Compiler Construction Lecture 1: Introduction & Lexing

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Part I

Introduction

What is a compiler? Frontend Parser Middle end Backend SPLProject



What is a compiler?

Compiler

What is a compiler?



Compiler

What is a compiler?

- ▶ A program that translates written text into text written in another language.
- ▶ Why translate source code?
 - ► Higher level.
 - ► Lower level.



Compiler

What is a compiler?

- ▶ A program that translates written text into text written in another language.
- ▶ Why translate source code?
 - ► Higher level.
 - ► Lower level.

What is an interpreter

▶ A program that translates written text into an intermediate representation and immediately executes this.



Compiler construction is challenging and fun



Compiler construction is challenging and fun

- ► Many complex compilation steps
- ▶ Interesting conversion and analysis problems
- ▶ New architectures, new languages, new challenges



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- ► Knowledge not only useful for making compilers:

Compiler construction poses some of the most interesting problems in computing.





- 1. Correct code
- 2. Fast code
- 3. Fast compiler



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- 2. Fast code
- 3. Fast compiler
- 4. Proportional compile time

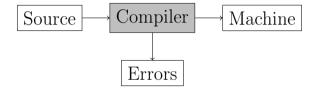


- 1. Correct code
- 2. Fast code
- 3. Fast compiler
- 4. Proportional compile time
- 5. Good diagnostics
- 6. Debugging support
- 7. Precise but flexible type system
- 8. Foreign function interface
- 9. Consistent and predictable optimisations
- 10. Energy saving executables
- 11. ...



Compiler



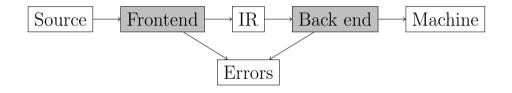




Traditional two pass compiler

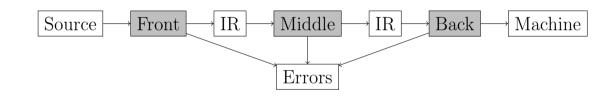


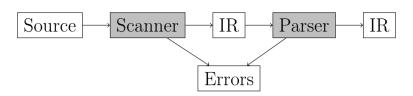
Traditional two pass compiler



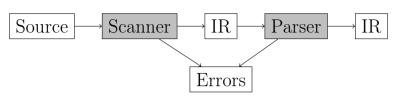


Traditional twothree pass compiler





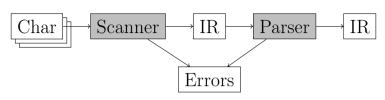




Duty of the frontend

- ► Recognise the (context-free) syntax
- ▶ Produce IR
- ► Report errors



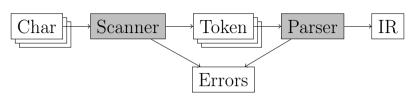


Duty of the scanner

► Translate source code:

$$x = val + 42;$$

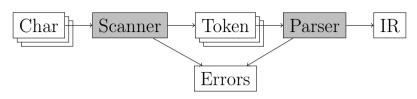




Duty of the scanner

- ► Translate source code:
 - x = val + 42;
- ▶ to regular tokens
 - <id,x> <sym,=> <id,val> <sym,+> <int,42> <sym,;>
- ▶ and remove unneeded info
- ► I.e. preprocess for the parser

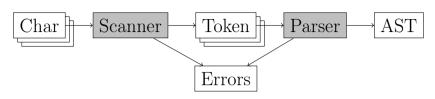




Duty of the parser

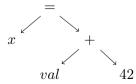
► Translate tokens:





Duty of the parser

- ► Translate tokens:
 - <id,x> <sym,=> <id,val> <sym,+> <int,42> <sym,;>
- ► To an abstract syntax tree:





Context-free syntax

Grammar

```
list ::= nil
    cons elem list
```



Context-free syntax

Grammar

$$\begin{array}{cccc} list & ::= & nil \\ & | & cons & elem & list \end{array}$$

Backus-Naur form (BNF)

A grammar is:

$$G=(S,N,T,P)$$



Context-free syntax

Grammar

$$\begin{array}{cccc} list & ::= & nil \\ & | & cons & elem & list \end{array}$$

Backus-Naur form (BNF)

A grammar is:

$$G = (S, N, T, P)$$

where

is the start symbol

is the set of non-terminal symbols

is the set of terminal symbols

is the set of productions: $P: N \to (N \cup T)^+$



Example grammar

```
1 \quad goal ::= expr
2 \quad expr ::= expr \ op \ term
            \mid term
   term ::= number
            \mid id
  op ::= +
```



Example grammar

Expression grammar

BNF

$$S = goal$$

 $T = number, id, +, -$
 $N = goal, expr, term, op$
 $P = 1, 2, 3, 4, 5, 6, 7$



Substitution

Given a grammar, valid sentences can be derived by repeated substitution.

