

if A is ON, B is OFF

$$V_{out}/_{max} = V_s - V_{CEsat}$$

$$\approx 0.3V$$

if B is fully ON, A is OFF -

$$V_{out}/_{min} = -V_s + V_{CEsat}$$

$$\approx -4.7V$$

$$V_{CEsat} \leq V_{out} \leq +5V - V_{CEsat}$$

$$\approx 0.3 \leq V_{out} \leq 4.7V$$

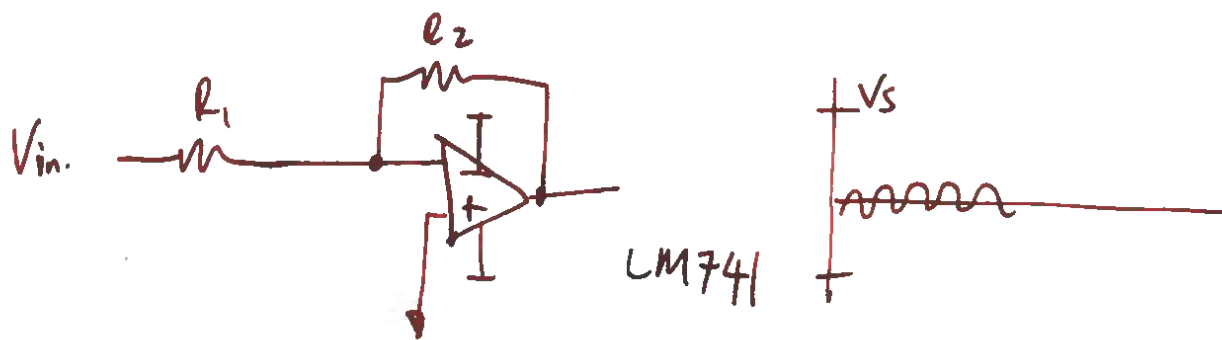
desired output is -1V.

outside possible range

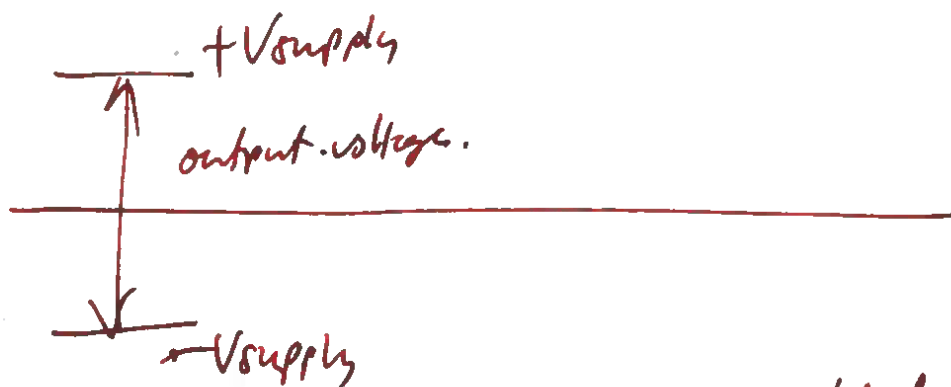
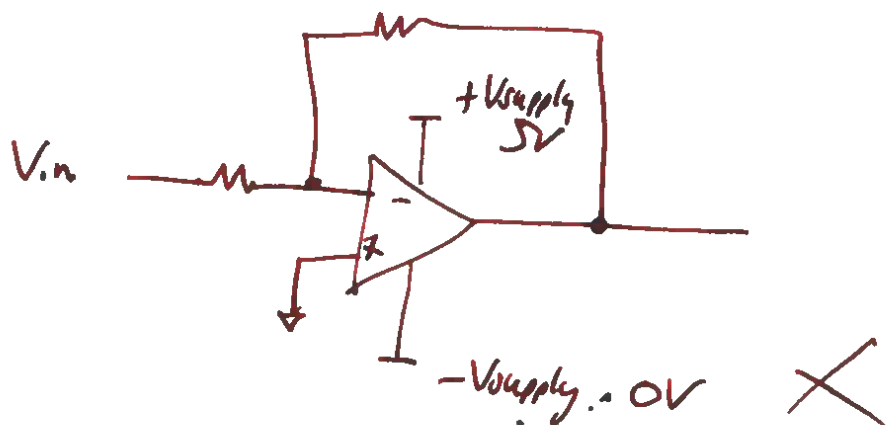
\Rightarrow not defined operation.

