The factors for a good quality coffee!

Group 12

Introduction

The data set here, is coming from the Coffee Quality Database which is a database that contains information from the Coffee Quality Institute which is a non-profit organisation working internationally to improve the quality of coffee and the lives of the people who produce it. Here, in this project, we are trying to answer the question "What influence do different features of coffee have on whether the quality of a batch of coffee is classified as good or poor?"

For this purpose, firstly, we read the data set.

```
coffee_data <- read.csv("dataset12.csv")
```

Data distribution

The Country of origin of the coffee We take a look at the percentages of good and bad qualities of coffees with respect to it's country of origin.

```
#Check the percentage of good and poor quality coffee for each country of origin

coffee_data %>%
  tabyl(country_of_origin, Qualityclass) %>%
  adorn_percentages() %>%
  adorn_pct_formatting() %>%
  adorn_ns()
```
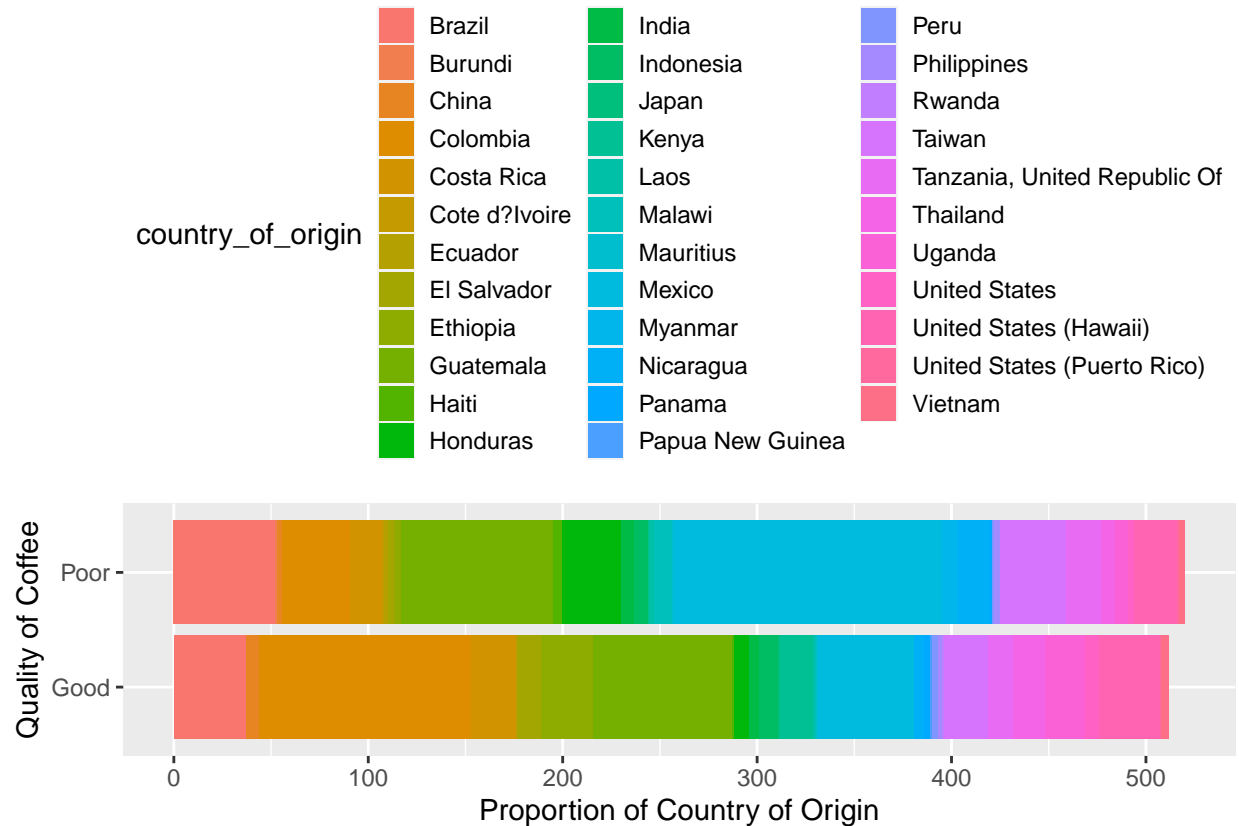
country_of_origin	Good		Poor	
Brazil	41.6%	(37)	58.4%	(52)
Burundi	0.0%	(0)	100.0%	(1)
China	70.0%	(7)	30.0%	(3)
Colombia	75.7%	(109)	24.3%	(35)
Costa Rica	59.0%	(23)	41.0%	(16)
Cote d?Ivoire	0.0%	(0)	100.0%	(1)
Ecuador	33.3%	(1)	66.7%	(2)
El Salvador	75.0%	(12)	25.0%	(4)
Ethiopia	90.0%	(27)	10.0%	(3)
Guatemala	47.7%	(71)	52.3%	(78)
Haiti	16.7%	(1)	83.3%	(5)
Honduras	21.1%	(8)	78.9%	(30)
India	41.7%	(5)	58.3%	(7)
Indonesia	58.8%	(10)	41.2%	(7)
Japan	100.0%	(1)	0.0%	(0)
Kenya	94.4%	(17)	5.6%	(1)
Laos	33.3%	(1)	66.7%	(2)

```
                    Malawi  10.0%   (1)  90.0%    (9)
                 Mauritius   0.0%   (0) 100.0%    (1)
                    Mexico  26.6%  (50)  73.4%  (138)
                   Myanmar   0.0%   (0) 100.0%    (8)
                 Nicaragua  22.7%   (5)  77.3%   (17)
                    Panama  75.0%   (3)  25.0%    (1)
          Papua New Guinea 100.0%   (1)   0.0%    (0)
                      Peru  75.0%   (3)  25.0%    (1)
               Philippines  40.0%   (2)  60.0%    (3)
                    Rwanda 100.0%   (1)   0.0%    (0)
                    Taiwan  40.4%  (23)  59.6%   (34)
 Tanzania, United Republic Of  41.9%  (13)  58.1%   (18)
                  Thailand  69.6%  (16)  30.4%    (7)
                    Uganda  75.0%  (21)  25.0%    (7)
             United States  70.0%   (7)  30.0%    (3)
     United States (Hawaii)  58.5%  (31)  41.5%   (22)
United States (Puerto Rico)  50.0%   (1)  50.0%    (1)
                   Vietnam  57.1%   (4)  42.9%    (3)
```