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Substitution

```
1 qoal ::= expr
2 \quad expr ::= expr \ op \ term
        \perp term
4 term := number
           \mid id
6 	 op ::= +
```

Substitution

Given a grammar, valid sentences can be derived by repeated substitution.

Substitution

3 expr + 2 - y5 term + 2 - yx + 2 - y



Substitution

Given a grammar, valid sentences can be derived by repeated substitution.

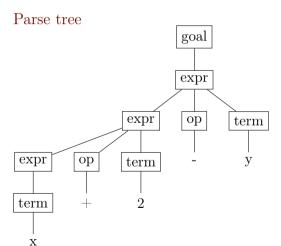
Substitution

```
goal
  expr
  expr op term
  expr op y
2 expr - y
4 expr op term - y
6 expr op 2 - y
3 expr + 2 - y
5 term + 2 - y
  x + 2 - u
```

Parser

Parse tree

The result of a parse can be represented by a parse tree or syntax tree.

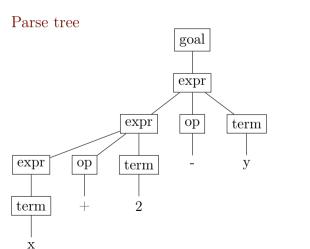




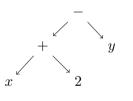
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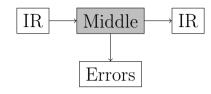


Abstract syntax tree



Middle end

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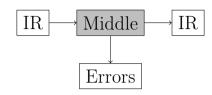


Duty of the middle end

- ► Semantic analyses
- ► Static analyses
- ► Typing
- ► Constant propagation, folding
- ► Common sub-expression elimination



Middle end



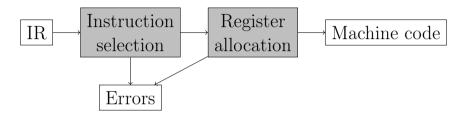
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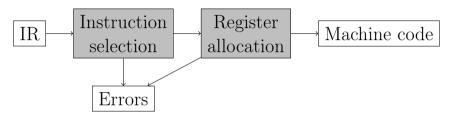
- ► Redundant code elimination
- ► Dead code elimination
- ► Return path analysis
- · . . .











Duty of the backend

- ► Translate the IR to machine code
- ▶ Decide what registers to use
- ► Ensure conformance with system interfaces





▶ Designed at UU



- ▶ Designed at UU
- ► Pascal/C-like language



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- ► Pascal/C-like language
- ► Imperative



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- Assignments



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- ▶ Booleans, Integers, Characters, and Lists



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 - ► Pascal/C-like language
 - ► Imperative
 - Assignments
 - ▶ Booleans, Integers, Characters, and Lists
 - ► Strong type system



- **Properties**
 - ▶ Designed at UU
 - ► Pascal/C-like language
 - ► Imperative
 - Assignments
 - ▶ Booleans, Integers, Characters, and Lists
 - ► Strong type system
 - ► First-order functions



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- ► Some built-in overloaded operators



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- ► Incomplete specification
- ► Compilers will differ, examples may not always run



Hello world!

```
main ( ) : Void {
   print ('H':'e':'l':'l':'o':' ':'w':'o':'r':'l':'d':'!':[]);
}
```



Hello world!

```
main ( ) : Void {
  print ('H':'e':'l':'l':'o':' ':'w':'o':'r':'l':'d':'!':[]);
With a mini extension:
main ( ) : Void {
  print ("Hello world!");
 print (42);
 print (True);
```



Factorial

```
facR (n : Int) : Int {
  if (n < 0) {
    return 1;
  } else {
    return n * facR (n - 1);
  }
}</pre>
```



Factorial

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```

```
facI (n) {
  var r = 1;
  while (n > 1) {
    r = r * n;
    n = n - 1;
  }
  return r;
}
```



