Datamining Preprocessing: The Human Activity Recognition 70+

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Libraries Used IN This Project:

- import numpy as np
- import pandas as pd
- · import matplotlib.pyplot as plt
- import seaborn as sns

Dataset contains 2259597 rows and 8 columns.

- from sklearn.preprocessing import MinMaxScaler
- from sklearn.model_selection import train_test_split

1. Explore the dataset's features and target variable.

```
[184]: file_ids = range(501, 519)
       patients = [pd.read_csv(f"{pid}.csv") for pid in file_ids]
        # Combine all patients into one DataFrame
       all_data = pd.concat(patients, ignore_index=True)
[212]: print("First 10 rows of the dataset:\n")
       display(all data.head(10))
       First 10 rows of the dataset:
                                             back_y
                     timestamp
                                   back x
                                                                thigh x
                                                                          thigh y
                                                                                    thigh z label
                                                      back z
       0 2021-03-24 14:42:03.839 -0.999023 -0.063477 0.140625 -0.980469 -0.112061 -0.048096
       1 2021-03-24 14:42:03.859 -0.980225 -0.079346 0.140625 -0.961182 -0.121582 -0.051758
       2 2021-03-24 14:42:03.880 -0.950195 -0.076416 0.140625 -0.949463 -0.080566 -0.067139
       3 2021-03-24 14:42:03.900 -0.954834 -0.059082 0.140381 -0.957520 -0.046143 -0.050781
       4 2021-03-24 14:42:03.920 -0.972412 -0.042969 0.142822 -0.977051 -0.023682 -0.026611
       5 2021-03-24 14:42:03.940 -0.988770 -0.026123 0.157227 -0.984863 -0.042725 -0.032715
       6 2021-03-24 14:42:03.960 -1.001953 -0.016113 0.162109 -0.992920 -0.075439 -0.024170
       7 2021-03-24 14:42:03.980 -1.000488 -0.035400 0.191406 -0.996338 -0.072754 -0.013428
       8 2021-03-24 14:42:04.000 -0.996826 -0.056152 0.187500 -0.974609 -0.060303 -0.015625
       9 2021-03-24 14:42:04.019 -0.978027 -0.083252 0.187500 -0.966797 -0.062500 -0.015625
[188]: print(f"Dataset contains {all_data.shape[0]} rows and {all_data.shape[1]} columns.")
```

We started by combining 18 different CSV files, each representing data from a different patient. These files were identified by a unique patient ID (PID), ranging from 501 to 518. Using a loop, we read each file using the read_csv function and stored them in a list called patients.

Next, we used pd.concat() to merge all these individual patient datasets into a single DataFrame called all_data, which makes it easier to work with the complete dataset as one unit.

To understand the structure of the dataset, we displayed the first 10 rows. This gave us a preview of the types of data we are working with. After that, we used .shape to check the total number of rows and columns in the dataset. It turns out the dataset contains approximately **2.25 million rows and 8 columns**.

The dataset includes:

- timestamp: the exact time of the data recording
- back_x, back_y, back_z: accelerometer readings from the lower back (in x, y, and z directions)
- thigh_x, thigh_y, thigh_z: accelerometer readings from the right front thigh
- **label**: the activity being performed, which is categorized as:

```
    walking
    shuffling
    stairs (ascending)
    stairs (descending)
    standing
    sitting
    lying
```

This setup allows us to explore how different body movements are represented in the sensor data and how we might use this for activity classification.

2. Handle missing values (if any) and outliers.

```
[190]: #mean
       bx_mean = all_data ['back_x'].mean()
       by_mean = all_data ['back_y'].mean()
       bz_mean = all_data ['back_z'].mean()
       tx_mean = all_data ['thigh_x'].mean()
       ty_mean = all_data ['thigh_y'].mean()
       tz_mean = all_data ['thigh_z'].mean()
       print("\nBack Mean scores: ")
       print(f"back_x: {bx_mean}, back_y: {by_mean}, back_z: {bz_mean}")
       print("\nThigh Mean scores: ")
       print(f"thigh_x: {tx_mean}, thigh_y: {ty_mean}, thigh_z: {tz_mean}")
       Back Mean scores:
       back_x: -0.8699343930886793, back_y: -0.03316849906111574, back_z: 0.023424907512711337
       Thigh Mean scores:
       {\tt thigh\_x: -0.6796213034173795, thigh\_y: 0.0027747422088983133, thigh\_z: -0.384121996420158}
[129]: #missing values
       print("Missing values in each column:\n")
       print(all_data.isnull().sum())
       Missing values in each column:
       timestamp
       back_x
                   0
       back_y
       back_z
       thigh_x
       thigh_y
       thigh_z
       label
       dtype: int64
```

