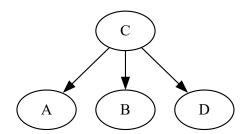
理论作业二

- (1)不独立

- (2)不独立 (3)不独立 (4)不独立 (5)独立
- (6)独立

- (7)独立 (8)不独立 (9)独立 (10)不独立
- (11)不独立



由图可知:

$$P(E, S, M, B) = P(E) \cdot P(S|E, M) \cdot P(M) \cdot P(B|M)$$

(1)

因此:

$$P(E = F, S = F, M = F, B = F) = 0.6 \cdot 0.9 \cdot 0.9 \cdot 0.9 = 0.4374$$

(2)

B与E,S独立。

$$P(B = T) = P(M = T, B = T) + P(M = F, B = T)$$

= 1.0 \cdot 0.1 + 0.1 \cdot 0.9 = 0.19

(3)

$$P(M = T|B = T) = \frac{P(B = T|M = T) \cdot P(M = T)}{P(B = T)}$$
$$= \frac{1.0 \cdot 0.1}{0.19} = 0.5263$$

(4)

$$\begin{split} P(M=T|E=T,S=T,B=T) &= \frac{P(M=T,E=T,S=T,B=T)}{P(E=T,S=T,B=T)} \\ &= \frac{P(M=T,E=T,S=T,B=T)}{P(M=T,E=T,S=T,B=T) + P(M=F,E=T,S=T,B=T)} \\ &= \frac{0.4 \cdot 0.1 \cdot 1.0 \cdot 1.0}{0.4 \cdot 0.1 \cdot 1.0 \cdot 1.0 + 0.4 \cdot 0.9 \cdot 0.8 \cdot 0.1} \\ &= 0.5814 \end{split}$$

(5)

E, M独立, 故:

$$P(E = T | M = T) = rac{P(E = T, M = T)}{P(M = T)}$$
 $= rac{P(E = T) \cdot P(M = T)}{P(M = T)}$
 $= P(E = T) = 0.4$