

频变材料的添加

Djordjevic-Sarkar Model Parameter Calculation The model parameters can be calculated if the following information about the material is known:

DC conductivity, σ_{DC} (optional; default value is 0)

DC permittivity, ϵ_{DC} (optional; you have to choose the default. See below)

A triplet of real numbers, consisting of

the measurement frequency ω_1 the real permittivity ϵ_1 at this frequency the loss tangent $\tan \delta_1$ at this frequency

From the model equation, observe that

$$\begin{aligned}\epsilon(\omega_1) &= \epsilon_\infty + \frac{\Delta\epsilon}{\ln(\omega_B/\omega_A)} \ln\left(\frac{\omega_B + j\omega_1}{\omega_A + j\omega_1}\right) + \frac{\sigma_{DC}}{j\omega_1\epsilon_0} \\ &\equiv \epsilon_\infty + \frac{\Delta\epsilon}{\ln(\omega_B/\omega_A)} \ln\left(\frac{\omega_B + j\omega_1}{j\omega_1}\right) + \frac{\sigma_{DC}}{j\omega_1\epsilon_0} \\ &= \epsilon_\infty + \frac{\Delta\epsilon}{\ln(\omega_B/\omega_A)} \ln\left(\frac{\sqrt{\omega_B^2 + \omega_1^2}}{\omega_1}\right) - j\left[\frac{\Delta\epsilon}{\ln(\omega_B/\omega_A)} \tan^{-1}\left(\frac{\omega_B}{\omega_1}\right) + \frac{\sigma_{DC}}{\omega_1\epsilon_0}\right]\end{aligned}\quad (3)$$

Relative Permittivity:

$$\epsilon(f) = \epsilon_\infty + \frac{K}{2} \ln\left(\frac{f_B^2 + f^2}{f_A^2 + f^2}\right) \quad (9)$$

Conductivity:

$$\sigma(f) = \sigma_{DC} + 2\pi f \epsilon_0 K \cdot \left[\tan^{-1}\left(\frac{f}{f_A}\right) - \tan^{-1}\left(\frac{f}{f_B}\right) \right] \quad (10)$$

$$f_B = 10^{12} / 2\pi \quad (11)$$

$$K = \frac{\epsilon_1 \tan \delta_1 - \frac{\sigma_{DC}}{\omega_1 \epsilon_0}}{\tan^{-1}\left(\frac{\omega_B}{\omega_1}\right)} \quad (12)$$

$$\epsilon_\infty = \epsilon_1 - \frac{1}{2} K \ln\left[\left(\frac{\omega_B}{\omega_1}\right)^2 + 1\right] \quad (13)$$

$$f_A = \frac{f_B}{\exp\left(\frac{\Delta\epsilon}{K}\right)} \quad (14)$$

$$\Delta\epsilon = \epsilon_{\infty} - \epsilon_{DC} \text{ if the DC permittivity is known; else } \Delta\epsilon = 10 \cdot \tan \delta_1 \cdot \epsilon_{\infty}$$

```
In [ ]: import sys
sys.path.append(r"C:\work\Study\Script\Ansys\quickAnalyze\FastSim") #添加pyaedt的
import pyLayout
pyLayout.log.setLevel("INFO")

from pyLayout import Layout
# layout = Layout()
layout = Layout() #least version
# layout.openAedt(r"C:\work\Project\AE\Script\test_pcb\galileo.aedt")
layout.initDesign()
```

```
2024/02/01 16:30:31 - INFO: pyLayout Version: V0.6 20231225
2024/02/01 16:30:31 - INFO: Intial aedt desktop Ansoft.ElectronicsDesktop.2024.1
2024/02/01 16:30:31 - INFO: init design: Project75 : EMDesign1
2024/02/01 16:30:31 - INFO: Simulation log recorded in: C:/Users/yguo/OneDrive -
ANSYS, Inc/Documents/Ansoft/Project75_EMDesign1.log
```

