

Network Security

<CH 3>

Youn Kyu Lee Hongik University

Security Models: types of cipher

- Random functions hash functions
 - : accepts an input string of any length and outputs a string of fixed length, say *n* bits long
- Random generators stream ciphers
 - : (reverse of hash function?) accepts a short input and produces a long output
- Random permutations block ciphers
 - : keyed-invertible function transfers a fixed-size input to a fixed size output and vice-versa
- Public key encryption(special kind of block cipher):
 - : encrypt for anyone, but decrypt for only key owner
- Digital signatures
 - : sign by only key owner, but checked by anyone

Random bit generation

In order to generate the keys and nonces needed in cryptographic protocols, a source of random bits unpredictable for any adversary is needed. The highly deterministic nature of computing environments makes finding secure seed values for random bit generation a non-trivial and often neglected problem.

Attack example: In 1995, Ian Goldberg and David Wagner (Berkeley University) broke the SSL encryption of the Netscape 1.1 Web browser using a weakness in its session key generation. It used a random-bit generator that was seeded from only the time of day in microseconds and two process IDs. The resulting conditional entropy for an eavesdropper was small enough to enable a successful brute-force search. http://www.ddj.com/documents/s=965/ddj9601h/9601h.htm

Examples for sources of randomness:

- dedicated hardware random bit generators (amplified thermal noise from reverse-biased diode, unstable oscillators, Geiger counters)
- → high-resolution timing of user behaviour (e.g., key strokes and mouse movement)

from Introduction to Security by Markus Kuhn http://www.cl.cam.ac.uk/teaching/0708/IntroSec/

Random bit generation

- → high-resolution timing of peripheral hardware response times (e.g., disk drives)
- → noise from analog/digital converters (e.g., sound card, camera)
- → network packet timing and content
- → high-resolution time

None of these random sources alone provides high-quality statistically unbiased random bits, but such signals can be fed into a hash function to condense their accumulated entropy into a smaller number of good random bits.

The provision of a secure source of random bits is now commonly recognised to be an essential operating system service. For example, the Linux /dev/random device driver uses a 4096-bit large entropy pool that is continuously hashed with keyboard scan codes, mouse data, inter-interrupt times, and mass storage request completion times in order to form the next entropy pool. Users can provide additional entropy by writing into /dev/random and can read from this device driver the output of a cryptographic pseudo random bit stream generator seeded from this entropy pool. Operating system boot and shutdown scripts preserve /dev/random entropy across reboots on the hard disk.

http://www.cs.berkeley.edu/~daw/rnd/ http://www.ietf.org/rfc/rfc1750.txt

from Introduction to Security by Markus Kuhn http://www.cl.cam.ac.uk/teaching/0708/IntroSec/

Stream Cipher Example: RC4

- A self-modifying lookup table
- Table always contains a permutation of the byte values $0,1,\ldots,255$
- Initialize the permutation using key
- At each step, RC4 does the following
 - Swaps elements in current lookup table
 - Selects a keystream byte from table
- Each step of RC4 produces a byte
- Use keystream bytes like a one-time pad

RC4 algorithm

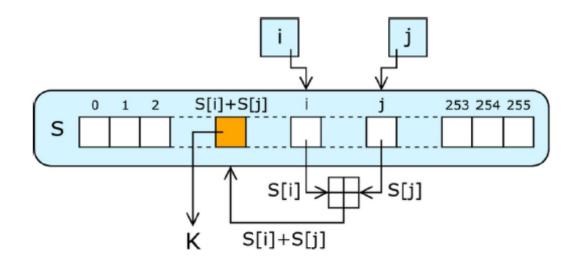
- S[] is permutation of 0,1,...,255
- key[] contains N bytes of key

```
for i = 0 to 255
     S[i] = i
     K[i] = key[i \pmod{N}]
next i
j = 0
for i = 0 to 255
     j = (j + S[i] + K[i]) \mod 256
     swap(S[i], S[j])
next i
i = j = 0
```

RC4 algorithm

• for each keystream byte, swap elements and select byte

```
i = (i + 1) mod 256
j = (j + S[i]) mod 256
swap(S[i], S[j])
t = (S[i] + S[j]) mod 256
keystreamByte = S[t]
```