\rightarrow double sided power supply

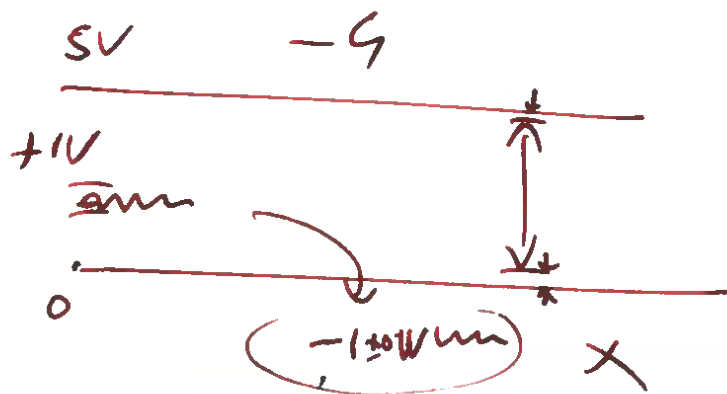
or single side power supply capable of amp.



$$\frac{V_{out}}{V_{in}} = G$$



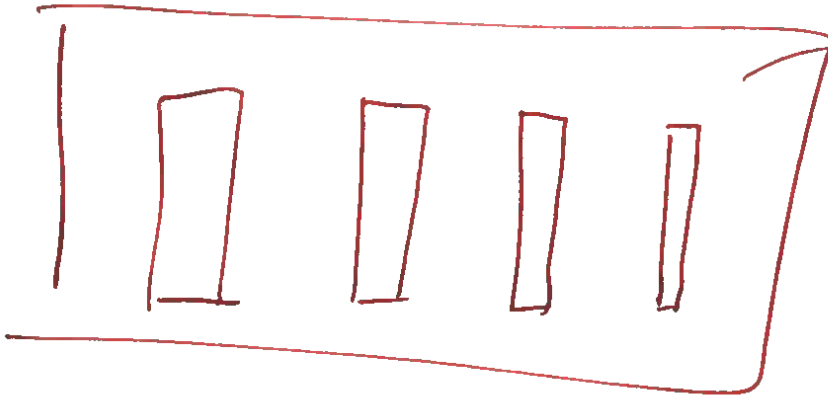
single-sided
opamp operation.



precision design \rightarrow tight dimension tolerance.

so \rightarrow expensive process, do once.

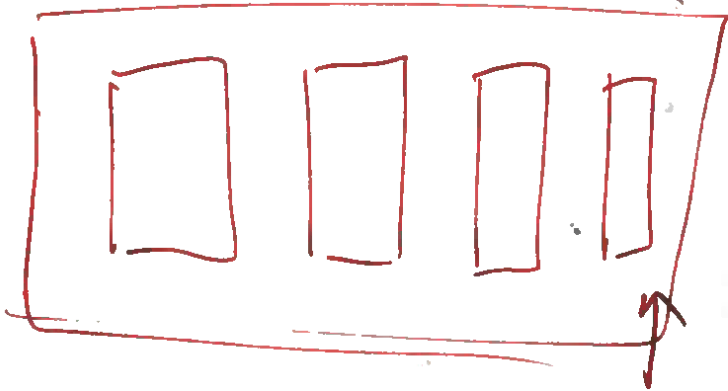
variable process, do many times.



4, 8, 16...

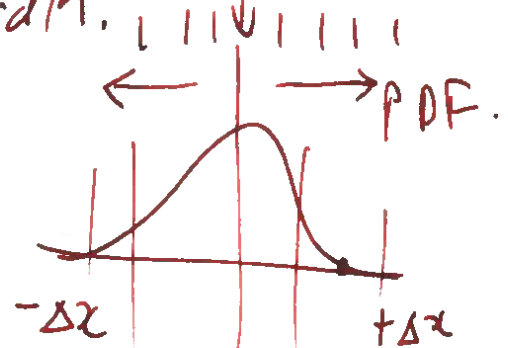
design.

\pm additional width.



