

## Assignment 3-1 Polynomial Addition 1

You are given two polynomials  $f(x)$  and  $g(x)$  with integer coefficients. In this problem you'll have to find out the sum  $f(x) + g(x)$  of  $f(x)$  and  $g(x)$ . For the sake of convenience, we define the zero polynomial as  $0x^0$ .

### Input

The input consists of  $t$  ( $30 \leq t \leq 40$ ) test cases. The first line of the input contains only positive integer  $t$ . Then  $t$  test cases follow. Each test case consists of two lines which give the two polynomials  $f(x)$  and  $g(x)$ . The polynomials are represented by first an integer  $d$  ( $0 \leq d \leq 100$ ) which represents the degree of the polynomial, followed by  $d+1$  integers (in the range  $[-2^{30}, 2^{30} - 1]$ ) representing the coefficients of the polynomial. The coefficients are in decreasing order of exponent, and the leading coefficient is not 0. You may assume that neither  $f(x)$  nor  $g(x)$  is the zero polynomial.

### Output

For each test case, you are to output a single line containing  $f(x) + g(x)$ , in the same format as the input. Note that if  $f(x) + g(x)$  is the zero polynomial, the output should be '0 0'.

### Sample Input

```
2
3 1 -2 0 -4
0 4
3 -1 -2 0 4
3 1 2 1 -7
```

### Sample Output

```
3 1 -2 0 0
1 1 -3
```

### Suggested data structure

In your program, it is suggested that a polynomial  $a_n x^n + a_{n-1} x^{n-1} + \cdots + a_2 x^2 + a_1 x + a_0$  is represented by the following array:

$n$	$n-1$	$\cdots$	2	1	0
$a_n$	$a_{n-1}$	$\cdots$	$a_2$	$a_1$	$a_0$

That means the coefficient of the  $x^k$  term is stored in location  $k$  of the array. For example, the polynomial  $-x^3 - 2x^2 + 4$  is represented by the following array:

3	2	1	0
-1	-2	0	4

Note that the coefficients can be 0.

### Suggested part of the program

You are suggested to write the function `addition` to complete the following program which solves this problem. It is also suggested that you don't declare arrays (or vectors) in the function `addition`, and don't declare global variables (including global arrays) except `arraySize`.

```
// Polynomial addition
#include <iostream>
using namespace std;

const int arraySize = 101;

// sum = addend + adder provided that
// neither addend nor adder is the zero polynomial
void addition( int addend[], int adder[], int sum[],
               int addendDegree, int adderDegree, int &sumDegree );

int main()
{
    int T;
    cin >> T;
    for( int t = 0; t < T; t++ )
    {
        int addend[ arraySize ];
        int addendDegree;
        cin >> addendDegree;
        for( int i = addendDegree; i >= 0; i-- )
            cin >> addend[ i ];

        int adder[ arraySize ];
        int adderDegree;
        cin >> adderDegree;
        for( int i = adderDegree; i >= 0; i-- )
            cin >> adder[ i ];

        int sum[ arraySize ];
        int sumDegree;
        addition( addend, adder, sum,
                  addendDegree, adderDegree, sumDegree );

        cout << sumDegree;
        for( int i = sumDegree; i >= 0; i-- )
            cout << " " << sum[ i ];
        cout << endl;
    }
}

// sum = addend + adder provided that
// neither addend nor adder is the zero polynomial
void addition( int addend[], int adder[], int sum[],
               int addendDegree, int adderDegree, int &sumDegree )
{
    // ... (function body) ...
}
```