### **Bank Data Analysis**

## **Dataset**

The marketing department of a financial firm keeps records on customers, including demographic information and, number of type of accounts. When launching a new product, such as a "Personal Equity Plan" (PEP), a direct mail piece or a targeted email, advertising the product, is sent to existing customers, and a record kept as to whether that customer responded and bought the product. Based on this database of prior cases, the managers decide to use data mining techniques to build customer profile models in order to predict the behavior of future customers.

Each record is a customer description where the "pep" field indicates whether that customer has purchased a PEP. For classification problems, this field is used as the target attribute (with "YES" and "NO") as class labels. The data contains the following fields:

id	a unique identification number (categorical, str)			
age	age of customer in years (numeric, int)			
income	income of customer (numeric, float)			
children	number of children (numeric, int)			
gender MALE / FEMALE				
region INNER_CITY/RURAL/SUBURBAN/TOWN				
married	Customer married (YES/NO)			
car	Customer owns one or more cars (YES/NO)			
save_acct	Customer has a savings account (YES/NO)			
current_acct	Customer has a current checking account (YES/NO)			
mortgage	Customer have a mortgage (YES/NO)			
pep	Customer purchased a PEP, Personal Equity Plan (YES/NO)			

#### **Questions:**

1. Explore the general characteristics of the data as a whole: examine the means, standard deviations, and other statistics associated with the numerical attributes; show the distributions of values associated with categorical attributes.

To explore the general characteristics of the data I performed a summary of each attribute to show the central tendency and dispersion of the data. This summary includes the five-number summary (the minimum and maximum values, 1<sup>st</sup> and 3<sup>rd</sup> quartiles, and median) and the mean values for the data set. To observe the mode values, I created a mode function and calculated the mode for each attribute in the dataset. See the figures 1 and 2 below for the output.

Figure 1. Basic Statistical Description

```
> #Basic Statistical Data Description. I will be measuring the dispersion of the data.
> summary(bank_data)
      id
                                  income
                                                 children.
                  age
                                                                 gender
                     :18.00
                                              Min.
                             Min.
                                                              FEMÂLE:300
              Min.
ID12101: 1
                                    : 5014
                                                    :0.000
ID12102: 1
              1st Qu.:30.00
                              1st Qu.:17265
                                              1st Qu.:0.000
                                                              MALE :300
ID12103: 1
              Median :42.00
                              Median :24925
                                              Median :1.000
ID12104: 1
ID12105: 1
                                    :27524
                    :42.40
                                                    :1.012
              Mean
                              Mean
                                              Mean
              3rd Qu.:55.25
                              3rd Qu.:36173
                                              3rd Qu.:2.000
ID12106: 1
                    :67.00
                             Max.
                                     :63130
                                                    :3.000
 (Other):594
       region
                 married
                                     savings_acct current_acct mortgage
                            car
                           NO :304
INNER_CITY: 269
                 NO :204
                                                  NO :145
                                                               NO :391
                                     NO :186
RURAL
          : 96
                 YE5:396
                           YES:296
                                     YES:414
                                                  YES:455
                                                               YES:209
SUBURBAN : 62
TOWN
          :173
 pep
NO :326
YE5:274
```

Figure 2. Modes of Attributes\*

```
> #Create a function to calculate the modes of the numeric and categorical valaues
> modevalue<- function(x){
   modeval<- unique(x)
    modeval[which.max(tabulate(match(x, modeval)))]
+ }
> modevalue(bank_data$age)
[1] 40
> modeValue(bank_data$income)
[1] 38248.3
> modevalue(bank_data$children)
[1] 0
> modeValue(bank_data$gender)
[1] FEMALE
Levels: FEMALE MALE
> modeValue(bank_data$region)
[1] INNER_CITY
Levels: INNER_CITY RURAL SUBURBAN TOWN
> modevalue(bank_data$married)
[1] YES
Levels: NO YES
> modevalue(bank_data$car)
[1] NO
Levels: NO YES
> modevalue(bank_data$savings_acct)
[1] YES
Levels: NO YES
> modevalue(bank_data$current_acct)
[1] YES
Levels: NO YES
> modevalue(bank_data$mortgage)
[1] NO
Levels: NO YES
```

\*Note that multiple modes exist for the data. The smallest value is reported.

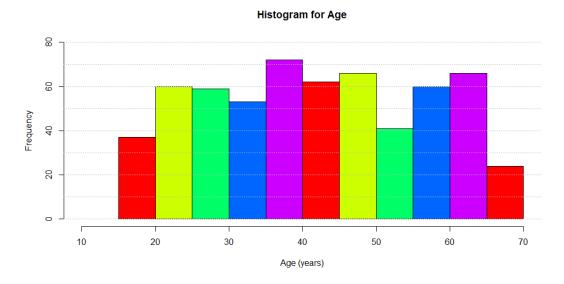
```
> modevalue(bank_data$pep)
[1] NO
Levels: NO YES
```

In figure 2 above the following mode values were observed: \*note the mode values are the smallest values observed

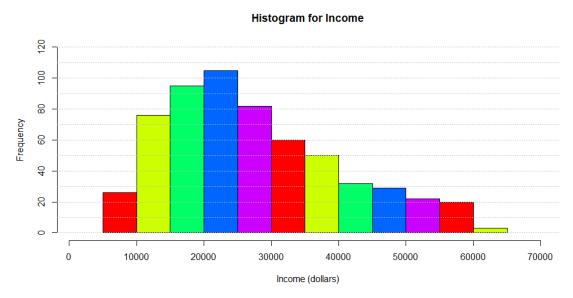
Age- 40
Income- \$38,248.3
Gender- Female
Region- Inner City
Married- Yes
Owns a car- Yes
Has a savings account- Yes
Current checking account- Yes
Mortgage- No
Purchased a PEP- No

To observe the frequency of the numeric attributes, I created histograms for each numeric attribute. See below:

```
#histogram to show frequency of categorical and numeric attributes hist(bank_data$age, main= "Histogram for Age", xlab ='Age (years)', border = "black", col = rainbow(5),ylim=c(0,80), xlim = c(10,70)) abline(h=seq(0,80,10), col= "grey", lty = "dotted")
```