In order to get a clear picture of which countries coffee beans are mostly of good and bad quality, we can plot the quality based on the country of origin in gradient scale.

```
#Plot the distribution of coffee quality class based on the origin

ggplot(coffee_data, aes(y = Qualityclass)) +
  geom_bar(aes(fill = country_of_origin), position = position_stack(reverse = TRUE)) +
  theme(legend.position = "top", legend.key.size = unit(0.5, "cm"))+
  guides(fill = guide_legend(ncol = 3))+
  scale_color_gradient(low = "yellow", high = "green")+
  labs(x = "Proportion of Country of Origin", y = "Quality of Coffee")
```

country_of_origin

Brazil	India	Peru
Burundi	Indonesia	Philippines
China	Japan	Rwanda
Colombia	Kenya	Taiwan
Costa Rica	Laos	Tanzania, United Republic Of
Cote d?Ivoire	Malawi	Thailand
Ecuador	Mauritius	Uganda
El Salvador	Mexico	United States
Ethiopia	Myanmar	United States (Hawaii)
Guatemala	Nicaragua	United States (Puerto Rico)
Haiti	Panama	Vietnam
Honduras	Papua New Guinea	

From the figure above, we can see that the color gradient is larger in the red area in case of the good quality coffee while that of blue is dominant in case of bad quality coffee.But the difference is not highly significant.
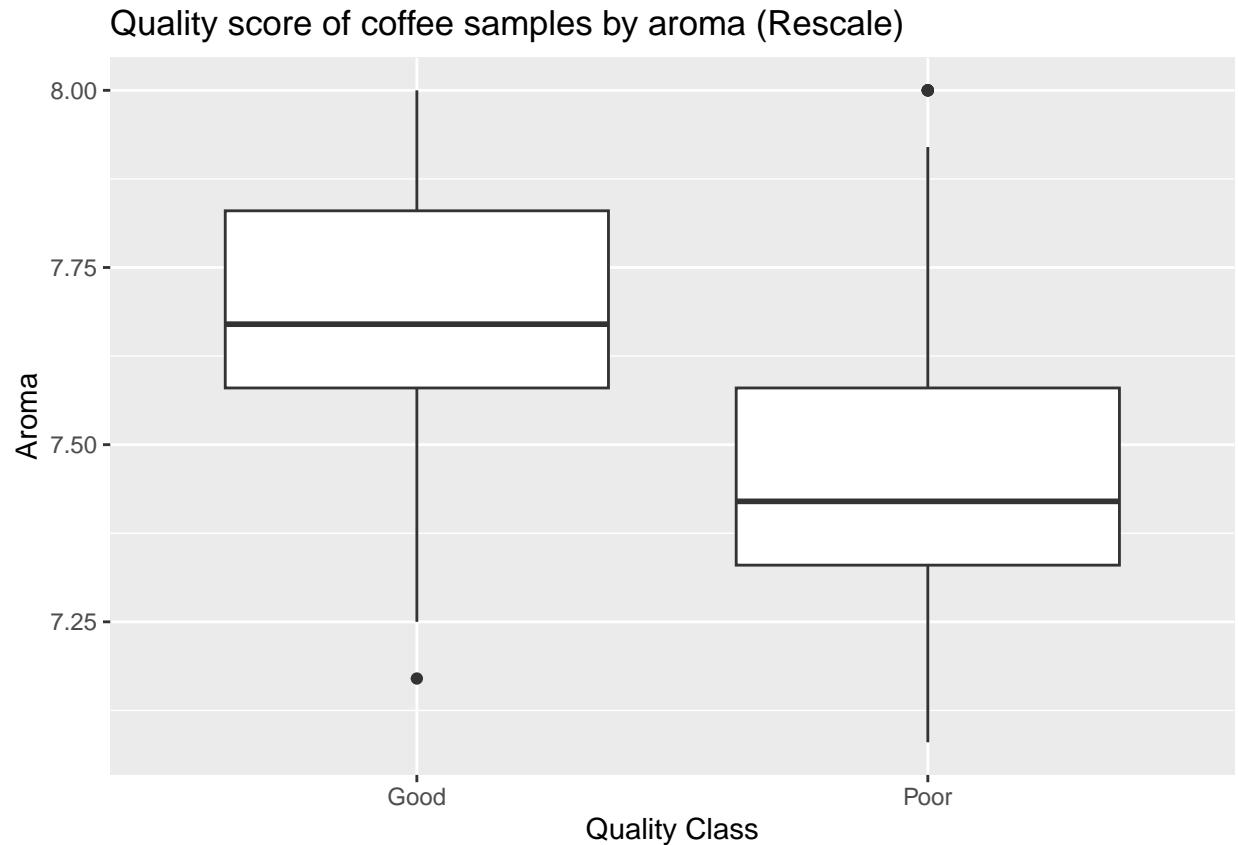
The Aroma of the coffee

Let's consider the next variable of interest, which is the aroma of the coffee. Here we want to see how the aroma of the coffee is distributed around the quality of the coffee.

```
#Plot the distribution of coffee quality class based on the aroma
#First plot without rescaling
ggplot(data = coffee_data, aes(x = Qualityclass, y = aroma)) +
  geom_boxplot() +
  labs(title = "Quality score of coffee samples by aroma",
       x = "Aroma",
       y = "Qualityclass")
```

