# Programming Paradigms Seminar 1

# Weeks (29 September – 3 October 2025 and

**6 October – 10 October 2025)** 

#### **Seminar Rules**

seminar activity will be done at the group level
groups are fixed by me at the first seminar and they cannot be changed later
please start the work in class and complete at home until the deadline

#### **DEADLINE:**

weeks: 13-17 October 2025 and 20-24 October 2024

#### **Mozart Installation**

Please install the Windows binary version mozart2-2.0.1 from https://sourceforge.net/projects/mozart-oz/files/. If you prefer you can also work on Linux.

Mozart programming system is using an Emacs editor. Some of the useful key bindings are enumerated below:

## **Key Bindings**

C-. C-l Feed current line
C-. C-r Feed selected region
C-. C-b Feed whole buffer
C-. C-p Feed current paragraph

C-. c Toggle display of \*Oz Compiler\* buffer C-. e Toggle display of \*Oz Emulator\* buffer

C-x '(i.e. Control-x backquote) positions the transcript to make the first error

message

visible and moves the point, in the source

buffer, to where the bug is likely to be located.

Create a new buffer using the Oz major mode. Note that this buffer has no

associated file name, so quitting Emacs will

kill it without warning.

M-n

C-. n

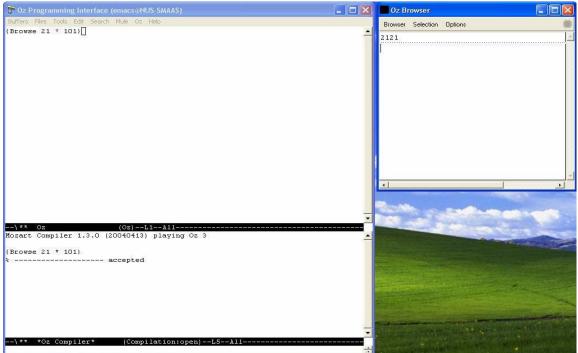
M.p Switch to the previous resp. next buffer in the buffer list that runs in an Oz mode. If no such buffer exists, an error is signalled.

For more details about Mozart commands, you should consult Programming Environment and Tools manual. For more details about emacscommands, you should consult the Emacs on-line tutorial available from the Help menu in the Emacs menu bar or an online tutorial from http://www.lib.uchicago.edu/keith/tcl-course/emacs- tutorial.html.

- Interactive interface (the declare statement)
  - % Allows introducing program fragments incrementally and execute them
  - % Has a tool (Browser), which allows looking into the store using the procedure Browse
- {Browse 21 \* 101} -> by selecting "Oz" panel, "Feed Line" or alternatively "C-. C-l", this will display in the Browser window the number 2121

## Running your first Oz program

#### The Mozart Interface



# Concept of (Single-Assignment) Variable Identifier

```
declare
```

```
X= 21
X = 22
% raise an error X =
21
% do nothing declare
X = 22
% from now on, X will be bound to 22
```

# **Concept of Oz Variable Type**

A variable type is known only after the variable is bound Examples:

```
1. X < 1
X < 1.0
```

```
2. declare X Y
X = "Oz Language"
Y = 'Oz Language'
if X == Y
then {Browse yes}
else {Browse no}
end
```

#### The Mozart Documentation

Please consult the documentation for mozart1 from http://mozart.github.io/documentation/

## **Concept of Oz Variable Type**

```
declare X Y Z

X = "Oz Language"
Y = 'Oz Language'
{String.toAtom X Z}
if Z == Y then {Browse yes}
else {Browse no}
end

StringToAtom

{String.toAtom +5 ?A}

converts a string s to an atom A, s must not contain NUL
characters. This is the inverse of Atom.tostring (which see).
```

### **Try these Functions**

```
declare
fun {Minus X}
    ~X
end
{Browse {Minus 15}}
declare
fun {Max X Y}
    if X>Y then X else Y end
    end
declare
X = {Max 22 18}
Y = {Max X 43}
{Browse Y}
```

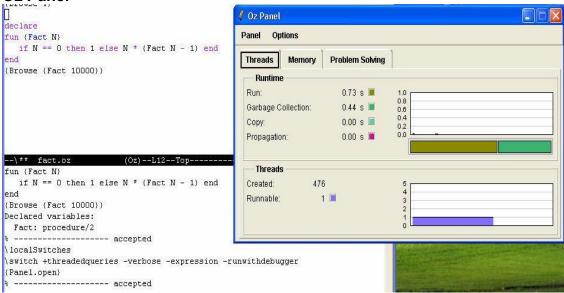
**Exercise 1 (Absolute Value)** Write a function Absthat computes the absolute value of a number. This should work for both integers and real numbers.

### **Try Recursive Function**

■ {Fact 10000}

Use the Oz Panel to get an idea how much memory is needed.

#### **Oz Panel**



## Try Fibonacci Example

The execution time of a program as a function of input size, up to a constant factor, is called the program's **time complexity**.

The time complexity of {Fibo N}is proportional to 2<sup>N</sup>.

# Try Efficient Fibonacci Example

The time complexity of {Fibo N}is proportional to N.

**Exercise 2 (Power)** Compute n<sup>m</sup> where n is an integer and m is a natural number. **Hint**: Use the following inductive definition:

$$n^0 = 1$$
  
 $n^m = n * n^{m-1}$ 

Write a function Powas follows:

```
declare
fun {Pow N M}
if ... then
...
else
...
end
end
```

**Exercise 3 (Maximum Recursively)** Compute the maximum of two natural numbers, knowing that the only allowed test with a conditional is the test whether a number is zero (that is, if N=0 then ... else ... end). **Hint**: Facts about the maximum (n>=0 and m>=0)

 $\blacksquare$  max(n, m)=m, if n=0.

- $\blacksquare$  max(n, m)=n, if m=0.
  - = max(n, m)=1 + max(n-1, m-1), otherwise.