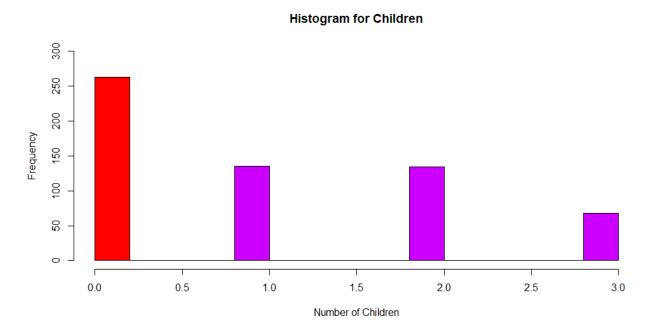


The data for the age variable is not symmetric and appears to be spread across a wide range of values.



The data for the income variable appears to be positively skewed with the most observed values between 15,000 and 30,000.

```
#histogram for children hist(bank_dataschildren, main= "Histogram for Children", xlab ='Number of Children', border = "black", col = rainbow(5),ylim=c(0,300), xlim = c(0,3))
```

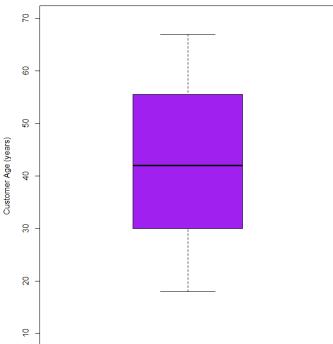


The value of zero appears to be the most frequently observed number of children.

I also wanted to visualize the data distribution by creating boxplots for the attributes. After creating the box plots, I calculated the IQR and determined if there were any outliers in the data using the following formulas:

Outlier higher value = Q3 + 1.5 \* IQR





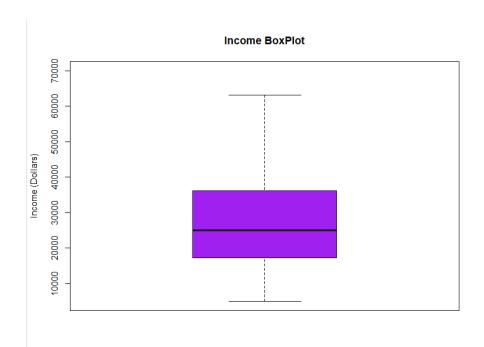
Data distribution for the boxplot of the age attribute (as shown in figure 1) is as follows:

$$IQR = 55.25 - 30 = 25.25$$

High outlier = 55.25 + (1.5\*25.25) = 93.125

Low outlier = 30 - (1.5\*22.25) = -3.38

No outliers appear to be present, which means no values were above or below 1.5\*IQR. the values also appear to be fairly well distributed between the low and high values.



The data distribution for the boxplot of the income attribute (as shown in figure 1) is as follows:

income Min. : 5014 1st Qu.:17265 Median :24925 Mean :27524 3rd Qu.:36173 Max. :63130

IQR = 36173 - 17265 = 18908

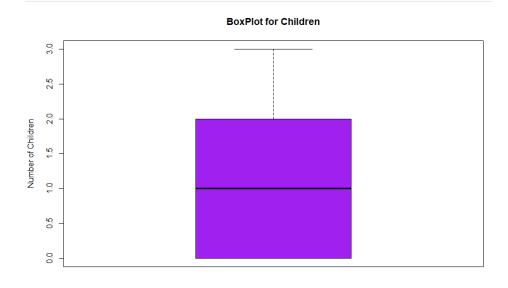
High value = 36173 + (1.5\*18908) = 64535

Low value = 17265 - (1.5\*18908) = -11097

No outliers appear to be present as there are no values more than or less than 1.5 times the IQR. Many of the values appear to be above the  $3^{rd}$  quartile.

 $boxplot(bank\_data\$children, main= "BoxPlot for Children", ylab="Number of Children", ylim=c(0,3), \\ col= "purple", border= "Black", horizontal = FALSE)$ 

 $boxplot(bank\_data\$children, main= "BoxPlot for Children", ylab="Number of Children", ylim=c(0,3), \\ col= "purple", border= "Black", horizontal = FALSE)$ 



Data distribution for the boxplot of the children attribute (as shown in figure 1) is as follows:

```
children
Min. :0.000
1st Qu.:0.000
Median :1.012
3rd Qu.:2.000
Max. :3.000
```

## IQR = 2-0=2

No outliers appear to be present. In this case the number of children cannot be less than zero, so many values are above the 3<sup>rd</sup> quartile, and it appears that many people have more than 2 children in this data set.

Variance and standard deviation are shown below for the numerical attributes. The Variance and standard deviation will show the measures of the data dispersion and show how spread out the data distribution is. A low standard deviation will show that the data tends to be close to the mean value. A high standard deviation will show that the data is spread out over a large range of values.

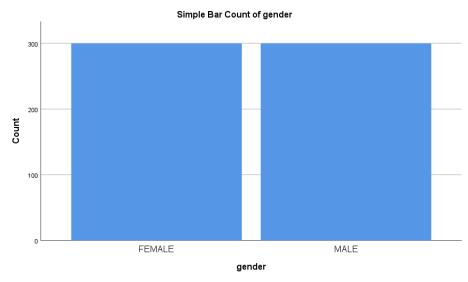
```
> #variance of numeric variables
> var(bank_data$age)
[1] 208.0791
> var(bank_data$income)
[1] 166396281
> var(bank_data$children)
[1] 1.116725
> |

> #standard deviation of numeric variables
> sd(bank_data$age)
[1] 14.42495
> sd(bank_data$income)
[1] 12899.47
> sd(bank_data$children)
[1] 1.056752
```

As a reminder see the mean values of the numeric variables below:

