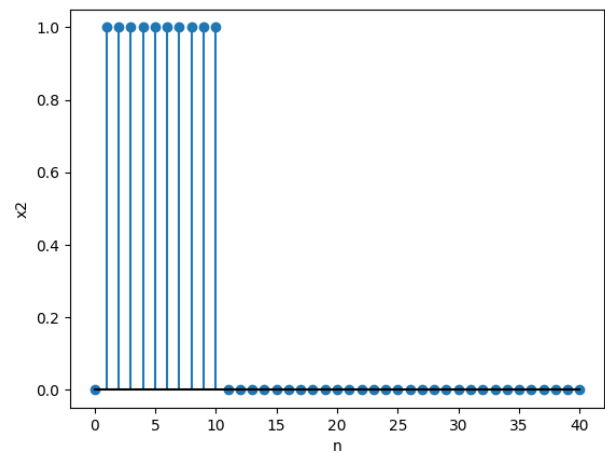
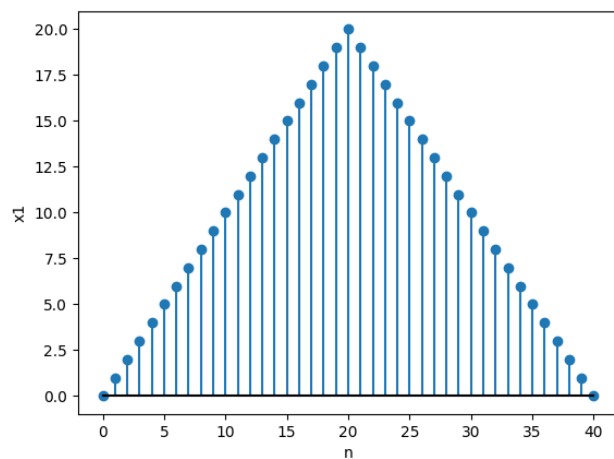


## Part A

$$x_1[n] = \begin{cases} n, & 1 \leq n \leq 20 \\ 40 - n, & 21 \leq n \leq 39 \\ 0, & \text{otherwise} \end{cases}$$

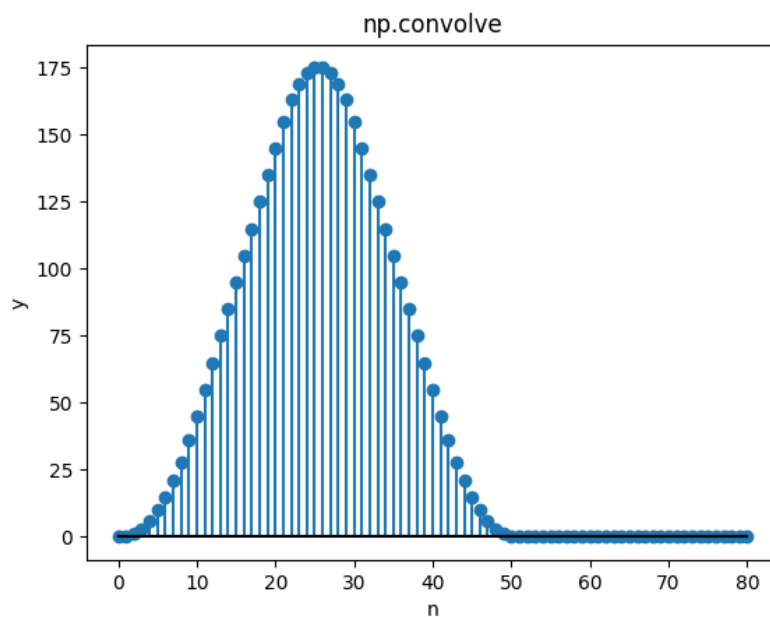
$$x_2[n] = u[n - 1] - u[n - 11]$$

Plot  $x_1[n]$  and  $x_2[n]$  vs  $n$  ( $n=0 \sim n=40$ )



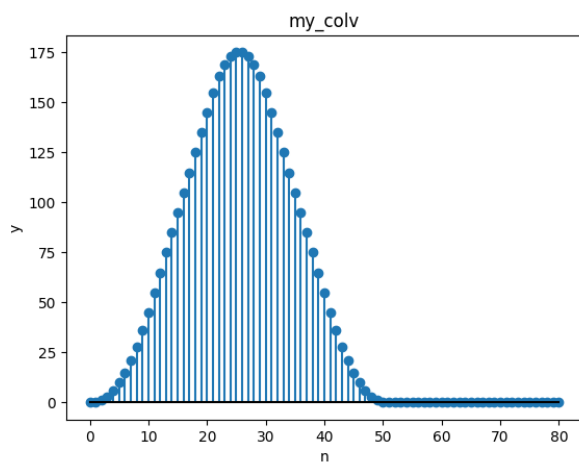
## Part B

Use `numpy.convolve` to get the convolution sum of  $x_1[n]$  and  $x_2[n]$  ( $n = 0 \sim (41+41-1)-1$ )



## Part C

Use the python function I implement to get the convolution sum of  $x_1[n]$  and  $x_2[n]$



