

Artificial Neural Network and Deep Learning

Course Instructor

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“Education is the most
powerful weapon
which you can use
to change the world.”

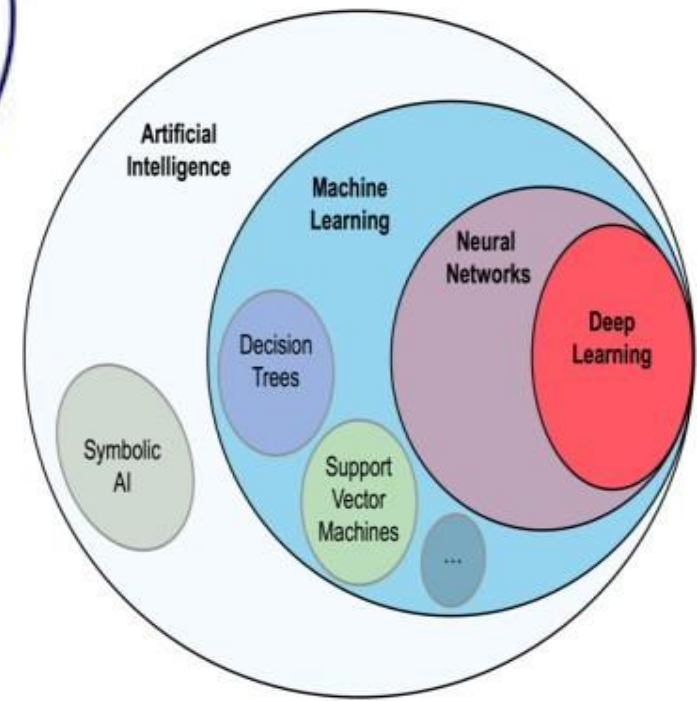
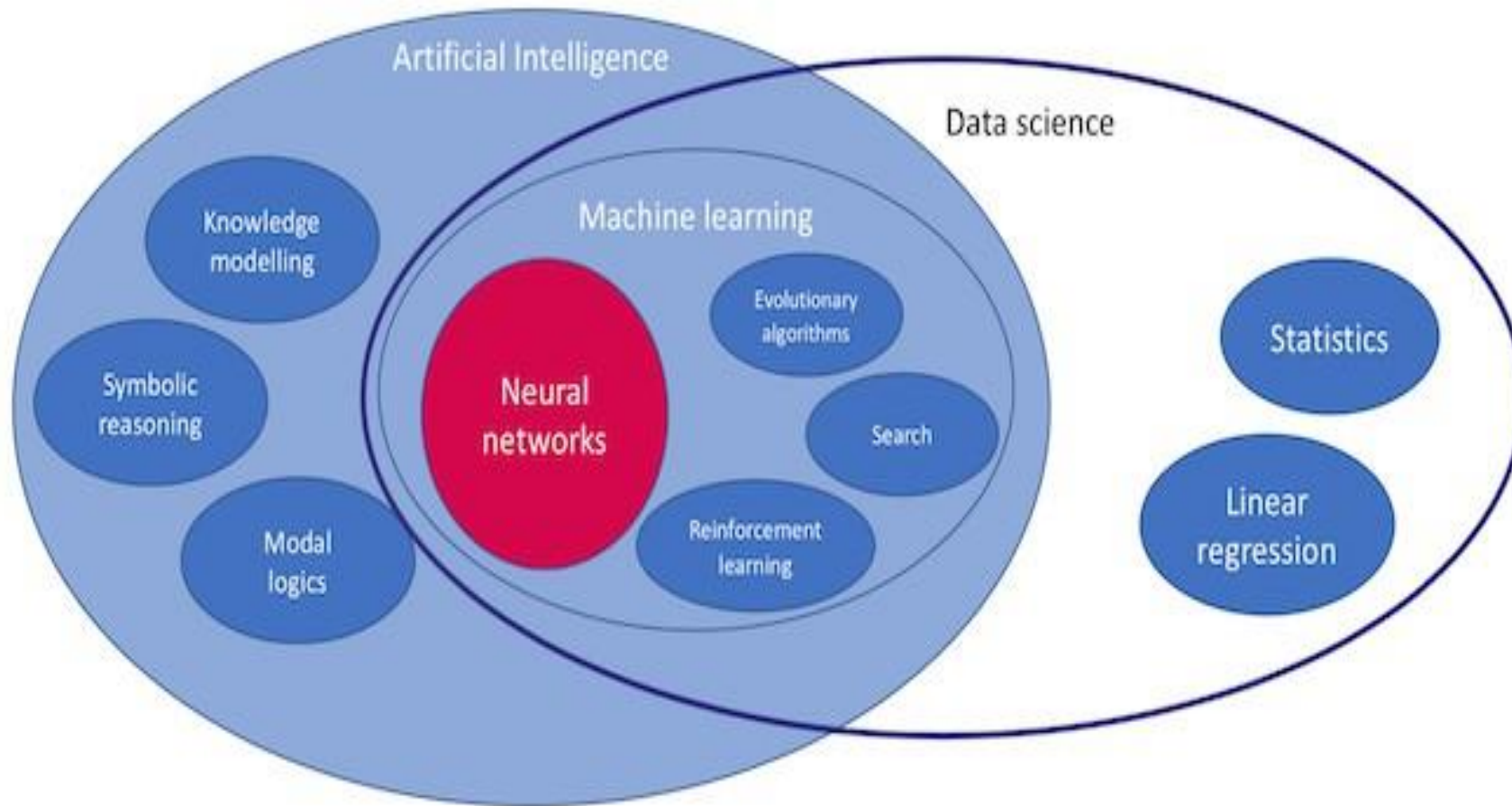
— Nelson Mandela

Expected Code of Conduct



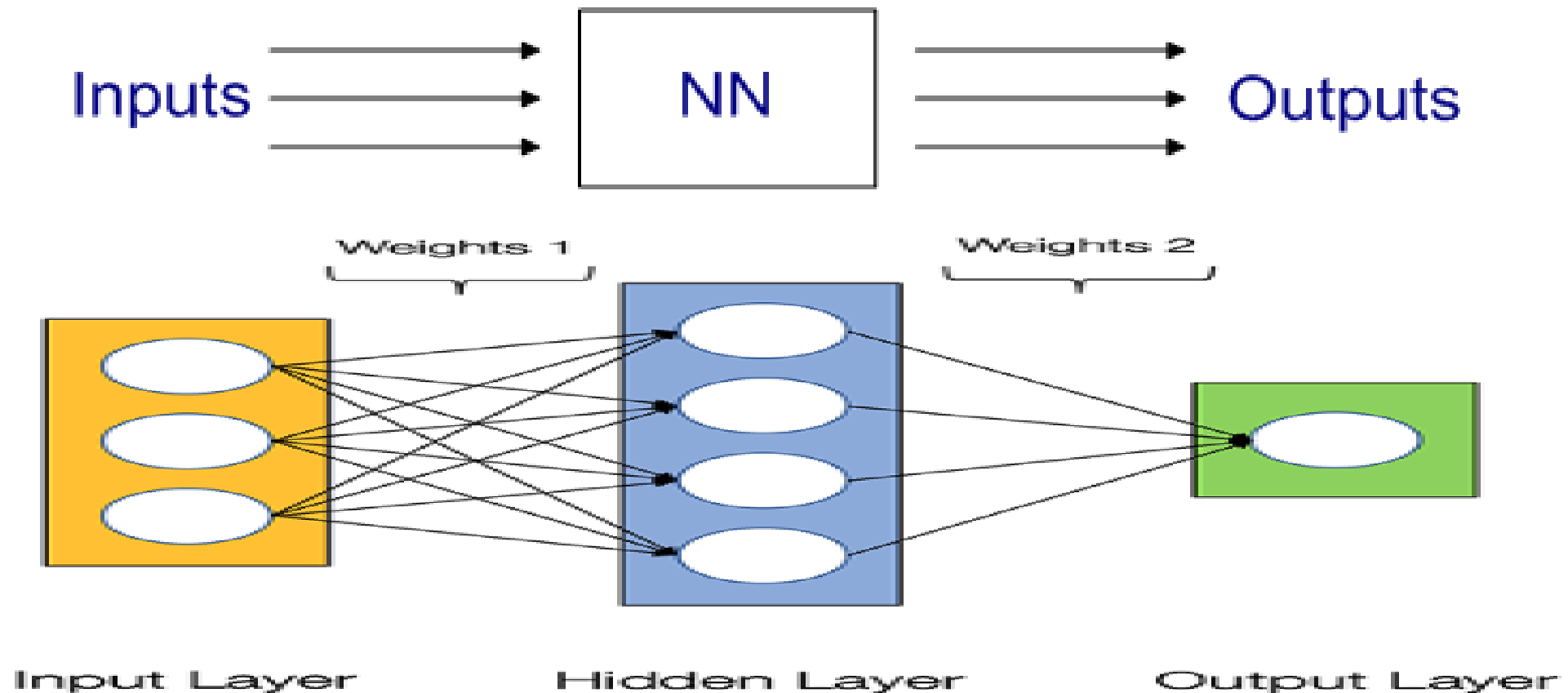
Respect is not imposed
nor begged.
It's earned and offered.