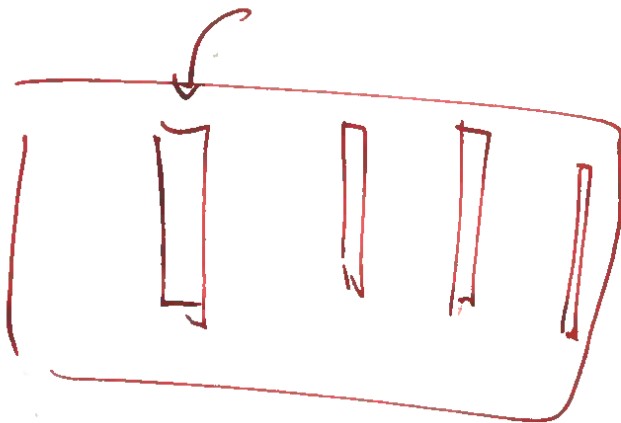
process
adds
width.

want.

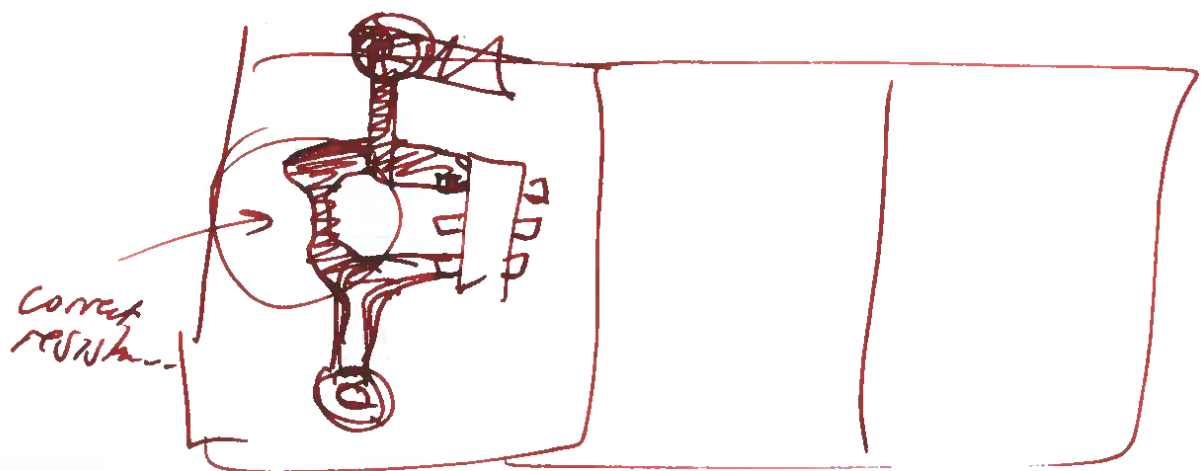


subtract width.

2 std deviation



n time,



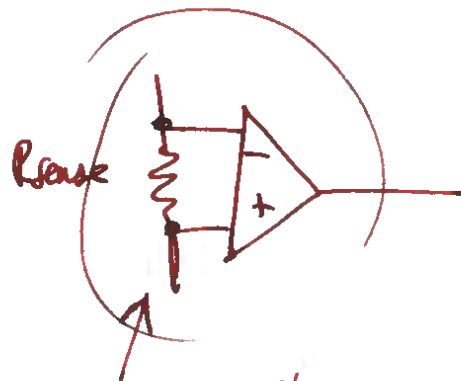


Ammeter
→ low resistance.



- 1/ patents
- 2/ journals
- 3/ application notes.

low noise
precision amplifier design



dimensionally
critical.

Small steps.

4-stage. — build 1 stage, report measurement. ✓
" 2 stages, " " " " ✓

infer that can add additional stages → but quick & lot of circuitry

So, try different approach.

→ precision current measurement approaches.

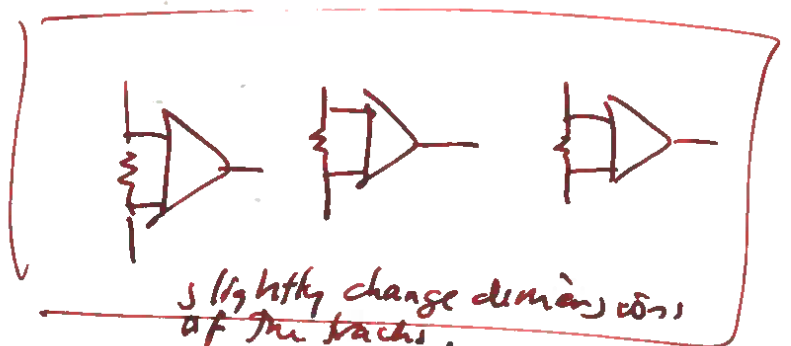
try 0.5Ω 0.2Ω 0.1Ω 0.05 0.02 Ω 0.01Ω

0.005 0.002 0.001Ω log 16 values.
(1, 2, 5, 10, 20, 50)



how do you make these ??

