Practice Quiz, 3 questions



Congratulations! You passed!

Next Item



1/1 point

1.

Social network connectivity. Given a social network containing n members and a log file containing m timestamps at which times pairs of members formed friendships, design an algorithm to determine the earliest time at which all members are connected (i.e., every member is a friend of a friend of a friend ... of a friend). Assume that the log file is sorted by timestamp and that friendship is an equivalence relation. The running time of your algorithm should be $m \log n$ or better and use extra space proportional to n.

Note: these interview questions are ungraded and purely for your own enrichment. To get a hint, submit a solution.

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Your answer cannot be more than 10000 characters.

Thank you for your response.

Hint: union-find.



1/1 point

2.

Union-find with specific canonical element. Add a method find() to the union-find data type so that find(i) returns the largest element in the connected component containing i. The operations, union(), connected(), and find() should all take logarithmic time or better.

For example, if one of the connected components is $\{1,2,6,9\}$, then the **find()** method should return 9 for each of the four elements in the connected components.

ce Quiz, 3 questions	s: Union-Find (ungraded)	3/3 points (
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1/1 point		
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Interview Questions: Union-Find (ungraded) Practice Quiz, 3 questions

3/3 points (100%)