

# A THEORY OF COUNTERCYCLICAL GOVERNMENT MULTIPLIER

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Pascal Michailat

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## GOVERNMENT SPENDING MULTIPLIER

- The effectiveness of government spending has been one of the central topics in macroeconomics since Keynes established macroeconomics
- When a country faces deep recession, the debate of government spending multiplier heats up
- I show three strands of the literature of government spending multiplier and document the literature of state-dependency of the effectiveness

## GOVERNMENT SPENDING MULTIPLIER

1. Neoclassical narrative approach (e.g., Ramey 2011)
2. New Keynesian time-series approach (e.g., Blanchard and Perotti 2002)
3. Regional analysis approach (e.g., Nakamura and Steinsson 2014)

## RAMEY (2011)-TYPE

- Time-series data with news of military spending in the U.S.
- Use VAR/local projection to estimate the effectiveness of government spending
- Military spending is believed to be independent of business cycles
- Use news to control anticipation effect
- Consumption and wages decrease to the government spending shock
- Observation before Korean War is crucial

## BLANCHARD AND PEROTTI (2002)-TYPE

- Time-series data with general government spending in the U.S.
- The shocks are estimated from VAR structure (so, it is a deviation from the trend)
- Easy to implement in other countries with less military spending
- Endogeneity?
- Consumption and wages increase to the government spending shock

## NAKAMURA AND STEINSSON (2014)-TYPE

- Use military spending data at state-level
- There is a huge variation of state-level military spending
- The observation increases (51 states!)
- Regression:  $\frac{Y_{it}-Y_{it-2}}{Y_{it-2}} = \alpha_j + \gamma_t + \beta \frac{G_{it}-G_{it-2}}{Y_{it-2}} + \epsilon_{it}$
- This is "relative multiplier"
- The point is time-effect: monetary policy and other effects are absorbed
- Relative multiplier is not aggregate multiplier
- They construct a model consistent with relative multiplier

## STATE-DEPENDENCY OF GOVERNMENT SPENDING

- There are two strands of state-dependency of government spending
  1. Auerbach and Gorodnichenko (2012): government spending multiplier is larger in the recession than in the boom
  2. Ramey and Zubairy (2018): there is no significant difference of the gov-multipliers between in the recession and boom
- So, that's why theoretical model is important!!
- Michailat (2014) is a seminal theoretical work in this field
- This research shows that government spending unemployment rate multiplier is higher in the recession
- Why? → In the recession, labor market is less tighter. So, less crowding out effect!!

## SETTING: LABOR SUPPLY

- A measure 1 of identical labor force
- $n_t = l_t$  (private sector) +  $g_t$  (gov workers)
- The unemployed people at the start of  $t$ ,  $u_t = 1 - (1 - s)n_{t-1}$
- Matching function:  $h_t = mu_t^\eta \nu_t^{1-\eta}$
- Define  $\theta_t \equiv v_t/u_t$  (tightness),  $f(\theta_t) = h_t/u_t$ , and  $q(\theta_t) = h_t/v_t$
- Labor supply curve:  $n_t = (1 - s)n_{t-1} + (1 - (1 - s)n_{t-1})f(\theta_t)$
- Labor demand curve:  $n^d(\theta_t, w_t, g_t) = g_t + l^d(\theta_t, w_t)$



## GOVERNMENT

- The government employs  $g_t$  workers
- A public good production function:  $z_t = \sigma g_t^\alpha$
- The budget constraint consists of wage payment, cost for hiring, and labor income tax:

$$g_t w_t + [g_t - (1 - s)g_{t-1}] \frac{ra_t}{q(\theta_t)} + \frac{b_t}{p_t} = \tau_t w_t n_t + \frac{R_{t-1}}{p_t} b_{t-1}$$

- Government spending is not a waste! Actually about 60-70% of gov-spending is personnel expenses
- Monetary policy rule:

$$R_t = \frac{1}{\beta} (1 + \pi_t)^{\mu_\pi (1 - \mu_R)} (\beta R_{t-1})^{\mu_R}$$

## HOUSEHOLD AND FIRM

- Household objective function and budget constraint:

$$E_0 \sum_{t=0}^{\infty} \beta^t (\ln(c_t) + \chi \ln(z_t))$$

$$p_t c_t + b_t = p_t n_t (1 - \tau_t) w_t + R_{t-1} b_{t-1} + p_t T_t$$

- Final good firms' production function

$$y_t = \left[ \int_0^1 y_t(i)^{(\epsilon-1)/\epsilon} di \right]^{\epsilon/(\epsilon-1)}$$

