CS685 Homework 5

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1. Cube coordinates:

$$X = \begin{bmatrix} 0 & 1.00 & 1.00 & 0.00 & 0.00 & 0.00 & 1.00 & 1.00 \\ 0 & 0.00 & 1.00 & 1.00 & 1.00 & 0.00 & 0.00 & 1.00 \\ 0 & 0.00 & 0.00 & 0.00 & 1.00 & 1.00 & 1.00 & 1.00 \end{bmatrix}$$

Camera Rotation:

$$R = \begin{bmatrix} 0 & 0.00 & -1.00 \\ 1 & 0.00 & 0.00 \\ 0 & -1.00 & 0.00 \end{bmatrix}$$

Camera Translation:

$$T = \begin{bmatrix} 2 \\ 0 \\ 0 \end{bmatrix}$$

Plot:

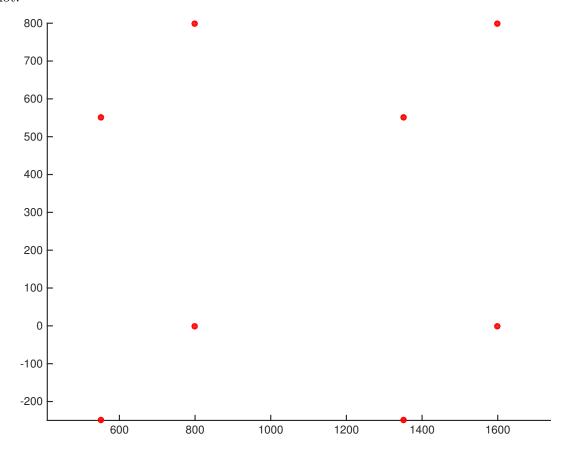


Figure 1: Plot of the vertices of the cube.

2. Results:

$$R = \begin{bmatrix} 0.35877 & -0.41129 & 0.83793 \\ 0.79722 & 0.60194 & -0.045886 \\ -0.48551 & 0.68448 & 0.54385 \end{bmatrix}$$

$$T = \begin{bmatrix} 0.10000 \\ 0.10000 \\ 15.000 \end{bmatrix}$$

$$= \begin{bmatrix} 0.066224 & 1.3878 \times 10^{-16} & 2.2551 \times 10^{-16} \\ 0.0000 & 0.066224 & 3.4694 \times 10^{-16} \\ 0.0000 & 0.0000 & 0.066224 \end{bmatrix}$$

Code:

```
function [R,T,K] = calibration 2Dto 3D(X,x)
  h = 1;
3
  for k = 1: size(x, 2)
5
6
  A(h, :) = [X(1, k) \ X(2, k) \ X(3, k) \ 1 \dots]
               0 0 0 0 ...
               -x(1, k)*X(1, k) -x(1, k)*X(2, k) \dots
               -x(1, k)*X(3, k) -x(1, k);
10
  A(h + 1, :) = [0 \ 0 \ 0 \ 0 \dots
11
                   X(1, k) X(2, k) X(3, k) 1 \dots
12
                   -x(2, k)*X(1, k) -x(2, k)*X(2, k) ...
13
                   -x(2, k)*X(3, k) -x(2, k);
14
  h = h + 2;
15
  end;
16
   [U S V] = svd(A);
19
  % camera matrix
  P = V(:, size(V,2));
  P = reshape(P, 4, 3);
23
  [K,R] = rq(P(:,1:3));
25
  % make diagonal of K positive
  S = diag(sign(diag(K)));
27
28
  K = K * S;
  R = S * R;
30
31
  T = inv(K) *P(:,4);
  _{
m end}
```

```
 \begin{array}{lll} \mbox{``rq decomposition} \\ \mbox{``lower function } [R \ Q] = rq \ (M) \\ \mbox{``lower function } [R \ Q] = rq \ (M) \\ \mbox{``lower flipud } (M) \ \mbox{`')} \ ; \\ \mbox{``lower R = flipud } (R') \ ; \\ \mbox{``lower R = flipud } (R) \ ; \\ \mbox{``lower R = flipud } (Q) \ ; \\ \mbox{``lower R = flipud } (Q) \ ; \\ \mbox{``lower end} \\ \end{array}
```