Quality score of coffee samples by aroma
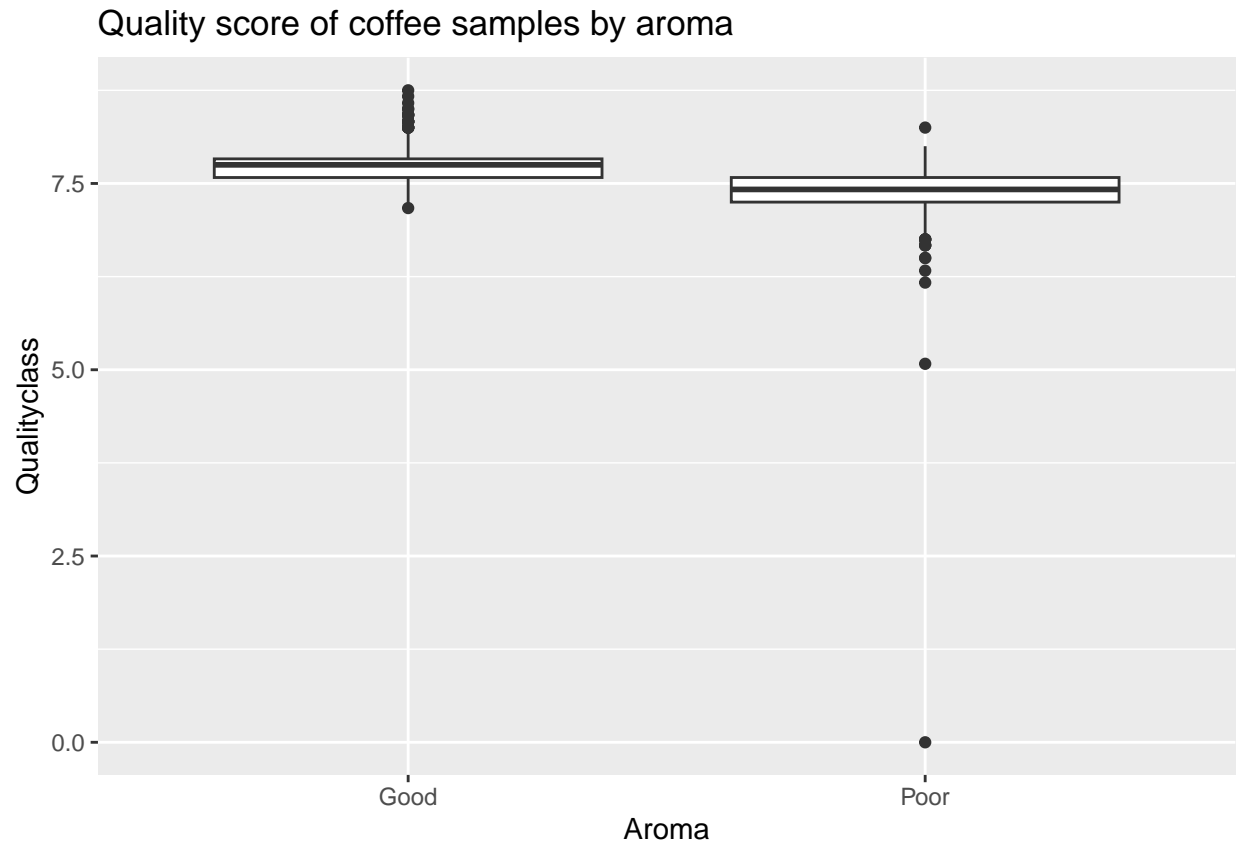
From the boxplot above, it is hard to get the picture of the distribution, because of the presence of outliers in this distribution. So we try to rescale the boxplot to get better visual of the distribution.

```
#Rescaling the plot
ggplot(data = coffee_data, aes(x = Qualityclass, y = aroma)) +
  geom_boxplot() +
  scale_y_continuous(limits = quantile(coffee_data$aroma, c(0.05, 0.95)))+
  labs(title = "Quality score of coffee samples by aroma (Rescale)",
       x = "Quality Class",
       y = "Aroma")
```

## Quality score of coffee samples by aroma (Rescale)

From the boxplot above, we can see that a low value of aroma of the coffee corresponds to poor quality.

Please note that for the rest of boxplot figure, we use the rescaled data in order to make the clearer representation of the distribution.

Flavor

Here, we consider the next variable, flavor of the coffee with respect to the quality.

```
ggplot(data = coffee_data, aes(x = Qualityclass, y = flavor)) +
  geom_boxplot() +
  scale_y_continuous(limits = quantile(coffee_data$flavor, c(0.05, 0.95)))+
  labs(title = "Quality score of coffee samples by flavor (Rescale)",
       x = "Quality Class",
       y = "flavor")
```