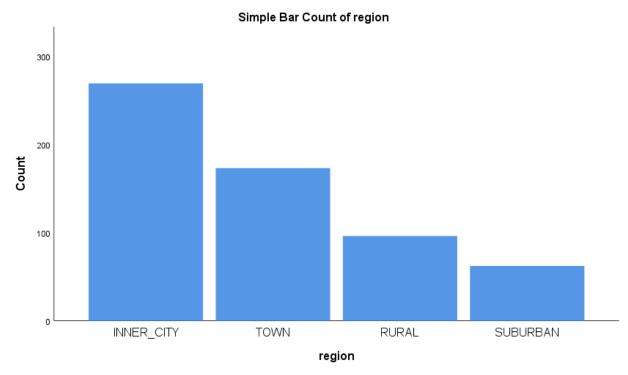
It appears that the age variable has a higher standard deviation which indicates that the data is spread out over a large range. The histogram shown previously for the age attribute also shows this. The standard deviation for the income variable is high and indicates that the data is spread out over a large range, the histogram for the attribute showed that the data is positively skewed. The standard deviation for the children attribute is low which indicates the data is very close to the mean.

## For the categorical variables I used SPSS to visualize the distribution of the attributes. See the graphs below:

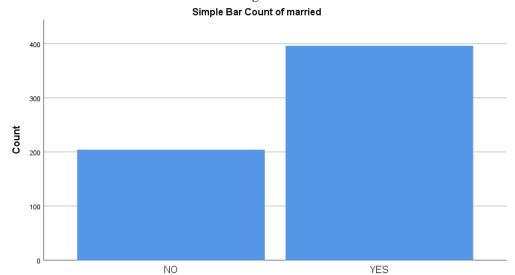


In the above graph, the data attribute for gender is separated into male and female. The graph above shows that the gender was evenly distributed amongst male and female.

The next graph shows the distribution of the different regions that people are from



Most people appear to be from an inner city, with town being the next most frequent.

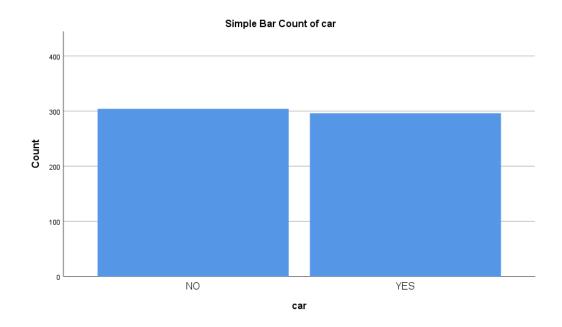


married

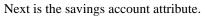
The next bar chart shows the distribution amongst married and non-married

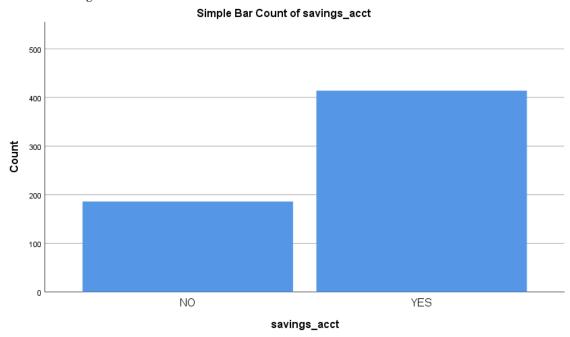
It appears that most of the people are married in this data set.

Next up is the distribution of attribute Car.



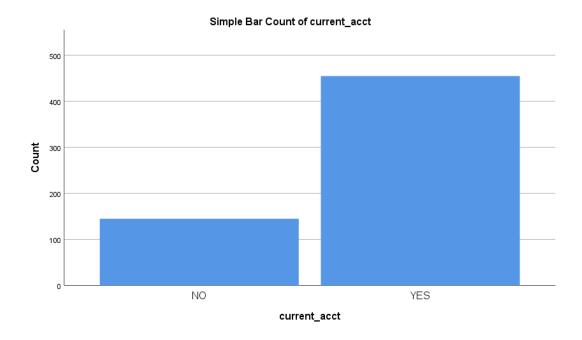
It appears that the number of people who own a car and the number of people who don't is even.





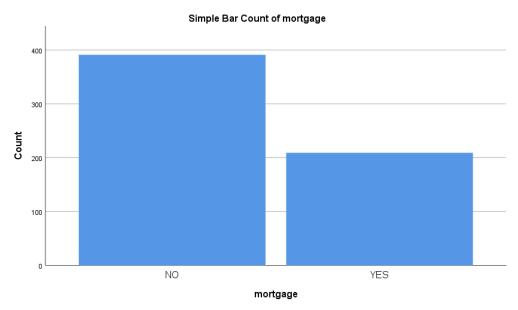
It appears that more people have a savings account, verses those that do not in the data set.

Next is the current account attribute:



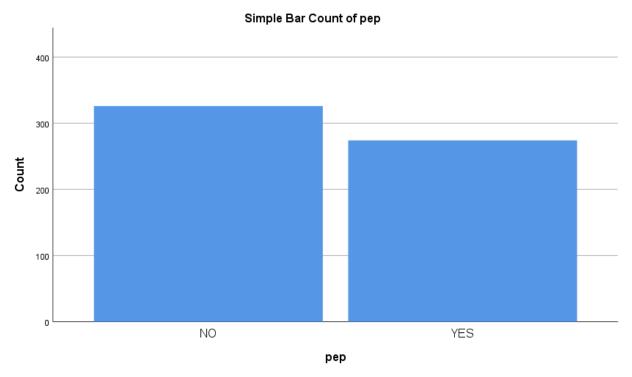
It appears that more people have a current account, verses those that do not in the data set.

Next is the mortgage attribute.



More people appear to not have a mortgage versus those that have a mortgage in the dataset.

And lastly is the PEP attribute

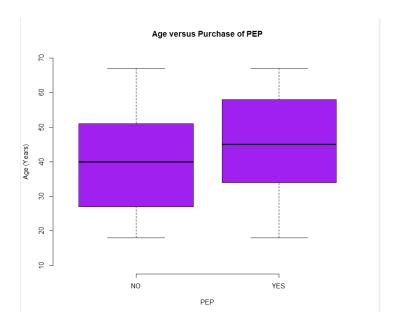


The count of people who do not have a personal equity plan is greater than those that do, although the number does not seem significantly higher.