Where is NN?



What is a Neural Network?, cont.

- ❑ The researchers considered the **neural network** as a **black box strategy**, which is **trainable**.



Architecture of a 2-layer Neural Network

Classes of Neural Network Structures

- **An architecture is the way in which the neurons are connected together.**
- **We may identify two fundamentally different classes of network architectures (Structures):**

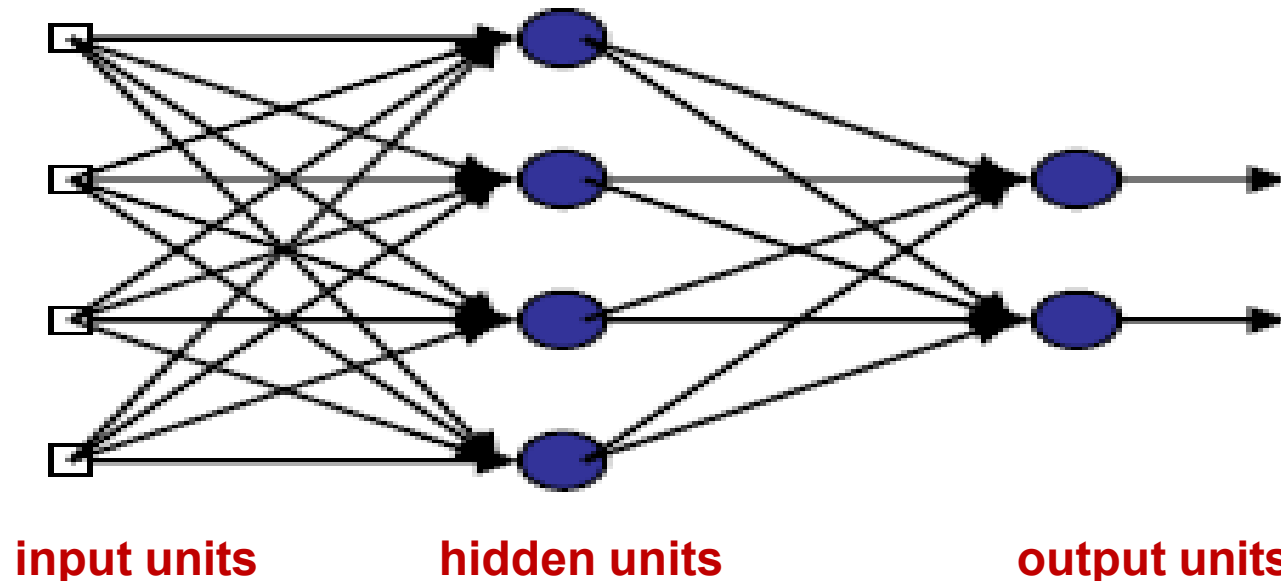
1.Feedforward Networks

2.Backforward or Recurrent Networks

1- Feedforward Networks

These are the commonest type of neural network in practical applications.

- The first layer is the **input** and the last layer is the **output**.
- If there is more than one **hidden** layer, we call them “deep” neural networks.



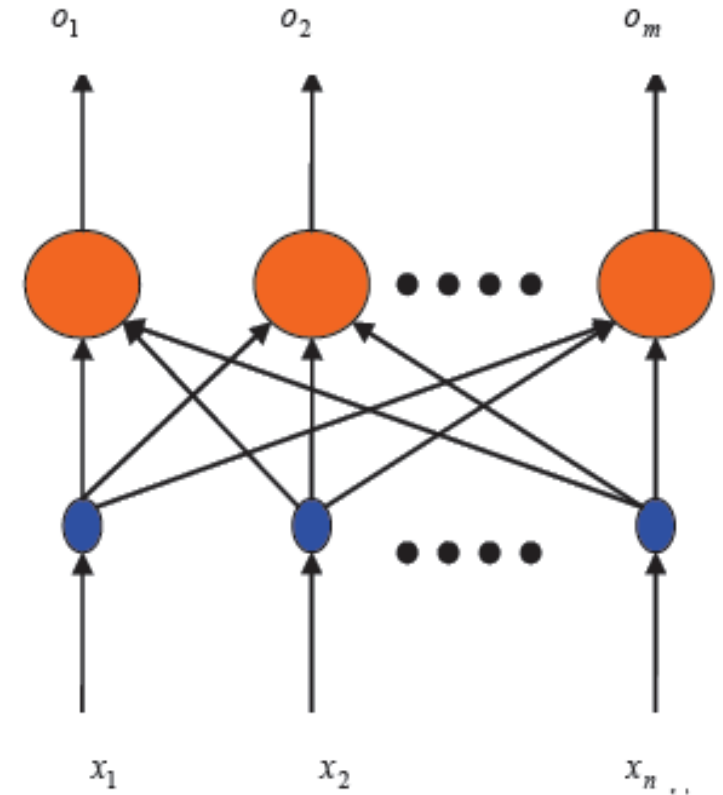
Feedforward Networks Characteristics

- ❑ **Hierarchical:** the neurons are arranged in separate layers
- ❑ There is **no connection between the neurons in the same layer**
- ❑ This network is strictly a Feedforward, in which graphs have **no loops**.
- ❑ The connections are **unidirectional**
- ❑ The neurons in one layer receive inputs from the previous layer
- ❑ The neurons in one layer delivers its output to the next layer.