## INTERMEDIATE-GOODS FIRM

- The production function:  $y_t(i) = a_t l_t(i)^\alpha$
- Facing Rotemberg's (1982) adjustment cost
- The monopolistic firms choose  $l_t(i)$  and  $p_t(i)$  to maximize,

$$E_0 \sum_{t=0}^{\infty} \frac{\beta^t}{c_t} \left\{ \frac{p_t(i)}{p_t} y_t(i) - w_t l_t(i) - \frac{\phi}{2} \left( \frac{p_t(i)}{p_{t-1}(i)} - 1 \right)^2 c_t - [l_t(i) - (1-s)l_{t-1}(i)] \frac{ra_t}{q(\theta_t)} \right\}$$

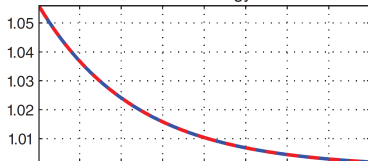
- Wage is rigid:  $w_t = \omega a_t^\gamma, \gamma < 1$

## SIMULATION

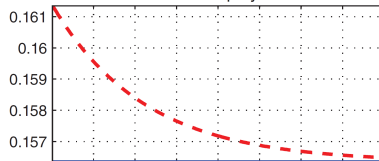
- Does the effectiveness of government spending depend on recession/boom?
- First, give a positive/negative TFP shock to the economy
- Second, give a positive/negative TFP shock and positive government employment shock simultaneously
- Compare the two results for the boom and recession!

# UNDER POSITIVE TFP SHOCKS (BOOM)

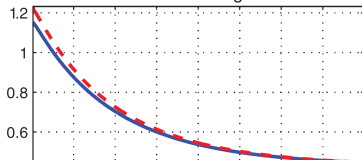
Technology



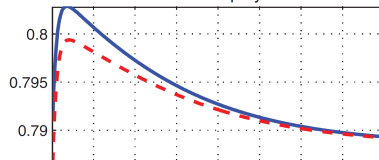
Public employment



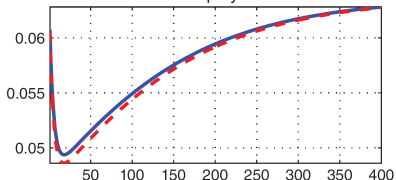
Labor market tightness



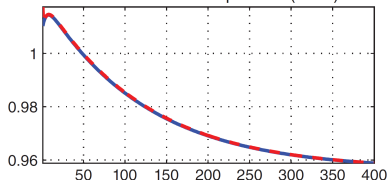
Private employment



Unemployment



Gross domestic product (GDP)



Weeks after shock

Weeks after shock

# UNDER NEGATIVE TFP SHOCKS (RECESSION)

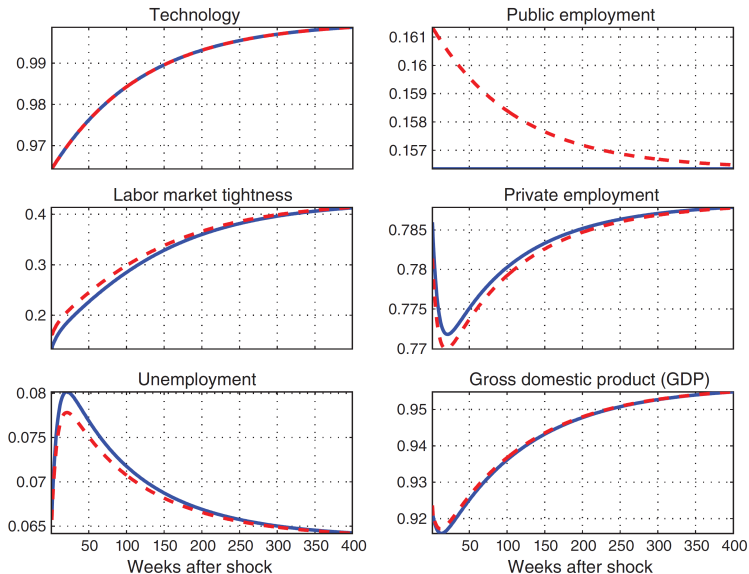


FIGURE 3. RESPONSES TO A NEGATIVE TECHNOLOGY SHOCK

## CONCLUSION

- The effectiveness of government spending shock for unemployment is higher in the recession than in the boom
- Reason: labor market is tighter in the boom (higher hiring cost)
- Seminal paper for the state-dependency of government spending multiplier
- Other literature, for example, focuses on the effectiveness under zero lower bound, the progressivity of taxation, and signs of government spending
- Classical topic, but we have a lot to do