.065	-1.015	0.310	-434.603	137.962	
month_20	-193.6003	175.165	-1.105	0.269	-536.917	149.717	
month_21	-162.2639	187.038	-0.868	0.386	-528.852	204.325	
month_22	-254.3110	268.104	-0.949	0.343	-779.785	271.163	
$\mathrm{month}_{-}23$	-326.6586	280.257	-1.166	0.244	-875.952	222.635	
month_24	-285.8655	257.347	-1.111	0.267	-790.257	218.526	
Omnibus:		717.103	Durbin-Watson:		1.297		
Prob(C	Omnibus):	0.000			3): 6623.	623.424	
Skew:		-2.679	- ` ` /		0.0	0	
Kurtosis:		13.186	Cond. I	No.	$4.57e^{-}$	+06	

Notes:

Table 3: The treatment estimator using the regression specification in the equation (5)

^[1] Standard Errors are robust to cluster correlation (cluster)

^[2] The condition number is large, 4.57e+06. This might indicate that there are strong multicollinearity or other numerical problems.

	Estimates (clustered s	s.d.)	
	(a)	(b)	(c)
Treatment group(gamma)	11202.04	11052.45	-2119.71
	(23502.9)	(23162.97)	(3406.96)
When a firm is treated (delta)	-9591.35	-8956.78	-8436.28
	(3231.79)	(3166.92)	(2823.97)
Constant	138001.81	137739.93	1424.17
	(18657.8)	(18611.19)	(1176.86)
Observations	100	1200	1200

Table 4: The treatment estimators using the regression specification in the equation (3)(4)(5)

	(4)
VARIABLES	(1) Model (a)
treat_post	-8,085.14**
firmsize	(2,619.21) $13,324.03$
shrimp	(16,512.47) $1.55**$
salmon	(0.18) -0.68
is_firm2	(1.12) $2,159.06$
is_firm3	(1,158.41) $-10,871.00$
is_firm4	$\begin{array}{c} (12,019.17) \\ 649.41 \end{array}$
is_firm5	(2,990.21) $30,998.38**$
is_firm6	(9,455.23) $11,274.67$
is_firm7	(6,691.67) 1,985.19*
is_firm8	(786.74) 13,233.66**
	(4,089.06)
is_firm9	10,042.46** (2,692.08)
is_firm10	17,142.73** (4,628.40)
is_firm11	3,801.00 $(3,323.47)$
is_firm12	-5,175.76 $(14,752.98)$
is_firm13	12,777.17* $(5,722.38)$
is_firm14	7,629.15** (2,094.00)
is_firm15	14,524.54** (3,949.60)
is_firm16	940.38 (9,461.48)
is_firm17	9,311.01** (2,848.01)
is_firm18	141.97
is_firm19	(289.61) 2,338.84
is_firm20	(2,841.33) $-27,032.95$
is_firm21	(25,724.48) $2,319.24*$
is_firm22	(1,109.61) 5,756.95**
is_firm23	(1,687.67) -39.15
is_firm24	(5,739.60) 23,080.47**
is_firm25	(7,343.87) 31,120.47**
is_firm26	(9,043.49) 3,819.14**
is_firm27	(1,257.15) $7 -20,743.21**$
is_firm28	(4,814.81) $-4,861.41$
is firm29	(3,891.39) 12.391.48**

	(1)
VARIABLES	(1) Model (b)
$demean_treat_post$	-8,085.14**
1	(2,563.92) $1.55**$
demean_shrimp	(0.17)
demean_salmon	-0.68
	(1.10)
$demean_is_month1$	-954.54
demean_is_month2	(1,279.17) -766.79
demean_is_montii2	(1,180.94)
$demean_is_month3$	-768.87
	(1,101.65)
demean_is_month4	-518.26
demean_is_month5	(956.11) -238.15
demean_is_months	(817.78)
$demean_is_month6$	-147.46
	(646.88)
demean_is_month7	160.22
demean_is_month8	(619.64) 359.10
demean_is_months	(411.86)
demean_is_month9	470.32
	(375.93)
$demean_is_month10$	0.18
demean_is_month11	(403.89) 12.19
demean_is_monun1	(277.52)
demean_is_month12	-6.67
	(299.14)
$demean_is_month14$	-121.61
demean_is_month15	(304.14) -152.11
demean_is_monthi	(304.77)
$demean_is_month16$	-154.95
	(432.27)
demean_is_month17	-311.46
demean_is_month18	(335.52) 225.19
demean_is_monumo	(442.97)
$demean_is_month 19$	131.52
	(488.68)
demean_is_month20	164.29
demean_is_month21	(582.88) 254.78
aomoun_is_month121	(668.95)
$demean_is_month22$	120.91
	(886.73)
demean_is_month23	42.71
demean_is_month24	(905.28) -27.06
German_15_11101101124	(796.00)
Constant	-0.00
	(0.00)
01	1.000
Observations R-squared	$1,200 \\ 0.43$
Robust standard error	

Robust standard errors in parentheses

** p<0.018* p<0.05

Table 6: The regression results of within-transformation

	(1)	(2)
VARIABLES	Model (a)	Model (b)
${\it treat_post}$	-8,085.14**	
	(2,619.21)	
shrimp	1.55**	
	(0.18)	
salmon	-0.68	
	(1.12)	
$demean_treat_post$		-8,085.14**
		(2,563.92)
$demean_shrimp$		1.55**
		(0.17)
$demean_salmon$		-0.68
		(1.10)
Constant	709.11	-0.00
	(714.23)	(0.00)
Observations	1,200	1,200
R-squared	1.00	0.43
D 1 / / 1	1 .	. 1

Robust standard errors in parentheses
** p<0.01, * p<0.05

Table 7: Comparison of estimates from (a) and (b)