Feedforward Networks, cont. Types

1. Single-layer Feedforward Networks

- **Single-Layer Feedforward** Network is the simplest form of layered network.
- The “signal-layer” referring to the output layer.
- It has an **input layer** of source nodes that projects onto an **output layer** of neurons (computation nodes), but not vice versa.
- A network is called a *single-layer network*, because **we do not count the input layer since no computation is performed there.**



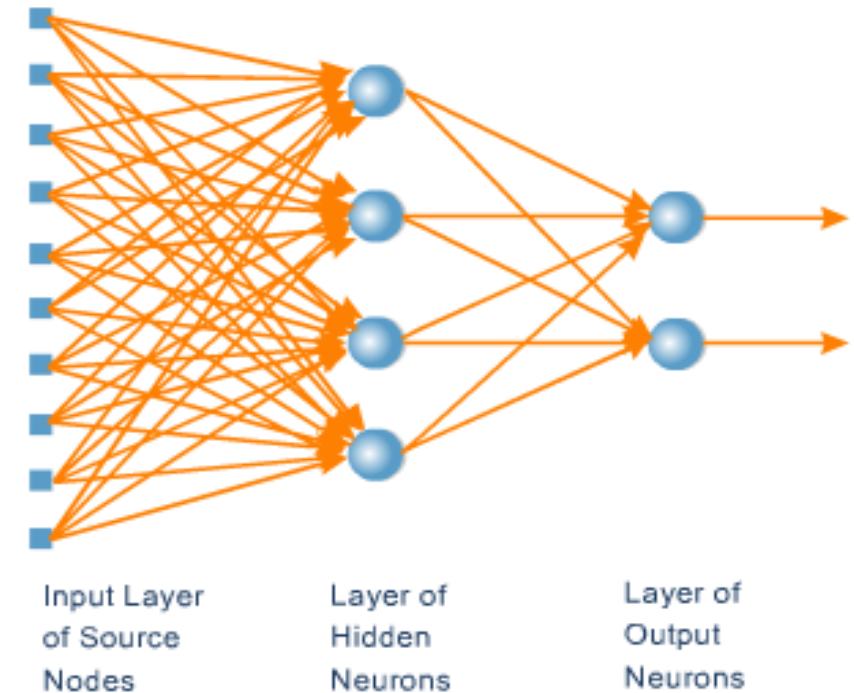
Feedforward Networks, cont. Types

2. Multilayer Feedforward Networks

- Contains:

- Input layer (source nodes)
- one or more **hidden layers**, whose computation nodes are called **hidden neurons** or **hidden units**.
- One output layer

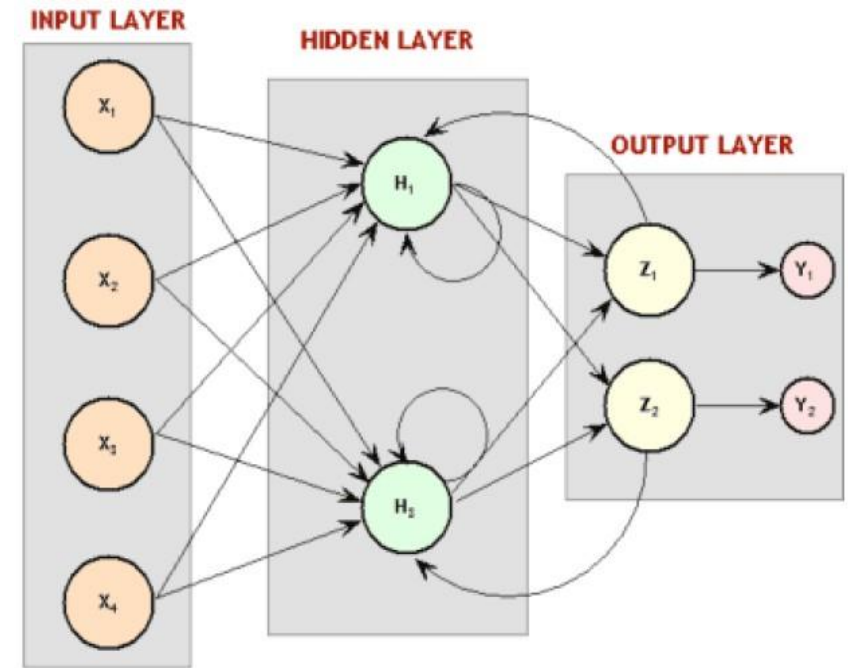
- **Example:** 10-4-2 network, because it has 10 source nodes, 4 hidden neurons, and 2 output neurons.



➤ It is said to be **fully connected** in the sense that every node in each layer of the network is connected to every other node in the adjacent forward layer; otherwise, it is called **partially connected** if some of the weight connections are missing from the network.

2- Recurrent Networks

- It has **at least** one *feedback* loop.
- The network may have or not hidden neurons.
- There could be neurons with **self-feedback links**; that is the output of a neuron is fed back into its self as input.
- They are more biologically realistic.



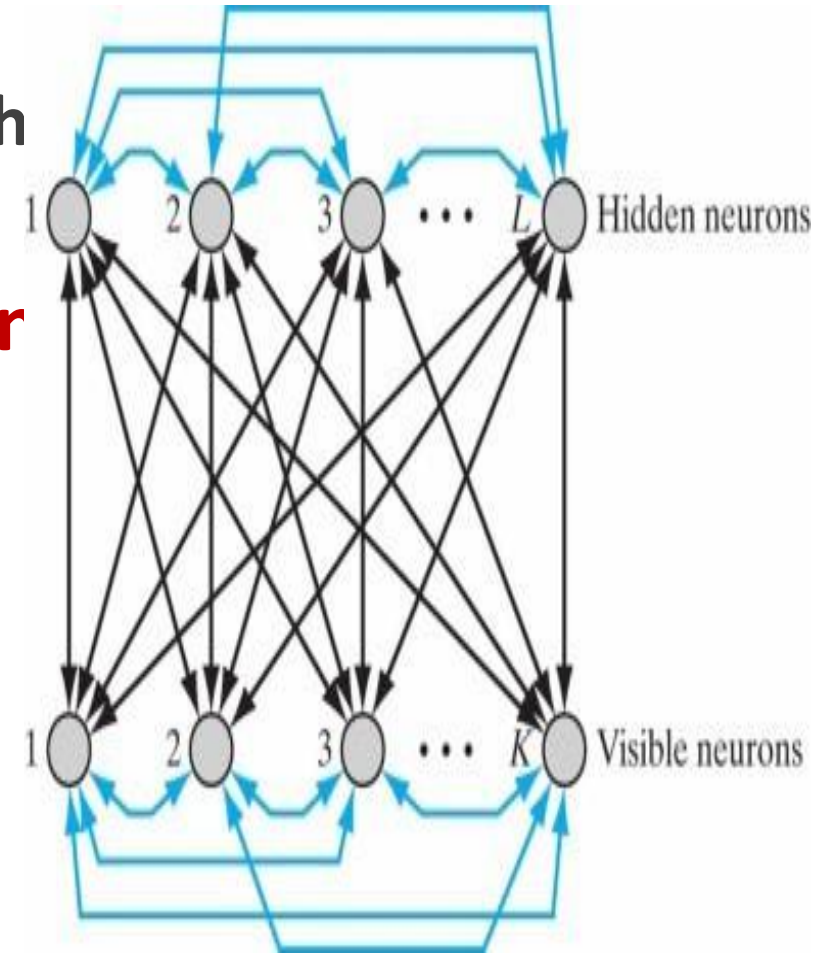
- Recurrent neural networks are **a very natural way** to model **sequential_data**. For example, it is the most appropriate for **predicting** the price of a stock.
- Feedback connection takes the output of the previous data in a series as its next input.
- They have the ability to **remember** information in their hidden state for a **long time**.

2- Recurrent Networks

Another example: Boltzmann machines

➤ It is a Symmetrically connected networks with hidden units.

- ❑ They are much more powerful models than
- ❑ Hopfield nets.
- ❑ They are less powerful than recurrent neural networks.
- ❑ They have a beautifully simple learning algorithm.



Learning in Neural Networks

Learning

- ❑ is a process to **store** the **information** into the network.
- ❑ defines how the system “**adapts**” to **new knowledge**.
- ❑ **On-line learning** and **off-line learning**.

Learning rules, for a connectionist system, are **algorithms** or **equations** which govern **changes** in the **weights** of the **connections in a network**.