方式1: 按照HFSS UI设定方式生成 DK+ Conductivity

```
In [ ]: layout.materials.addHFSSDSModle("test1",dk=4.0,df=0.02)
```

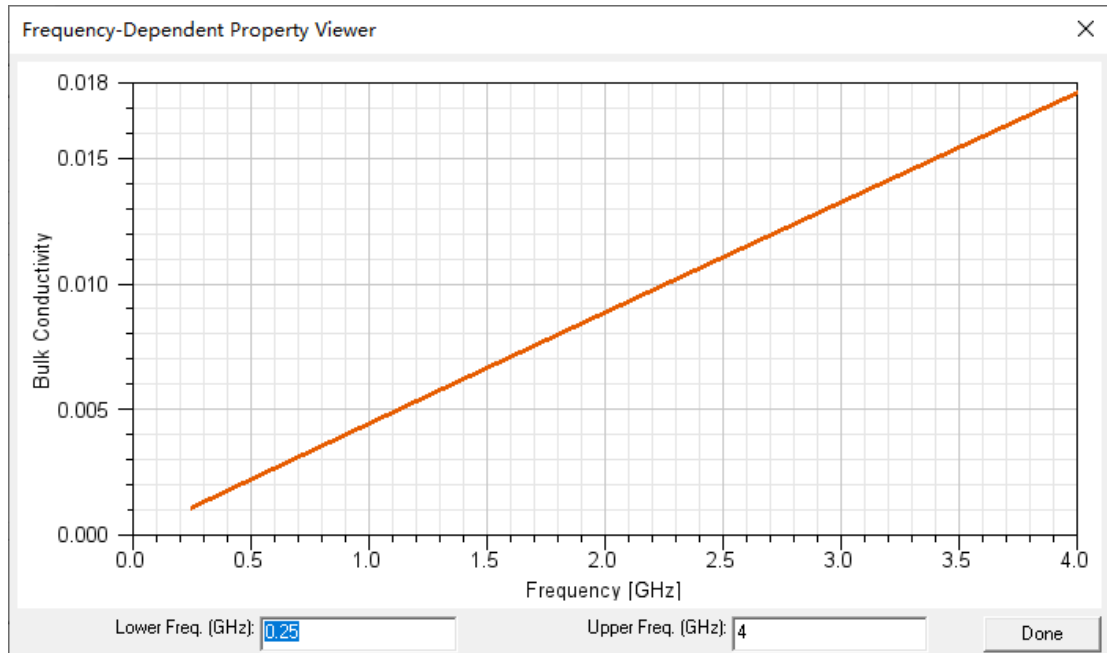
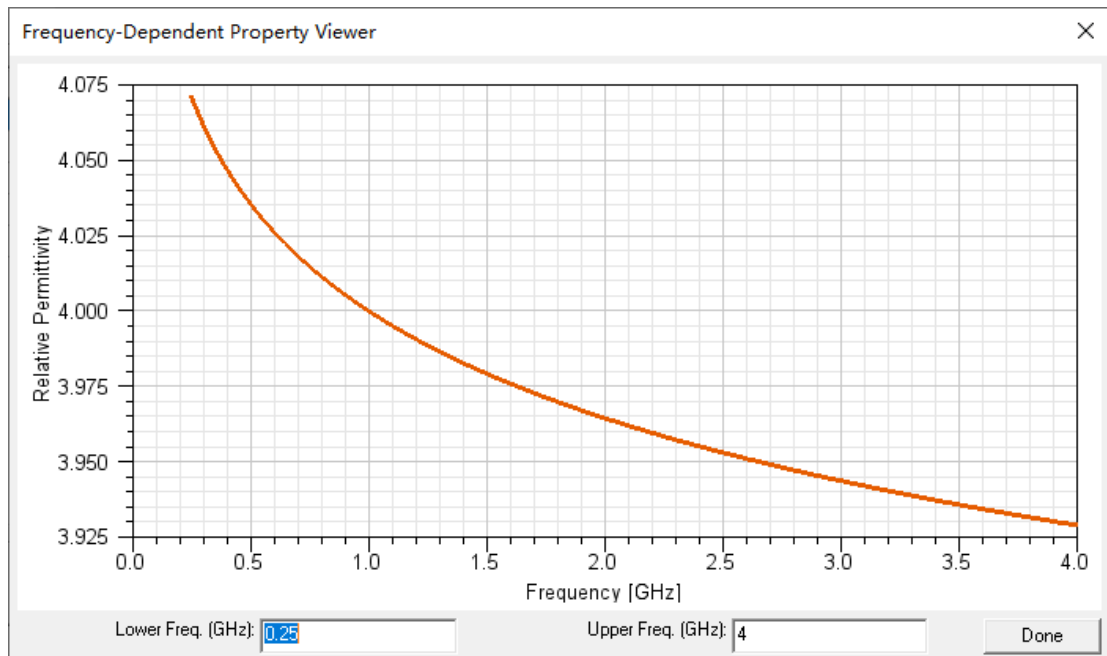
```
2024/02/01 16:30:31 - INFO: Djordjevic-Sarkar Model Parameter:
e_infi:3.740755252333763 ,e_delta:0.7481510504667526 ,fA:70403.0168767359 ,fB:159
154943091.89536
2024/02/01 16:30:31 - INFO: Djordjevic-Sarkar Model Parameter:
DK:3.740755252333763+0.05113411554862952/2*ln((159154943091.89536**2+freq**2)/(70
403.0168767359**2+freq**2))
,Conductivity:1e-12+2*pi*freq*e0*0.05113411554862952*(atan(freq/70403.0168767359)
-atan(freq/159154943091.89536))
```

