# PPEA-Depth: Progressive Parameter-Efficient Adaptation for Self-Supervised Monocular Depth Estimation

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#### **Abstract**

Self-supervised monocular depth estimation is of significant importance with applications spanning across autonomous driving and robotics. However, the reliance on self-supervision introduces a strong static-scene assumption, thereby posing challenges in achieving optimal performance in dynamic scenes, which are prevalent in most real-world situations. To address these issues, we propose PPEA-Depth, a Progressive Parameter-Efficient Adaptation approach to transfer a pre-trained image model for self-supervised depth estimation. The training comprises two sequential stages: an initial phase trained on a dataset primarily composed of static scenes, succeeded by an expansion to more intricate datasets involving dynamic scenes. To facilitate this process, we design compact encoder and decoder adapters to enable parameter-efficient tuning, allowing the network to adapt effectively. They not only uphold generalized patterns from pretrained image models but also retains knowledge gained from the preceding phase into the subsequent one. Extensive experiments demonstrate that PPEA-Depth achieves state-of-theart performance on KITTI, CityScapes and DDAD datasets.

#### 1 Introduction

In the realm of computer vision, accurate depth perception of a scene is a fundamental aspect that underpins a wide array of applications, from autonomous vehicles navigating complex environments to immersive virtual reality experiences. Depth estimation has witnessed remarkable advancements in recent years due to the proliferation of deep learning techniques. Especially, self-supervised methods (Zhou et al. 2017; Godard et al. 2019; Watson et al. 2021; Guizilini et al. 2022; Bangunharcana et al. 2023) that leverage the inherently contained rich and diverse sources of depth-related information in monocular videos open the door to scalability and real-world adaptability for depth estimation methods.

Existing self-supervised monocular depth estimation methods are commonly based on fine-tuning pre-trained image models learned from large image datasets, such as ImageNet (Deng et al. 2009), on depth datasets, such as KITTI (Geiger, Lenz, and Urtasun 2012), improving depth estimation accuracy compared to training from scratch (Godard

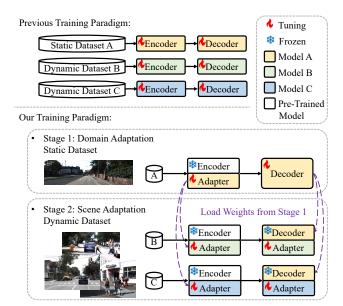


Figure 1: **Previous Paradigm v.s. Our Paradigm**. The conventional training approach employs a consistent process for both static and dynamic datasets: it includes using a pretrained image model as an encoder and fine-tuning all U-Net parameters for each dataset. In contrast, our novel two-stage training paradigm integrates adapters to progressively tailor the pre-trained image models for depth perception initially on simple dataset (static scenes primarily) and then extends to intricate datasets (with dynamic scenes).

et al. 2019). Some recent approaches introduce cost volume construction within the network to incorporate multiframe inputs during inference (Watson et al. 2021; Guizilini et al. 2022; Bangunharcana et al. 2023). However, the above methods are all rooted in the assumption of a static scene, where solely the camera moves. This strong assumption subsequently creates challenges for these methods to reach optimality in dynamic scenes, limiting the efficient utilization of actual, unlabeled data for self-supervised training. Some other methods propose sophisticated algorithms that incorporate supplementary components like semantic segmentation or motion prediction networks to model object motion (Klingner et al. 2020; Lee et al. 2021a; Feng et al. 2022; Hui

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<sup>&</sup>lt;sup>†</sup>Project homepage: https://yuejiangdong.github.io/PPEADepth/ Copyright © 2024, Association for the Advancement of Artificial Intelligence (www.aaai.org). All rights reserved.

2022). However, these methods often yield less satisfactory outcomes in static scenes compared to dedicated static methods (Guizilini et al. 2022; Bangunharcana et al. 2023).

In this paper, we aim at providing a new learning paradigm for self-supervised depth estimation to improve the performance and generalizability of the model, specifically by equipping it with improved capabilities to handle dynamic scenes. During our preliminary experiments of directly fine-tuning pre-trained models using such videos, we observed that excessive training with a relatively small dataset can disrupt the generalized patterns learned during pre-training, potentially resulting in catastrophic forgetting. Inspired by the recent success of parameter-efficient finetuning (PEFT) in natural language processing (NLP) community (Houlsby et al. 2019; Pfeiffer et al. 2020; Zhu et al. 2021; Hu et al. 2021) and image and video classification (Jia et al. 2022; Bahng et al. 2022; Chen et al. 2022b; Lin et al. 2022; Chen et al. 2022a; Yang et al. 2023), we extend it to self-supervised depth estimation, a loose-contrained regression task that remains unexplored in this field. We not only investigate adapters on encoders(Houlsby et al. 2019) to facilitate improved adaptation from pre-trained models to depth perception task, but also propose a novel concept of decoder adapter to boost network robustness towards dynamic scenes.