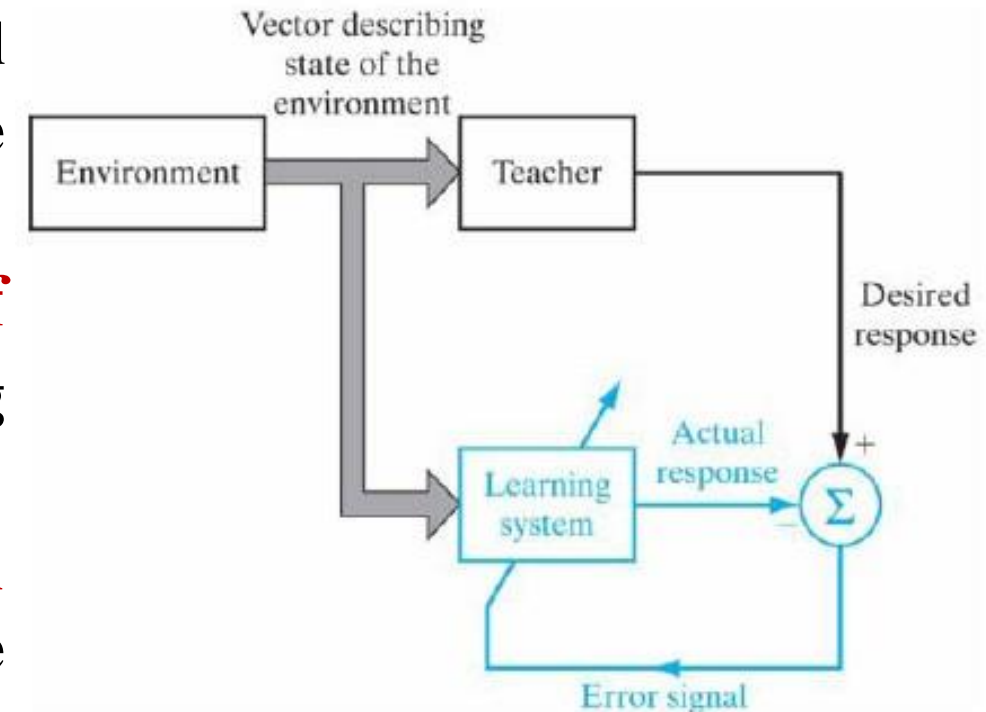
Learning Approaches in NNs

- ❑ The learning methods in Neural Networks are classified into two basic types:
 1. Learning with a Teacher (**Supervised Learning**)
 2. Learning without Teacher (**Unsupervised Learning**)

- ❑ These two types are classified based on:
 - presence or absence of **teacher** and
 - the information provided for the system to learn.

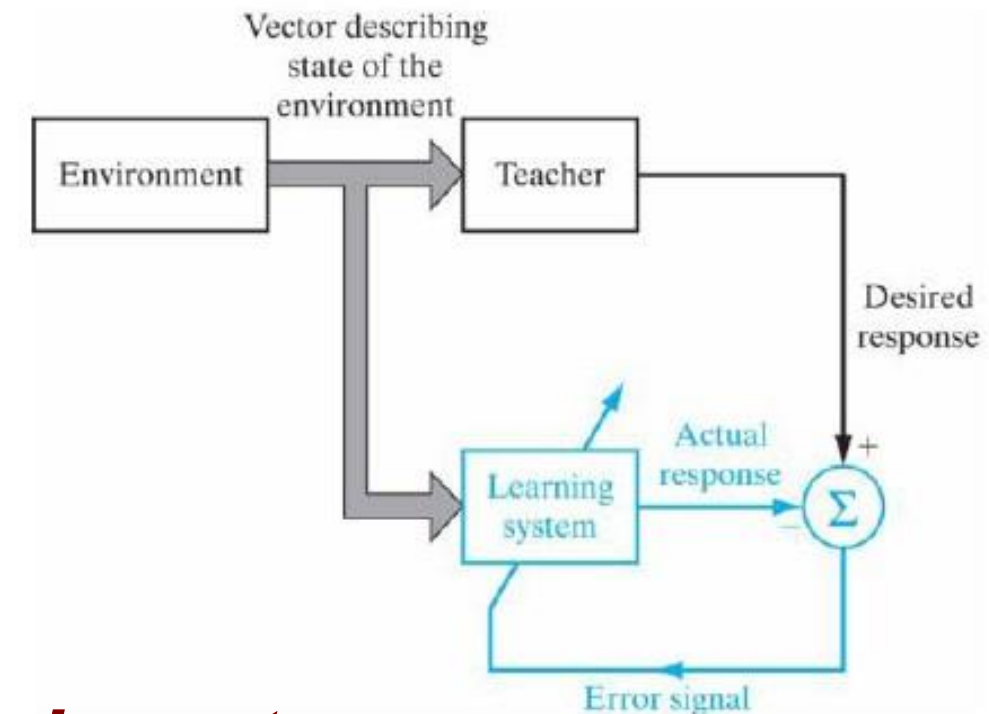
1- Learning with a teacher (Supervised Learning)

- ❑ Supervised learning is the problem of finding an **input-output mapping** from empirical data.
- ❑ The teacher has **knowledge** of the environment.
 - The teacher is able to provide the neural network with a **desired response** for the training vector.
 - So the NN is supplied with a **sequence of labeled training patterns** representing different classes.
 - Each **training Labeled pattern** contains input signals (features), and the desired output class, (x_i, d_i) .



1- Learning with a teacher (Supervised Learning)

- ❑ The learning algorithm tries to **minimize the error** between the **desired response t** and the **actual output y** .
- ❑ In this way, the **connection** strengths of NN (**Weights**) are modified depending on
 - the **input signal** receives,
 - its **output value** (actual response)
 - and the **desired response**.
- ❑ The supervised learning process constitutes **a closed-loop feedback system**.



1- Learning with a teacher (Supervised Learning)

Properties:

- ☐ Adaptively
 - **Adapt weights to the environment**
- ☐ Generalization ability

Supervised Learning algorithms:

- ☐ Perceptron learning algorithm.
- ☐ Error Correction Learning
 - Least Mean Square (LMS).
 - Back-propagation algorithm.

Tasks:

- ☐ Pattern classification (**The target output is a class label**)
- ☐ Object Recognition
- ☐ Regression (**target output is a real number**)

2- Learning without a Teacher (Unsupervised Learning)

- ❑ The **teacher's** response is **not available**
- ❑ **No error signal** is available
- ❑ When no teacher's response is available the NN will **modify** its **weight** based only on the input.

Unsupervised Learning is the problem of finding structure in data.

Tasks:

- Dimensionality reduction
- Clustering

2- Unsupervised Learning, cont.

Unsupervised Learning algorithms :

□ Hebbian Learning

- Used for Dimensionality reduction
- Similar to **Principal Component Analysis (PCA)**

◦ Competitive learning

- Used for Clustering - The NN must identify clusters in the input data and discover classes automatically
- **Self-organizing features map (SOFM)** are neural network model for unsupervised learning.

2- Unsupervised Learning, cont.

Dimensionality reduction used as preprocessing step in Pattern Recognition schema.