对比HFSS生成的材料参数和脚本生成的材料参数，两者完全一致：

Set in HFSS UI:

DK:3.74076+0.0255671ln((2.53303e+22+FreqFreq)/(4.95658e+09+FreqFreq))

Cond:1e-12+2.84472e-12Freq*(atan(Freq/70403)-atan(Freq/1.59155e+11))

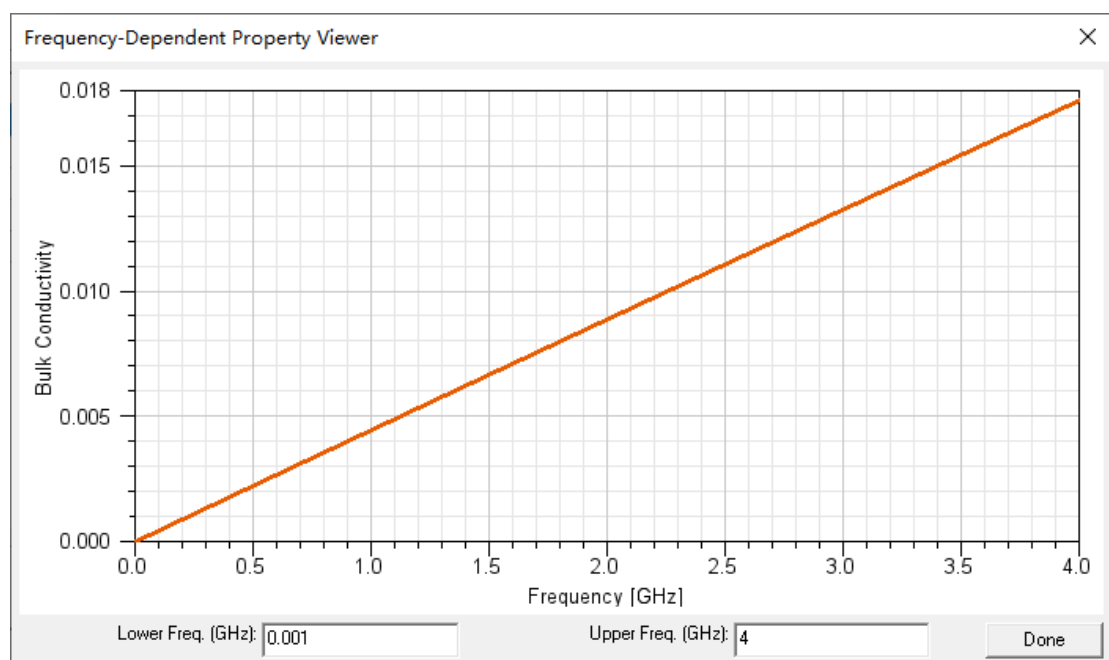
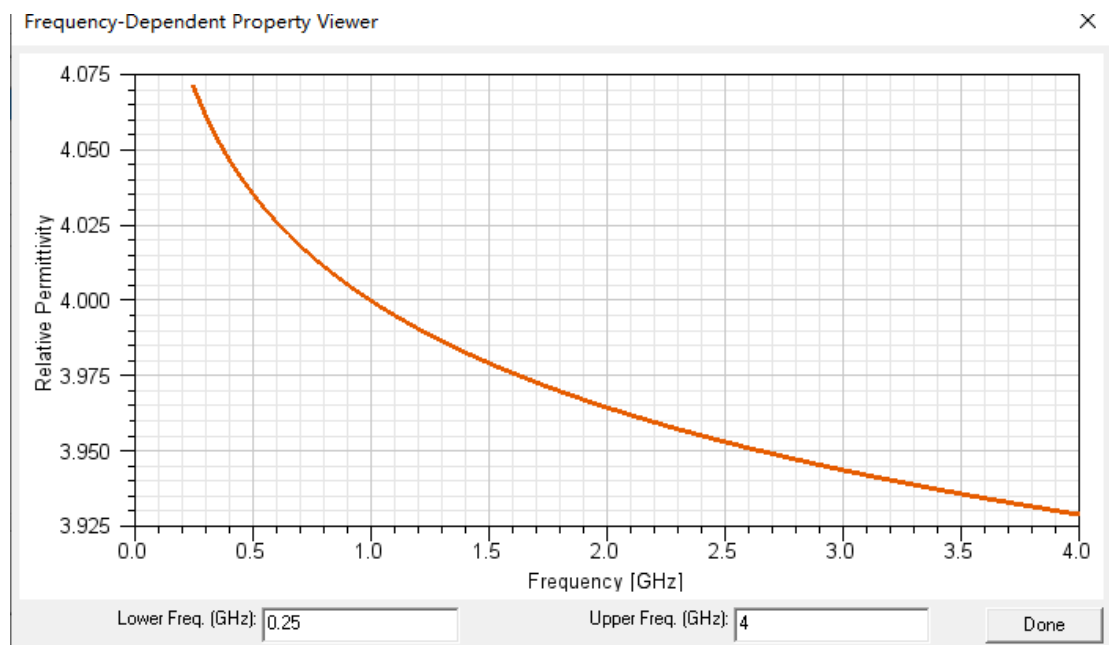


Set by Script:

DK: $3.740755252333763 + 0.05113411554862952 / 2 \ln((159154943091.895362 + \text{freq}^2) / (70403.0$

DF: $1e-12 + 2\pi \text{freq} 0.05113411554862952 (\text{atan}(\text{freq} / 70403.0168767359) -$