"vernier design"

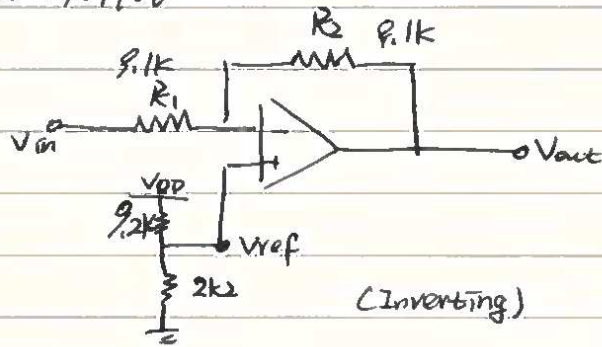


or accept variable prices, tune something
else you can control.

(or from the structure)



2022/07/06



$$V_{ref} = 5 \times \frac{2.2}{9.2 + 2.2} \approx 0.965 \text{ V}$$

$$\text{Gain} = 1 + \frac{R_2}{R_1} = 1 + 1 = 2$$

$V_{in} = \text{square wave}$
 freq. 333 kHz

~~1.2V~~ ~~1V~~ ~~2.2V~~ ~~2.0V~~

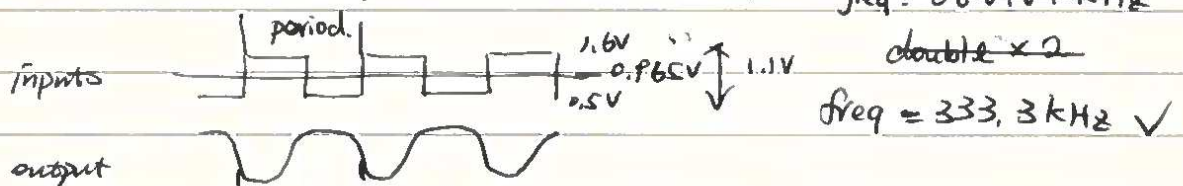
X $V_{out} \rightarrow$ measured square wave 4.4V ~ 5V ~~freq. 333 kHz~~

$V_- = 500\text{mV}$ $V_+ = 0.965\text{V}$ $V_- = 1.6\text{V}$ $V_+ = 0.965\text{V}$ $\Delta 0.6\text{V}$

$\Delta 0.6\text{V} \approx (-0.15\text{V})$

measured wrong \rightarrow Input ~~was~~ $V_{ref} = 5\text{V}$ X

Now $\rightarrow V_{out}$ - measured square wave 0.3V ~ 0.9V ~~freq. 666.67 kHz~~



$$\left. \begin{array}{l} 1.6\text{V} \\ - 0.965\text{V} \end{array} \right\} 0.63\text{V} \rightarrow 0.3\text{V}$$

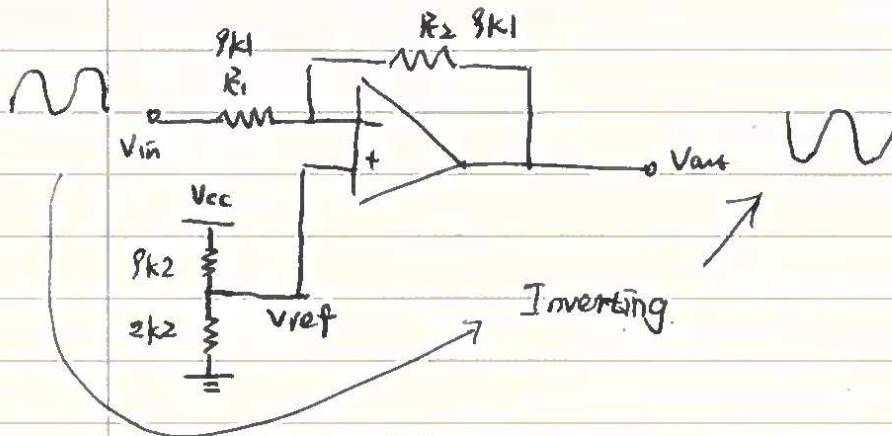
$$\left. \begin{array}{l} 0.965\text{V} \\ - 0.5\text{V} \end{array} \right\} 0.46\text{V} \rightarrow 0.9\text{V}$$

$$\frac{R_1 + R_2}{R_1} (V_i + V_{IO})$$

input offset

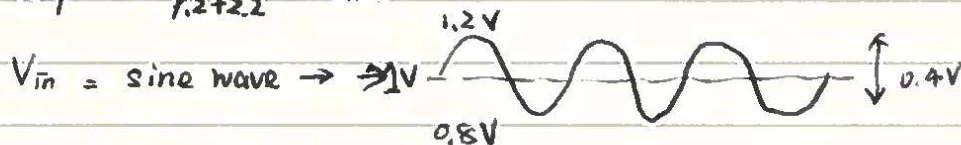
Jupiter 2010 Function Generator \rightarrow user manual.