Quality score of coffee samples by flavor (Rescale)
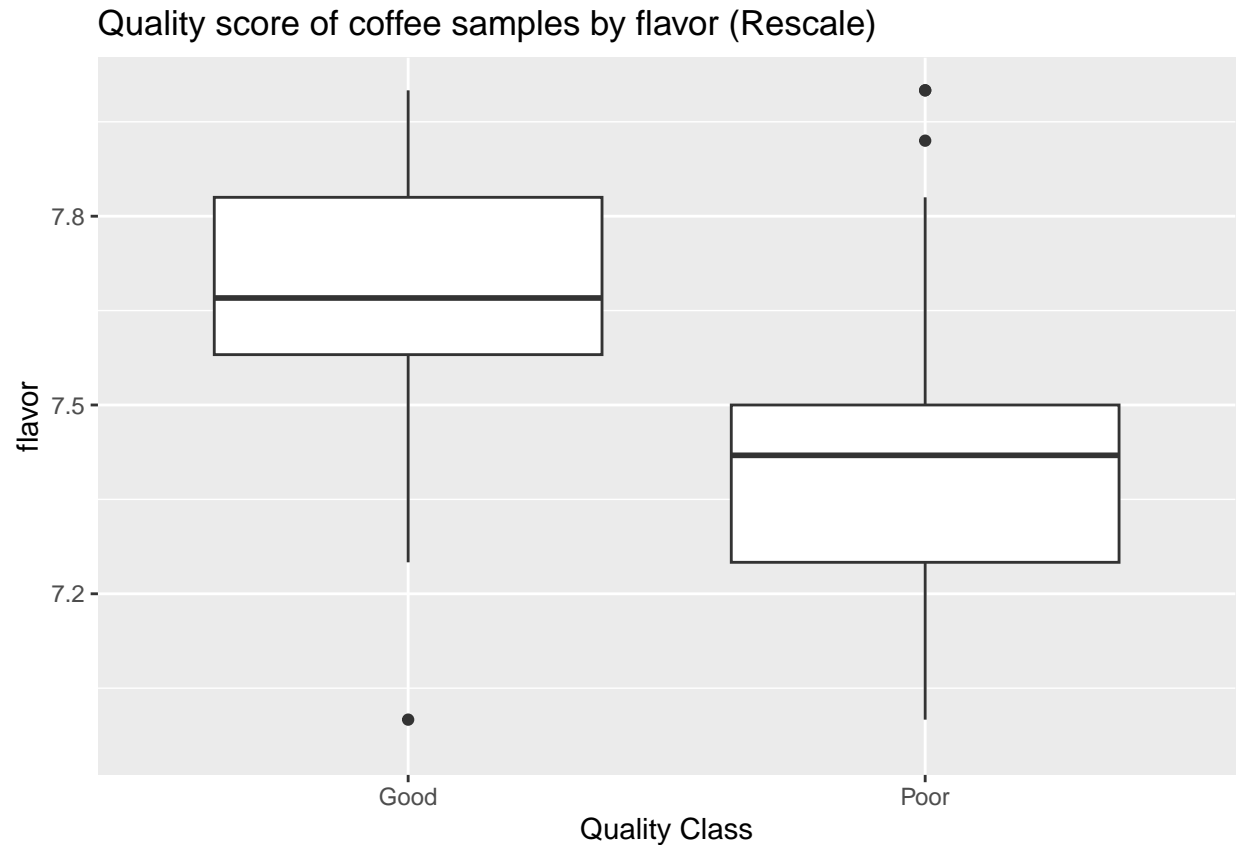
From the boxplot above, we can understand that a coffee is labelled as good if it has a high flavor grade.

Acidity

Considering acidity grade with respect to the class of quality.

```r
ggplot(data = coffee_data, aes(x = Qualityclass, y = acidity)) +
  geom_boxplot() +
  scale_y_continuous(limits = quantile(coffee_data$acidity, c(0.05, 0.95)))+
  labs(title = "Quality score of coffee samples by acidity (Rescale)",
       x = "Quality Class",
       y = "acidity")
```

Quality score of coffee samples by acidity (Rescale)
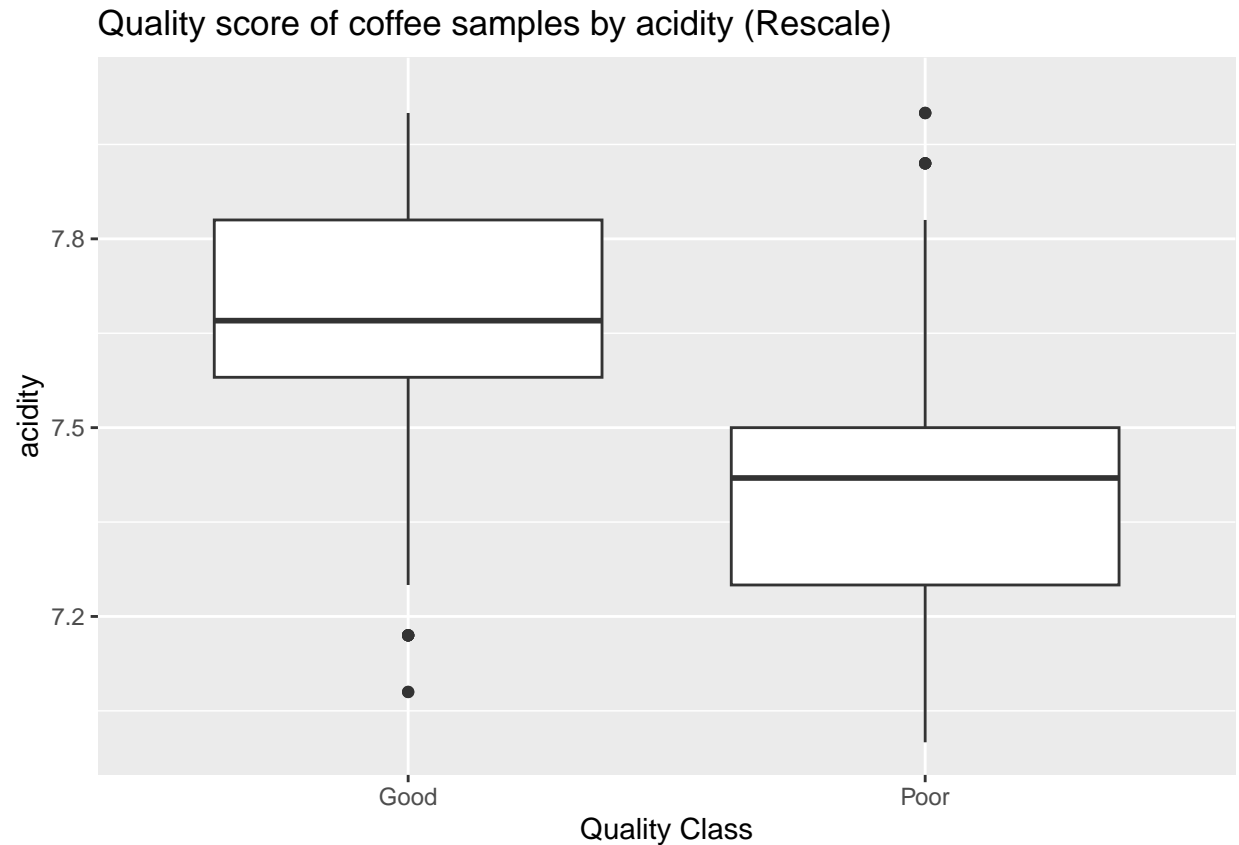
We can see that higher the acidity grade, better the coffee quality.