We propose an innovative two-stage self-supervised depth estimation approach, PPEA-Depth, based on parameterefficient adaptation. We devise lightweight encoder adapters and decoder adapters within our framework. Our method is guided by insights drawn from human learning mechanisms, which typically progress from simple to complex tasks. Our approach first trains on datasets primarily featuring static scenes, which adhere to the static scene assumptions. The pre-trained encoder is frozen to retain general patterns gained from large image datasets and encoder adapters are tuned to adapt the network to learn depth priors. Subsequently, we train the network on more intricate and dynamic scenes. To retain the knowledge learned from static scenes in the preceding stage, we load weights from the previous stage and freeze both the encoder and decoder, and just train extra encoder and decoder adapters to summarize network updates for adaptation to new scenes.

The second scene adaptation stage extends beyond a single dataset. The domain-adapted model can be flexibly adapted to various new scenes solely by tuning the adapters. We only need to tune and store a small number of scene-specific parameters to generalize across different datasets. With these innovations, PPEA-Depth achieves state-of-the-art performance on KITTI, CityScapes(Cordts et al. 2016) and DDAD(Guizilini et al. 2020a) datasets.

Our main contributions can be summarized as:

- We propose a new paradigm to transfer upstream pretrained models to self-supervised monocular depth estimation in a progressive manner from static scenes to more challenging dynamic scenes.
- We design encoder adapters to take advantage of pretrained image models. Reducing tunable parameters by up to 90%, tuning encoder adapters demonstrates less

- depth estimation errors than full fine-tuning.
- We design decoder adapter to enhance the adaptability of the decoder to more challenging datasets. Remarkably, merely tuning encoder adapter and decoder adapter yields a 6% improvement in absolute relative errors compared to fine-tuning all U-Net parameters on the full training set when utilizing only 3% of the training data.

### 2 Related Work

# 2.1 Self-Supervised Monocular Depth Estimation

Self-supervised monocular depth estimation predicts depth and camera ego-motion from an outdoor monocular video, and is supervised by image reprojection loss (Zhou et al. 2017). On the basis of such methodology, previous works make progress in designing loss functions for better convergence to optimum (Godard et al. 2019; Shu et al. 2020), designing more complicated encoder structure with cost volume (Watson et al. 2021; Bangunharcana et al. 2023) and attention scheme (Guizilini et al. 2022), and leveraging cross-domain information of optical flow (Yin and Shi 2018; Chen, Schmid, and Sminchisescu 2019; Ranjan et al. 2019) or scene semantics (Casser et al. 2019; Klingner et al. 2020; Jung, Park, and Yoo 2021; Lee et al. 2021a,b; Feng et al. 2022) to handle dynamic objects, etc. Training selfsupervised depth estimation from a pre-trained model yields superior performance compared to training from scratch (Godard et al. 2019), implying the generalized patterns learned in pre-training benefit this task.

#### 2.2 Parameter-Efficient Fine-Tuning

A variety of parameter-efficient fine-tuning (PEFT) methods have been proposed in recent NLP works (Houlsby et al. 2019; Pfeiffer et al. 2020; Karimi Mahabadi et al. 2021; Zaken, Ravfogel, and Goldberg 2021; Zhu et al. 2021; Li and Liang 2021; Hu et al. 2021; He et al. 2021). Different from the traditional training patterns which fine-tune large pretrained models on different downstream tasks, PEFT freezes parameters in pre-trained models and only fine-tunes a small number of extra parameters to obtain strong performance with less tuned parameters.

In the computer vision field, PEFT has been mainly studied and applied in classification tasks including image classification (Jia et al. 2022; Bahng et al. 2022; Chen et al. 2022a; Jie and Deng 2023) and video action recognition (Lin et al. 2022; Chen et al. 2022a; Yang et al. 2023). A recent work (Chen et al. 2022b) investigates PEFT for the application of Vision Transformer (Dosovitskiy et al. 2020) in dense prediction tasks including semantic segmentation and object detection. Different from previous work, we study PEFT in self-supervised monocular depth estimation, a challenging dense regression task. PEFT algorithm is not only designed and applied for parameters of the encoder backbone but also for the dense prediction decoder in our method. To the best of our knowledge, we are the first to study PEFT in the depth estimation area.

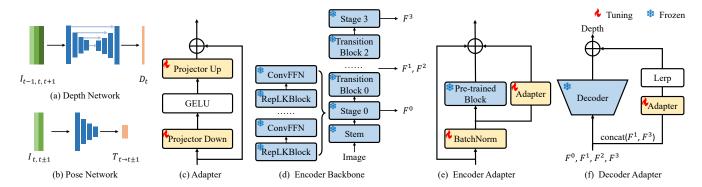


Figure 2: (a) Depth network is a U-Net structure predicting depth taking three consecutive frames. (b) Pose network regresses camera relative pose given two images. (c) Adapter is a bottleneck structure with a skip connection. (d) Structure of RepLKNet (Ding et al. 2022) backbone. (e) Our encoder adapter design. We attach encoder adapters to pre-trained RepLKBlock and ConvFFN. (f) Our decoder adapter design. Lerp represents linear interpolation.

