

Prolog (3)

Backtracking

father(anakin, luke).
father(luke, ben).
father(ruwee, mara)



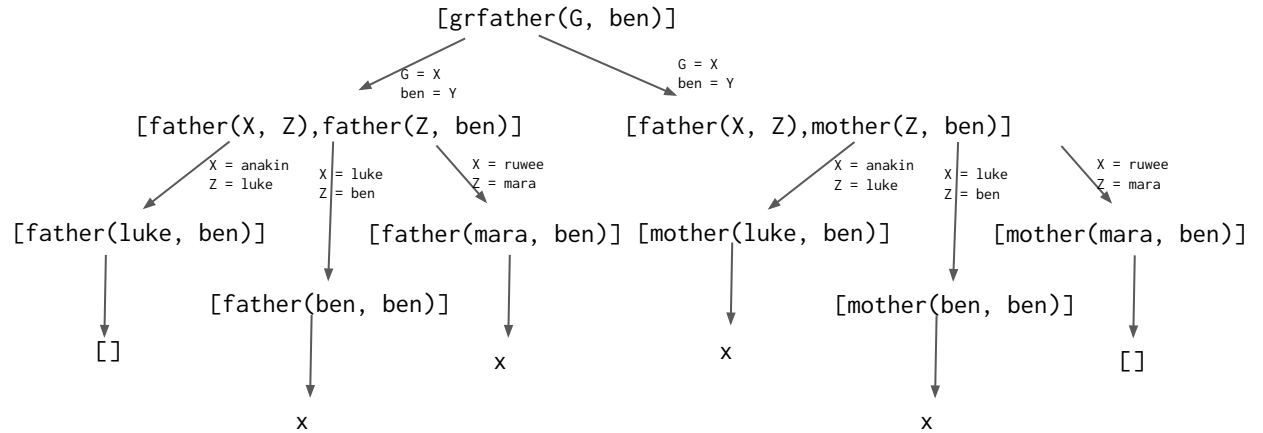
mother(padme, luke).
mother(mara, ben).



grfather(X, Y) :-
 father(X, Z),
 father(Z, Y).




grfather(X, Y) :-
 father(X, Z),
 mother(Z, Y).





Zie toledo voor tutorial!


is/2 en =/2



- =/2 is voor **unification**.
- is/2 is voor **evaluatie** en **assignment**


?- X is 1 + 2.  X = 3

?- X = 1 + 2.  X = 1 + 2

?- Y is 1, X is Y + 2.  Y = 1, X = 3

?- X = Y + 1, Y is 2.  Y = 2, X = 2 + 1

?- X is Y + 1, Y is 2.  

?- X is 3, X is X + 1.  false

is/2 en =/2

- =/2 is voor **unification**.
- is/2 is voor **evaluatie** en **assignment**

Pas op: unificatie

```
sum(X, Y, R) :-  
    R = X + Y.
```

```
sum(X, Y, R) :-  
    R is X + Y.
```

```
sum(X, Y, X + Y).
```

```
?- sum(3, 2, R).  
R = 3 + 2
```

```
?- sum(1 + 1, 2, R).  
R = 1 + 1 + 2
```

```
?- sum(3, 2, R).  
R = 5
```

```
?- sum(1+1, 2, R).  
R = 4
```

```
?- sum(3, 2, R).  
R = 3 + 2
```

```
?- sum(1 + 1, 2, R).  
R = 1 + 1 + 2
```

Lijsten

$X = [1, 2, 3]$

?- $[X|Xs] = [1, 2, 3]$

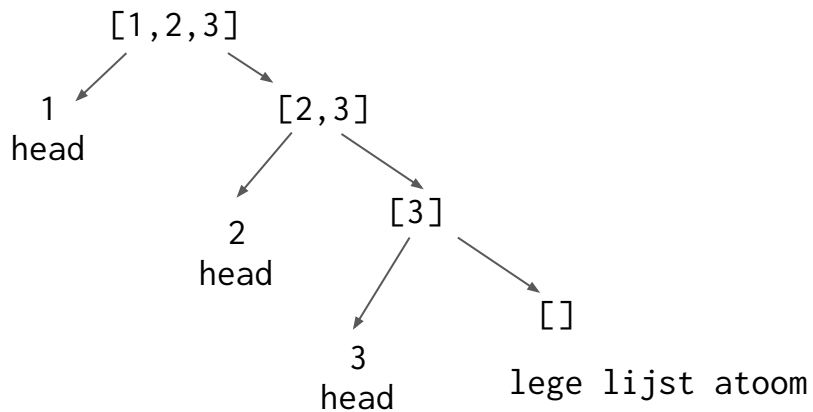
→ $X = 1, Xs = [2, 3]$

?- $[X1, X2 | Xs] = [1, 2, 3]$

→ $X1 = 1, X2 = 2, Xs = [3]$

?- $[X1, X2 | Xs] = [[a, b], 2, []]$

→ $X1 = [a, b], X2 = 2, Xs = [[]]$



Lijsten

Lijsten lopen:

```
sum([], 0).  
sum([E|Es], R) :-  
    sum(Es, Rs),  
    R is Rs + E.
```