Category 2 defects

This variable contains the number of times category 2 type defect was found in the batch of coffee beans tested.

```
ggplot(data = coffee_data, aes(x = Qualityclass, y =    category_two_defects)) +
  geom_boxplot() +
  scale_y_continuous(limits =   quantile(coffee_data$category_two_defects, c(0.05, 0.95)))+
  labs(title = "Quality score of coffee samples by category_two_defects (Rescale)",
       x = "Quality Class",
       y = "category_two_defects")
```

Quality score of coffee samples by category_two_defects (Rescale)
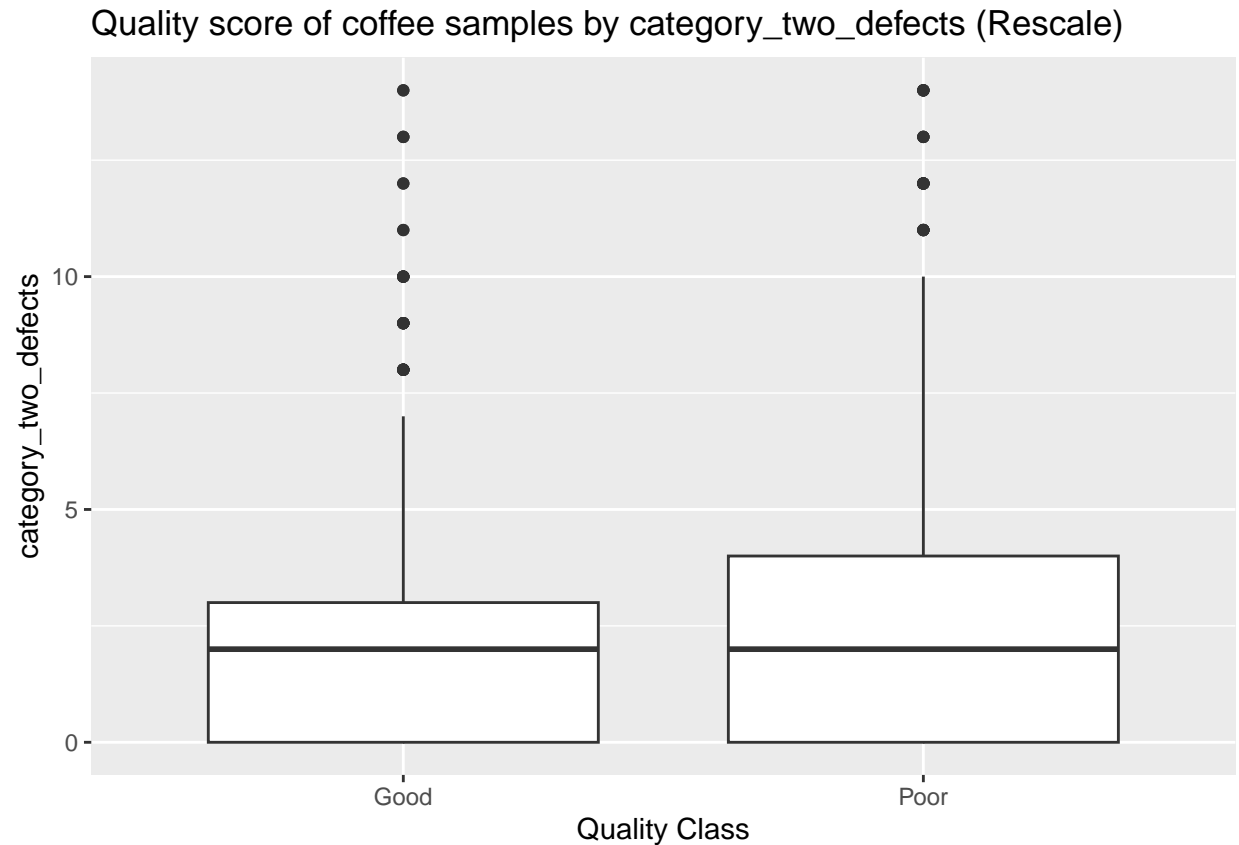
As we can see, category 2 type defects were more in poor quality coffee beans.And there is no difference mean from the two distribution. For the futher analysis, we consider to remove this variable.

