

NS MODEL FORMULA & PARAMETERS

$$y(\tau) = \beta_1 + \beta_2 \left[\frac{1 - \exp(-\tau/\lambda)}{\tau/\lambda} \right] + \beta_3 \left[\frac{1 - \exp(-\tau/\lambda)}{\tau/\lambda} - \exp(-\tau/\lambda) \right] .$$



FORMULA

$$r(t) = \text{beta0} + \text{beta1} * \text{part1} + \text{beta2} * (\text{part1} - \text{part2})$$

$$\text{part1} = (1 - \text{part2}) / \text{part3}$$

$$\text{part2} = \text{math.e}^{**}(-\text{part3})$$

$$\text{part3} = T / \text{tau}$$



TERM

- β_0 defines the long term level of zero rates ($T \rightarrow \infty$, $r(t) = \beta_0$)
- $\beta_1 \cdot \text{part1}$ introduces an exponential time decay that becomes slower the bigger τ is
- $\beta_2 \cdot (\text{part1} - \text{part2})$ produces either a hump ($\beta_2 > 0$) or a trough ($\beta_2 < 0$) that occurs at a time governed by τ
- $\beta_0 + \beta_1 \cdot \text{part1}$ equal almost short dated zero rates ($T \rightarrow 0$, $r(t) = \beta_0 + \beta_1 \cdot \text{part1}$)

$$r(t) = \beta_0 + \beta_1 \cdot \text{part1} + \beta_2 \cdot (\text{part1} - \text{part2})$$

$$\text{part1} = (1 - \text{part2}) / \text{part3}$$

$$\text{part2} = \text{math.e}^{-(\text{part3})}$$

$$\text{part3} = T / \tau$$



PARAMETERS

- beta0: Adjust Level
- beta1: Adjust Scope
- beta2: Adjust Curvature
- tau: Adjust hump/trough position

$$r(t) = \text{beta0} + \text{beta1} * \text{part1} + \text{beta2} * (\text{part1} - \text{part2})$$

$$\text{part1} = (1 - \text{part2}) / \text{part3}$$

$$\text{part2} = \text{math.e}^{**}(-\text{part3})$$

$$\text{part3} = T / \text{tau}$$