$U \ll \lambda$ **Mutation regime : "Weak U"** | $U \gg \lambda$ Mutation regime : "Strong U"

1 mutational step | **Arbitrary number** mutational step

Stochasticity:
Evolution, Demography, Mutation | **Stochasticity:**
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ER probabilty from *de novo* mutations
$$P_R = 1 - exp(-N_0\, \omega_R^{DN})$$

ER probabilty from *de novo* mutations and **standing genetic variance**
$$P_R = 1 - exp(-N_0\, \omega_R^{DN}\, (1 + \phi_R^{SV}))$$

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