List examples

```
product ( list : [Int] ) : Int {
  if (isEmpty(list)) {
    return 1;
  } else {
    return list.hd
    * product (list.tl);
  }
}
```



List examples

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product ( list : [Int] ) : Int {
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     * product (list.tl);
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}
```

```
fromTo (from, to) {
  if (from <= to) {
    return from : fromTo (from+1,
    to);
} else {
    return [];
}</pre>
```

Polymorphism

```
reverse ( list : [t] ) : [t] {
  var accu = [];
  while (isEmpty(list)) {
    accu = list.hd : accu;
   list = list.tl;
  return accu;
```



Project

Compiler construction $_{6{\rm ECTS}}$



Compiler construction 6ECTS



${\bf Compiler\,\, construction}$

6ECTS



- ▶ Build a compiler for SPL (Simple Programming Language)
 - ► Grammar and semantics provided
 - ▶ Pick your favourite language
 - ► Example programs provided



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 - ► Simulator is provided
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- ► Four phases:
 - 1. Lexical analyses
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 - 4. Extension



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- ► Four phases:
 - 1. Lexical analyses
 - 2. Semantic Analyses
 - 3. Code generation
 - 4. Extension
- Write up a report in every phase
- ► Deadlines are on brightspace
- ► Tested in an oral exam



Grading & Progress

▶ Mandatory to work in git (https://gitlab.science.ru.nl/compilerconstruction).



Grading & Progress

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- ► Tip: use gitlab features such as CI, Milestones, issues, etc.
- ► The gitlab group contains other public repos:
 - ▶ ssm: Simple Stack Machine simulator.
 - ▶ material: Report skeleton, example programs.
 - ▶ 2425/: Group containing your private repos Mart creates when the groups are known.



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- ▶ Done in groups of two.
- ▶ Every phase ends with a presentation and a report section.
- Every group presents one phase.
- ► Compiler extension is a case study.
- As soon as possible: Choose a partner and a language (brightspace group enroll).
- ▶ During the course: Think about a nice extension and discuss this with us.



▶ We will create a repo for you and grant you access.



¹ jordy.aaldering@ru.nl

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 $^{^1}$ jordy.aaldering@ru.nl

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- ► If you want to understand it better: Git from the Bottom Up — John Wiegley: https://jwiegley.github.io/git-from-the-bottom-up/



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- ► In case of questions/ideas/wishes don't hesitate to contact us.
- ▶ N.B. The tutorial session is a Q&A session, send an email to register (mart@cs.ru.nl).

Part II

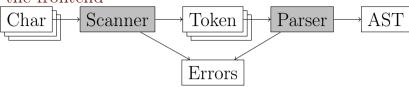
Scanners

Recap Scanner Haskell Example C/C++ Example Conclusion Abstracter view of compilers (extra)



Recap

Remember the frontend

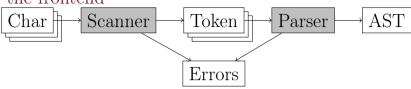


Duty of the frontend

- ► Recognise the (context-free) syntax
- ► Produce IR.
- ► Report errors



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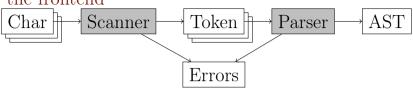
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- ► Translate source code:
 - x = val + 42;
- ▶ to regular tokens

- ▶ and remove unneeded info
- ► I.e. preprocess for the parser



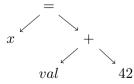
Remember the frontend



Duty of the parser

► Translate tokens:

► To an abstract syntax tree:



Scanner

Specifying allowed input

Allowed input

- ▶ Parser: CFG (sentences)
- ► Scanner: RE (words)



Specifying allowed input

Allowed input

- ► Parser: CFG (sentences)
- ► Scanner: RE (words)

Easy tokens

- ► Keywords: case, if, module, while
- ▶ Comments: anything after // or between /* and */
- ▶ Whitespace



Specifying allowed input

Allowed input

- ► Parser: CFG (sentences)
- ► Scanner: RE (words)

Easy tokens

- ► Keywords: case, if, module, while
- ► Comments: anything after // or between /* and */
- ► Whitespace

Tricky tokens

- ▶ Integers: perhaps a sign followed by digits
- Decimal: integer followed by a '.', scientific notation?
- Identifier: '_' or letter followed by letters, digits or '_'.
- Characters: Single character between single quotes, or an escape sequence.

$$letter \quad ::= \quad a \mid b \mid \, \dots \, \mid z \mid A \mid B \mid \, \dots \, \mid Z$$