Lijsten maken:

```
rrange(0, []).  
rrange(N, [N|Rest]) :-  
    N > 0,  
    N1 is N - 1,  
    rrange(N1, Rest).
```

Beiden:

```
square([], []).  
square([E|Es], [R|Rs]) :-  
    R is E * E,  
    square(Es, Rs).
```

Lijst operaties

library(lists): List Manipulation

member/2
append/3
append/2
prefix/2
select/3
selectchk/3
select/4
selectchk/4
nextto/3
delete/3
nth0/3
nth1/3
nth0/4
nth1/4
last/2
proper_length/2
same_length/2
reverse/2
permutation/2
flatten/2
clumped/2
max_member/2
min_member/2
max_member/3
min_member/3
sum_list/2
max_list/2
min_list/2
sum_list/3

Lijsten zijn essentiële data structuren!

→ Neem de built-ins eens door (kunnen van pas komen)

→ Probeer zelf een paar built-ins te schrijven

Belangrijke predicaten:

→ member/2

→ select/3

→ append/3

→ permutation/2

Veel voorkomende fouten (1).

```
fib(1, 0).  
fib(2, 1).  
fib(N, R) :-  
    N > 2,  
    R = fib(N - 1, _) + fib(N - 2, _).
```

1.

2.

3.

1. Unificatie \neq assignment
2. Predicaten zijn geen functies (hebben geen output).
3. $N - 1$ en $N - 2$ zijn prolog **termen**

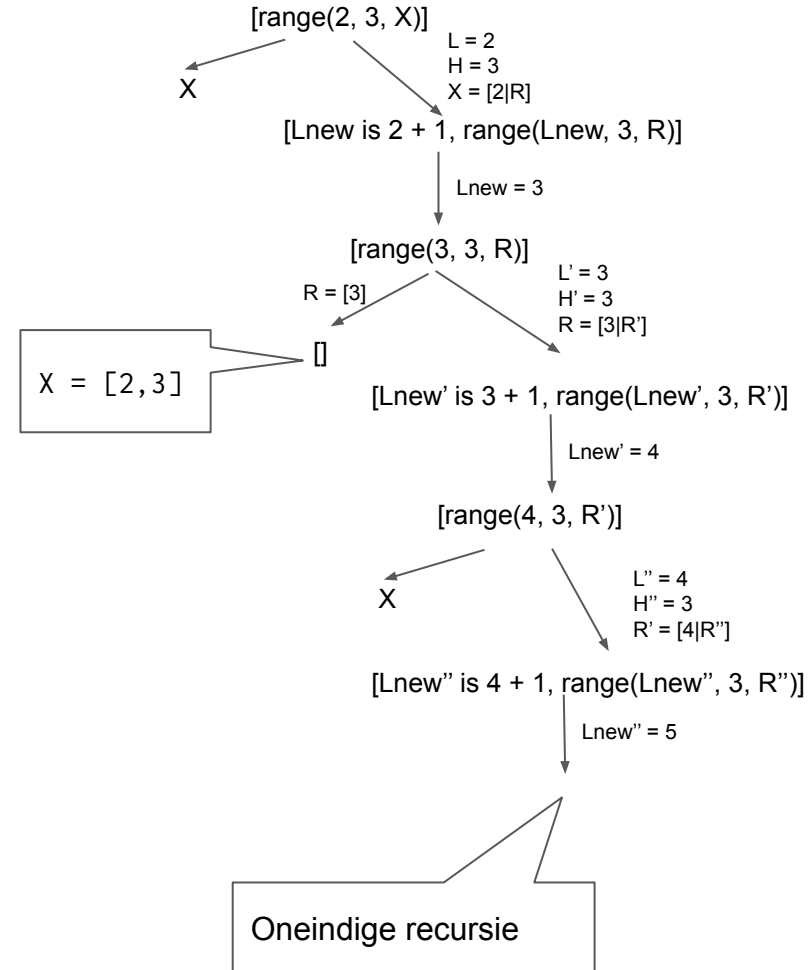
```
fib(1, 0).  
fib(2, 1).  
fib(N, R) :-  
    N > 2,  
    N1 is N - 1,  
    N2 is N - 2,  
    fib(N1, F1),  
    fib(N2, F2),  
    R is F1 + F2.
```


Veel voorkomende fouten (2).

```
range(H, H, [H]).  
range(L, H, [L|R]) :-  
    Lnew is L + 1,  
    range(Lnew, H, R).
```

```
range(H, H, [H]).  
range(L, H, [L|R]) :-  
    L < H,  
    Lnew is L + 1,  
    range(Lnew, H, R).
```

Oneindige recursie → Is je **base case** ook uitgesloten?



Oefening 1.