### 3 Method

#### 3.1 Overview

Our network comprises a depth network (Fig. 2(a)) and a pose network (Fig. 2(b)). The depth network employs a U-Net structure, encompassing an encoder to extract image features and a decoder to predict dense depth maps. Meanwhile, the pose network predicts the camera transformation between two frames. It has a feature extractor followed by a prediction head, which outputs a six-dimensional vector – three for rotation angles and the other three for translation.

Our network takes three consecutive frames from a monocular video as input. The middle frame is reconstructed with its adjacent frames, and the difference between the reconstructed and original images serves as the supervision signal. This reconstruction relies on cross-frame pixel correspondences in the structure-from-motion theory (Zhou et al. 2017). Given camera intrinsics K and camera relative pose T between two frames a, b from a video, the pixel correspondence between them can be computed by:

$$p_a \sim KT_{b\to a}D_b(p_b)K^{-1}p_b,\tag{1}$$

where  $p_a$  and  $p_b$  are corresponding pixels in the two frames, and  $D_b$  is the depth of  $p_b$ . Assuming a static scene, these correspondences reconstruct frame b from pixels in frame a.

We adopt the identical architecture and training strategy for the pose network as ManyDepth (Watson et al. 2021), with our primary focus centered on the depth network. In the conventional training approach, encoders are initialized with transferred pre-trained weights, while decoders and prediction heads are trained from scratch. In our method, we introduce the PEFT scheme by adding adapters (Houlsby et al. 2019) to the depth network's encoder and decoder to encapsulate network adaptations across distinct domains.

#### 3.2 Adapter

Adapters are compact architectures designed to tailor a pretrained module for a specific downstream task (Houlsby et al. 2019). While parameters of the pre-trained model remain static, only adapter parameters are modified during training. Illustrated in Fig. 2(c), adapters follow a bottleneck structure, encompassing two linear projection layers, an activation layer, and a skip connection. The initial projection layer reduces the input feature dimension, and the subsequent one restores it to the original input dimension after the activation layer. On the basis of such architecture, we respectively design adapters for the encoder and decoder of our depth network.

# 3.3 Encoder Adapter

**Backbone** We opt for RepLKNet (Ding et al. 2022), a CNN architecture featuring a notable kernel size of  $31 \times 31$ , as the encoder backbone. This selection is attributed to its adaptability concerning input image resolution, comparable accuracy to Swin Transformer (Liu et al. 2021), and enhanced inference speed when applied to downstream tasks.

As illustrated in Fig. 2(d), RepLKNet generates feature maps of four different scales:  $F^1, F^2, F^3, F^4$  at four stages. Within each stage, a RepLKBlock and a ConvFFN are interleaved in their arrangement. Please refer to the supplementary materials for more details. To leverage the pre-established generalized patterns of the RepLKNet and fine-tune them for the depth regression task, we integrate adapters to the RepLKBlocks and ConvFFNs.

**Architecture** As depicted in Fig. 2(e), the input feature is initially processed through a batch normalization layer and then fed into the pre-trained block and adapter using two parallel streams. Within each adapter, we adhere to the conventional bottleneck structure, with a notable distinction being the replacement of the first linear projection module with a convolutional layer for the adapters of RepLKBlock. This convolutional layer employs a kernel size of 3, a stride of 1, and padding of 1. These settings maintain the spatial dimensions of the input feature maps unchanged after convolution. Substituting the linear projection with a  $3\times 3$  convolution offers adapters a larger receptive field, proving advantageous for per-pixel regression tasks such as depth estimation. Meanwhile, the ConvFFN's adapter continues to adopt linear projection in order to minimize the parameter

count. Given the input x, the output x' of the module after incorporating the adapted block A can be written as:

$$x' = x + \mathcal{M}(\mathcal{N}(x)) + \mathcal{A}(\mathcal{N}(x)), \tag{2}$$

where  $\mathcal M$  is the pre-trained block,  $\mathcal A$  is its adapter, and  $\mathcal N$  represents batch normalization.

# 3.4 Decoder Adapter

The architecture of the decoder adapter is illustrated in Fig. 2(f). To strike a balance between the additional parameter count and the sufficiency of adapter input, we perform an interpolation of  $F^3$  to match the spatial dimensions of  $F^0$ , and subsequently utilize their concatenation as the input to the adapter. The inner structure of the decoder adapter adopts a Projector-GELU-Projector configuration, where both projectors employ linear projection. Given that  $F^0$  has dimensions of (H/4, W/4) spatially, the output of the decoder adapter requires restoration to the original size of the input images, i.e., (H, W). This is achieved through linear interpolation. The computation for incorporating the decoder adapter can be written as:

$$x' = \mathcal{D}(F^0, F^1, F^2, F^3) + \mathcal{A}(F^0, F^3), \tag{3}$$

where  $\mathcal{D}$  is the decoder and  $\mathcal{A}$  is its adapter.