The same structure



Inverting

$$V_{ref} = 5 \times \frac{2.2}{9.2 + 2.2} \approx 0.965$$

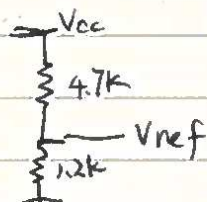


$$freq = 322.2 kHz$$

$$V_{out} = 1.8 \pm 2V \text{ sine } freq = 322.6 kHz$$

$$\updownarrow 0.2V$$

$$V_{out \text{ offset}} = 1.9V \rightarrow 9.2 \times 0.965 = 1.930V$$

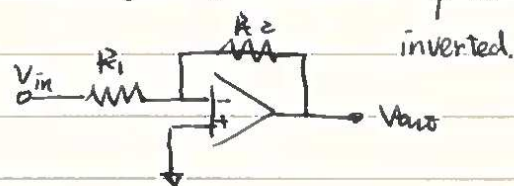


$$V_{ref} = 1V$$

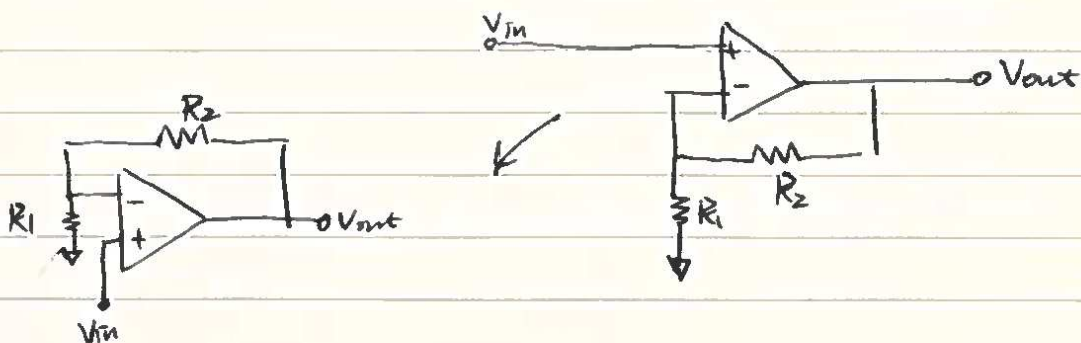
$$V_{in} = 1V \text{ offset } 0.4mV \text{ amplitude}$$

$$V_{out} = 1.9V \text{ offset } 0.2mV \text{ amplitude}$$

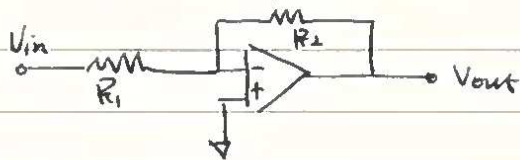
★ Gain calculated wrong: for inverting amplifier $A_v = -\frac{R_2}{R_1}$



for non-inverting amplifier: $A_v = 1 + \frac{R_2}{R_1}$



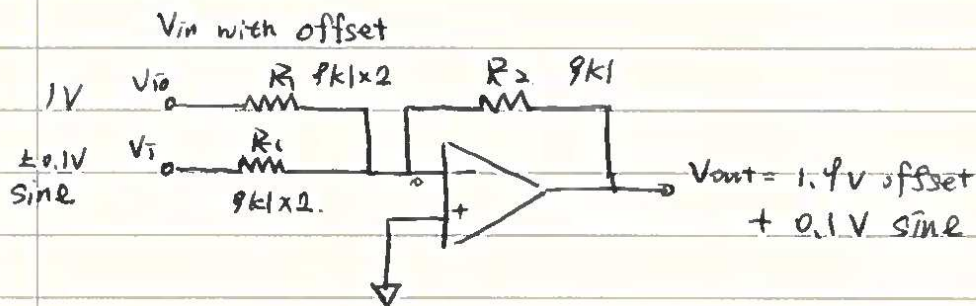
Verification by simplest circuit



$$R_2 = R_1 = 9k\Omega$$

$V_{in} = 1V$ offset with $\pm 0.1V$ amplitude $0.9 \sim 1.1V$

$V_{out} = 1.8V \sim 2V \rightarrow$ 1.9 offset with $\pm 0.1V$ amplitude.



