Hash tables

- Performance of in-place solutions varies with how full the array is (called the load factor)
 - ► Small load factor (50% or less), can expect constant time for a search in most cases.
 - Load factor of 80-85% or more can lead to excessive collisions
 - Implementations may trigger a rebuilding of the hash table into a larger array in these cases.



```
import java.util.Hashtable;
import java.util.Enumeration;
public class HashtableExample {
public static void main(String[] args) {
  Enumeration names:
  String key;
  // Creating a Hashtable
  Hashtable<String, String> hashtable =
              new Hashtable<String, String>();
  // Adding Key and Value pairs to Hashtable
  hashtable.put("Key1", "Chaitanya");
  hashtable.put("Key2", "Ajeet");
  hashtable.put("Key3", "Peter");
  hashtable.put("Key4", "Ricky");
  hashtable.put("Key5", "Mona");
  names = hashtable.keys();
  while(names.hasMoreElements()) {
      key = (String) names.nextElement();
      System.out.println("Key: " +key+ " & Value: " +
     hashtable.get(key));
                                                                Inspiring Minds
```

```
import java.util.HashMap;
import java.util.Map;
import java.util.Iterator;
import java.util.Set;
public class Details {
  public static void main(String args[]) {
     /* This is how to declare HashMap */
     HashMap<Integer, String> hmap = new HashMap<Integer, String>();
      /*Adding elements to HashMap*/
      hmap.put(12, "Chaitanya");
     hmap.put(2, "Rahul");
     hmap.put(7, "Singh");
      hmap.put(49, "Ajeet");
     hmap.put(3, "Anuj");
     /* Display content using Iterator*/
     Set set = hmap.entrySet();
      Iterator iterator = set.iterator();
     while(iterator.hasNext()) {
        Map.Entry mentry = (Map.Entry)iterator.next();
         System.out.print("key is: "+ mentry.getKey() + " & Value is: ");
                                                                               JSIE
         System.out.println(mentry.getValue());
      }
```

Dynamically-growing structures

- Arrays and hash tables start with a fixed size.
- The structure becomes dynamic if you take the following steps when you try to add beyond the fixed size:
 - Allocate / create a new array or table that is bigger than the current one
 - Copy all items from the current array or table into the new one
 - This is the costly step
 - Add in the new data item

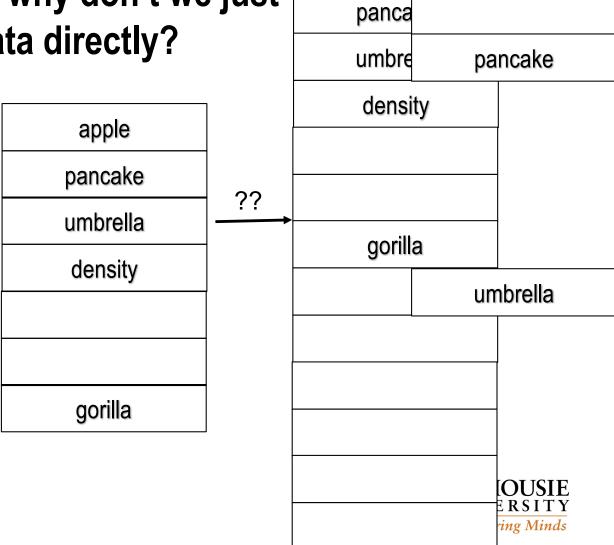
- Common trick: when creating a new array or table, make it twice as big
 - Not reallocating the table all of the time to grow by 1 or 2
 - Have at most half of the space in the new array or table as unused



Dynamically-growing structures

Given a hash table, why don't we just copy over all the data directly?