```
\begin{array}{lll} letter & ::= & a \mid b \mid \dots \mid z \mid A \mid B \mid \dots \mid Z \\ digit & ::= & 0 \mid 1 \mid \dots \mid 9 \\ ident & ::= & letter (letter \mid digit)^* \end{array}
```



```
letter \quad ::= \quad a \mid b \mid \, \dots \, \mid z \mid A \mid B \mid \, \dots \, \mid Z
digit \qquad ::= \quad 0 \mid 1 \mid \dots \mid 9
ident ::= letter (letter \mid digit)^*
integer ::= [+ | -] (0 | (1 | ... | 9) digit^*)
```



38

```
letter \qquad ::= \quad a \mid b \mid \ldots \mid z \mid A \mid B \mid \ldots \mid Z
digit \qquad ::= \quad 0 \mid 1 \mid \ldots \mid 9
ident ::= letter (letter \mid digit)^*
integer ::= [+ | -] (0 | (1 | ... | 9) digit^*)
decimal ::= integer . digit^*
```



38

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decimal ::= integer . digit^*
real ::= (integer \mid decimal) (E \mid e) integer
```



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Recognising regular expressions Construct a DFA

```
letter ::= a \mid b \mid \dots \mid z \mid A \mid B \mid \dots \mid Z
digit ::= 0 \mid 1 \mid \dots \mid 9
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```



Recognising regular expressions Construct a DFA

3

error

```
letter ::= a \mid b \mid \dots \mid z \mid A \mid B \mid \dots \mid Z
     digit ::= 0 \mid 1 \mid \dots \mid 9
     ident ::= letter (letter \mid digit)^*
                        letter, digit
                                   other
                   letter
start
                                           accept
               digit, other
```



Haskell Example

Creating a lexer by hand

In Haskell: scanner.hs

```
data Token
```

= MinusToken | PlusToken | TimesToken | DivideToken | BraceOpen | BraceClose | NumToken Integer | IdentToken String ErrToken String deriving (Show, Eq)



Creating a lexer by hand

```
In Haskell: scanner.hs
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```
In Haskell: scanner.hs
   data Token
       = MinusToken | PlusToken | TimesToken | DivideToken
       | BraceOpen | BraceClose
        | NumToken Integer | IdentToken String
        | ErrToken String
     deriving (Show, Eq)
   tokenise :: [Char] → [Token]
   tokenise ('/': '*': xs) = gulp xs
       where
           gulp ('*':'/':rest) = tokenise rest
           gulp (c:rest) = gulp rest
           gulp [] = []
```

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tokenise ('/':'/':xs) = tokenise $ dropWhile (/='\n') xs
```

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   tokenise ('/':'/':xs) = tokenise $ dropWhile (/='\n') xs
   tokenise ('(':xs) = BraceOpen:tokenise xs
   tokenise (')':xs) = BraceClose:tokenise xs
```

. . .

```
Haskell code: scanner.hs (2)
```

```
tokenise (c:xs)
    | isSpace c = tokenise xs
```



```
Haskell code: scanner.hs (2)
```

```
tokenise (c:xs)
    | isSpace c = tokenise xs
    | isDigit c = spanToken isDigit (NumToken . read) (c:xs)
```



```
Haskell code: scanner.hs (2)
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```
. . .
tokenise (c:xs)
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    | isAlpha c = spanToken isAlphaNum IdentToken (c:xs)
```



Haskell code: scanner.hs (2)

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tokenise (c:xs)
    | isSpace c = tokenise xs
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    | otherwise = ErrToken ("Unrecognised character: " ++ show c) :
tokenise xs
```



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tokenise [] = []
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Haskell code: scanner.hs (2)

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    | otherwise = ErrToken ("Unrecognised character: " ++ show c) :
    tokenise xs
tokenise [] = []
spanToken :: (Char \rightarrow Bool) \rightarrow ([Char] \rightarrow Token) \rightarrow [Char] \rightarrow [Token]
spanToken pred tfun cs = tfun tchars:tokenise rest
  where (tchars, rest) = span pred cs
```

C/C++ Example

Lexer generators using (f)lex in C/C++

- ► Extra compilation step
 - ▶ lex -t scanner.l > scanner.c
 - cc scanner.c -o scanner
 - or use make.
- ► Generate efficient scanner code
- ▶ Generate an automaton as a jump table
- ▶ lex for C/C++, alex for Haskell, see: https://en.wikipedia.org/wiki/ Comparison_of_parser_generators#Regular_languages



Lexer generators using (f)lex in C/C++ scanner.1 %{ #include <stdio.h> %} %%