We calculated the **mean values** for each of the sensor data columns:

- back_x, back_y, back_z (lower back sensors)
- thigh_x, thigh_y, thigh_z (thigh sensors)

This gives us a general idea of the average sensor readings, which can be useful later for normalization or handling missing data.

After calculating the means, we checked for any **missing values** in the dataset using **isnull().sum()**. The result showed that there are **no missing values** in any of the columns, which means the dataset is clean and we won't be using the mean here, so now we will go find outliers.

```
[10]: # IQR for Back
       Q1_back = all_data[['back_x', 'back_y', 'back_z']].quantile(0.25)
       Q3_back = all_data[['back_x', 'back_y', 'back_z']].quantile(0.75)
       IQR_back = Q3_back - Q1_back
       print("Back IQR values:\n", IQR_back)
       mask\_back = \sim ((all\_data[['back\_x', 'back\_y', 'back\_z']] < (Q1\_back - 1.5 * IQR\_back)) \mid
                    (all_data[['back_x', 'back_y', 'back_z']] > (Q3_back + 1.5 * IQR_back))).any(axis=1)
       # IQR for Thigh
       Q1_thigh = all_data[['thigh_x', 'thigh_y', 'thigh_z']].quantile(0.25)
       Q3_thigh = all_data[['thigh_x', 'thigh_y', 'thigh_z']].quantile(0.75)
       IQR_thigh = Q3_thigh - Q1_thigh
       print("\nThigh IQR values:\n", IQR_thigh)
       mask\_thigh = \sim ((all\_data[['thigh\_x', 'thigh\_y', 'thigh\_z']] < (Q1\_thigh - 1.5 * IQR\_thigh)) \mid
                      (all\_data[['thigh\_x', 'thigh\_y', 'thigh\_z']] > (Q3\_thigh + 1.5 * IQR\_thigh))).any(axis=1)
       # Combine both masks
       final mask = mask back & mask thigh
       all data clean = all data final mask
       print("\nShape after IQR-based outlier removal:", all_data_clean.shape)
       print(f"Total outliers removed: {all data.shape[0] - all data clean.shape[0]}")
       Back IQR values:
       back_x
                 0.164795
       back_y
                0.160400
                0.587646
       dtype: float64
       Thigh IQR values:
        thigh_x
                   0.916748
       thigh_y
                 0.229004
       thigh z
                  0.981934
      dtype: float64
       Shape after IQR-based outlier removal: (1821212, 8)
       Total outliers removed: 438385
```

We applied the Interquartile Range (IQR) method to remove outliers from the dataset. First, we calculated the 25th (Q1) and 75th (Q3) percentiles for the back sensor data (back_x, back_y, back_z). The IQR was computed as Q3 - Q1, and values outside the range Q1 - 1.5*IQR to Q3 + 1.5*IQR were marked as outliers. A mask was created to identify these outlier rows.

The same steps were repeated for the **thigh sensor** data (thigh_x, thigh_y, thigh_z). Another mask was created for outliers in the thigh readings. We then combined both masks to filter out rows that had outliers in either group.

The cleaned dataset was saved in all_data_clean. This process reduced the dataset from **2,259,597** rows to **1,822,112**. A total of **438,885 outlier rows** were removed.

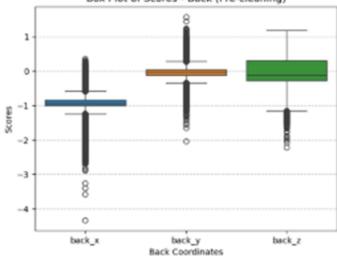
Removing these outliers helps improve the quality of the data. It ensures that extreme values won't distort analysis or model training. To see the difference between before and after of this effect we can use boxplot pre and post outliers removal.