2. Suppose that the hypothetical bank is particularly interested in customers who buy the PEP (Personal Equity Plan) product. Compare and contrast the subsets of customers who buy and don't buy the PEP. Compute summaries (as in part 1) of the selected data with respect to all other attributes. Can you observe any significant differences between these segments of customers? Discuss your observations.

The subsets of customers who buy the PEP were observed using box plots, chi-square tests(for categorical attributes), and correlation and variance(for numeric attributes). Boxplots were observed for the age and income variables to visual the data distribution. A box plot was not examined for the children attribute because the values are too small.

```
> summary(bank_data$age,bank_data$pep)
  Min. 1st Qu.
                 Median
                           Mean 3rd Qu.
                                            Max.
  18.00
          30.00
                  42.00
                          42.40
                                   55.25
                                           67.00
> summary(bank_data$income,bank_data$pep)
   Min. 1st Qu.
                 Median
                           Mean 3rd Qu.
                                            Max.
   5014
         17265
                  24925
                           27524
                                           63130
                                  36173
> summary(bank_data$children,bank_data$pep)
  Min. 1st Qu.
                 Median
                           Mean 3rd Qu.
                                            Max.
                                  2.000
  0.000
         0.000
                 1.000
                          1.012
                                           3.000
> summary(bank_data$gender,bank_data$pep)
```



For purchase of a PEP compared to the age of a customer it is observed that the 1<sup>st</sup> quartile, median, and the 3<sup>rd</sup> quartile values of the age attribute of the customers appears to be higher when a PEP is purchased. The ages of the customers that do not have a PEP appear to be lower.

A chi square test was also performed using SPSS to determine if there is a correlation relationship amongst age and purchase of a PEP. See the output below:

ep *	age																	
							Crosstab											
										age								
			18	19	20	21	22	23	24	25	26	27	28	29	30	31	32	33
pep	NO _	Count	9	6	11	5	10	11	5			7 1		4 7		3	6	
		Expected Count		5.4	8.7	4.3	8.2	9.2	5.4	5.4					6.5	5.4	4.9	
	YES	Count	2		5	3	5	6	5					5 2	1	7	3	
		Expected Count		4.6	7.3	3.7	6.9	7.8	4.6	4.6		_			5.5		4.1	
Total		Count	11	10	16	8	15	17	10	10				9 9	12	10	9	
		Expected Count	11.0	10.0	16.0	8.0	15.0	17.0	10.0	10.0	10.0	0 19.	0 9.	0 9.0	12.0	10.0	9.0	
4		6 7	9	9	7		12	-	7	4	11	3	6	8	11	8	7	
33	34	35	36	37	38	39	40	41	42	2   4	43	44	45	46	47	48	49	50
		-			-													
4.3	6		8.7	6.5	6.5		10.9				10.9	6.0	4.9	7.6	9.2	8.7	6.5	
4	_	6 7	7	3	5	6	8		5	6	9	8	3	6	6	8	5	
3.7	5		7.3	5.5	5.5		9.1	-		4.6	9.1	5.0	4.1	6.4	7.8	7.3	5.5	,
8	_	2 14	16	12	12	12	20			10	20	11	9	14	17	16	12	
8.0	12	.0 14.0	16.0	12.0	12.0	12.0	20.0	12.	0 1	10.0	20.0	11.0	9.0	14.0	17.0	16.0	12.0	- 1
0	51	52	53	54	55	56	57	58	59	60	61	62	63	64	65	66	67	То
		5 8	0	5	1	9	6	8	2	3	6	3	2	6 7	7	4	4	
4		8.2	4.3	4.3	1.6	7.1	5.4	10.3	5.4	4.3	7.6	5 4.	3 7.	1 10.9	6.0	5.4	7.6	3
	3.5			3	2	4	4	11	8	5	8	3	3	7 13	4	6	10	
4		2 7	8	3														
3.8			3.7	3.7	1.4	5.9	4.6	8.7	4.6	3.7	6.4	3.	7 5.	9 9.1	5.0	4.6	6.4	2
4 3.8 3	3.						4.6	8.7 19	4.6	3.7	6.4		7 5. 3 1		5.0		6.4	2

Chi-Square Tests									
	Value	df	Asymptotic Significance (2-sided)						
Pearson Chi-Square	60.887ª	49	.119						
Likelihood Ratio	66.623	49	.048						
N of Valid Cases	600								
a. 35 cells (35.0%) i minimum expecte			than 5. The						

# Symmetric Measures

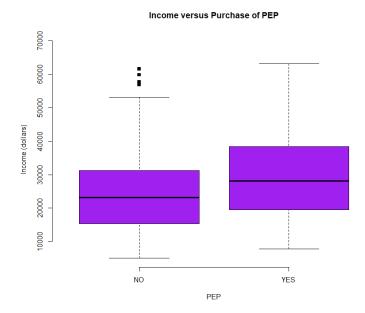
		Value	Approximate Significance
Nominal by Nominal	Phi	.319	.119
	Cramer's V	.319	.119
N of Valid Cases		600	

The chi square value is: 60.887 and the  $p^2$  value is 0.119. There are some differences in the expected counts verses the actual counts in the data.

The result is significant if the  $p^2$  is equal to or less than the alpha level (normally 0.5), the  $p^2$  value of 0.119 is less than 0.5 so the data suggests some correlation amongst the age and purchasing of a PEP. The phi and Cramer's V values also indicate that the age and purchase of a PEP are correlated.

