

Algorithms and Programming  
Laboratory number 01

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Exercise 01

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Write a C program able to:

- Read an **array of integer** values of size DIM, where DIM is a pre-defined constant.
- Find and print-out the **longest ascending sub-sequence** on integer values within the array.

Example

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Let DIM be equal to 15, and let the array be the following one:

2   3   4   -1   -10   5   6   8   11   -9   8   -10   9   3   0

The program has to print-out the sub-sequence:

-10   5   6   8   11

Exercise 02

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Write a C program able to:

- Read two integer values N1 and N2.
- Check whether  $N1 \leq DIM$  and  $N2 \leq DIM$  (DIM is a pre-defined constant value).
- Read from standard input an array v1 of N1 integer values
- Compute an array v2 of N1 integer values, where each  $v2[i]$  is equal to the arithmetic average of  $v1[i-N2]$ ,  $v1[i-N2+1]$ , ...,  $v1[i-1]$ ,  $v1[i]$ ,  $v1[i+1]$ , ...,  $v1[i+N2]$  if they exist.
- Print-out v2.

Example

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Let us suppose DIM = 100, N1 = 10, N2 = 2, and let v1 be the following one:

0   2   3   4   -1   -10   5   1   8   3

Each element of v2[i] has to be equal to the average of at most 5 (2 on the left of v1[i], 2 on the right of v1[i], and v1[i] itself) elements "around" v1[i], e.g.:

$$v2[0] = (0 + 2 + 3) / 3 = 1.67$$

$$v2[1] = (0 + 2 + 3 + 4) / 4 = 2.25$$

$$v2[2] = (0 + 2 + 3 + 4 + (-1)) / 5 = 1.60$$

$$v2[3] = (2 + 3 + 4 + (-1) + (-10)) / 5 = -0.40$$

etc.

As a consequence, the program has to print-out the sub-sequence:

1.67   2.25   1.60   -0.40   0.20   -0.20   0.60   1.40   4.25   4.00

Exercise 03

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Write a C program able to:

- Read a **matrix** m1 of R rows and C columns of integer values
- Compute a matrix m2 of R rows and C columns such that
  - m2[i][j] is equal to zero if m1[i][j] is equal to zero.
  - m2[i][j] is the factorial number of -m1[i][j] if m1[i][j] is a negative number.
  - m2[i][j] is the smallest power of 10 larger than m1[r][j] if m1[i][j] is a positive number.

Example

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Let R and C be equal to 3 and 5 respectively.

Let m1 be the following:

9   23   155   -1   33  
0   -2   -4   8   -6

20   -1   0   0   499

m2 has to be:

10 100 1000 1 100  
0 2 24 10 720  
100 1 0 0 1000

#### Exercise 04

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Write a C program able to compute the product of two matrices containing real values.

The program has to proceed as follows:

1. It defines two matrix's m1 and m2 of "physical" size equal to MAX\_DIM rows and MAX\_DIM columns, where MAX\_DIM is a pre-defined constant.
2. It reads the "logical" (actual) size of the two matrices:  
r1 rows and c1 columns for m1  
and  
r2 rows and c2 columns for m2.
3. It verifies whether r1, c1, r2, and c2 are smaller than MAX\_DIM, and whether  $c1 = r2$  (i.e., it is possible to compute the product).
4. It reads m1 and m2 from standard input.
5. It computes the product  
 $m3 = m1 \times m2$   
with m3 having r1 rows and c2 columns.
6. It prints-out m3 on standard output.

#### Example

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If m1 is the following on (with 2 rows and 3 columns)

1.00   2.00   3.00  
4.00   5.00   6.00

and m2 is the next one (with 3 rows and 2 columns)

1.00   2.00  
3.00   4.00  
5.00   6.00

the output matrix must be the following:

22.00   28.00  
49.00   64.00