```
Lexer generators using (f)lex in C/C++
scanner.1
   %{
   #include <stdio.h>
   %}
   %%
   "//".*\n
               printf("line comment\n");
```



```
Lexer generators using (f) lex in C/C++
scanner.1
   %{
   #include <stdio.h>
   %}
   %%
   "//".*\n printf("line comment\n");
   [\n\t]; // eat whitespace
```





Lexer generators using (f) lex in C/C++scanner.l %{ #include <stdio.h> %} %% "//".*\n printf("line comment\n"); $[\n\t]$; // eat whitespace printf("minus\n"); "+" printf("plus\n"); 11 * 11 printf("times\n"); printf("divide\n"); "/"

printf("brace open\n");

printf("brace close\n");



"("

")"

Lexer generators using (f) lex in C/C++scanner.l %{ #include <stdio.h> %} %% "//".*\n printf("line comment\n"); $[\n\t]$; // eat whitespace printf("minus\n"); [+-]?[0-9]+ printf("number: %d\n", atoi(yytext)); [a-zA-Z][a-zA-Z0-9-]* printf("ident: %s\n", yytext);

Lexer generators using (f) lex in C/C++scanner.l %{ #include <stdio.h> %} %% "//".*\n printf("line comment\n"); [\n\t]; // eat whitespace printf("minus\n"); [+-]?[0-9]+ printf("number: %d\n", atoi(yytext)); [a-zA-Z][a-zA-Z0-9-]* printf("ident: %s\n", yytext); printf("illegal character: '%c' (%02x)\n", yytext[0],

vvtext[0]);

Lexer generators using (f)lex in C/C++ scanner.1

```
%{
#include <stdio.h>
%}
%%
"//".*\n printf("line comment\n");
[\n\t]; // eat whitespace
             printf("minus\n");
[+-]?[0-9]+ printf("number: %d\n", atoi(yytext));
[a-zA-Z][a-zA-Z0-9-]* printf("ident: %s\n", yytext);
             printf("illegal character: '%c' (%02x)\n", yytext[0],
   vvtext[0]);
%%
```

Lexer generators using (f) lex in C/C++scanner.l %{ #include <stdio.h> %} %% "//".*\n printf("line comment\n"); $[\n\t]$; // eat whitespace printf("minus\n"); [+-]?[0-9]+ printf("number: %d\n", atoi(yytext)); [a-zA-Z][a-zA-Z0-9-]* printf("ident: %s\n", yytext); printf("illegal character: '%c' (%02x)\n", yytext[0], vvtext[0]); %% int main (void) return vylex();

► Complex regex



- ► Complex regex
- "/*"([^*]|(*+[^*/]))**+\/



- ► Complex regex
- "/*"([^*]|(*+[^*/]))**+\/
- ► Start conditions (context)



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Lexer generators using (f)lex in C/C++

scanner.1 (2) Multiline comments

- ► Complex regex
- "/*"([^*]|(*+[^*/]))**+\/
- ► Start conditions (context)
- ► Conditionals in the automaton

```
%x IN_COMMENT
...
%%
<INITIAL>{
"/*" BEGIN(IN_COMMENT);
"//".*\n printf("line comment\n");
...
}
```



Lexer generators using (f)lex in C/C++

scanner.1 (2) Multiline comments

- ► Complex regex
- "/*"([^*]|(*+[^*/]))**+\/
- ► Start conditions (context)
- ► Conditionals in the automaton