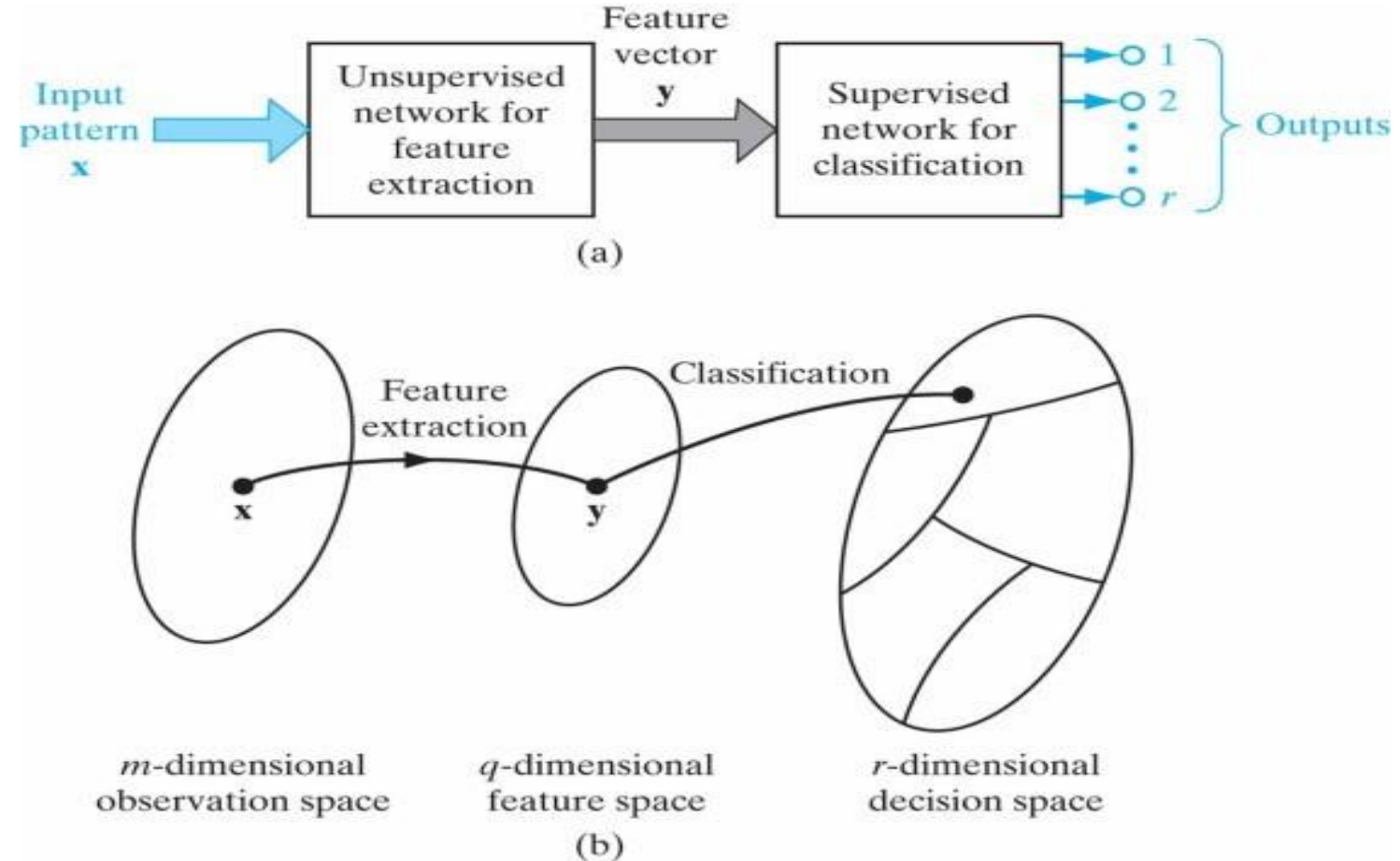


Illustration of the classical approach to pattern classification

Learning Tasks



```
graph TD; LT[Learning Tasks] --> S[Supervised]; LT --> U[Unsupervised];
```

Supervised

Learn to predict an output when given an input vector.

Data:

Labeled examples
(input , desired output)

Tasks:

pattern classification
object recognition
regression

NN models:

- **Perceptron**
- **Adaline**
- **Multilayer feed-forward NN**
- **Radial basis function**

Unsupervised

Discover a good internal representation of the input, i.e. find similarities and differences between data points.

Data:

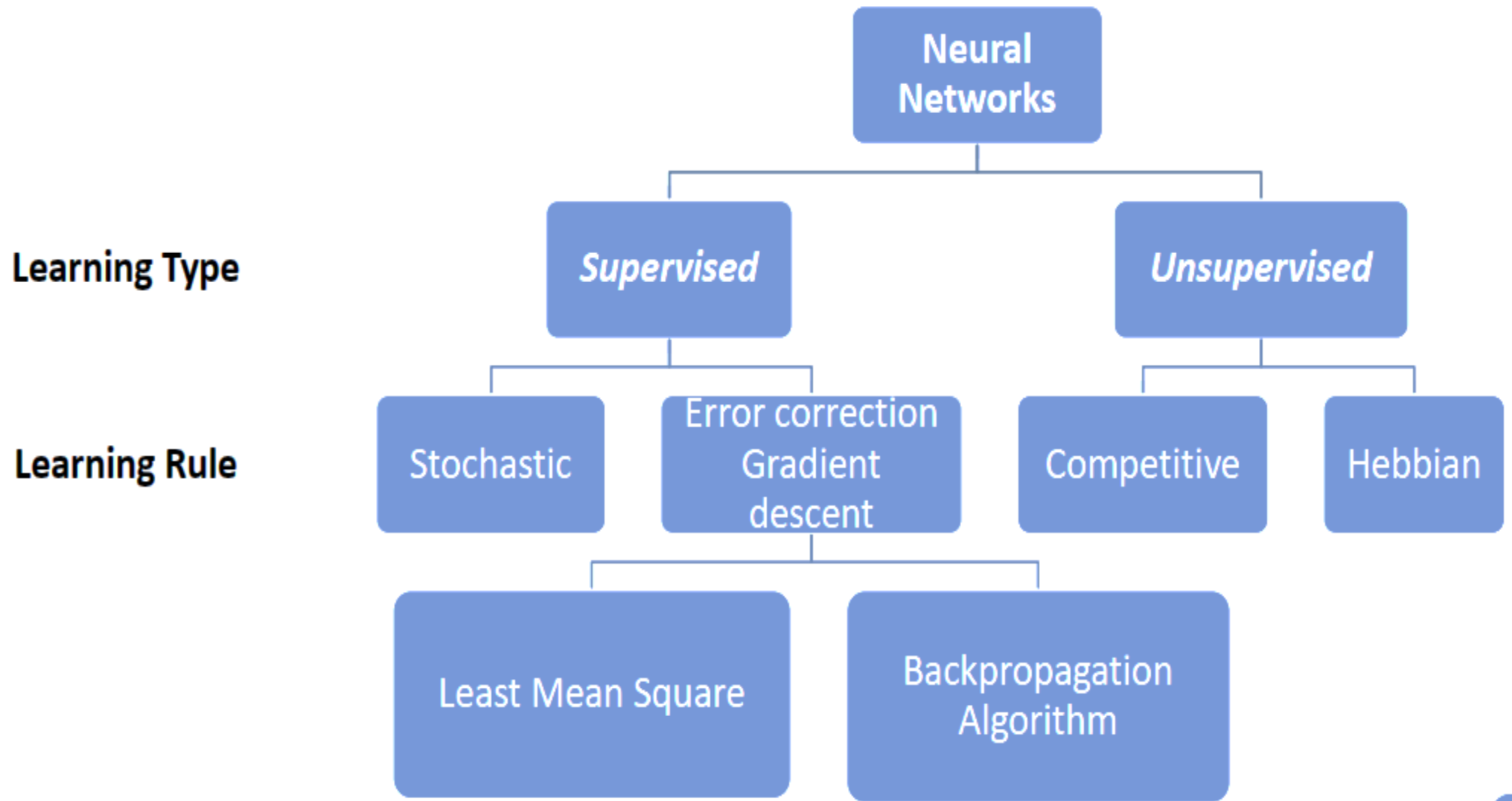
Unlabeled examples
(different realizations of the input)

