

## NS MODEL FORMULA & PARAMETERS

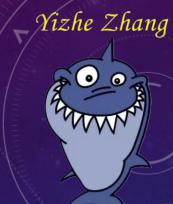
### NS Model:

$$r(T) = \beta_0 + \frac{\beta_1 \left(1 - e^{-\frac{T}{\tau}}\right)}{\frac{T}{\tau}} + \beta_2 \left(\frac{1 - e^{-\frac{T}{\tau}}}{\frac{T}{\tau}} - e^{-\frac{T}{\tau}}\right)$$

### **NSS Model:**

$$r\left(T\right) = \beta_{0} + \frac{\beta_{1}\left(1 - e^{-\frac{T}{\tau}}\right)}{\frac{T}{\tau}} + \beta_{2}\left(\frac{1 - e^{-\frac{T}{\tau}}}{\frac{T}{\tau}} - e^{-\frac{T}{\tau}}\right) + \beta_{3}\left(\frac{1 - e^{-\frac{T}{\tau_{2}}}}{\frac{T}{\tau_{2}}} - e^{-\frac{T}{\tau_{2}}}\right)$$

# FORMULA



Term 1 Term 2 Term 3

r(t) = beta0+beta1\*part1+beta2\*(part1-part2)

part1 = (1-part2)/part3

part2 = math.e\*\*(-part3)

part3 = T/tau

### TERM

#### • Term1:

beta0 defines the long term level of zero rates  $(T->\infty, r(t) = beta0)$ 

#### • Term2:

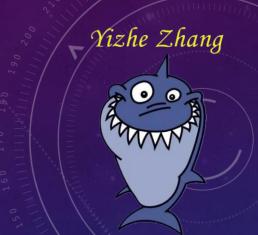
beta1\*part1 introduces an exponential time decay that becomes slower the bigger tau is

#### • Term3:

beta2\*(part1-part2) produces either a hump ( $\beta$ 2>0) or a trough ( $\beta$ 2<0)

#### Term1+Term2:

beta0+beta1\*part1 equal almost short dated zero rates (T->0, r(t)=beta0+beta1\*part1)



```
r(t) = beta0+beta1*part1+beta2*(part1-part2)

part1 = (1-part2)/part3

part2 = math.e**(-part3)

part3 = T/tau
```

## PARAMETERS

• Beta0:

Adjust Level (y value)

• Beta1:

Adjust Scope

β1>0

β1<0

• Beta2:

Adjust Curvature



β2<0

• Tau:

Adjust hump/trough position