`Print(y1.all() == y2.all())` is to check whether the elements in  $y_1$  and  $y_2$  are all the same.

```
### Part b
y1 = np.convolve(x1, x2, mode='full')
n = np.arange(0, len(y1))
draw(n, y1, 'n', 'y', 'np.convolve')

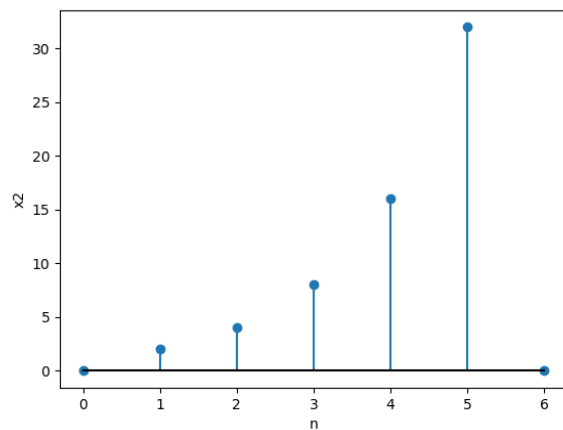
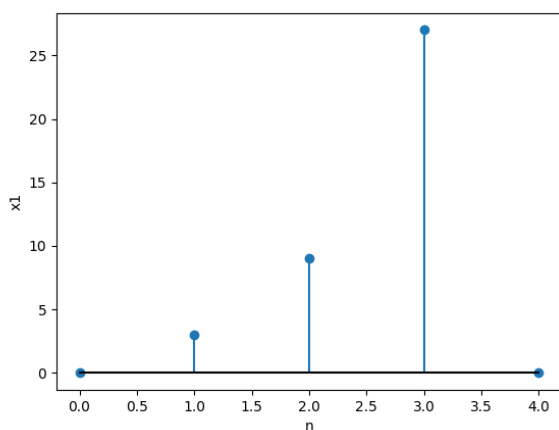
### Part c
y2 = my_colv(x1, x2)
draw(n, y2, 'n', 'y', 'my_colv')
print(y1.all() == y2.all())
```

## Part D

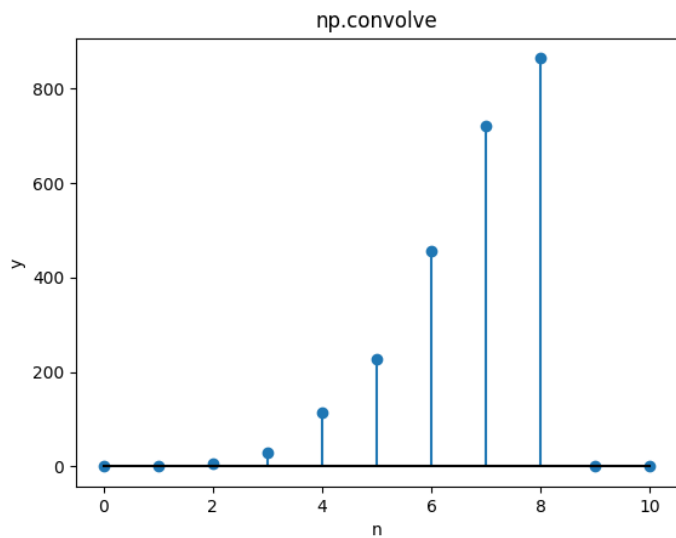
$$x_1[n] = \begin{cases} 3^n u[n], & 1 \leq n \leq 3 \\ 0, & \text{otherwise} \end{cases}$$

$$x_2[n] = \begin{cases} 2^n u[n], & 1 \leq n \leq 5 \\ 0, & \text{otherwise} \end{cases}$$

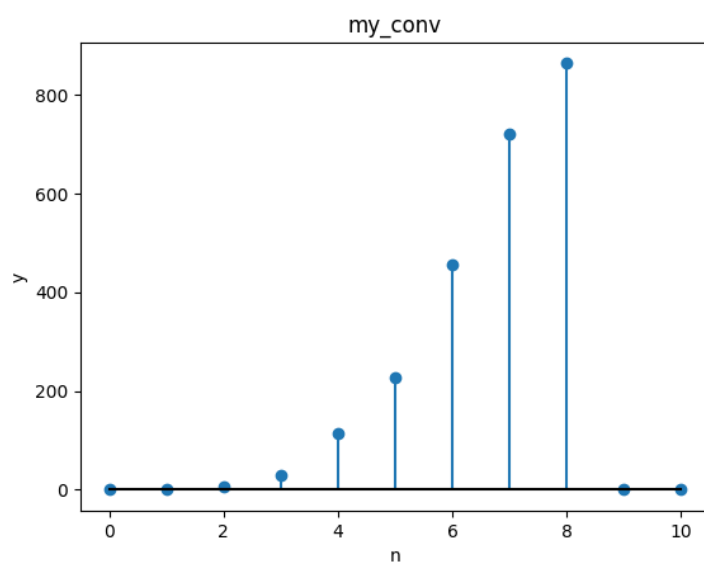
Plot  $x_1[n]$  and  $x_2[n]$  vs  $n$  ( $n = 0 \sim 4$  and  $0 \sim 6$ )



Use `numpy.convolve` to get the convolution sum of `x1[n]` and `x2[n]` (  $n = 0 \sim (5+7-1)-1$  )



Use the python function I implement to get the convolution sum of `x1[n]` and `x2[n]`



`Print(y1.all() == y2.all())` is to check whether the elements in `y1` and `y2` are all the same.

```
y1 = np.convolve(x1, x2, 'full')
n = np.arange(0, len(y1))
draw(n, y1, 'n', 'y', 'np.convolve')

y2 = my_conv(x1, x2)
draw(n, y2, 'n', 'y', 'my_conv')

print(y1.all() == y2.all())
```