#### 3.5 Progressive Adaptation

As illustrated in Fig. 1, our progressive adaptation involves two stages. Stage 1 is trained on a dataset that primarily follows the static-scene assumption. In Stage 1, a pre-trained model, capable of efficiently extracting color features, is tailored from an image classification task to depth regression. We freeze all encoder parameters and only train the decoder and encoder adapters. The frozen encoder retains the generalized patterns acquired during the model pre-training.

Stage 2 is conducted on datasets featuring prevalent dynamic scenes, which are more challenging for training because dynamic objects violate Eqn. (1) and mislead the self-supervision signal. Our method capitalizes on the depth priors obtained from static scenes in stage 1 and apply them to dynamic scenes. In Stage 2, we load the weights of the encoder, the encoder adapters, and the decoder learned in Stage 1, and freeze both the encoder and the decoder, with only adapter parameters being updated. Our method well preserves the depth perception ability obtained from Stage 1, as most network parameters are frozen and are unaffected by the erroneous loss caused by object motion. Meanwhile, the lightweight adapters make minor adjustments based on this robust depth prior, fitting data distribution in new scenes.

### 4 Experiments

In this section, we (1) demonstrate the effectiveness of the two stages separately, (2) showcase that PPEA-Depth yields state-of-the-art results on standard benchmarks, and (3) assess the generalizability of the proposed methods. Supplementary materials contain additional results and ablation studies to validate our approach.

#### 4.1 Datasets

Our method comprises two stages. The domain adaptation stage is trained and evaluated on the KITTI dataset, as it contains a substantial number of scenes that adhere to the static-scene assumption. Subsequently, the scene adaptation stage is built upon the parameters acquired from the domain adaptation stage on KITTI. This stage is then evaluated on more challenging datasets, including CityScapes and DDAD.

**KITTI** The KITTI dataset (Geiger, Lenz, and Urtasun 2012) serves as the standard benchmark for evaluating self-supervised monocular depth estimation methods. We adhere to the established training protocols outlined in (Eigen, Puhrsch, and Fergus 2014) and utilize the data preprocessing approach introduced by (Zhou et al. 2017), yielding 39,810 monocular triplets for training, 4,424 for validation, and 697 for testing.

CityScapes The CityScapes dataset (Cordts et al. 2016) is notably more challenging due to its inclusion of numerous dynamic scenes with multiple moving objects (Casser et al. 2019). While fewer results are reported compared to KITTI, CityScapes serves as a prominent benchmark for those studies that focus on developing algorithms to handle dynamic objects (Lee et al. 2021a; Li et al. 2021; Feng et al. 2022; Hui 2022). Following the setup of previous work (Feng et al. 2022), we train on 58,355 and evaluate on 1,525 images.

**DDAD** DDAD is a more recent autonomous driving dataset (Guizilini et al. 2020a). It is challenging owing to its extended depth range of up to 200 meters and inclusion of moving objects (Guizilini et al. 2022). We follow the official DGP codebase of DDAD dataset to load images, and use 12,350 monocular triplets for train and 3,850 for evaluation.

## 4.2 Evaluation Details

As self-supervised learning predicts relative depth, we adhere to the established practice of scaling it before conducting evaluations (Godard et al. 2019). We use standard depth assessment metrics (Eigen and Fergus 2015), encompassing absolute and squared relative errors (AbsRel and SqRel), root mean squared error (RMSE), root mean squared log error (RMSElog), and accuracy within a threshold ( $\delta$ ).

PPEA-Depth adopts the well-established multi-frame inference and teacher-student distillation training scheme (Watson et al. 2021; Feng et al. 2022; Guizilini et al. 2022; Bangunharcana et al. 2023). The main network contains a cost volume construction process, using both the current frame  $I_t$  and its preceding frame  $I_{t-1}$  to predict depth  $D_t$ . The teacher network does not involve cost volume generation and only takes the current frame during inference. Albeit for the difference in inner structure, the teacher and student share the same adapter design and training paradigm. Please refer to the supplementary for more details.

We carry out experiments using two variations of RepLKNet, each with different scales of parameter counts: RepLKNet-B and RepLKNet-L (Ding et al. 2022). In line with the approach taken by Houlsby et al. (2019); He et al. (2021); Yang et al. (2023), all adapter weights are initialized to zero to ensure stable training.