The hash function for the larger table may not put each value in the same place.



apple

Data structures without a fixed size



Basics

Typically create a class to store a single item

```
Class Node {
   Node Some_references_to_other_nodes;
   SomeClass value;
}
```

- Note that the class includes an attribute that refers back to the same class.
- Different data structures arise in how we link these single items together



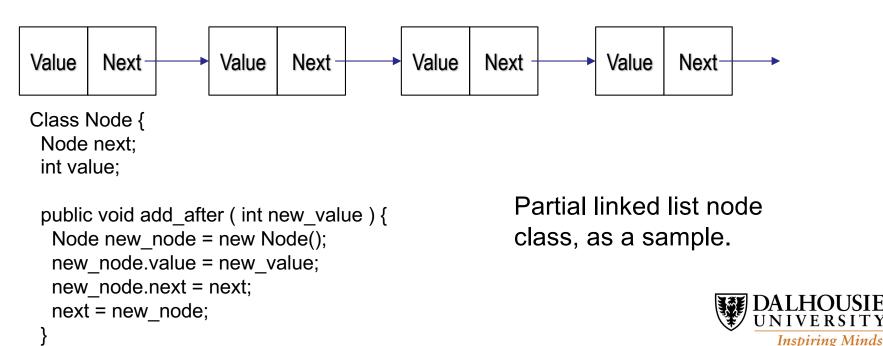
Linked List

- Informally, it's a chain of data values
 - Explicit storage of the sequence of values
 - Each value points to the "next" value
- Variants
 - Sorted vs unsorted
 - Singly-connected only forward pointers
 - Doubly-connected forward and backward pointers
 - Circular –end point back to the front
 - Can be singly- or doubly- connected
- Linear progression through the list elements



Linked List

- Can grow arbitrarily large
- Has small additional cost for storing the order information
- Linear traversal incurs an efficiency loss for searching



Doubly connected?



Linked List

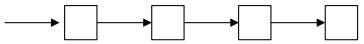
- A very common data structure, so learn how to implement them
 - ► Add
 - ▶ Remove
 - ▶ Search
 - **▶** Traverse



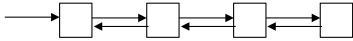
Variants of linked lists

Design differences

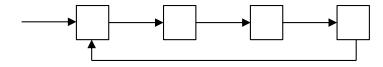
Singly-connected linked list (forward only)



Doubly-connected linked list (forward and backward)

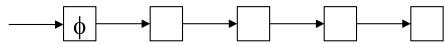


Circular linked list (can start anywhere)

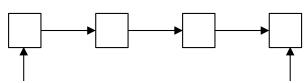


Implementation differences

Sentinel or dummy node as the start (list never empty)



Track both ends of the list (append is quick)





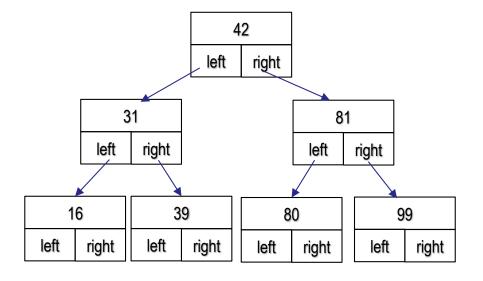
Binary search tree

- A sorted organization of data values to make searching quick.
 - Parallels the checks of a binary search in a data structure.
- Stored as a set of nodes.
 - Simplistically, each node stores
 - A value
 - A reference to the sorted data before the value
 - A reference to the sorted data after the value
 - More precisely, each node u stores a reference to one node whose value precedes the value in u and a reference to one node whose value succeeds the value in u
 - Not necessarily the immediate predecessor or successor
 - You don't reference a node that any other part of the data structure references

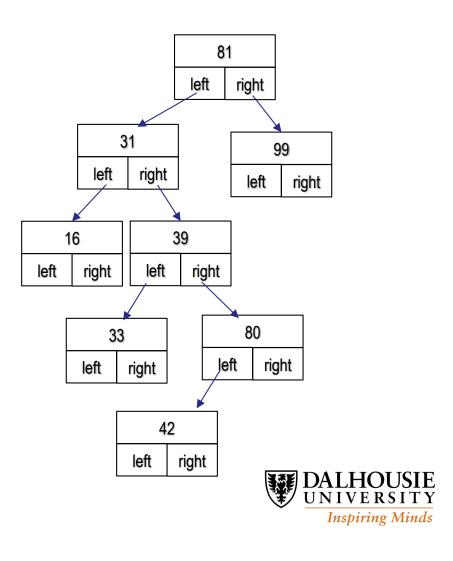


Binary search tree

Balanced tree



Unbalanced tree



Binary search tree

- Locating an element in a binary search tree involves descending the levels
 - Great search time on balanced trees
 - Can be linear time on severely unbalanced trees
- Often use recursion when working with binary trees, but that's a convenience rather than a necessity.