```
%x IN_COMMENT
%%
<INITIAL>{
"/*"
               BEGIN(IN_COMMENT);
"//".*\n
               printf("line comment\n");
<IN_COMMENT>{
"*/"
                BEGIN(INITIAL):
\lceil ^* \rceil +
                ; // eat comment in chunks
11 * 11
                ; // eat the lone star
               vvlineno++;
\n
```

Conclusion

► Most languages have regular tokens.



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- ▶ e.g. Nested comments.



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- ► Some deem lexers obsolete (lecture 3).



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- ► Many languages use lexer generators



Scanners in practise

- ► Most languages havepretend to have regular tokens.
- e.g. Nested comments.
- ► Some deem lexers obsolete (lecture 3).
- ▶ Many languages have lexers written by hand
- ► Many languages use lexer generators
- ► There is such a thing as the Lexer hack (lecture 3)



 \blacktriangleright Notation: the outcome of a program P, written in language A, on input x:

$$\llbracket P \rrbracket^A (x)$$



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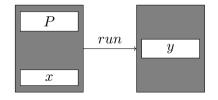
▶ How can we compute $\llbracket P \rrbracket^A(x)$ on a computer?



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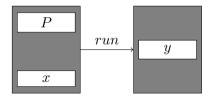
$$y = [\![P]\!]^M(x)$$



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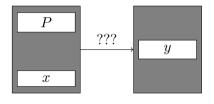
$$y = [\![P]\!]^M(x)$$

► General case?



Implementation (extra)

An implementation of a language A is a method with which we can compute $[P]^A(x)$ (for arbitrary P and x):

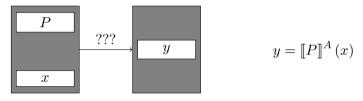


$$y = \llbracket P \rrbracket^A (x)$$



Implementation (extra)

An implementation of a language A is a method with which we can compute $[P]^A(x)$ (for arbitrary P and x):



▶ We already have an implementation for a machine language. What to do with other languages?



$$\left[\left[F \right]^C (P) \right]^B (x)$$



$$\left[\left[F \right]^C (P) \right]^B (x)$$



$$\left[\!\left[\!\left[F\right]\!\right]^C(P)\right]\!\right]^B(x) = \left[\!\left[P\right]\!\right]^A(x)$$



lacktriangleq A compiler from A to B (written in C) is a program F such that for any P and x

$$\left[\left[F \right]^C (P) \right]^B (x) = \left[P \right]^A (x)$$

▶ In other words: $[\![F]\!]^C(P)$ does the same as P (but in a different language)



$$\left[\left[\left[F \right] \right]^C (P) \right]^B (x) = \left[\left[P \right] \right]^A (x)$$

- ▶ In other words: $\llbracket F \rrbracket^C(P)$ does the same as P (but in a different language)
- ▶ Notation: $F: A \xrightarrow{C} B$



▶ We introduce a more concise notation

$$P_{\dot{A}} x = \llbracket P \rrbracket^A (x)$$



▶ We introduce a more concise notation

$$P \cdot_{A} x = \llbracket P \rrbracket^{A} (x)$$

ightharpoonup Special case: machine language, A=M

$$P \underset{M}{\cdot} x = P ! x$$

▶ We introduce a more concise notation

$$P_{A} x = \llbracket P \rrbracket^{A} (x)$$

ightharpoonup Special case: machine language, A=M

$$P \underset{M}{\cdot} x = P ! x$$

ightharpoonup Example: if $F: A \stackrel{C}{\rightarrow} B$ then

$$F \underset{C}{\cdot} P \underset{B}{\cdot} x = P \underset{A}{\cdot} x$$

▶ We introduce a more concise notation

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ightharpoonup Special case: machine language, A=M

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▶ Example: if $F: A \xrightarrow{C} B$ then

$$F \underset{C}{\cdot} P \underset{B}{\cdot} x = P \underset{A}{\cdot} x$$

► Applications associate to the left

$$F \underset{C}{\cdot} P \underset{B}{\cdot} x = (F \underset{C}{\cdot} P) \underset{B}{\cdot} x$$

ightharpoonup We have a compiler F (in machine language) from Java to machine language

$$F:J\stackrel{M}{\rightarrow}M$$



lacktriangle We have a compiler F (in machine language) from Java to machine language

