

**MR508888 (80g:55026)** 55Q40**Jones, John D. S.** [[Jones, John David Stuart](#)]**The Kervaire invariant of extended power manifolds.***Topology* **17** (1978), *no. 3*, 249–266.

The author constructs a specific 30-dimensional stably framed manifold with Kervaire invariant one. The existence of such a manifold follows from the translation of the problem into homotopy theory by W. Browder [Ann. of Math. (2) **90** (1969), 157–186; [MR0251736](#)] and the homotopy calculations of M. Mahowald and M. C. Tangora [Topology **6** (1967), 349–369; [MR0214072](#)]. The manifold is constructed as  $M = X \times_G (S^7)^4$ , where  $G = \sum_2 \text{Wr} \sum_2 \subset \sum_4$  and  $X$  is an orientable surface of genus 5 with a free  $G$ -action. Let  $\xi: X \times_G \mathbf{R}^4 \rightarrow X/G$ . The stable framing of  $M$  is induced by the methods of R. J. Milgram [*Unstable homotopy from the stable point of view*, Lecture Notes in Math, Vol. 368, Springer, Berlin, 1974; [MR0348740](#)] from the Cayley number framing of  $S^7$  and any stable framing of  $\tau(X/G) + 7\xi$ . Let  $d = 2^{t+1} - 2 - 7 \cdot 2^k > 2$ . The author proves that the analogous construction for  $H$  an iterated wreath product of  $Z_2$  ( $k$  times) and  $Y$  a  $d$ -manifold with a free  $H$ -action can only produce stably framed  $(2^{t+1} - 2)$ -manifolds  $Y \times_H (S^7)^{2^k}$  with Kervaire invariant zero. *Stanley Kochman*