Blockchiphers

Encryption is performed today typically with blockcipher algorithms, which are key-dependent permutations, operating on bit-block alphabets. Typical alphabet sizes: 2^{64} or 2^{128}

$$E: \{0,1\}^k \times \{0,1\}^n \to \{0,1\}^n$$

- Confusion make relationship between key and ciphertext as complex as possible
- → Diffusion remove statistical links between plaintext and ciphertext

Types of Attacks on Block Ciphers

- known plaintext attack
 - eg. hacker can buy a decoder for a broadcast entertainment system, watch a lot of movies and compare them with the enciphered broadcast signal
- chosen plaintext attack
 - eg. WWII Japanese intentions for an island 'AF':
 Midway's commander sent unencrypted message reporting problems with its fresh water condenser, then intercepted Japanese report 'AF is short of water' → Bingo!

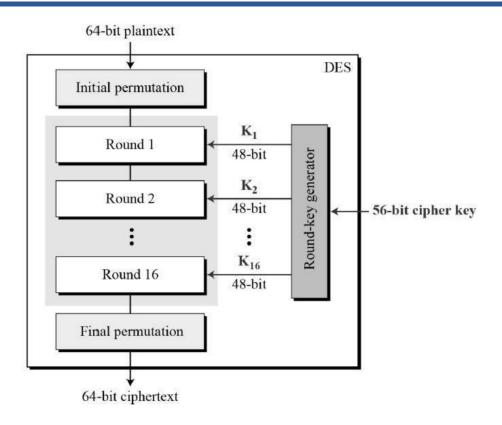
Types of Attacks on Block Ciphers

- chosen ciphertext attack
- chosen plaintext/ciphertext attack: hacker gets temporary access to a cryptographic device while its authorized user is out and tries out the full range of permitted operations for a while with data of their choice

• related key attack: hacker makes queries that will be answered using keys related to the target key K, such that K+1 and K+2 ...

Data Encryption Standard

- DES developed in 1970's (IBM's Lucifer cipher)
- DES was U.S. government standard
- DES development was controversial
 - NSA secretly involved
 - Design process was secret
 - Key length reduced from 128 to 56 bits
 - Subtle changes to Lucifer algorithm
- DES is a Feistel cipher with...
 - 64 bit block length, 56 bit key length
 - 16 rounds (each round is simple for a block cipher)
 - 48 bits of key used each round (subkey)
- Security depends heavily on "S-boxes"
 - Each S-boxes maps 6 bits to 4 bits



Triple DES(3DES)

- Today, 56 bit DES key is TOO(!!!) small
 - Exhaustive key search is feasible
- But old systems still use DES, so what to do?
- Triple DES or 3DES (112 bit key)
 - $C = E_{K1}(D_{K2}(E_{K1}(P)))$
 - $P = D_{K1}(E_{K2}(D_{K1}(C)))$
- Why Encrypt-Decrypt-Encrypt with 2 keys?
 - Backward compatible: $E_K(D_K(E_K(P))) = E_K(P)$
 - And 112 bits is enough(???)
- Why not $C = E_K(E_K(P))$?
 - Trick question --- it's still just 56 bit key

Double DES(2DES) ?

- Why not $C = E_{K2}(E_{K1}(P))$?
- A known plaintext attack: Meet-in-the-Middle
 - Pre-compute table of $E_{K1}(P)$ for every possible key K_1 (resulting table has 2^{56} entries)
 - Then for each possible K_2 compute $D_{K2}(C)$ until a match in table is found
 - When match is found, have $E_{K1}(P) = D_{K2}(C)$
 - Result gives us keys: $C = E_{K2}(E_{K1}(P))$

Advanced Encryption Standard

- Replacement for DES
- AES competition (late 90's)
 - NSA openly involved
 - Transparent process
 - Many strong algorithms proposed
 - Rijndael Algorithm ultimately selected
- Iterated block cipher, but NOT Feistel cipher

AES Overview

- Block size: 128 bits (others in Rijndael)
- Key length: 128, 192 or 256 bits (independent of block size)
- 10 to 14 rounds (depends on key length)
- Each round uses 4 functions (3 "layers")
 - ByteSub (nonlinear layer)
 - ShiftRow (linear mixing layer)
 - MixColumn (nonlinear layer)
 - AddRoundKey (key addition layer)

Other Symmetric Block Ciphers

• IDEA, Blowfish, RC6, Serpent, SEED, ...