Next is the income attribute verses PEP. The boxplot below shows that customers with a higher income have purchased a PEP

```
> summary(bank_data$income,bank_data$pep)
Min. 1st Qu. Median Mean 3rd Qu. Max.
5014 17265 24925 27524 36173 63130
```



The IQR and outlier calculations are listed below(values are approximate):

The IQR for when a PEP is not purchased

IQR= ~30000-15000= ~15000

Low Outlier =  $15000 - (1.5*15000) = \sim -1.5$ 

High Outlier =  $\sim 30000 + (1.5 *\sim 15000) = \sim 52500$ 

There appears to be outliers that have values more than 1.5 times the IQR of approximately 15000.

The IQR when a PEP is purchased is as follows:

IQR= 36173-20000= ~16173

Low Outlier = 20000 - (1.5\*16173) = -16389.25

High Outlier =  $\sim 36173 + (1.5*16173) = \sim 60432.5$ 

There do not appear to be any values that fall significantly more or less than the approximated values of more than or less than 1.5 \* IQR.

Chi square was also calculated to see if there was any correlation amongst the income and PEP attributes. See the contingency table below:

### pep \* income

							Cr	osstab										
Count									income									
		5014.21	6294.21	7304.20	7549.38	7606.25	7723.93	7756.36		8020.19	8062.73	8143.75	8162.42	8562.86	8639.24	8877.07	9316.98	9362.58
pep	NO	1	1	1	1	1	1	0	1	1	0	0	1	1	1	0	1	0
	YES	0	0	0	0	0	0	1	0	0	1	1	0	0	0	1	0	1
Total		1	1	1	1	1	1	1	1	1	1	1	1	1	1	1	1	1

```
9362.58 9465.21 9485.84 9516.91 9589.91 9592.73 9672.25 9824.37 9909.82 9990.11 10044.1 10072.6 10191.8 10441.9 10629.1 10672
12823.7 12977.2 13039.9 13106.6 13175.5 13236.4 13267.6 13283.9 13327.8 13381 13519.2 13667.7 13700.2 13739 13740 13864.6
13950.4 14014.5 14048.9 14058.5 14064.9 14092.7 14136.5 14290.5 14309.7 14388.6 14433.4 14505.3 14511.8 14585.9 14606.6 14627.9
14642.2 14711.8 14724.5 14960.2 14996.4 15109.4 15143.8 15156.2 15237.6 15254.8 15281.8 15308.2 15315.3 15348.9 15349.6 15417.1
15499.9 15525 15538.8 15610.2 15689.1 15735.8 15797.1 15848.7 15933.3 15976.3 16088.8 16109.9 16249.8 16259.7 16291 16325.8 0 1 1 0 0 1 1 0 0 1 1 0 0 1 1
16352.2 16394.4 16398.8 16403.8 16479.5 16497.3 16518.6 16575.4 16625.9 16662.5 16672.8 16711.3 16716.1 16849.3 16977.3 17139.5
17149.2 17180.2 17239.5 17240.6 17247.7 17270.1 17308.7 17364.8 17371.1 17390.1 17546 17610.3 17655 17729.8 17839.9 17861
17866.9 17867.3 17882.9 17921.8 17944.2 17986.8 18036.7 18050 18067.5 18158.5 18184.6 18275.5 18364.9 18504.3 18516 18555.9
18565.8\ 18707.3\ 18802.4\ 18860.3\ 18875.7\ 18912.2\ 18923\ 19012.8\ 19160.3\ 19166\ 19326.9\ 19403.1\ 19416.8\ 19474.6\ 19481.3\ 19563.8
19726.3 19868 19918.9 19968.1 20058.7 20114 20236.2 20262.6 20268 20347 20375.4 20409.3 20467.3 20555 20708.5 20736.2 20754.3
20771.9 20799 20809.7 20819 20866.3 20950.7 21042 21096.2 21139.8 21184.7 21268.4 21332.3 21350.3 21384.4 21495.6 21506.2
21612.2 21612.6 21623.8 21730.3 21796.6 21821.4 21876.5 21951.3 21984 21984.4 22007.1 22052.1 22053.2 22110.1 22197.1 22234.7 1 1 1 1 1 0 1 1 0 0 1 1 0 0 1 1 0 0 1
22327.8 22342.1 22362.3 22366.1 22400.7 22446.5 22495.7 22522.8 22562.2 22678.1 22791.4 22792.3 22848.5 22882.9 22916.1 22942.9
23038.2 23092.1 23124.9 23171.8 23175 23197.5 23246.4 23287.9 23337.2 23356.1 23371 23443.2 23475.6 23485.9 23528.4 23638.1 1 0 0 1 1 0 1 1 0 0 1 1 0 0 1
23818.6 23894.8 24026.1 24027.6 24031.5 24042 24071.8 24212.1 24262.8 24270.1 24346.6 24424.3 24474.1 24477.5 24554.1 24583.4
24607.8 24675.7 24760.8 24763.3 24814.5 24823.5 24858.4 24867.6 24888.2 24904 24946.6 24977.5 25127.7 25132.9 25257.7 25304.3
```

```
25333.2 25334.3 25372.8 25391.5 25429.3 25468.5 25683.4 25699.4 25732.5 25768.6 25830.5 26077.8 26097.9 26106.7 26261.7 26281.4 1 0 1 1 1 0 1 0 1 0 1 0 1 0 1 0 1
    26325.3 26462.5 26542.8 26658.8 26671.6 26688.1 26707.5 26707.9 26774.2 26900.6 26909.2 26920.8 26948 26952.6 26999.4 27022.6 1 1 0 1 0 0 1 0 1 1 1 0 1
    28240.4 28253.6 28409.4 28413.8 28421.7 28469.9 28495.1 28598.7 28658.3 28702.7 28864.9 28882.3 28920.6 28938.6 28969.4 28981.1
    29093.1 29231.4 29359.1 29414.6 29525.5 29541.7 29574 29622 29625.1 29714.4 29794.1 29866.3 29866.9 29921.3 30067.5 30085.1 1 1 1 1 0 0 1 1 0 1 0 1 0 1
 NO
    30099.3 30157.7 30189.4 30198.5 30396.1 30404.3 30488 30488.7 30658.7 30760.4 30799.5 30870.8 30971.8 31095.6 31207.1 31273.8
    31290.6 31334.8 31415.7 31473.9 31671.3 31683.1 31693.5 31774.1 31864.8 31982 32184.4 32245.4 32395.5 32548.9 32583.5 32669.9
    32762.5 33007.3 33028.3 33088.5 33123.7 33204.3 33229 33302.8 33615.4 33630.6 33665.5 33886.4 34020.5 34061.4 34073.8 34182.2
    37558.5 37689.1 37706.5 37773.9 37850.6 37869.6 37930.9 38059.8 38080.9 38103.4 38248.3 38446.6 38453.7 38459.9 38540 38598.4 1 0 1 1 0 0 1 1 1 0 0 1 1 1 0 0 1 1
 NO
    38784 39010.8 39175.8 39205.3 39253.6 39308.7 39358.3 39547.8 39666.6 39745.3 40949.9 40972.9 41016 41034 41107.2 41127.4 41438
 NO
    43530 43719.5 43743.2 43799.6 43940.6 43943 44288.3 44658.6 44682.1 45031.9 45189.8 45342.5 45765 45856.1 46323.8 46358.4 1 1 1 1 1 1 1 0 1 0 1 0 0 0 0 1
    46461.5 46587.9 46633 46870.4 46963.9 47025 47198.6 47750.2 47796.8 47835.8 48346.1 48720.3 48770.5 48950.9 48971.6 48974.8
    49024.9 49175.7 49456.7 49673.6 49874.4 49917.3 50186.1 50409.9 50474.6 50576.3 50849.2 50897.6 51204.2 51284.3 51299.3 51417
    51620.8 51879.3 52117.3 52255.9 52662.5 52670.6 52674 52769.9 53104.3 54314.5 54618.8 54863.8 55204.7 55263 55716.5 56031.1
    60747.5 61554.6 63130.1
[ reached getoption("max.print") -- omitted 1 row ]
> print(chisq.test(bank.data))
      Pearson's Chi-squared test
data: bank.data
X-squared = 600, df = 598, p-value = 0.4693
```