$\text{atan}(\text{freq} / 159154943091.89536))$



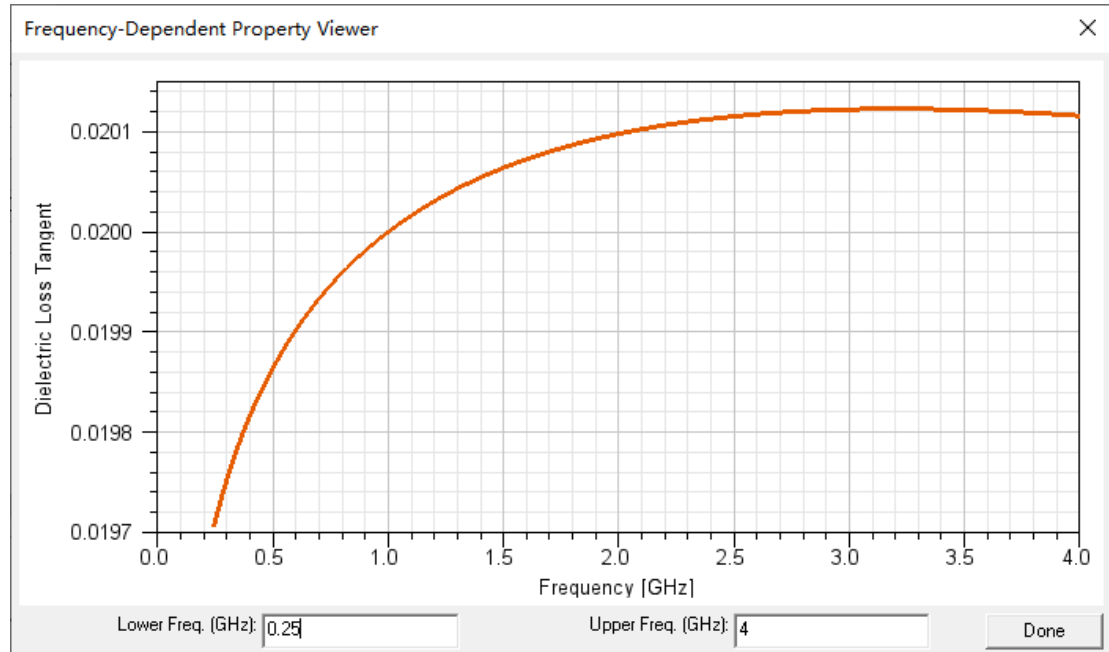
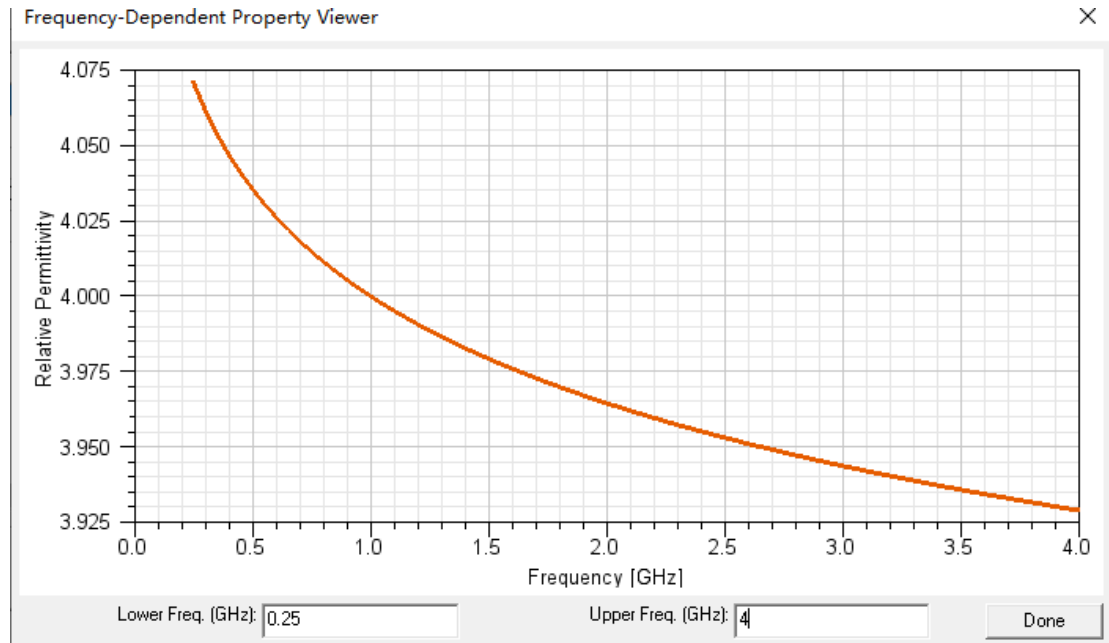
方式2 按照Djordjevic-Sarkar Model方式进行输入，频变DK+DF