Tips:

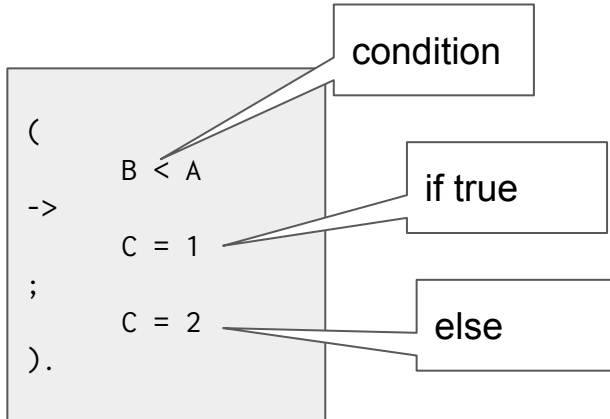
1. balanced/1 \rightarrow +- letterlijk vertalen
2. add_to/3 \rightarrow Keep it simple

Hence, the expression `t(t(nil,2,nil),3,nil)` represents a tree. A tree is balanced if the depths of the left and right subtree differ by at most one, and both subtrees are balanced as well.

Oefening 2.

Tips:

1. 3 ifs → 3 rules
2. Een If-else in prolog:



```
alpha_beta(tree, a, b, maximize) → Value
```

```
// base case. Example leaf(4, 'hello')  
if tree == leaf(Score, V):  
    return Score  
  
// maximizing node  
if maximize:  
    child_max = - inf  
    for child in tree:  
        // recursive call  
        child_v ← alpha_beta(child, a, b, false)  
  
        // update max values  
        child_max ← max(child_max, child_v)  
        a ← max(child_max, a)  
  
        // pruning condition  
        if b < a:  
            break  
  
    return child_max  
  
// minimizing node  
if not maximize:  
    ...
```

Oefening 3.

Naive way

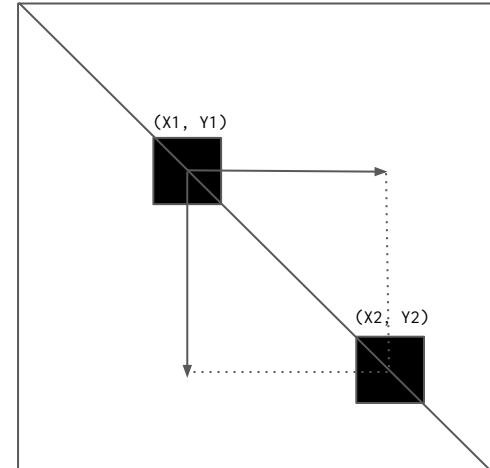
```
queens(N, Solution) :-  
    generate(N, Solution),  
    test(N, Solution).  
  
generate(N, Configuration) :-  
    % generates a potential correct  
    % n-queens configuration.  
    ...  
  
test(Configuration) :-  
    % checks if the given configuration  
    % is a valid n-queens solution.  
    ...
```

somewhat better

```
queens(N, Solution) :-  
    % Recursively do:  
    % 1. select row of queen i  
    % 2. check if queen attacks any other queen
```

Tips:

1. Lees het stukje over board configurations
2. Implementeer zelf een range/3 en permutation/2 (of gebruik built-in)
3. Gegeven (X1, Y1) en (X2, Y2), wanneer zijn ze op dezelfde diagonaal?



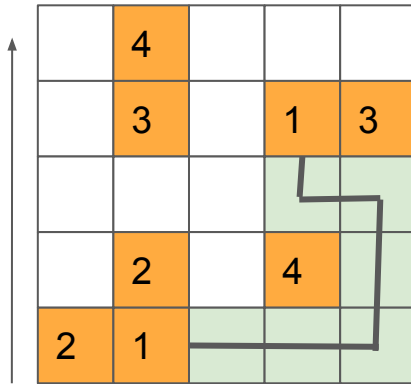
Oefening 4.

Used = Numbers + Paths

```
connect(Grid, Links, Used, Solution) :-  
    % Grid = grid(Breadth, Height)  
    % Links = [link(N, P1, P2), ...]  
    % Used = [pos(P1, P2), ...]  
    % Solution = [connects(N, [...]), ...]
```

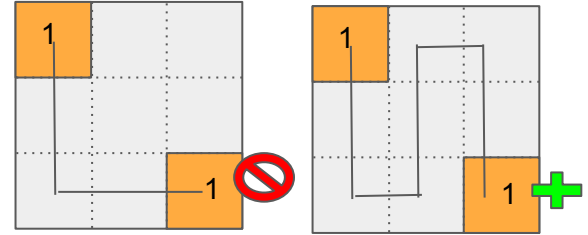
- % 1. Find a path for the first link
- % 2. Add new found path to Used
- % 3. Find a path for other links

```
find_path(G, P1, P2, Used, PathSoFar, NewPath) :-  
    % helper predicate
```



Tips:

1. Een oplossing is enkel valid als elk vakje van de grid in een pad voorkomt.



2. Maak gebruik van `is_valid_edge(G, P1, P2)` om burens te genereren.

1,2	
1,1	2,1

```
is_valid_edge(grid(2,2), pos(1,1), R)  
- R = pos(2, 1)  
- R = pos(1, 2)
```

3. `find_path/5` is een complexere versie van `path/3` van oefenzitting 2.