Chi-Square Tests								
	Value	df	Asymptotic Significance (2-sided)					
Pearson Chi-Square	600.000ª	598	.469					
Likelihood Ratio	827.264	598	.000					
N of Valid Cases	600							
a. 1198 cells (100.0 The minimum ex			ess than 5.					

### Symmetric Measures

		Value	Approximate Significance
Nominal by Nominal	Phi	1.000	.469
	Cramer's V	1.000	.469
N of Valid Cases		600	

The chi square value is: 600 and the p<sup>2</sup> value is 0.469. There are some slight differences in the expected counts verses the actual counts in the data.

The result is significant if the  $p^2$  is equal to or less than the alpha level (normally 0.5), the  $p^2$  value of 0.469 is less than 0.5 and suggests some correlation amongst the income and purchasing of a PEP but not by much. The phi and Cramer's V values also indicate there some significance in the relationship between income and purchasing a PEP.

# In the next comparisons only the chi square test is observed:

### pep \* children

Crosstab										
children										
			0	1	2	3	Total			
pep	NO	Count	167	25	79	55	326			
		Expected Count	142.9	73.4	72.8	36.9	326.0			
	YES	Count	96	110	55	13	274			
		Expected Count	120.1	61.7	61.2	31.1	274.0			
Total		Count	263	135	134	68	600			
		Expected Count	263.0	135.0	134.0	68.0	600.0			

#### Chi-Square Tests

	Value	df	Asymptotic Significance (2-sided)
Pearson Chi-Square	99.164ª	3	.000
Likelihood Ratio	104.902	3	.000
N of Valid Cases	600		

a. 0 cells (.0%) have expected count less than 5. The minimum expected count is 31.05.

Symmetric Measures							
		Value	Approximate Significance				
Nominal by Nominal	Phi	.407	.000				
	Cramer's V	.407	.000				
N of Valid Cases		600					

The chi square value is: 99.164 and the p<sup>2</sup> value is 0.000. There are some slight differences in the expected counts verses the actual counts in the data.

The result is significant if the  $p^2$  is equal to or less than the alpha level (normally 0.5), the  $p^2$  value of 0.000 is significantly less than 0.5 and suggests that the number of children and the purchasing of a PEP are correlated. The phi and Cramer's V values also indicates that children play a very significant role when a PEP is purchased.

# pep \* gender

		Cros	stab		
			FEMALE	MALE	Total
рер	NO	Count	170	156	326
		Expected Count	163.0	163.0	326.0
	YES	Count	130	144	274
		Expected Count	137.0	137.0	274.0
Total		Count	300	300	600
		Expected Count	300.0	300.0	600.0

### **Chi-Square Tests**

	Value	df	Asymptotic Significance (2-sided)	Exact Sig. (2- sided)	Exact Sig. (1- sided)
Pearson Chi-Square	1.317ª	1	.251		
Continuity Correction <sup>b</sup>	1.135	1	.287		
Likelihood Ratio	1.317	1	.251		
Fisher's Exact Test				.287	.143
N of Valid Cases	600				

a. 0 cells (.0%) have expected count less than 5. The minimum expected count is 137.00.

## Symmetric Measures

		Value	Approximate Significance
Nominal by Nominal	Phi	.047	.251
	Cramer's V	.047	.251
N of Valid Cases		600	

The chi square value is: 61.317 and the  $p^2$  value is 0.251. There are some slight differences in the expected counts verses the actual counts in the data.

The result is significant if the  $p^2$  is equal to or less than the alpha level (normally 0.5), the  $p^2$  value of 0.251 is less than 0.5 and suggests some correlation amongst the gender and purchasing of a PEP. The phi and Cramer's V values indicate there is not much significance in the relationship between income and purchasing a PEP so there might be a chance that gender plays some role in when a PEP is purchased but it may not be very much.

b. Computed only for a 2x2 table

# pep \* region

#### Crosstab

		region						
			INNER_CITY	RURAL	SUBURBAN	NWOT	Total	
рер	NO	Count	146	50	28	102	326	
		Expected Count	146.2	52.2	33.7	94.0	326.0	
	YES	Count	123	46	34	71	274	
		Expected Count	122.8	43.8	28.3	79.0	274.0	
Total		Count	269	96	62	173	600	
		Expected Count	269.0	96.0	62.0	173.0	600.0	

# Chi-Square Tests

	Value	df	Asymptotic Significance (2-sided)
Pearson Chi-Square	3.791 <sup>a</sup>	3	.285
Likelihood Ratio	3.790	3	.285
N of Valid Cases	600		

a. 0 cells (.0%) have expected count less than 5. The minimum expected count is 28.31.

