1. the worst case running time of reversel (1st) is  $\Theta(n^2)$ . Every time we insert a element, we need to plus I on the index of the element we insert. Thus the running time of insert I element is  $\Theta(n)$ . As we insert n elements, the running time would become  $\Theta(n^2)$ 

2. the worst case running time of reverse 2 [list] is 6(n).

The running time of append one element to the lot is

O(1). As we append n elements, the running time would

become n \* 1 which equal to 6(n)

3. b.

```
def find_duplicates(lst):
    temp = [] — ()(1)
    Max = 0 — ()(1)
    dup_list = [] 		 ⊕(1)
    for j in lst:
       if j > Max: 一 (9 (j))
          Max = j
   for i in range(Max+1): 7-60)
       temp.append(0)
    for i in 1st:
       temp[i] += 1 — 7 - 6()
    for i in range(len(temp)):
        if temp[i] > 1:  — ₽()/
           dup_list.append(i) [ ] \( \frac{1}{2} \)
    return dup_list
```

The worst-case would lst contain  $\Lambda$  identical numbers. At that time, the running time would become  $\Lambda + \Lambda + 2\Lambda + 4 = \Theta(\Lambda)$ 

4. a. The worst case would be "(st")

contain n numbers of the value which

needs to be removed. At that time,

the runing time would become n \*n

= D (n²)

The worst case would be the "lst" contain numbers of the walue which needs to be removed At that time, the running time would become  $n+n=\beta cn$ )