Mean altitude of the growers farm

```
ggplot(data = coffee_data, aes(x = Qualityclass, y =    altitude_mean_meters)) +
  geom_boxplot() +
  scale_y_continuous(limits =   quantile(coffee_data$altitude_mean_meters, c(0.05, 0.95),na.rm = TRUE))
  labs(title = "Quality score of coffee samples by altitude_mean_meters (Rescale)",
       x = "Quality Class",
       y = "altitude_mean_meters")
```

Quality score of coffee samples by altitude_mean_meters (Rescale)
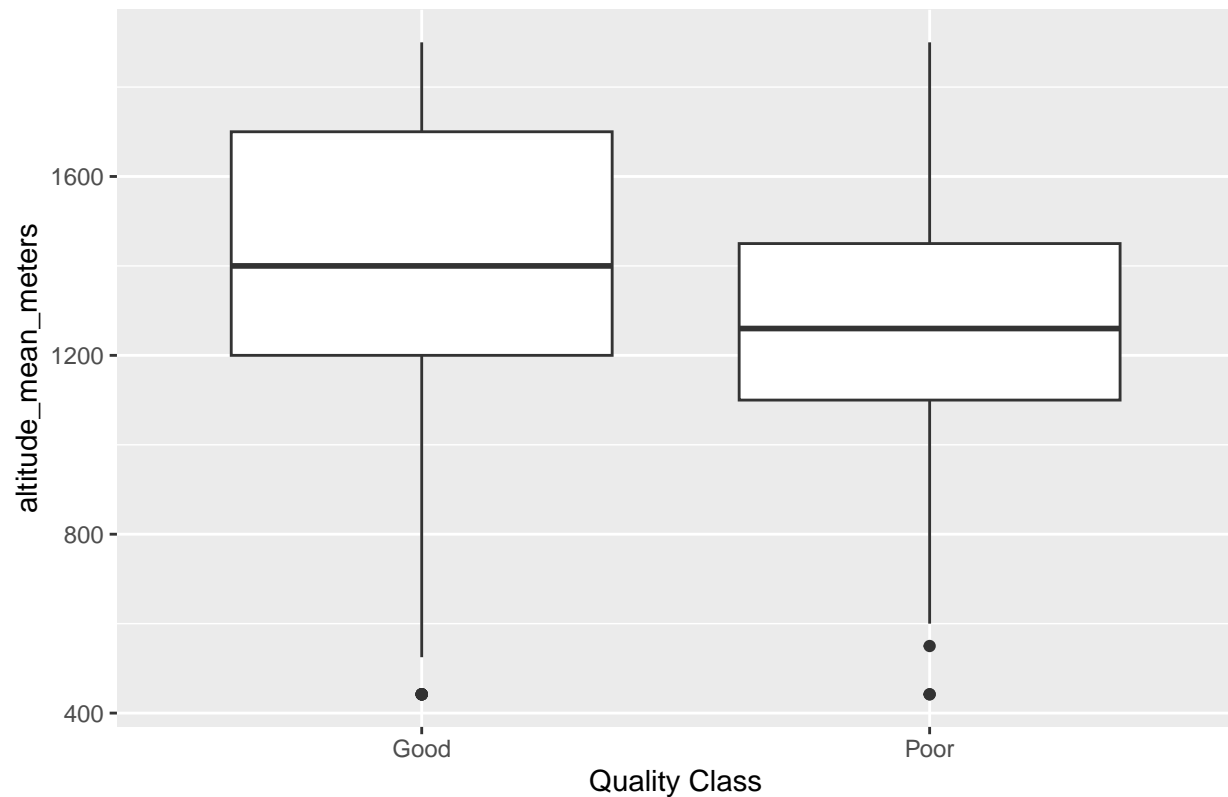
From the boxplot, we can analyse that as the mean altitude increases, the coffee quality also increases.

Year Harvested

```
ggplot(data = coffee_data, aes(x = Qualityclass, group = harvested)) +
  geom_bar(aes(y = ..prop.., fill = harvested),
           stat = "count", position = "dodge") +
  scale_color_gradient(low = "red", high = "green")+
  labs(x = "Quality of Coffee", y = "Proportion")
```
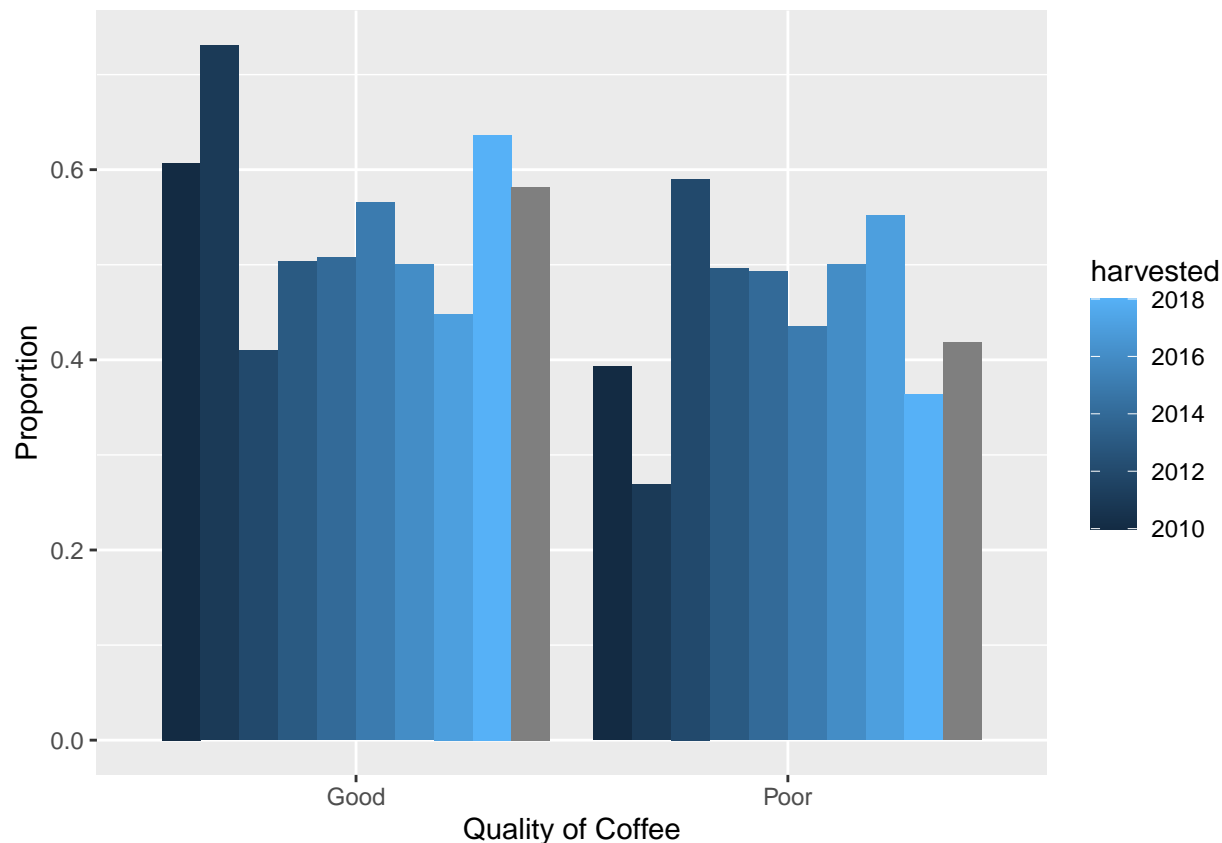
As can be seen above, the good quality coffee harvested more than poor quality coffee in total. But there is no significant difference between them.

