- 1. If all the links in the Internet were to provide reliable delivery service, would the TCP reliable delivery service be redundant? Why or why not?
- A: 雖然每條link都能夠確認單筆資料是否遺失、正常被接收,但卻無 法確保多筆資料傳輸順序正確,TCP能夠偵測並處理不正確順序的 資料傳輸,因此TCP的服務並非是多餘的。
- 2. Why is an ARP query sent within a broadcast frame? Why is an ARP response sent within a frame with a specific destination MAC address?
- A: 當ARP 表格中沒有該 IP 位址的實體位址時,會發送一個全為 1(FFFF.FFFF.FFFF)的目標實體位置廣播,給所有在LAN上的設備, 找尋擁有請求中的目標IP位址。而ARP請求中IP位置相同的設備, 會回傳他的實體位址,因為在ARP請求中已有Source IP,可以做為 ARP回應的Destination IP,故只需要回應給發送端的Frame即可,其中包含設備的實體位址。
- 3. In CSMA/CD, after the fifth collision, what is the probability that a node chooses K = 4? The result K = 4 corresponds to a delay of how many seconds on a 10 Mbps Ethernet?
- A: 第五次碰撞時,NIC會從 $\{0\sim 2^5-1\}=\{0,1,2,...,31\}$ 中選擇,選擇到4的機率是 4/32=1/8。在10 Mbps Ethernet的bit time = 1/10M=0.1 micro second,delay time = 4*512*0.1=204.8 micro second。

4. Consider the CRC code. If the generator, G=1001, and suppose that D has the value of 11010111011. What is the value of R=? What is the actual bit pattern sent by the transmitter.?

A: R = 101, sent bits = 11010111011101

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- 5. In the textbook, we provided an outline of the derivation of the efficiency of slotted ALOHA. In this problem we'll complete the derivation.
 - a. Recall that when there are N active nodes, the efficiency of slotted ALOHA is $Np(1 p)^{N-1}$. Find the value of p that maximizes this expression.
 - b. Using the value of p found in (a), find the efficiency of slotted ALOHA by letting N approach infinity. Hint: (1 1/N)N approaches 1/e as N approaches infinity.

$$E(p) = N_{p}(1-p)^{N-1}$$

$$E'(p) = N(1-p)^{N-1} + N_{p}(N-1)(1-p)^{N-2}(-1)$$

$$= N(1-p)^{N-1} - N(N-1)p(1-p)^{N-2}$$
Let $E'(p) = 0$

$$N(1-p)^{N-1} = N(N-1)p(1-p)^{N-2}$$

$$(1-p) = (N-1)p$$

$$1-p = Np-p$$

$$1 = Np$$

$$p = \frac{1}{N}$$
When $p = \frac{1}{N}$, $E(p)$ have a maximum value.

Let
$$p^* = \frac{1}{N}$$

$$E(p^*) = E(\frac{1}{N}) = N \cdot \frac{1}{N} (1 - \frac{1}{N})^{N-1}$$

$$= (1 - \frac{1}{N})^{N-1}$$

$$= \frac{(1 - \frac{1}{N})^{N}}{1 - \frac{1}{N}}$$

$$\lim_{N \to \infty} E(\frac{1}{N}) = \lim_{N \to \infty} \frac{(1 - \frac{1}{N})^{N}}{1 - \frac{1}{N}} = \frac{\frac{1}{e}}{1 - 0} = \frac{1}{e}$$