```
In[1]:= \mathbf{m} = \mathbf{1}.;
                               V[z] := 3 Tanh[z]^2 - 1;
    In[3]:=
  In[4]:= \mathcal{L} = \left(-\frac{1}{2} \partial_{z,z} \eta[z] + V[z] \eta[z]\right) m^2
Out[4]= 1. \left( \left( -1 + 3 \, Tanh [z]^2 \right) \, \eta [z] - \frac{\eta''[z]}{2} \right)
   \label{eq:continuous} $$ \ln[S]:= \{vals, funs\} = NDEigensystem[\mathcal{L}, \eta[z], \{z, -5, 5\}, 4, Method \rightarrow \{"SpatialDiscretization" \rightarrow \{ (z, -5, 5), 4, Method \rightarrow \{ (z, -5, 5), 4, Metho
                                                                                                                       線形微分演算子についての固有系 メソッド
                                                                          {"FiniteElement", {"MeshOptions" → {MaxCellMeasure → 0.001}}}}];
                                                                                                                                                                                                                                                                                                             セルの最大サイズ
   In[6]:= vals
Out[6]= \{-9.88901 \times 10^{-8}, 1.49946, 2.00008, 2.09716\}
    In[7]:= funs
\label{eq:output} \textit{Output: scalar} $$ \left\{ \text{InterpolatingFunction} \left[ \begin{array}{c} \blacksquare \end{array} \right] \left[ \text{Z} \right], \right. $$
                                      \label{localization} \textbf{InterpolatingFunction} \left[ \begin{array}{c} \blacksquare \end{array} \right] \begin{array}{c} \text{Domain: } \{\{-5., \, 5.\}\} \\ \text{Output: scalar} \end{array} \right] \ [\ \textbf{z} \ ] \ ,
                                      \begin{tabular}{ll} InterpolatingFunction [ & & & Domain: \{\{-5., 5.\}\} \\ Output: scalar & & \end{tabular} \end{tabular} \begin{tabular}{ll} [z] \end{tabular}
```