$$\begin{aligned}\epsilon &= \epsilon_{\infty} + \Delta\epsilon \cdot \frac{1}{m_2 - m_1} \cdot \log_{10} \left(\frac{10^{m_2} + i \cdot f}{10^{m_1} + i \cdot f} \right) \\ &= \epsilon_r \cdot (1 - i \cdot \tan \delta)\end{aligned}$$

or

$$\epsilon(\omega_1) = \epsilon_{\infty} + \frac{\Delta\epsilon}{\ln(\omega_B/\omega_A)} \ln \left(\frac{\omega_B + j\omega_1}{\omega_A + j\omega_1} \right) + \frac{\sigma_{DC}}{j\omega_1\epsilon_0}$$

可以获取跟HFSS UI设定一致的结果，使用DK/DF形式更加直观



```
In [ ]: layout.materials.addHFSSDSModel2("test2",dk=4.0,df=0.02)
```

```
2024/02/01 16:30:31 - INFO: Causal material set fA as: 70403.0168767359
2024/02/01 16:30:31 - INFO: Djordjevic-Sarkar Model Parameter:
e_infi:3.740755252333763 ,e_delta:0.7481510504667526 ,fA:70403.0168767359 ,fB:159
154943091.89536
2024/02/01 16:30:31 - INFO: Djordjevic-Sarkar Model Parameter:
DK:re(3.740755252333763+0.7481510504667526/ln(100000000000.0001/442355.201221023
45)*ln((100000000000.0001+1j*2*pi*freq)/(442355.20122102345+1j*2*pi*freq))+1e-1
2/(1j*2*pi*freq*e0))
,DF:-im(3.740755252333763+0.7481510504667526/ln(100000000000.0001/442355.2012210
2345)*ln((100000000000.0001+1j*2*pi*freq)/(442355.20122102345+1j*2*pi*freq))+1e-
12/(1j*2*pi*freq*e0))/re(3.740755252333763+0.7481510504667526/ln(100000000000.00
01/442355.20122102345)*ln((100000000000.0001+1j*2*pi*freq)/(442355.20122102345+1
j*2*pi*freq))+1e-12/(1j*2*pi*freq*e0))
```

方式三，使用Djordjevic-Sarkar Model 的标准形式，

直接输入e_infi,e_delta,fA,fB,cond_dc=1e-12

```
In [ ]: layout.materials.addStdDSModel("test3",e_infi=3.740755252333763,e_delta=0.748151
```

```
2024/02/01 16:31:06 - INFO: Djordjevic-Sarkar Model Parameter:
e_infi:3.740755252333763 ,e_delta:0.7481510504667526 ,fA:70403.016876735 ,fB:1591
54943091.89536
2024/02/01 16:31:06 - INFO: Djordjevic-Sarkar Model Parameter:
DK:re(3.740755252333763+0.7481510504667526/ln(100000000000.0001/442355.201221017
75)*ln((100000000000.0001+1j*2*pi*freq)/(442355.20122101775+1j*2*pi*freq))+1e-1
2/(1j*2*pi*freq*e0))
,DF:-im(3.740755252333763+0.7481510504667526/ln(100000000000.0001/442355.2012210
1775)*ln((100000000000.0001+1j*2*pi*freq)/(442355.20122101775+1j*2*pi*freq))+1e-
12/(1j*2*pi*freq*e0))/re(3.740755252333763+0.7481510504667526/ln(100000000000.00
01/442355.20122101775)*ln((100000000000.0001+1j*2*pi*freq)/(442355.20122101775+1
j*2*pi*freq))+1e-12/(1j*2*pi*freq*e0))
```