| Pre-Trained   | Tuning Strategy  | Tuning Params (M) |         |        | Er    | rors↓ |              | $Accuracy \uparrow$ |                   |                   |  |
|---------------|------------------|-------------------|---------|--------|-------|-------|--------------|---------------------|-------------------|-------------------|--|
| Backbone      | runing strategy  | Encoder           | Decoder | AbsRel | SqRel | RMSE  | $RMSE_{log}$ | $\delta < 1.25$     | $\delta < 1.25^2$ | $\delta < 1.25^3$ |  |
|               | Frozen           | 0                 | 12.5    | 0.128  | 0.938 | 4.908 | 0.200        | 0.850               | 0.953             | 0.981             |  |
| Dani WNat D   | Full Fine-Tuned  | 78.8              | 12.5    | 0.092  | 0.774 | 4.355 | 0.175        | 0.911               | 0.966             | 0.982             |  |
| RepLKNet-B    | Adapter (0.0625) | 8.15              | 12.5    | 0.092  | 0.686 | 4.207 | 0.170        | 0.910               | 0.968             | 0.984             |  |
|               | Adapter (0.25)   | 21.2              | 12.5    | 0.090  | 0.666 | 4.175 | 0.168        | 0.912               | 0.969             | 0.984             |  |
|               | Frozen           | 0                 | 28.2    | 0.129  | 0.938 | 4.937 | 0.201        | 0.846               | 0.952             | 0.980             |  |
| Dom I W.Not I | Full Fine-Tuned  | 171               | 28.2    | 0.089  | 0.734 | 4.306 | 0.169        | 0.917               | 0.968             | 0.983             |  |
| RepLKNet-L    | Adapter (0.0625) | 18.1              | 28.2    | 0.090  | 0.666 | 4.146 | 0.168        | 0.915               | 0.969             | 0.985             |  |
|               | Adapter (0.25)   | 47.6              | 28.2    | 0.088  | 0.649 | 4.105 | 0.167        | 0.917               | 0.968             | 0.984             |  |

Table 1: **Encoder Adapters are Effective for Domain Adaptation.** Our method achieves better accuracy with fewer tuned parameters. Numbers in brackets after *Adapter* indicate the bottleneck ratio.

# 4.3 Stage 1: Domain Adaptation

Here we demonstrate the effectiveness of our adapter-based tuning strategy in the domain adaptation stage. We compare our method with two baselines by training and testing on the KITTI dataset, all using the same pre-trained RepLKNet module for image classification as the depth encoder. The first baseline (Frozen) freezes the depth encoder and only trains the depth decoder. The second baseline (Full Fine-Tuned) tunes all the parameters of the depth encoder and decoder. The goal of our domain adaptation stage is to add a few tunable parameters to the first baseline and close the gap between it and the full fine-tuning method.

Encoder adapters project input features to a lower dimensional space and then project them back. Bottleneck ratio is the ratio between the input and the intermediate feature channels and directly influences the number of adapter parameters. We control the number of adapter parameters by setting different bottleneck ratios. As shown in Table 1, for RepLKNet-B, the frozen encoder with our adapters achieves comparable performance with fine-tuning the entire backbone, while using 90% fewer parameters than it. Tuning 21.2M encoder adapter parameters surpasses the performance of full fine-tuned RepLKNet-B. Experimental results for RepLKNet-L are similar. Our method reduces the number of tunable parameters by up to 90% to achieve comparable performance with the full fine-tuned RepLKNet-L.

Our domain adaptation stage can well preserve and utilize the generalized patterns in the ImageNet-pre-trained model by freezing the encoder backbone. It's worth noting that adapter tuning leads to significantly lower SqRel and RMSE values. This observation suggests that the generalized patterns retained through our adapter tuning strategy are beneficial for reducing extreme depth estimation errors.

#### 4.4 Stage 2: Scene Adaptation

We verify the efficacy of our second training stage: the scene adaptation stage and its decoder adapter. We consistently select RepLKNet-B as the depth encoder and set the adapter bottleneck ratio to 0.25. We present a comparison on CityScapes under varying training strategies in Table 2.

Our proposed training paradigm trains our model based on the weights learned in the first training stage on KITTI. Quantitative results in Table 2 and qualitative results in Fig.

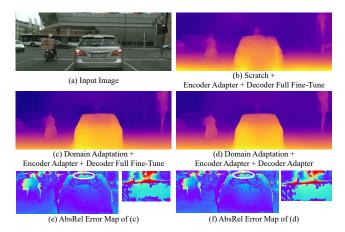


Figure 3: Comparisons of Different Training Strategies on CityScapes. Training from domain adaptation yields better depth estimates on vehicles and cyclists compared to training from scratch. Tuning decoder adapters demonstrates improved depth estimates in the upper portion of the car compared to the full fine-tuned decoder.

3(b-d) demonstrate that tuning on KITTI before training on CityScapes significantly outperforms the method of training from scratch. There are a large number of dynamic objects in CityScapes, making training from scratch on it challenging because moving objects disrupt the pixel correspondences computed by Equation 1. This may mislead the loss during training, constraining the network's predicted depth in the wrong direction.