Tasks:

clustering
dimensionality reduction

NN models:

- **Self-organizing maps (SOM)**
- **Hopfield networks**
- **Principal Component Analysis (PCA)**

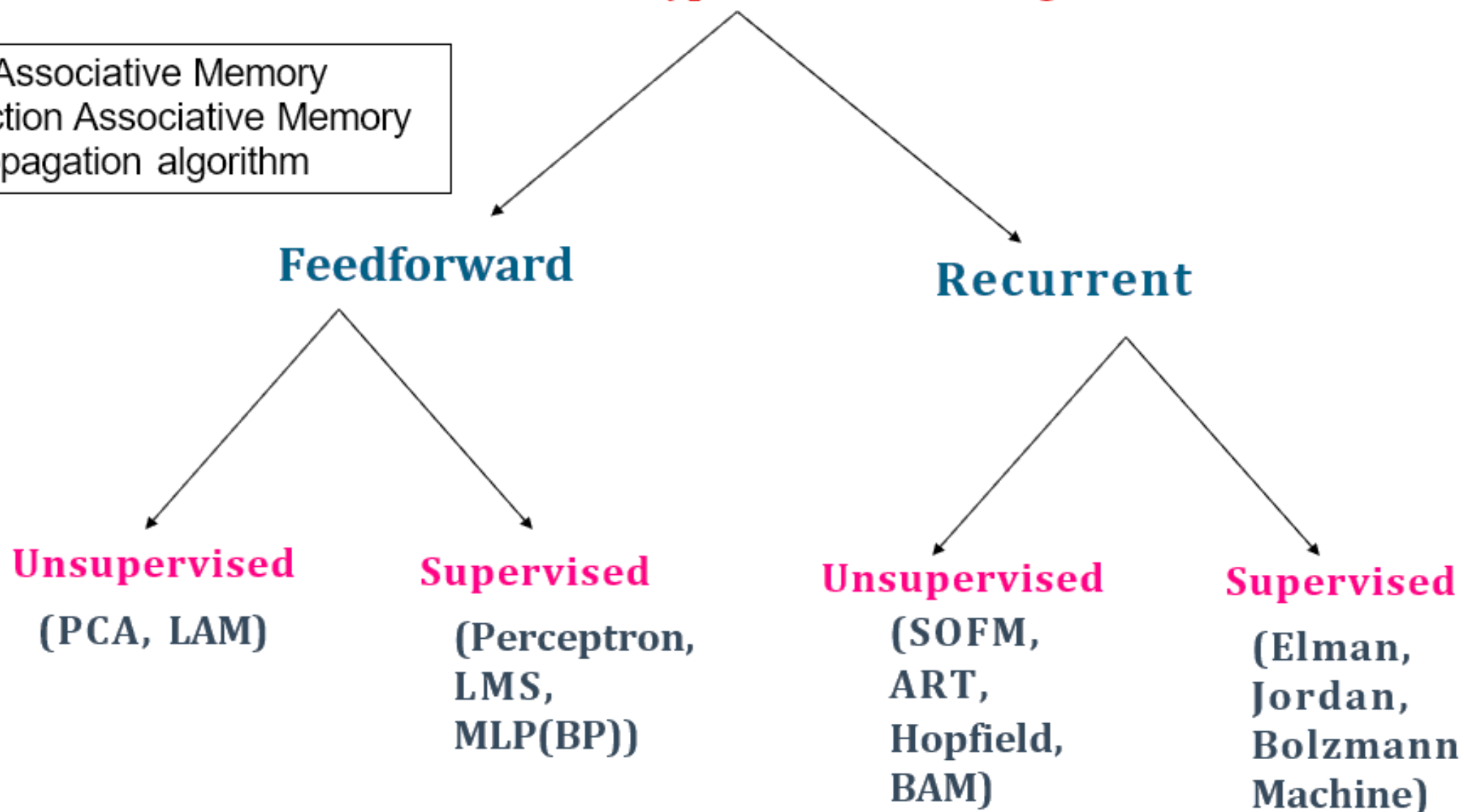


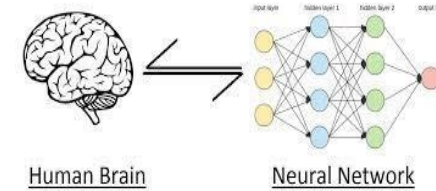
Each of these can be trained **with** or **without** a **teacher**.
Have a **particular architecture** and **learning algorithm**.

Taxonomy of neural networks

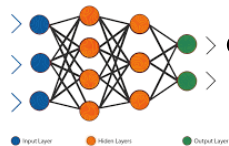
Based on **architecture types** and the **learning methods**

LAM=linear Associative Memory
BAM=bidirection Associative Memory
BP=Backpropagation algorithm

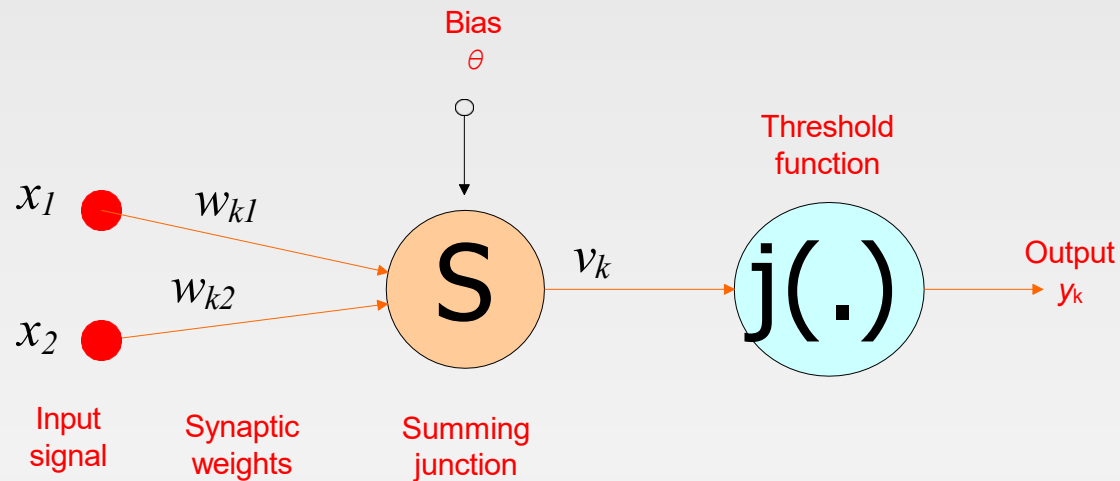




- **Single-layer feedforward networks** and Classification Problems (McCulloch- Pitts neuron model)
 - Decision Surface
 - Rosenblatt's Perceptron Learning Rule (The Perceptron Convergence Theorem)
 - Multiple-output-Neurons Perceptron
- Adaline (Adaptive Linear Neuron) Networks
- Derivation of the LMS algorithm
- Compare ADALINE with Perceptron



Threshold Logic Units (TLU)



$$y_k = \varphi(v_k) = \varphi(w_{k1}x_1 + w_{k2}x_2 + \theta) = \begin{cases} 1 & \text{if } v_k \geq 0 \\ 0 & \text{if } v_k < 0 \end{cases}$$

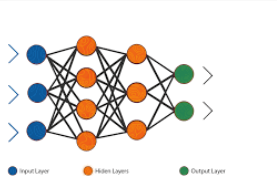
TLU try to solve Simple Classification

Problem:

The goal of pattern classification is to assign a physical object or event to one of a set of a pre-specified classes (or categories)

Examples:

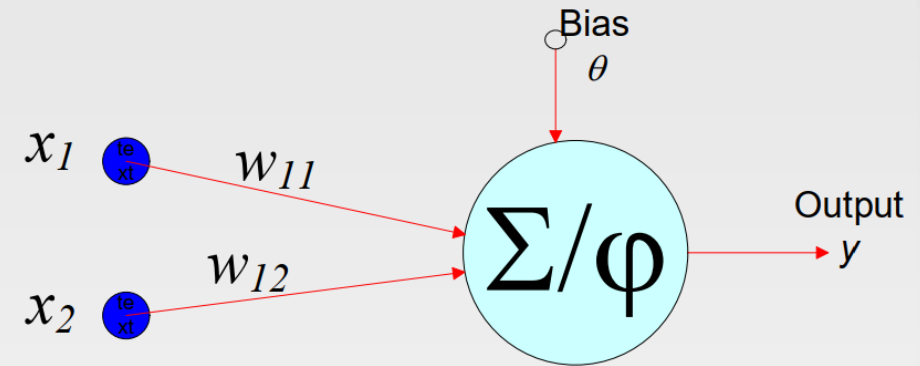
- Boolean functions
- Pixel Patterns



The AND problem

x_1	x_2	y
1	1	1
1	0	0
0	1	0
0	0	0

Let $w_{11} = w_{12} = 1$

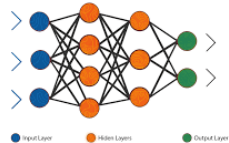


with $x_1 = 1$ and $x_2 = 1$, $y = \phi(1 \times 1 + 1 \times 1 + \theta) = \phi(2 + \theta) = 1$ if $(2 + \theta \geq 0)$

with $x_1 = 1$ and $x_2 = 0$, $y = \phi(1 \times 1 + 1 \times 0 + \theta) = \phi(1 + \theta) = 0$ if $(1 + \theta < 0)$

with $x_1 = 0$ and $x_2 = 1$, $y = \phi(1 \times 0 + 1 \times 1 + \theta) = \phi(1 + \theta) = 0$ if $(1 + \theta < 0)$

with $x_1 = 0$ and $x_2 = 0$, $y = \phi(1 \times 0 + 0 \times 1 + \theta) = \phi(\theta) = 0$ if $(\theta < 0)$



$$2 + \theta \geq 0$$

$$1 + \theta < 0, \quad \theta < 0$$

$$\theta ?$$

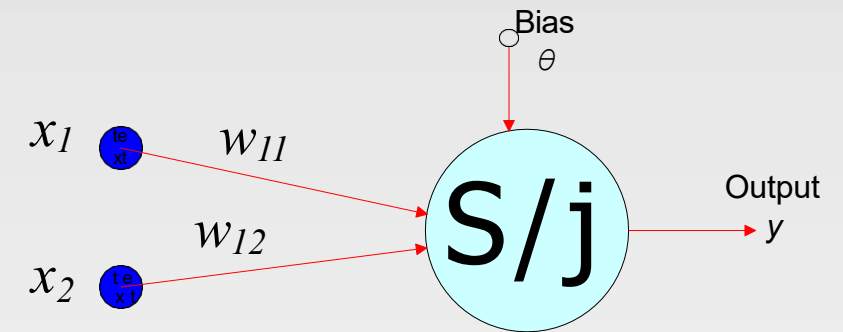
$$-2 \leq \theta < -1$$

$$\theta = -1.5$$

The OR problem

x_1	x_2	y
1	1	1
1	0	1
0	1	1
0	0	0

Let $w_{11} = w_{12} = 1$

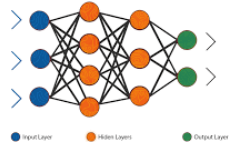


with $x_1 = 1$ and $x_2 = 1$, $y = \varphi(1 \times 1 + 1 \times 1 + \theta) = \varphi(2 + \theta) = 1$ if $(2 + \theta \geq 0)$

with $x_1 = 1$ and $x_2 = 0$, $y = \varphi(1 \times 1 + 1 \times 0 + \theta) = \varphi(1 + \theta) = 1$ if $(1 + \theta \geq 0)$

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with $x_1 = 0$ and $x_2 = 0$, $y = \varphi(1 \times 0 + 0 \times 1 + \theta) = \varphi(\theta) = 0$ if $(\theta < 0)$



$$2 + \theta \geq 0$$

$$1 + \theta \geq 0, \quad \theta < 0$$

$$\theta ?$$

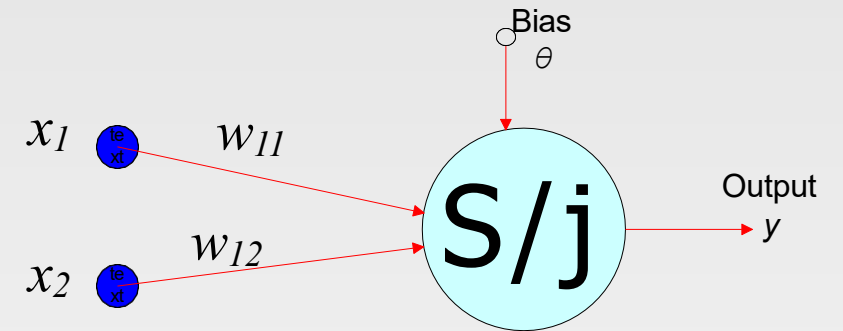
$$-1 \leq \theta < 0$$

$$\theta = -0.5$$

The XOR problem

x_1	x_2	y
1	1	0
1	0	1
0	1	1
0	0	0

Let $w_{11} = w_{12} = 1$



with $x_1 = 1$ and $x_2 = 1$, the output

$$y = \phi(1 \times 1 + 1 \times 1 + \theta) = \phi(2 + \theta)$$

with $x_1 = 1$ and $x_2 = 0$, the output

$$y = \phi(1 \times 1 + 1 \times 0 + \theta) = \phi(1 + \theta)$$

with $x_1 = 0$ and $x_2 = 1$, the output

$$y = \phi(1 \times 0 + 1 \times 1 + \theta) = \phi(1 + \theta)$$

with $x_1 = 0$ and $x_2 = 0$, the output

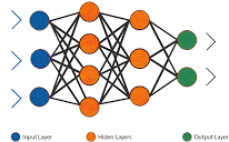
$$y = \phi(1 \times 0 + 0 \times 1 + \theta) = \phi(\theta)$$

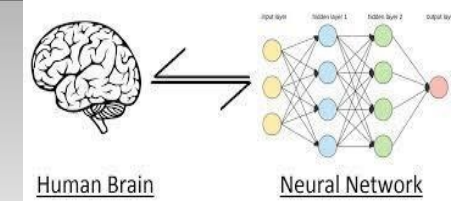
What is the suitable value of θ that make:

1- $2 + \theta < 0$ and $\theta < 0$ to get on an output **y=0**

2- $1 + \theta > 0$ to get on an output **y=1**

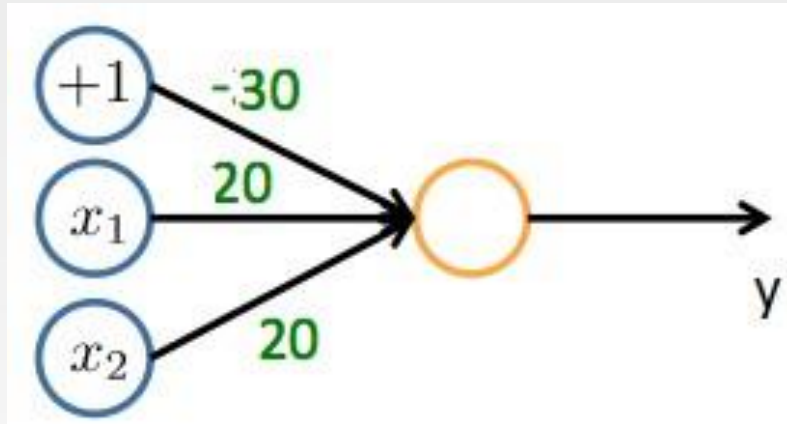
No suitable value for θ can solve the XOR problem.