Java type for a binary tree

```
public class BinaryTreeNode {
  private BinaryTreeNode left;
  private BinaryTreeNode right;
  private BinaryTreeNode parent; // optional
  private SomeDataType value;
public class BinaryTree {
  private BinaryTreeNode root;
```

Finding a value in a binary search tree

public boolean find (int value) { BinaryTreeNode current = root; // root from the class // Walk a path from the root to where the node should be while ((current != null) && (current.value != value)) { if (value < current.value) {</pre> current = current.left; } else { current = current.right; if (current == null) { // Went off the end of the tree, so not found return false; } else { return true;



Common variation to track where you were

```
public boolean find ( int value ) {
  BinaryTreeNode current = root; // root from the class
  BinaryTreeNode previous = null;
   // Walk a path from the root to where the node should be
  while ((current != null) && (current.value != value)) {
     previous = current;
     if (value < current.value) {</pre>
       current = current.left;
     } else {
       current = current.right;
  if (current == null) {
    // Went off the end of the tree, so not found
     return false;
  } else {
     return true;
```

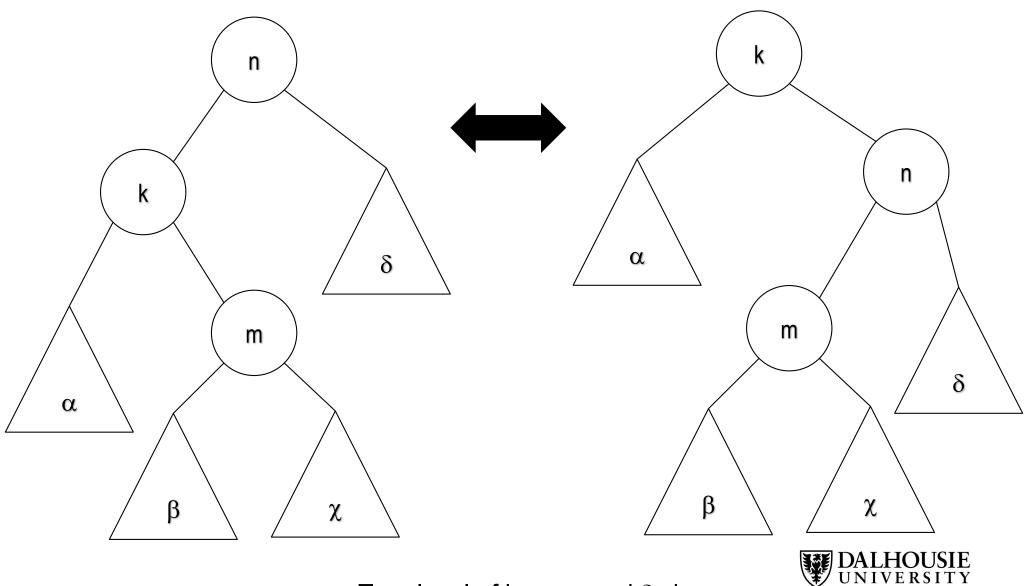


Binary search tree variants

- Balanced binary tree
 - Always keep the height of the tree at its minimum
- Heuristics balancing
 - Maintain properties in the tree that keep the tree mostly balanced
 - Red-black trees
 - Weight balanced trees
 - Height balanced trees
 - AVL trees
 - ► Restructure the tree to optimize frequent searches self-adjusting trees
 - When you search for an element in the tree and find it, restructure the tree to make this node quicker to find next time – move the node towards the root of the tree
 - Both rely on rotation operations



Sample Binary Search Tree Rotation



Inspiring Minds

Sample Binary Search Tree Rotation