We directly load the model trained from Stage 1 on KITTI and evaluate it on CityScapes (the third row of Table 2). Its outcomes are unsatisfactory, signifying that there exist notable distinctions between the two datasets. We also assess another baseline: starting from weights learned on KITTI and subsequently full fine-tuning both the encoder and decoder on CityScapes (the fourth row of Table 2). It outperforms methods that train from scratch but evidently falls short in comparison to the adapter-tuning approach that also starts from the weights learned in the domain adaptation stage. This observation suggests that directly fine-tuning all parameters in the depth network disrupts the patterns ac-

| Train                | Tuning   |   | Er   | rors↓  |  | <i>Accuracy</i> ↑                              |  |  |  |
|----------------------|--|---|--|--|--|--|--|--|--|
| From                 | Encoder  | Decoder   | AbsRel   | SqRel  | RMSE   | $RMSE_{\log}$                                  | $\delta < 1.25$                                | $\delta < 1.25^2$                              | $\delta < 1.25^3$                              |
| Scratch              | Full Fine-Tuned<br>Adapter                         | Full Fine-Tuned<br>Full FT.                         | 0.130<br>0.130                                 | 1.717<br>1.473                                 | 6.448<br>6.735                                 | 0.184<br>0.179                                 | 0.857<br>0.859                                 | 0.958<br>0.964                                 | 0.984<br>0.988                                 |
| Domain<br>Adaptation | Original Weights<br>Full FT.<br>Adapter<br>Adapter | Original Weights<br>Full FT.<br>Full FT.<br>Adapter | 0.138<br>0.116<br><b>0.103</b><br><b>0.100</b> | 1.319<br>1.120<br><b>0.962</b><br><b>0.976</b> | 7.211<br>6.193<br><b>5.716</b><br><b>5.673</b> | 0.198<br>0.168<br><b>0.155</b><br><b>0.152</b> | 0.819<br>0.873<br><b>0.897</b><br><b>0.904</b> | 0.957<br>0.969<br><b>0.976</b><br><b>0.977</b> | 0.987<br>0.991<br><b>0.992</b><br><b>0.992</b> |

Table 2: **Effectiveness of Our Scene Adaptation Strategy and Decoder Adapter**. We compare different training strategies on CityScapes (Cordts et al. 2016). Our scene adaptation strategy tunes on the basis of the domain adaptation stage, yielding better depth estimation accuracy than training from scratch. Results on the last two rows indicate tuning decoder adapters performs better than tuning the whole U-Net decoder.

| Percentage of | Tuning Strategy |         |        | Er    | rors↓ |               | <i>Accuracy</i> ↑ |                   |                   |  |
|---------------|-----------------|---------|--------|-------|-------|---------------|-------------------|-------------------|-------------------|--|
| Training Data | Encoder         | Decoder | AbsRel | SqRel | RMSE  | $RMSE_{\log}$ | $\delta < 1.25$   | $\delta < 1.25^2$ | $\delta < 1.25^3$ |  |
| 3%            | Adapter         | Adapter | 0.109  | 1.177 | 6.180 | 0.162         | 0.889             | 0.973             | 0.990             |  |
| 5%            | Adapter         | Adapter | 0.107  | 1.137 | 6.081 | 0.160         | 0.892             | 0.973             | 0.991             |  |
| 10%           | Adapter         | Adapter | 0.105  | 1.134 | 5.997 | 0.158         | 0.896             | 0.974             | 0.991             |  |
| 25%           | Adapter         | Adapter | 0.102  | 1.104 | 5.844 | 0.154         | 0.902             | 0.975             | 0.991             |  |

Table 3: Our Scene Adaptation and Adapters Enhance Data Efficiency. Our scene adaptation strategy outperforms training from scratch and full fine-tuning from domain adaptation by a large margin even when utilizing only 3% of the training data from CityScapes (Cordts et al. 2016).

quired in previous training phases. The practice of preserving generalized patterns from a pre-trained image model by tuning only the encoder adapters is advantageous for training networks on challenging datasets.

As evident from the final two rows in Table 2, fine-tuning decoder adapter with a mere 0.185M parameters yields superior outcomes compared to fine-tuning the entire decoder of the U-Net. As illustrated in Fig. 3 (e-f), tuning decoder adapter produces more precise depth estimations compared to the full fine-tuned decoder. This observation implies that freezing the U-Net decoder better preserves the depth priors acquired in the previous stage. Our decoder adapter offers a solution that strikes a balance between adapting the network to new datasets and conserving valuable depth perception patterns gained from preceding training phases.

Our method also enhances data efficiency. We conducted Stage 2 training using randomly sampled subsets of 2.5%, 10%, and 25% of the data from the CityScapes training set. The evaluation results for each subset are presented in Table 3. Notably, tuning encoder adapters and decoder adapters with just around 3% of the training data significantly surpasses the strategies of training from scratch and full finetuning the entire U-Net in Stage 2. Training with approximately 25% of the data yields results comparable to tuning adapters on the entire training set, particularly for the accuracy metric  $\delta < 1.25$ . This suggests that the adapter-based learning scheme can swiftly enhance the accuracy of depth estimation even with a limited amount of data.