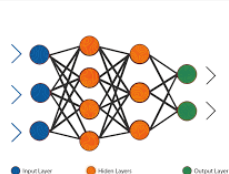
Example

Consider the following neural network which takes two binary-valued inputs $x_1, x_2 \in \{0, 1\}$ and output y . Which one the logical functions does it (approximate) compute?

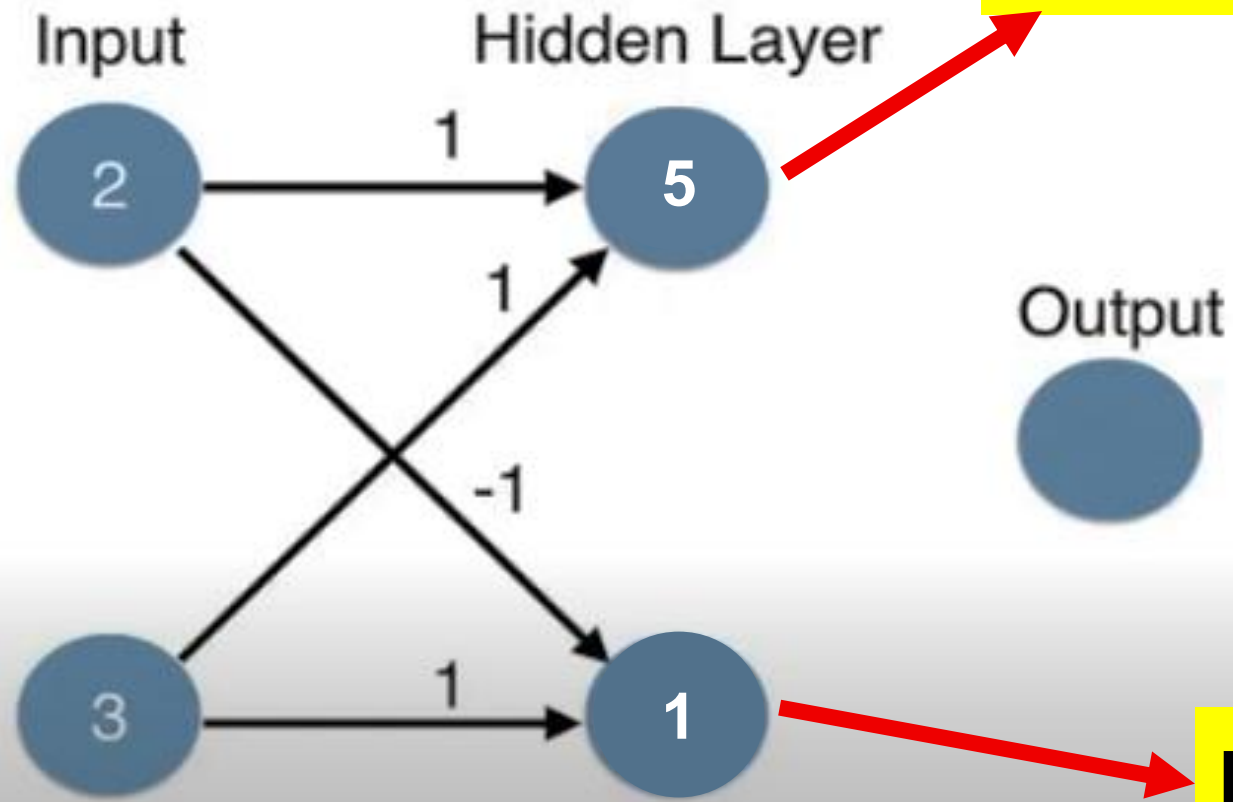


x_1	x_2	y
1	1	
1	0	
0	1	
0	0	

$$y = j(-30 + 20x_1 + 20x_2)$$



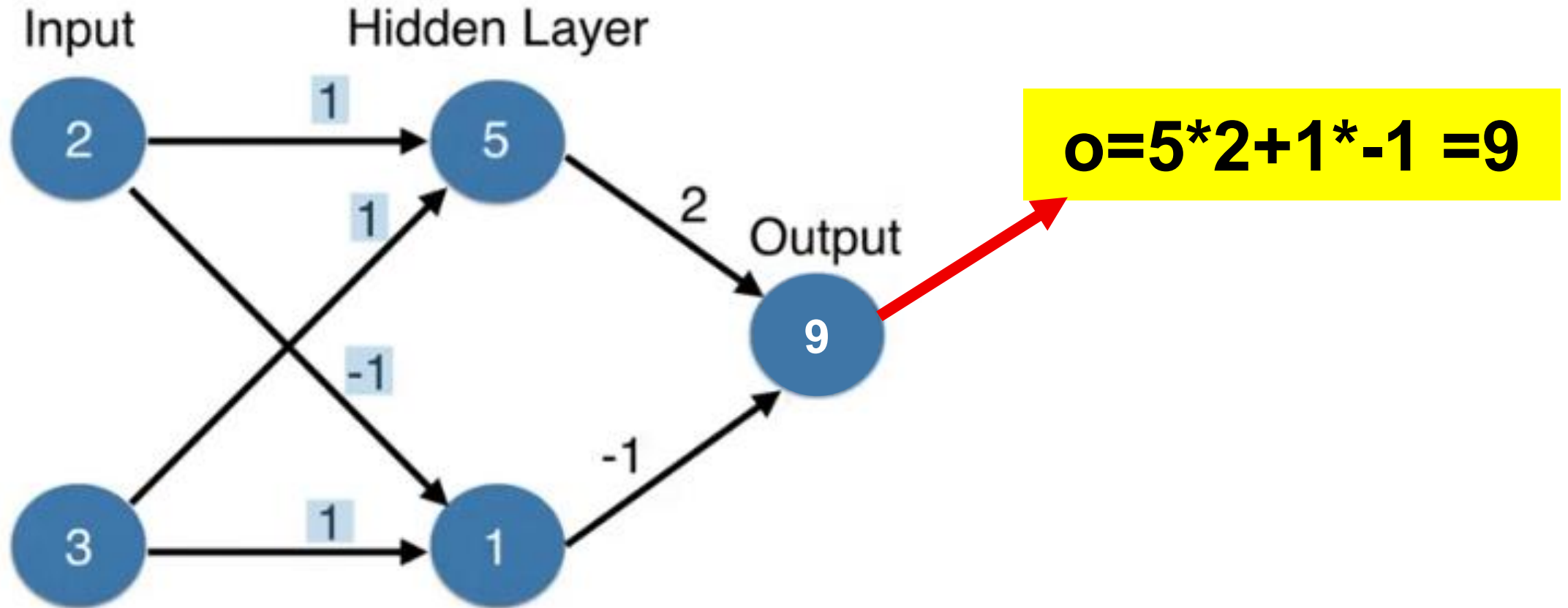
Forward Propagation



$$H1 = 2 * 1 + 3 * 1 = 5$$

$$H2 = 2 * -1 + 3 * 1 = 1$$

Forward Propagation





Thank You