In gengeral, we can find that there is no difference on means of Category 2 defects. Moreover, country of origin and year harvested are category variables. So the three variables can be removed to make the model more effective. But we need to investigate more to decide the final model.

Formal Analysis

Using Generalized Linear Model

Model 1: using all the available variables

```
coffee_data$binary_response <- ifelse(coffee_data$Qualityclass == "Good", 1, 0)
mod.coffee1 <- glm(binary_response ~ country_of_origin +
                    aroma + flavor + acidity + category_two_defects +
                    altitude_mean_meters + harvested,
                data = coffee_data, family = binomial(link = "logit"))

mod.coffee1 %>%
summary()
```

```
Call:
glm(formula = binary_response ~ country_of_origin + aroma + flavor +
```

```
    acidity + category_two_defects + altitude_mean_meters + harvested,
    family = binomial(link = "logit"), data = coffee_data)

Deviance Residuals:
    Min       1Q   Median       3Q      Max
-4.2397  -0.2662  -0.0001   0.2888   3.5768

Coefficients:
                                             Estimate Std. Error z value
(Intercept)                                 -3.746e+02  1.631e+02  -2.296
country_of_originBurundi                    -1.254e+01  6.523e+03  -0.002
country_of_originChina                       8.055e-01  1.067e+00   0.755
country_of_originColombia                    2.225e+00  5.315e-01   4.185
country_of_originCosta Rica                  8.782e-01  7.852e-01   1.118
country_of_originCote d?Ivoire              -1.255e+01  6.523e+03  -0.002
country_of_originEcuador                    -1.372e+00  1.483e+00  -0.925
country_of_originEl Salvador                 1.665e+00  1.173e+00   1.419
country_of_originEthiopia                    1.453e+01  1.070e+03   0.014
country_of_originGuatemala                  -3.699e-01  4.812e-01  -0.769
country_of_originHaiti                       2.399e+00  1.789e+00   1.341
country_of_originHonduras                   -4.493e-01  7.084e-01  -0.634
country_of_originIndia                      -2.575e+00  9.347e-01  -2.755
country_of_originIndonesia                   2.340e-01  8.568e-01   0.273
country_of_originKenya                       5.084e-01  1.599e+00   0.318
country_of_originLaos                        8.822e-01  1.812e+00   0.487
country_of_originMalawi                     -5.872e-01  1.222e+00  -0.480
country_of_originMauritius                  -1.252e+01  6.523e+03  -0.002
country_of_originMexico                     -5.559e-01  4.996e-01  -1.113
country_of_originMyanmar                    -1.557e+01  2.066e+03  -0.008
country_of_originNicaragua                   2.777e-01  1.649e+00   0.168
country_of_originPanama                      3.330e+00  1.766e+00   1.885
country_of_originPapua New Guinea            4.444e+00  6.523e+03   0.001
country_of_originPeru                       -1.375e+01  6.523e+03  -0.002
country_of_originPhilippines                 2.689e+00  2.511e+00   1.071
country_of_originRwanda                      1.314e+01  6.523e+03   0.002
country_of_originTaiwan                     -3.079e-02  6.847e-01  -0.045
country_of_originTanzania, United Republic Of 1.386e+00  7.079e-01   1.958
country_of_originThailand                    2.120e+00  8.625e-01   2.458
country_of_originUganda                     -9.866e-01  7.435e-01  -1.327
country_of_originUnited States              3.058e-01  1.422e+00   0.215
country_of_originUnited States (Hawaii)      7.686e+00  4.218e+03   0.002
country_of_originUnited States (Puerto Rico) 1.358e+00  8.892e+00   0.153
country_of_originVietnam                     2.599e+00  1.289e+00   2.017
aroma                                        4.298e+00  8.199e-01   5.242
flavor                                       8.833e+00  1.103e+00   8.011
acidity                                      4.853e+00  8.418e-01   5.765
category_two_defects                         5.970e-02  3.370e-02   1.771
altitude_mean_meters                        -1.644e-05  4.932e-05  -0.333
harvested                                    1.183e-01  8.016e-02   1.476
                                            Pr(>|z|)
(Intercept)                                  0.02165 *
country_of_originBurundi                     0.99847
country_of_originChina                       0.45045
country_of_originColombia                    2.85e-05 ***
```

```
country_of_originCosta Rica                        0.26341
country_of_originCote d?Ivoire                      0.99847
country_of_originEcuador                            0.35473
country_of_originEl Salvador                        0.15592
country_of_originEthiopia                           0.98916
country_of_originGuatemala                          0.44209
country_of_originHaiti                              0.17992
country_of_originHonduras                           0.52593
country_of_originIndia                              0.00586 **
country_of_originIndonesia                          0.78477
country_of_originKenya                              0.75052
country_of_originLaos                               0.62637
country_of_originMalawi                             0.63094
country_of_originMauritius                          0.99847
country_of_originMexico                             0.26583
country_of_originMyanmar                            0.99399
country_of_originNicaragua                          0.86623
country_of_originPanama                             0.05939 .
country_of_originPapua New Guinea                   0.99946
country_of_originPeru                               0.99832
country_of_originPhilippines                        0.28414
country_of_originRwanda                             0.99839
country_of_originTaiwan                             0.96414
country_of_originTanzania, United Republic Of  0.05025 .
country_of_originThailand                           0.01398 *
country_of_originUganda                             0.18453
country_of_originUnited States                      0.82969
country_of_originUnited States (Hawaii)             0.99855
country_of_originUnited States (Puerto Rico)  0.87865
country_of_originVietnam                            0.04373 *
aroma                                          1.58e-07 ***
flavor                                         1.13e-15 ***
acidity                                        8.18e-09 ***
category_two_defects                                0.07654 .
altitude_mean_meters                                0.73894
harvested                                           0.13991
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

(Dispersion parameter for binomial family taken to be 1)

    Null deviance: 1188.88  on 857  degrees of freedom
Residual deviance:  426.01  on 818  degrees of freedom
  (174 observations deleted due to missingness)
AIC: 506.01

Number of Fisher Scoring iterations: 17
```