$$\frac{V_{out} - V_-}{R_2} = \frac{0 - V_{io}}{R_1}$$

$$V_{out} = -\frac{V_{io}}{R_1} \times R_2$$

$$\frac{V_{out}}{V_{io}} = -\frac{R_2}{R_1} = -\frac{9k\Omega \times 2}{9k\Omega} = -2$$

inverting but for offset \rightarrow No effect for inverting.

$V_{out-offset} = 1.9V$ $V_{io-} = 1V$? 1.9 gain rather than 2

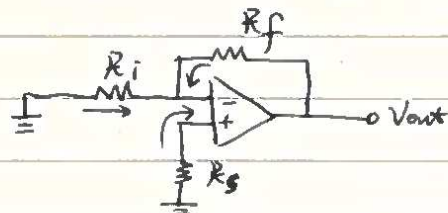
why

$$\frac{1V}{9k\Omega \times 2} = \frac{1.9V}{9k\Omega}$$

\Rightarrow If op-amp input is DC

lets put $V_{in} = 1V_{DC} \Rightarrow V_{out} = 1.9V$

\Rightarrow Amplification for DC input.



bias current $\rightarrow R_i$ & R_s doesn't match

current different at V_- & V_+

① R_i & R_s matched

\rightarrow current V_- & V_+ identical

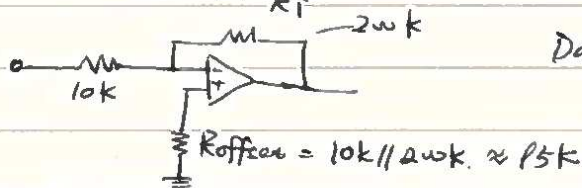
$R_s = R_i$ parallel with $R_f \rightarrow$ DC offset

Input offset offset current

$$V_{out_offset} = A_n \times V_{os} + I_{os} \times R_f$$

noise gain

$$A_n = 1 + \frac{R_f}{R_i}$$



Datasheet = $V_{os} = 5mV \rightarrow LM741: 15mV$

$I_{os} = 0.1\mu A \rightarrow 80 \sim 500nA$

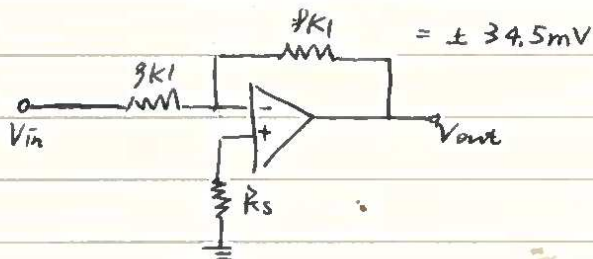
$$A_v = -\frac{R_f}{R_i} = -20$$

$$A_n = 1 + \frac{R_f}{R_i} = 21$$

$$\begin{aligned} V_{out_offset} &= 21 \times 5mV + 0.1\mu A \times 20k \\ &= 105mV + 20mV \\ &= \pm 125mV \end{aligned}$$

In my case: $V_{out_offset} = 2 \times 15mV + (80 \sim 500nA) \times 9k1$

$$= 30mV + 4.5mV$$

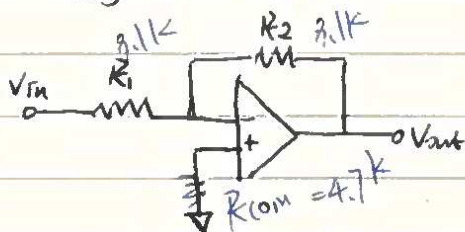


$$I_{offset} = \frac{1V}{9k1} = \frac{1}{9k} A$$

1 output offset = input

$$\begin{aligned} \Rightarrow V_{offset} &= \frac{1}{9k1} \times R_f \\ &= 1V \end{aligned}$$

Power supply should be double sided $\rightarrow \pm 15V$



$$A_v = -\frac{R_2}{R_i} = -1 \text{ gain}$$

$V_{in} = \pm 0.5V$ sine wave with 333.3kHz

$V_{out} = \pm 0.3V$ sine wave

1.5MHz Bandwidth - typical.