

## Code Explanation — Step by Step

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### a. Import the necessary packages

```
import tensorflow as tf
from tensorflow import keras
import matplotlib.pyplot as plt
import numpy as np
```

#### Explanation:

- `tensorflow` → the main deep learning library (used to build and train neural networks).
  - `keras` → a high-level API inside TensorFlow that makes creating models easier.
  - `matplotlib.pyplot` → used for plotting graphs (like accuracy/loss curves).
  - `numpy` → handles numerical operations, arrays, etc.
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### b. Load the training and testing data (MNIST dataset)

```
(x_train, y_train), (x_test, y_test) = keras.datasets.mnist.load_data()
```

#### Explanation:

- Loads the **MNIST dataset**, which has **60,000 training images** and **10,000 testing images** of handwritten digits (0–9).
  - Each image is **28×28 pixels (grayscale)**.
  - `x_train, y_train` → training images and their corresponding digit labels.
  - `x_test, y_test` → test images and their labels (used for evaluation).
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### Normalize pixel values

```
x_train = x_train / 255
x_test = x_test / 255
```

#### Explanation:

- Pixel values originally range from **0 to 255**.

- Dividing by 255 scales them to **0–1 range**, which helps the model train faster and more accurately.
  - This is called **normalization**.
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### c. Define the network architecture using Keras

```
model = keras.Sequential([
    keras.layers.Flatten(input_shape=(28, 28)),
    keras.layers.Dense(128, activation="relu"),
    keras.layers.Dense(10, activation="softmax")
])
```

#### Explanation:

This defines a **feedforward neural network** step by step:

#### 1. `Flatten(input_shape=(28, 28))`

- Converts each 28×28 image into a 1D vector of 784 values (28×28 = 784).
- Needed because the dense layer expects a flat input.

#### 2. `Dense(128, activation="relu")`

- A **fully connected (dense) layer** with **128 neurons**.
- Each neuron uses **ReLU (Rectified Linear Unit)** activation:  
 $f(x) = \max(0, x)$
- This helps the model learn complex non-linear patterns.

#### 3. `Dense(10, activation="softmax")`

- Output layer with **10 neurons**, one for each digit (0–9).
  - **Softmax** converts raw scores into **probabilities** that sum to 1.
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### d. Compile the model

```
model.compile(optimizer="sgd",
              loss="sparse_categorical_crossentropy",
              metrics=["accuracy"])
```

#### Explanation:

This step prepares the model for training:

- **optimizer="sgd"** → uses *Stochastic Gradient Descent* to update weights during training.
  - **loss="sparse\_categorical\_crossentropy"** → suitable for multi-class classification (integer labels 0–9).
  - **metrics=["accuracy"]** → tracks how often predictions match labels.
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## e. Train the model

```
history = model.fit(x_train, y_train,  
                    validation_data=(x_test, y_test),  
                    epochs=10)
```

### Explanation:

- **fit()** trains the model for a given number of **epochs** (full passes over the dataset).
- **validation\_data** checks performance on unseen data after every epoch.
- The output shows:
  - Training and validation accuracy
  - Training and validation loss

The results in your file:

```
accuracy: 0.9550 - val_accuracy: 0.9529
```

👉 means ~95% correct predictions on both training and test data.

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## f. Evaluate the model

```
test_loss, test_acc = model.evaluate(x_test, y_test)  
print("Test Accuracy:", test_acc)  
print("Test Loss:", test_loss)
```

### Explanation:

- **evaluate()** checks model performance on test data.
- It returns **loss** and **accuracy**.
- Printed values confirm the model generalizes well.

Example output:

Test Accuracy: 0.9529

Test Loss: 0.1583

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### g. Plot the accuracy graph

```
plt.plot(history.history["accuracy"])
plt.plot(history.history["val_accuracy"])
plt.title("Accuracy")
plt.xlabel("Epoch")
plt.ylabel("Accuracy")
plt.legend(["Train", "Validation"])
plt.show()
```

#### Explanation:

- Plots accuracy curves for **training** and **validation** sets across all epochs.
  - Helps visualize whether the model is improving and if it's overfitting.
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### h. Plot the loss graph

```
plt.plot(history.history["loss"])
plt.plot(history.history["val_loss"])
plt.title("Loss")
plt.xlabel("Epoch")
plt.ylabel("Loss")
plt.legend(["Train", "Validation"])
plt.show()
```

#### Explanation:

- Similar to above, but plots **loss** over epochs.
  - Lower loss means better fit to data.
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### i. Display sample prediction

```
index = 0
plt.imshow(x_test[index], cmap="gray")
plt.show()

prediction = model.predict(x_test)
```

```
print("Predicted digit:", np.argmax(prediction[index]))
print("Actual digit:", y_test[index])
```

### Explanation:

- `index = 0` → chooses the first test image.
- `imshow()` displays it in grayscale.
- `model.predict()` → outputs probabilities for each digit (0–9).
- `np.argmax()` → picks the digit with the **highest probability**.
- Compares prediction with actual label.

## 1 Feedforward Neural Network (FNN)

### Definition (simple + clear):

A **Feedforward Neural Network (FNN)** is an artificial neural network where the information moves **only in one direction** — from input to output — through a series of layers of neurons, **without any loops or backward connections**.

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### Structure:

Input Layer → Hidden Layer(s) → Output Layer

Each neuron in a layer is connected to every neuron in the next layer.  
The output from one layer becomes the input to the next.

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### Working:

1. Input data is passed to the first layer.
2. Each neuron computes a **weighted sum** of its inputs and adds a **bias**.
3. An **activation function** is applied to introduce non-linearity.
4. The result passes forward to the next layer until the output is produced.

✚ Formula for one neuron:

$$y = f(Wx + b)$$

where

- WWW = weights,
  - bbb = bias,
  - fff = activation function,
  - xxx = input.
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### Key Point:

In an FNN, data **flows forward only** — there are **no feedback loops** (unlike RNNs).

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### Applications:

- Handwritten digit recognition (MNIST)
- Image and speech classification
- Function approximation
- Simple regression or prediction problems