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▶ Wanted: an implementation in Java



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- \blacktriangleright We express $P \cdot x$ in terms of !

$$P \underset{J}{\cdot} x = (F \underset{M}{\cdot} P) \underset{M}{\cdot} x$$



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ightarrow}M$$

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$$\begin{array}{ll} P \cdot_J x &= (F \cdot_M P) \cdot_M x \\ &= (F \cdot P) \cdot_X x \end{array}$$

ightharpoonup We have a compiler F (in machine language) from Java to machine language

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- \blacktriangleright We express $P \cdot x$ in terms of !

$$P_{\stackrel{\cdot}{J}}x = (F_{\stackrel{\cdot}{M}}P)_{\stackrel{\cdot}{M}}x$$
$$= (F \stackrel{!}{!}P) \stackrel{!}{!}x$$

► From this we know what we need to do:



 \triangleright We have a compiler F (in machine language) from Java to machine language

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- Wanted: an implementation in Java
- \blacktriangleright We express $P \cdot x$ in terms of !

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$$= (F \stackrel{!}{!}P) \stackrel{!}{!}x$$

- From this we know what we need to do:
 - 1. Load F as program, P as input
 - 2. Run
 - 3. Load the output from 2 as program, x as input
 - 4. Run



- ► We have
 - ightharpoonup a compiler F from A to machine language in machine language: $F:A\stackrel{M}{
 ightharpoonup}M$



- ► We have
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 - ▶ a compiler G from B to A in machine language: $G: B \xrightarrow{M} A$
- \blacktriangleright Wanted: an implementation B

$$P_{\stackrel{\cdot}{B}}x = G_{\stackrel{\cdot}{M}}P_{\stackrel{\cdot}{A}}x$$



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$$P \underset{B}{\cdot} x = G \underset{M}{\cdot} P \underset{A}{\cdot} x$$
$$= F \underset{M}{\cdot} (G \underset{M}{\cdot} P) \underset{M}{\cdot} x$$



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$$P \cdot x = G \cdot P \cdot x$$

$$= F \cdot (G \cdot P) \cdot x$$

$$= F ! (G ! P) ! x$$



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$$\begin{array}{ccc} P \underset{B}{\cdot} x &= G \underset{A}{\cdot} P \underset{A}{\cdot} x \\ &= F \mathrel{!} G \mathrel{!} P \underset{A}{\cdot} x \end{array}$$



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 - ▶ a compiler F from A to machine language in machine language: $F: A \xrightarrow{M} M$
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$$\begin{array}{ll} P \, \underset{B}{\cdot} \, x &= G \, \underset{A}{\cdot} \, P \, \underset{A}{\cdot} \, x \\ &= F \, ! \, G \, ! \, P \, \underset{A}{\cdot} \, x \\ &= F \, ! \, (F \, ! \, G \, ! \, P) \, ! \, x \end{array}$$



- ► We have
 - ▶ a compiler F from A to machine language in machine language: $F: A \xrightarrow{M} M$
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$$\begin{array}{ll} P \, {}_{\stackrel{.}{B}} x &= G \, {}_{\stackrel{.}{A}} P \, {}_{\stackrel{.}{A}} x \\ &= F \, ! \, G \, ! \, P \, {}_{\stackrel{.}{A}} x \\ &= F \, ! \, (F \, ! \, G \, ! \, P) \, ! \, x \end{array}$$

► Take a good look again: which run occurs when?



Efficiency (extra)

► We have



Efficiency (extra)

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 - ightharpoonup a compiler F from J to M in M $(F: J \stackrel{M}{\rightarrow} M)$



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 - ▶ a compiler G from J to M in $J(G: J \xrightarrow{J} M)$
- \blacktriangleright Wanted: an implementation of J



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 - \blacktriangleright a compiler G from J to M in J $(G:J\stackrel{J}{\rightarrow}M)$
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- ▶ Include efficiency information: M^+, M^-



- ► We have
 - ▶ a compiler F from J to M in M $(F: J \xrightarrow{M} M)$
 - ▶ a compiler G from J to M in $J(G: J \xrightarrow{J} M)$