#### Symmetric Measures

		Value	Approximate Significance
Nominal by Nominal	Phi	.079	.285
	Cramer's V	.079	.285
N of Valid Cases		600	

The chi square value is: 3.791 and the  $p^2$  value is 0.285. There are some slight differences in the expected counts verses the actual counts in the data.

The result is significant if the  $p^2$  is equal to or less than the alpha level (normally 0.5), the  $p^2$  value of 0.285 is less than 0.5 and suggests the region and purchasing of a PEP variable are correlated. The phi and Cramer's V values indicate there is slight significance in the relationship between region and purchasing a PEP. There might be a chance region isn't playing a big role in determining purchase of a PEP.

### pep \* married

#### Crosstab

			NO	YES	Total
pep	NO	Count	84	242	326
		Expected Count	110.8	215.2	326.0
	YES	Count	120	154	274
		Expected Count	93.2	180.8	274.0
Total		Count	204	396	600
		Expected Count	204.0	396.0	600.0

#### **Chi-Square Tests**

	Value	df	Asymptotic Significance (2-sided)	Exact Sig. (2- sided)	Exact Sig. (1- sided)
Pearson Chi-Square	21.564ª	1	.000		
Continuity Correction <sup>b</sup>	20.768	1	.000		
Likelihood Ratio	21.594	1	.000		
Fisher's Exact Test				.000	.000
N of Valid Cases	600				

a. 0 cells (.0%) have expected count less than 5. The minimum expected count is 93.16.

b. Computed only for a 2x2 table

#### Symmetric Measures

		Value	Approximate Significance
Nominal by Nominal	Phi	190	.000
	Cramer's V	.190	.000
N of Valid Cases		600	

The chi square value is: 21.564 and the  $p^2$  value is 0.000. There are some slight differences in the expected counts verses the actual counts in the data.

The result is significant if the  $p^2$  is equal to or less than the alpha level (normally 0.5), the  $p^2$  value of 0.000 is less than 0.5 and suggests that the marriage attribute and purchasing a PEP are correlated. The phi and Cramer's V values indicate there is not much significance in the relationship between marriage and purchasing a PEP so there might be a chance that married doesn't play a big role in purchase of a PEP.

### pep car

### Crosstab

			NO	YES	Total
рер	NO	Count	168	158	326
		Expected Count	165.2	160.8	326.0
	YES	Count	136	138	274
		Expected Count	138.8	135.2	274.0
Total		Count	304	296	600
		Expected Count	304.0	296.0	600.0

## **Chi-Square Tests**

	Value	df	Asymptotic Significance (2-sided)	Exact Sig. (2- sided)	Exact Sig. (1- sided)
Pearson Chi-Square	.215ª	1	.643		
Continuity Correction <sup>b</sup>	.145	1	.703		
Likelihood Ratio	.215	1	.643		
Fisher's Exact Test				.682	.351
N of Valid Cases	600				

- a. 0 cells (.0%) have expected count less than 5. The minimum expected count is 135.17.
- b. Computed only for a 2x2 table

# Symmetric Measures

		Value	Approximate Significance
Nominal by Nominal	Phi	.019	.643
	Cramer's V	.019	.643
N of Valid Cases		600	

The chi square value is: 0.215 and the  $p^2$  value is 0.643. There are no differences in the expected counts verses the actual counts in the data.

The result is significant if the  $p^2$  is equal to or less than the alpha level (normally 0.5), the  $p^2$  value of 0.0643 is greater than 0.5 and suggests there is no correlation in owning a car and purchasing of a PEP. The phi and Cramer's V values indicate there is not much significance in the relationship between owning a car and purchasing a PEP, so the attributes are probably not correlated.