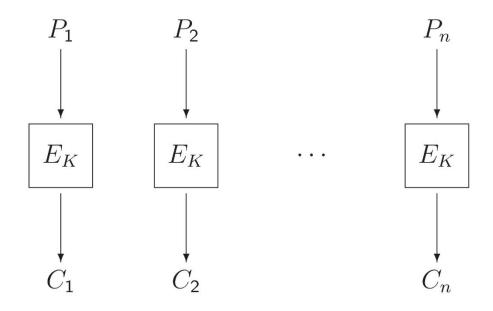
Modes of Operation for Dealing Multiple Blocks

- How to encrypt multiple blocks?
- Do we need a new key for each block?
 - As bad as (or worse than) a one-time pad!
- Encrypt each block independently?
- Make encryption depend on previous block?
 - That is, can we "chain" the blocks together?
- How to handle partial blocks?

Various Modes

- Electronic Codebook (ECB) mode
 - Encrypt each block independently
- Cipher Block Chaining (CBC) mode
 - Chain the blocks together
- Counter Mode (CTR) mode
- Cipher Feedback mode(CFB)
- Output Feedback mode(OFB)
- Galois Counter mode(GCM)
 - Parallelizable
 - (encryption + authentication) at once

Electronic Code Book (ECB)



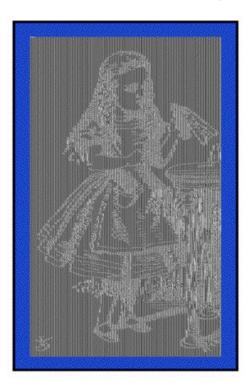
In the simplest **mode of operation** standardised for DES, AES, and other block ciphers, the message is cut into n-bit blocks, where n is the block size of the cipher, and then the cipher function is applied to each block individually.

http://csrc.nist.gov/publications/nistpubs/800-38a/sp800-38a.pdf

Alice Hates ECB Mode

Alice's uncompressed image, and ECB encrypted





- Why does this happen?
- Same plaintext yields same ciphertext!

Electronic Code Book (ECB)

The Electronic Code Book (ECB) mode has a number of problems and is therefore generally not recommended for use:

- Repeated plaintext messages can be recognised by the eavesdropper as repeated ciphertext. If there are only few possible messages, an eavesdropper might quickly learn the corresponding ciphertext.
- \longrightarrow Plaintext block values are often not uniformly distributed, for example in ASCII encoded English text, some bits have almost fixed values. As a result, not the entire input alphabet of the block cipher is utilised, which simplifies for an eavesdropper building and using a value table of E_K .

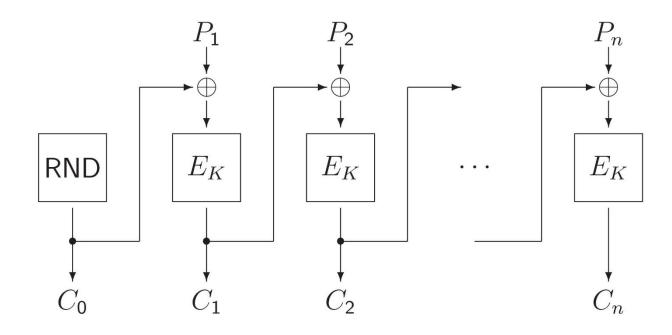
Both problems can be solved by using other modes of operation than DES. Using a pseudo-random value as the input of the block cipher will use its entire alphabet uniformly, and independent of the plaintext content, a repetition of cipher input has to be expected only after $\sqrt{2^n} = 2^{\frac{n}{2}}$ blocks have been encrypted with the same key (\rightarrow birthday paradox).

The Cipher Block Chaining mode XORs the previous ciphertext into the plaintext to achieve this, and the entire ciphertext is randomised by prefixing it with a random *initial vector* (IV).