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 - ightharpoonup a compiler F from J to M^- in M $(F: J \stackrel{M^-}{\rightarrow} M^-)$



- ▶ We have
 - ▶ a compiler F from J to M in M $(F: J \stackrel{M}{\rightarrow} M)$
 - ▶ a compiler G from J to M in J (G: $J \stackrel{J}{\rightarrow} M$)
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 - ightharpoonup a compiler F from J to M^- in M $(F: J \stackrel{M^-}{\to} M^-)$
 - \blacktriangleright a compiler G from J to M^+ in J $(G:J\stackrel{J}{\rightarrow} M^+)$



Remember our compilers

$$F: J \stackrel{M^-}{\to} M^- \quad G: J \stackrel{J}{\to} M^+$$



Remember our compilers

$$F: J \stackrel{M^-}{\rightarrow} M^- \quad G: J \stackrel{J}{\rightarrow} M^+$$

Solution 1

► Use only F

$$P_{I} x = (F !^{-} P) !^{-} x$$

Remember our compilers

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Solution 1

► Use only F

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ightharpoonup Two inefficient runs for each P and x



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$$P_{J} x = (F !^{-} P) !^{-} x$$

ightharpoonup Two inefficient runs for each P and x

Solution 2

▶ Note that

$$F \stackrel{!^-}{:} G : J \stackrel{M^-}{\to} M^+$$



Remember our compilers

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Solution 2

► Note that

$$F \stackrel{!}{:} G : J \stackrel{M^-}{\to} M^+$$

► Thus

$$P_{\dot{J}}x = (F!^{-}G)!^{-}P!^{+}x$$

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Remember our compilers

$$F:J\stackrel{M^-}{\to} M^- \quad G:J\stackrel{J}{\to} M^+$$

► Idea

$$G \underset{J}{\cdot} G : J \overset{M^+}{\to} M^+$$



Remember our compilers

$$F: J \stackrel{M^-}{\to} M^- \quad G: J \stackrel{J}{\to} M^+$$

► Idea

$$G \stackrel{\cdot}{\underset{J}{\cup}} G : J \stackrel{M^+}{\rightarrow} M^+$$

► Thus

$$P_{\stackrel{\cdot}{J}}x = (G_{\stackrel{\cdot}{J}}G) \stackrel{!+}{\cdot} P \stackrel{!+}{\cdot} x$$



Remember our compilers

$$F: J \stackrel{M^-}{\rightarrow} M^- \quad G: J \stackrel{J}{\rightarrow} M^+$$

► Idea

$$G \stackrel{\cdot}{\underset{J}{\cdot}} G : J \stackrel{M^+}{\rightarrow} M^+$$

► Thus



Remember our compilers

$$F: J \stackrel{M^-}{\rightarrow} M^- \quad G: J \stackrel{J}{\rightarrow} M^+$$

► Idea

$$G \stackrel{\cdot}{\underset{J}{\cup}} G : J \stackrel{M^+}{\rightarrow} M^+$$

► Thus

$$P_{j}x = (G_{j}G)!^{+}P!^{+}x$$

= $((F!^{-}G)!^{-}G)!^{+}P!^{+}x$

Recipe

- 1. run G with F: inefficient G
- 2. run G with inefficient G: efficient G
- 3. run P with G
- 4. run P with x



Remember our compilers

$$F: J \stackrel{M^-}{\to} M^- \quad G: J \stackrel{J}{\to} M^+$$

► Idea

$$G \stackrel{\cdot}{\underset{J}{\cup}} G : J \stackrel{M^+}{\rightarrow} M^+$$

► Thus

$$P_{j}x = (G_{j}G)!^{+}P!^{+}x$$

= $((F!^{-}G)!^{-}G)!^{+}P!^{+}x$

Recipe

- 1. run G with F: inefficient G
- 2. run G with inefficient G: efficient G
- 3. run P with G
- 4. run P with x
- ► Inefficient just runs once
- \triangleright F is needed once:



Remember our compilers

$$F: J \stackrel{M^-}{\rightarrow} M^- \quad G: J \stackrel{J}{\rightarrow} M^+$$

▶ Idea.

$$G \stackrel{\cdot}{\underset{J}{\cup}} G : J \stackrel{M^+}{\rightarrow} M^+$$

► Thus

$$P_{j}x = (G_{j}G)!^{+}P!^{+}x$$

= $((F!^{-}G)!^{-}G)!^{+}P!^{+}x$

Recipe

- 1. run G with F: inefficient G
- 2. run G with inefficient G: efficient G
- 3. run P with G
- 4. run P with x
- ► Inefficient just runs once
- \triangleright F is needed once: bootstrapping



Bootstrapping in real life GCC

- ► hex0
- ► hex1
- ► hex2
- ► cc x86
- ► M2-planet
- ► mes (mescc)
- ► tinycc

- ► tinycc
- ▶ gcc (musl)
- ► gcc
- ► gcc
- ► gcc

https://bootstrappable.org/



Take home

- ► Log in on gitlab.
- ► Enroll for a group.
- ightharpoonup Check the schedule ContentsightharpoonupOverview.
- ► In case of questions/ideas/wishes don't hesitate to contact us.
- ▶ N.B. The tutorial session is a Q&A session, send an email to register (mart@cs.ru.nl).
- ▶ What to do with the practical session?