#### 4.5 Depth Evaluation

Table 4 and Table 5 provide comprehensive comparisons between our method and state-of-the-art models on the two widely recognized benchmarks for self-supervised depth estimation: KITTI (Geiger, Lenz, and Urtasun 2012) and CityScapes (Cordts et al. 2016). As specified in section 4.2, PPEA-Depth incorporates both a teacher and a student network, following ManyDepth (Watson et al. 2021). The teacher network utilizes a single frame during inference, whereas the student network employs two frames (preceding and current). In Table 4 and 5, we present the results of the teacher and student networks by indicating the number of frames in the column of *Test Frames* as 1 or 2.

Our model outperforms most previous models on both benchmarks. Specifically, our method demonstrates a notable enhancement in the accuracy metric  $\delta < 1.25$ , signifying a high degree of accurate inliers. In contrast to prior state-of-the-art models that mainly focus on improving the self-supervised monocular depth estimation methodology itself - such as designing intricate sub-modules for iterative refinement of estimated depth and pose (Bangunharcana et al. 2023), enhancing cost volume generation with transformers (Guizilini et al. 2022), or incorporating a motion field prediction network (Hui 2022) - our approach centers on introducing a more effective strategy for the training process. We aim to contribute by designing structures that leverage the generalized patterns in robust pre-trained models and creating more sensible learning paradigms to address challenging scenarios in self-supervised depth estimation.

| Method                      | Test    | Semantic | W×H                                     | $\mathit{Errors} \downarrow$ |       |       |              | $Accuracy \uparrow$ |                   |                   |
|-----------------------------|---------|----------|---|------------------------------|-------|-------|--------------|---------------------|-------------------|-------------------|
|                             | Frames  |          | *************************************** | AbsRel                       | SqRel | RMSE  | $RMSE_{log}$ | $\delta < 1.25$     | $\delta < 1.25^2$ | $\delta < 1.25^3$ |
| Casser et al. (2019)        | 1       | •        | 416×128                                 | 0.141                        | 1.026 | 5.291 | 0.215        | 0.816               | 0.945             | 0.979             |
| Bian et al. (2019)          | 1       |          | $416 \times 128$                        | 0.137                        | 1.089 | 5.439 | 0.217        | 0.830               | 0.942             | 0.975             |
| Gordon et al. (2019)        | 1       | •        | $416 \times 128$                        | 0.128                        | 0.959 | 5.230 | 0.212        | 0.845               | 0.947             | 0.976             |
| Godard et al. (2019)        | 1       |          | $640 \times 192$                        | 0.115                        | 0.903 | 4.863 | 0.193        | 0.877               | 0.959             | 0.981             |
| Lee et al. (2021a)          | 1       | •        | $832 \times 256$                        | 0.112                        | 0.777 | 4.772 | 0.191        | 0.872               | 0.959             | 0.982             |
| Guizilini et al. (2020a)    | 1       |          | $640 \times 192$                        | 0.111                        | 0.785 | 4.601 | 0.189        | 0.878               | 0.960             | 0.982             |
| Hui (2022)                  | 1       |          | $640 \times 192$                        | 0.108                        | 0.710 | 4.513 | 0.183        | 0.884               | 0.964             | 0.983             |
| Wang et al. (2021)          | 1       |          | $640 \times 192$                        | 0.109                        | 0.779 | 4.641 | 0.186        | 0.883               | 0.962             | 0.982             |
| Johnston et al. (2020)      | 1       |          | $640 \times 192$                        | 0.106                        | 0.861 | 4.699 | 0.185        | 0.889               | 0.962             | 0.982             |
| Guizilini et al. (2020b)    | 1       | •        | $640 \times 192$                        | 0.102                        | 0.698 | 4.381 | 0.178        | 0.896               | 0.964             | 0.984             |
| Wang et al. (2020)          | 2(-1,0) |          | $640 \times 192$                        | 0.106                        | 0.799 | 4.662 | 0.187        | 0.889               | 0.961             | 0.982             |
| Watson et al. (2021)        | 2(-1,0) |          | $640 \times 192$                        | 0.098                        | 0.770 | 4.459 | 0.176        | 0.900               | 0.965             | 0.983             |
| Feng et al. (2022)          | 2(-1,0) | •        | $640 \times 192$                        | 0.096                        | 0.720 | 4.458 | 0.175        | 0.897               | 0.964             | 0.984             |
| Guizilini et al. (2022)     | 2(-1,0) |          | $640 \times 192$                        | 0.090                        | 0.661 | 4.149 | 0.175        | 0.905               | 0.967             | 0.984             |
| Bangunharcana et al. (2023) | 2(-1,0) |          | $640 \times 192$                        | 0.087                        | 0.698 | 4.234 | 0.170        | 0.914               | 0.967             | 0.983             |
| PPEA-Depth (RepLKNet-B)     | 2(-1,0) |          | 640×192                                 | 0.090                        | 0.666 | 4.175 | 0.168        | 0.912               | 0.969             | 0.984             |
| PPEA-Depth (RepLKNet-L)     | 2(-1,0) |          | $640 \times 192$                        | 0.088                        | 0.649 | 4.105 | 0.167        | 0.917               | 0.968             | 0.984             |