Pre-Cleaning

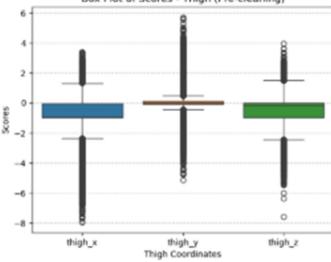
```
[9]: # Booplots (Pre-cleaning)
xns.booplot(data-all_data[['back_x', 'back_y', 'back_z']])
plt.title('Box Plot of Scorex - Back (Pre-cleaning)')
plt.xlabel('Back Coordinatex')
plt.ylabel('Scorex')
plt.grid(axix-'y', linestyle='--', alpha=0.7)
plt.xhose()

xns.booplot(data-all_data[['thigh_x', 'thigh_y', 'thigh_x']])
plt.title('Box Plot of Scorex - Thigh (Pre-cleaning)')
plt.xlabel('Thigh Coordinatex')
plt.ylabel('Scorex')
plt.grid(axix-'y', linestyle='--', alpha=0.7)
plt.shose()
```





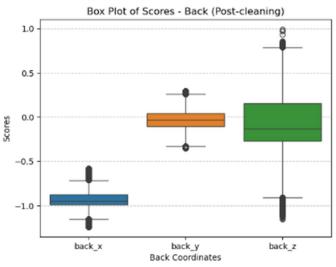
Box Plot of Scores - Thigh (Pre-cleaning)

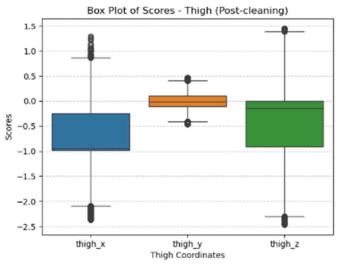


Post-Cleaning

```
[222]: # Boxplots (Post-cleaning)
sns.boxplot(data-all_data_clean[['back_x', 'back_y', 'back_z']])
plt.title("Box Plot of Scores - Back (Post-cleaning)")
plt.xlabel('Back Coordinates')
plt.ylabel('Scores')
plt.grid(axis='y', linestyle='--', alpha=0.7)
plt.show()

sns.boxplot(data-all_data_clean[['thigh_x', 'thigh_y', 'thigh_z']])
plt.title("Box Plot of Scores - Thigh (Post-cleaning)")
plt.xlabel('Thigh Coordinates')
plt.ylabel('Scores')
plt.grid(axis='y', linestyle='--', alpha=0.7)
plt.show()
```





3. Perform feature scaling or normalization.

```
[238]: # Select features and target
features_to_scale = ['back_x', 'back_y', 'back_z', 'thigh_x', 'thigh_y', 'thigh_z']
X = all_data_clean[features_to_scale]
y = all_data_clean['label']

print("\nShape before normalization:", X.shape)

# Apply Min-Max Normalization
scaler = MinMaxScaler()
X_scaled = scaler.fit_transform(X)

print("Shape after normalization: (1821212, 6)
Shape after normalization: (1821212, 6)
Shape before normalization: (1821212, 6)
```

We use the Min-Max scaling technique. Six features—'back_x', 'back_y', 'back_z', 'thigh_x', 'thigh_y', and 'thigh_z'—were selected from the cleaned dataset and stored in the variable x, while the target labels were stored separately in y. Before applying normalization, the shape of X was printed to confirm the dimensionality of the dataset.

A **MinMaxScaler** from the **sklearn** library was then instantiated and applied to the feature set using the **fit_transform** method, which scales the features to a range between 0 and 1. The output was saved in X_scaled, and its shape was printed to verify that normalization did not alter the data structure, which remained at (1821212, 6).

This confirms that each of the six features across over 1.8 million samples was successfully normalized. Normalizing the data in this manner is an essential preprocessing step, as it ensures that all features contribute equally to the model.

Dataset Link: DATASET

The code GitHub Link: GitHub