## Lesson 5.3-5.4

Quiz, 8 questions

1	
point	

1.

We use the continuous version of Bayes' theorem if:

- $\theta$  is continuous
- Y is continuous
- $\int f(y \mid \theta)$  is continuous
- All of the above
- None of the above

1 point

2.

Consider the coin-flipping example from the lesson. Recall that the likelihood for this experiment was Bernoulli with unknown probability of heads, i.e.,  $f(y\mid\theta)=\theta^y(1-\theta)^{1-y}I_{\{0\leq\theta\leq1\}}\text{, and we started with a uniform prior on the}$ 

 $f(y\mid heta)= heta^y(1- heta)^{1-y}I_{\{0\leq heta\leq 1\}}$ , and we started with a uniform prior on the interval [0,1].

After the first flip resulted in heads  $(Y_1=1)$ , the posterior for  $\theta$  became  $f(\theta\mid Y_1=1)=2\theta I_{\{0\leq \theta\leq 1\}}.$ 

Now use this posterior as your prior for  $\theta$  before the next (second) flip. Which of the following represents the posterior PDF for  $\theta$  after the second flip also results in heads  $(Y_2=1)$ ?

$$\int f( heta \mid Y_2=1) = rac{(1- heta)\cdot 2 heta}{\int_0^1 (1- heta)\cdot 2 heta d heta} I_{\{0\leq heta\leq 1\}}$$

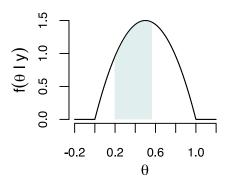
$$\int f( heta \mid Y_2 = 1) = rac{ heta \cdot 2 heta}{\int_0^1 heta \cdot 2 heta d heta} I_{\{0 \leq heta \leq 1\}}$$

$$\int f( heta \mid Y_2=1) = rac{ heta(1- heta)\cdot 2 heta}{\int_0^1 heta(1- heta)\cdot 2 heta d heta} I_{\{0\leq heta\leq 1\}}$$

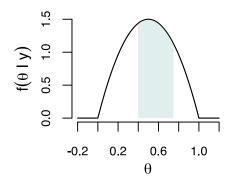
1 point	
Uniform(	again the coin-flipping example from the lesson. Recall that we used a (0,1) prior for $ heta$ . Which of the following is a correct interpretation of $( heta<0.9)=0.6$ ?
<b>(</b>	0.3, 0.9) is a 60% credible interval for $ heta$ before observing any data.
(	0.3, 0.9) is a 60% credible interval for $ heta$ after observing $Y=1.$
<b>(</b>	0.3, 0.9) is a 60% confidence interval for $ heta$ .
	The posterior probability that $ heta \in (0.3, 0.9)$ is 0.6.
PDF for 6	again the coin-flipping example from the lesson. Recall that the posterior $\theta$ , after observing $Y=1$ , was $f(\theta\mid Y=1)=2\theta I_{\{0\leq\theta\leq1\}}.$ Which of the $\theta$ is a correct interpretation of $\theta<0.9\mid Y=1)=\int_{0.3}^{0.9}2\theta d\theta=0.72?$
(	0.3, 0.9) is a 72% credible interval for $ heta$ before observing any data.
<b>(</b>	0.3, 0.9) is a 72% credible interval for $ heta$ after observing $Y=1.$
<b>(</b>	0.3, 0.9) is a 72% confidence interval for $ heta$ .
	The prior probability that $ heta \in (0.3, 0.9)$ is 0.72.
	o quantiles are required to capture the middle 90% of a distribution (thus g a 90% equal-tailed interval)?

.05	and	.95

0 and .9				
1 point				
6. Suppose you collect measurements to perform inference about a population mean $\theta$ . Your posterior distribution after observing data is $\theta \mid \mathbf{y} \sim N(0,1)$ .				
Report the upper end of a 95% equal-tailed interval for $\theta$ . Round your answer to two decimal places.				
Enter answer here				
1 point				
7. What does "HPD interval" stand for?				
Highest partial density interval				
Highest point distance interval				
Highest posterior density interval				
Highest precision density interval				
1 point				
8. Each of the following graphs depicts a 50% credible interval from a posterior distribution. Which of the intervals represents the HPD interval?				
$\bigcirc$ 50% interval: $ heta\in(0.196,0.567)$				

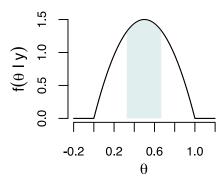


 $\bigcirc$  50% interval:  $heta \in (0.400, 0.756)$ 



 $\bigcirc \qquad \text{50\% interval: } \theta \in (0.500, 1.000)$ 

 $\bigcirc$  50% interval:  $heta \in (0.326, 0.674)$ 



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