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Cipher Block Chaining (CBC)



$$C_i = E_K(P_i \oplus C_{i-1})$$

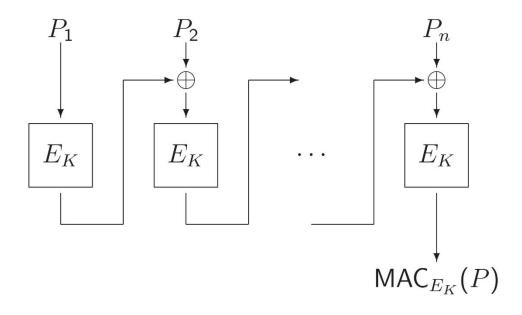
CBC Mode

- Identical plaintext blocks yield different ciphertext blocks this is good!
- If C₁ is garbled to, say, G then

$$P_1 \neq C_0 \oplus D_K(G), P_2 \neq G \oplus D_K(C_2)$$

- But $P_3 = C_2 \oplus D_K(C_3), P_4 = C_3 \oplus D_K(C_4), ...$
- Automatically recovers from errors!
- Cut and paste is still possible, but more complex (and will cause garbles)

Message Authentication Code (MAC)



A modification of CBC provides integrity protection for data. The initial vector is set to a fixed value (e.g., 0), and C_n of the CBC calculation is attached to the transmitted plaintext. Anyone who shares the secret key K with the sender can recalculate the MAC over the received message and compare the result. A MAC is the cryptographically secure equivalent of a checksum, which only those who know K can generate and verify.

Various Modes

Counter Mode (CTR)

This mode obtains the pseudo-random bit stream by encrypting an easy to generate sequence of mutually different blocks, such as the natural numbers plus some offset O encoded as n-bit binary values:

$$R_i = E_K(i+O), \quad C_i = P_i \oplus R_i$$

It is useful for instance when encrypting files for which fast random access decryption is needed. The offset O can be chosen randomly and transmitted/stored with each encrypted message like an initial vector.

Cipher Feedback Mode (CFB)

$$C_i = P_i \oplus E_K(C_{i-1})$$

As in CBC, C_0 is a randomly selected initial vector, whose entropy will propagate through the entire ciphertext.

Various Modes

Output Feedback Mode (OFM)

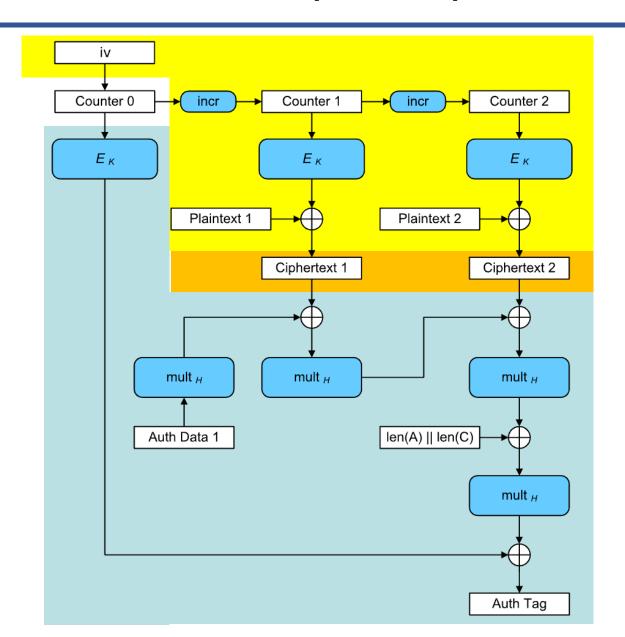
In this mode of encryption, the plaintext is simply XORed with the output of the above pseudo-random bit stream generator:

$$R_0 = 0, \quad R_i = E_K(R_{i-1}), \quad C_i = P_i \oplus R_i$$

Galois Counter Mode(GCM)

- Authenticated Encryption with Associated Data(AEAD)
- CBC not efficient for bulk encryption when protecting confidentiality AND integrity
- New mode for authenticated encryption
- One invocation of block cipher per text block
- Parallelizable for high throughput encryption / decryption
- Basic Idea
 - encryption in a variant of counter mode
 - authentication tag(for integrity) computed using the ciphertexts as coefficients of a polynomial over a Galois field $GF(2^{128})$

Galois Counter Mode(GCM)



Q & A

aiclasshongik@gmail.com