Savings_acct   NO   YES   Total				Cross	tab				
NO   Count   91   235   326     Expected Count   101.1   224.9   326.0     YES   Count   95   179   274     Expected Count   186.   141.4   600     Expected Count   186.0   414.0   600.0					savings	_acct			
Expected Count   101.1   224.9   326.0     YES					NO	YES	Total		
VES	рер	NO (	Count		91	235	326		
Expected Count   84.9   189.1   274.0		E	Expect	ed Count	101.1	224.9	326.0		
Count		YES (	Count		95	179	274		
Expected Count   186.0   414.0   600.0		E	Expect	ed Count	84.9	189.1	274.0		
Chi-Square Tests   Asymptotic Significance (2-sided)   Exact Sig. (2-sided)	Total	(	Count		186	414	600		
Value   df   Significance (2-sided)   Exact Sig. (2-sided)   Exact Sig. (3-sided)		-	Expect	ed Count	186.0	414.0	600.0		
Continuity Correction b 2.870 1 .090  Likelihood Ratio 3.172 1 .075  Fisher's Exact Test .077 .045  N of Valid Cases 600  a. 0 cells (0%) have expected count less than 5. The minimum expected count is 84.94.	D	n Chi-Saus	are	3 178ª	1	, ,	_		
Continuity Correction b 2.870 1 .090  Likelihood Ratio 3.172 1 .075  Fisher's Exact Test .077 .045  N of Valid Cases 600  a. 0 cells (0%) have expected count less than 5. The minimum expected count is 84.94.	D	n Chi-Saus	aro			, ,	_	sided)	Sided)
Likelihood Ratio   3.172   1   .075									
Fisher's Exact Test .077 .045  N of Valid Cases 600  a. 0 cells (0%) have expected count less than 5. The minimum expected count is 84.94.			ion <sup>b</sup>	2.870	1	.09	)		
a. 0 cells (.0%) have expected count less than 5. The minimum expected count is 84.94.	Contin	uity Correcti	ion <sup>b</sup>						
	Contine Likelih	uity Correcti ood Ratio						.077	.045
	Contini Likelihi Fisher'	uity Correcti ood Ratio s Exact Tes		3.172				.077	.045
	Contin Likelih Fisher' N of Va	uity Correcti ood Ratio s Exact Tes ilid Cases	st	3.172	1	.07	5		
	Contine Likelihe Fisher' N of Va a. 0	uity Correcti ood Ratio s Exact Tes lid Cases cells (.0%)	st have e	3.172 600 expected cou	1	.07	5		
	Contini Likelih Fisher' N of Va a. 0	uity Correcti ood Ratio s Exact Tes lid Cases cells (.0%)	have e	3.172 600 expected cou	1 nt less than	.07	5		
Symmetric Measures	Contine Likelihe Fisher' N of Va a. 0	uity Correcti ood Ratio s Exact Tes lid Cases cells (.0%)	have e	3.172 600 expected cou	1 nt less than	.07	5		
Symmetric Measures  Approximate  Value Significance	Contine Likelihe Fisher' N of Va a. 0	uity Correcti ood Ratio s Exact Tes lid Cases cells (.0%)	have e	3.172 600 expected cou	nt less than	5. The minimu	im expe		
Approximate	Continu Likeliher Fisher' N of Va a. 0 b. C	uity Correcti ood Ratio s Exact Tes lid Cases cells (.0%) omputed or	have e	3.172 600 expected cou a 2x2 table metric Me	nt less than	5. The minimu	im expe		
Value Significance	Continu Likeliher Fisher' N of Va a. 0 b. C	uity Correcti ood Ratio s Exact Tes lid Cases cells (.0%) omputed or	have e	3.172 600 expected cou a 2x2 table metric Me	nt less than	5. The minimu Approximate Significance	im expe		

The chi square value is: 3.178 and the  $p^2$  value is 0.75. There are some slight differences in the expected counts verses the actual counts in the data.

The result is significant if the p<sup>2</sup> is equal to or less than the alpha level (normally 0.5), the p<sup>2</sup> value of 0.75 is less than 0.5 and suggests some correlation amongst having a savings account and purchasing of a PEP. The phi and Cramer's V values indicate there is not much significance in the relationship between owning a savings account and purchasing a PEP so the savings account may not play a big role in determining if the customer will purchase a PEP.

# pep \* mortgage

#### Crosstab

			mortgage					
			NO	YES	Total			
рер	NO	Count	209	117	326			
		Expected Count	212.4	113.6	326.0			
	YES	Count	182	92	274			
		Expected Count	178.6	95.4	274.0			
Total		Count	391	209	600			
		Expected Count	391.0	209.0	600.0			

### **Chi-Square Tests**

	Value	df	Asymptotic Significance (2-sided)	Exact Sig. (2- sided)	Exact Sig. (1- sided)
Pearson Chi-Square	.351 <sup>a</sup>	1	.554		
Continuity Correction <sup>b</sup>	.256	1	.613		
Likelihood Ratio	.351	1	.553		
Fisher's Exact Test				.606	.307
N of Valid Cases	600				

a. 0 cells (.0%) have expected count less than 5. The minimum expected count is 95.44.

b. Computed only for a 2x2 table

#### Symmetric Measures

		Value	Approximate Significance
Nominal by Nominal	Phi	024	.554
	Cramer's V	.024	.554
N of Valid Cases		600	

The chi square value is: .351 and the  $p^2$  value is 0.554. There are some slight differences in the expected counts verses the actual counts in the data.

The result is significant if the  $p^2$  is equal to or less than the alpha level (normally 0.5), the  $p^2$  value of 0.554 is greater than 0.5 and suggests there is no correlation amongst the mortgage variable and purchasing of a PEP. The phi and Cramer's V values indicate there is not much significance in the relationship between having a mortgage and purchasing a PEP, so they don't seem to be correlated.

#### pep \* current\_acct

#### Crosstab

			current_acct		
			NO	YES	Total
pep	NO	Count	82	244	326
		Expected Count	78.8	247.2	326.0
	YES	Count	63	211	274
		Expected Count	66.2	207.8	274.0
Total		Count	145	455	600
		Expected Count	145.0	455.0	600.0

#### **Chi-Square Tests**

	Value	df	Asymptotic Significance (2-sided)	Exact Sig. (2- sided)	Exact Sig. (1- sided)
Pearson Chi-Square	.379ª	1	.538		
Continuity Correction <sup>b</sup>	.271	1	.603		
Likelihood Ratio	.380	1	.538		
Fisher's Exact Test				.566	.302
N of Valid Cases	600				

- a. 0 cells (.0%) have expected count less than 5. The minimum expected count is 66.22.
- b. Computed only for a 2x2 table

#### Symmetric Measures

		Value	Significance
Nominal by Nominal	Phi	.025	.538
	Cramer's V	.025	.538
N of Valid Cases		600	

The chi square value is: .379 and the  $p^2$  value is 0.538. There are some slight differences in the expected counts verses the actual counts in the data.

The result is significant if the p<sup>2</sup> is equal to or less than the alpha level (normally 0.5), the p<sup>2</sup> value of 0.538 is greater than 0.5 and suggests no correlation amongst the current account variable and purchasing of a PEP. The phi and Cramer's V values indicate there is not much significance in the relationship between current account and purchasing a PEP so there isn't much significance in the relationship of the current\_acct variable and a PEP being purchased.

# Summary

The attributes that appear to be correlated with purchasing a PEP include age, income, children, gender, region, married, and savings account. The variables that have the most significance appear to be age, married, and savings account. It can be concluded that the customers age and whether they are married will influence the purchase of a PEP. A customer who has a saving account will also be more likely to purchase a PEP. Lastly, the income variable also showed some outliers when compared to the purchase of a PEP