Table 4: Depth Estimation Results on KITTI Eigen Split (Eigen and Fergus 2015).

| Method                  | Test    | Semantic | $W{	imes}H$      |        | Er                                  | rors↓ |       |       | $Accuracy \uparrow$ |                   |
|-------------------------|---------|----------|------------------|--------|-------------------------------------|-------|-------|-------|---------------------|-------------------|
| TVIOLIO G               | Frames  | Semantic | *******          | AbsRel | sRel SqRel RMSE RMSE <sub>log</sub> |       |       |       | $\delta < 1.25^2$   | $\delta < 1.25^3$ |
| Casser et al. (2019)    | 1       | •        | 416×128          | 0.145  | 1.737                               | 7.280 | 0.205 | 0.813 | 0.942               | 0.976             |
| Godard et al. (2019)    | 1       |          | $416 \times 128$ | 0.129  | 1.569                               | 6.876 | 0.187 | 0.849 | 0.957               | 0.983             |
| Gordon et al. (2019)    | 1       | •        | $416 \times 128$ | 0.127  | 1.330                               | 6.960 | 0.195 | 0.830 | 0.947               | 0.981             |
| Li et al. (2021)        | 1       |          | $416 \times 128$ | 0.119  | 1.290                               | 6.980 | 0.190 | 0.846 | 0.952               | 0.982             |
| Lee et al. (2021a)      | 1       | •        | $832 \times 256$ | 0.111  | 1.158                               | 6.437 | 0.182 | 0.868 | 0.961               | 0.983             |
| Watson et al. (2021)    | 2(-1,0) |          | $416 \times 128$ | 0.114  | 1.193                               | 6.223 | 0.170 | 0.875 | 0.967               | 0.989             |
| Feng et al. (2022)      | 2(-1,0) | •        | $416 \times 128$ | 0.103  | 1.000                               | 5.867 | 0.157 | 0.895 | 0.974               | 0.991             |
| Hui (2022)              | 1       |          | $416 \times 128$ | 0.100  | 0.839                               | 5.774 | 0.154 | 0.895 | 0.976               | 0.993             |
| PPEA-Depth (RepLKNet-B) | 1       |          | 416×128          | 0.099  | 1.115                               | 5.995 | 0.155 | 0.905 | 0.976               | 0.991             |
| PPEA-Depth (RepLKNet-B) | 2(-1,0) |          | $416 \times 128$ | 0.100  | 0.976                               | 5.673 | 0.152 | 0.904 | 0.977               | 0.992             |

Table 5: **Depth Estimation Results on CityScapes** (Cordts et al. 2016).

# 4.6 Generalization Ability

To substantiate the generalization capability of our method, we extend our evaluation beyond the two standard benchmarks, and assess the performance of PPEA-Depth on a more recent dataset, DDAD (Guizilini et al. 2020a). As detailed in Section 4.2, the student network involves a cost volume construction process, which explicitly incorporates the depth range of the dataset. In the domain adaptation stage on KITTI, this range is set to 1-100 m, which is not compatible with the DDAD dataset with a depth range of 0-200m. Therefore, we evaluate the teacher network on DDAD.

Table 6 compares our method with state-of-the-art models on DDAD. Using only a single frame during testing, our method outperforms previous models, underscoring the potent generalization capability of our adapters and indicating the potential of transfer learning across varied datasets via adapter tuning with a core model. In this manner, we only need to maintain and incorporate a modest count of dataset-specific parameters, in addition to the core model, for each featuring scene.

| Method                   | Test    | Erro   | <i>Accuracy</i> ↑ |                 |
|--------------------------|---------|--------|-------------------|-----------------|
| 11001100                 | Frames  | AbsRel | SqRel             | $\delta < 1.25$ |
| Guizilini et al. (2020a) | 1       | 0.162  | 3.917             | 0.823           |
| Guizilini et al. (2022)  | 2(-1,0) | 0.135  | 2.953             | 0.836           |
| PPEA-Depth (RepLKNet-B)  | 1       | 0.134  | 2.809             | 0.836           |
| PPEA-Depth (RepLKNet-L)  | 1       | 0.130  | 2.695             | 0.846           |

Table 6: **Depth Estimation Results on DDAD** (Guizilini et al. 2020a) (WxH = 640x384).

#### 5 Conclusion

In this paper, we introduce PPEA-Depth, a novel framework designed to enable the progressive transfer of pre-trained image models into the realm of self-supervised depth estimation. This transfer is orchestrated through the utilization of encoder and decoder adapters. Initially, the pre-trained model is tailored to accommodate depth perception using datasets primarily aligned with the static-scene assumption of self-supervised depth estimation methodology. Subsequently, it is further adapted to more challenging datasets involving a large number of moving objects.

PPEA-Depth achieves state-of-the-art results on the KITTI and CityScapes, while also demonstrating its robust transferability on the DDAD dataset. Our method is promising to transfer to other tasks with loose-constrained loss, boosting robustness towards loss errors.

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