Firstly, we build a model with all variables.

Then, we exclude three suspected variables(country of origin, year harvested and category of two defect) one by one to build 3 models and compare them.

Model 2 (excluding **Country of origin**).

```
mod.coffee2 <- glm(binary_response ~ aroma + flavor + acidity +  category_two_defects + altitude_mean_me
                  data = coffee_data, family = binomial(link = "logit"))
mod.coffee2 %>%
summary()
```

```
Call:
glm(formula = binary_response ~ aroma + flavor + acidity + category_two_defects +
    altitude_mean_meters + harvested, family = binomial(link = "logit"),
    data = coffee_data)

Deviance Residuals:
    Min       1Q    Median       3Q      Max
-4.0193  -0.3517  -0.0028   0.4239   3.2462

Coefficients:
                        Estimate Std. Error z value Pr(>|z|)
(Intercept)           -1.917e+02  1.229e+02  -1.560    0.119
aroma                  4.354e+00  6.994e-01   6.226  4.8e-10 ***
flavor                 7.377e+00  8.840e-01   8.344  < 2e-16 ***
acidity                3.807e+00  7.025e-01   5.419  6.0e-08 ***
category_two_defects   1.296e-02  2.638e-02   0.491    0.623
altitude_mean_meters  -1.281e-05  2.461e-05  -0.521    0.603
harvested              3.692e-02  6.063e-02   0.609    0.543
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

(Dispersion parameter for binomial family taken to be 1)

    Null deviance: 1188.88  on 857  degrees of freedom
Residual deviance:  516.51  on 851  degrees of freedom
  (174 observations deleted due to missingness)
AIC: 530.51

Number of Fisher Scoring iterations: 7
```

Model 3 (excluding **Country of origin** and **category two defect**).

```
mod.coffee3 <- glm(binary_response ~ aroma + flavor + acidity +    altitude_mean_meters + harvested,
                  data = coffee_data, family = binomial(link = "logit"))
mod.coffee3 %>%
summary()
```

```
Call:
glm(formula = binary_response ~ aroma + flavor + acidity + altitude_mean_meters +
    harvested, family = binomial(link = "logit"), data = coffee_data)

Deviance Residuals:
    Min       1Q    Median       3Q      Max
-4.0229  -0.3544  -0.0028   0.4208   3.2322
```

```
Coefficients:
                        Estimate Std. Error z value Pr(>|z|)
(Intercept)           -1.867e+02  1.226e+02  -1.523    0.128
aroma                  4.340e+00  6.993e-01   6.206 5.43e-10 ***
flavor                 7.362e+00  8.858e-01   8.311  < 2e-16 ***
acidity                3.798e+00  7.028e-01   5.404 6.50e-08 ***
altitude_mean_meters -1.291e-05  2.449e-05  -0.527    0.598
harvested              3.457e-02  6.048e-02   0.572    0.568
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

(Dispersion parameter for binomial family taken to be 1)

    Null deviance: 1188.88  on 857  degrees of freedom
Residual deviance:  516.75  on 852  degrees of freedom
  (174 observations deleted due to missingness)
AIC: 528.75

Number of Fisher Scoring iterations: 7
```

Model 4 (excluding **Country of origin**, **category two defect** and **year of harvested**)

```
mod.coffee4 <- glm(binary_response ~ aroma + flavor + acidity + altitude_mean_meters,
                data = coffee_data, family = binomial(link = "logit"))
mod.coffee4 %>%
summary()
```

```
Call:
glm(formula = binary_response ~ aroma + flavor + acidity + altitude_mean_meters,
    family = binomial(link = "logit"), data = coffee_data)

Deviance Residuals:
    Min       1Q   Median       3Q      Max
-4.0163  -0.3547  -0.0017   0.4223   3.2762

Coefficients:
                        Estimate Std. Error z value Pr(>|z|)
(Intercept)           -1.179e+02  8.609e+00 -13.690  < 2e-16 ***
aroma                  4.279e+00  6.907e-01   6.195 5.82e-10 ***
flavor                 7.461e+00  8.867e-01   8.414  < 2e-16 ***
acidity                3.867e+00  7.039e-01   5.493 3.94e-08 ***
altitude_mean_meters -1.251e-05  2.459e-05  -0.509    0.611
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

(Dispersion parameter for binomial family taken to be 1)

    Null deviance: 1205.70  on 869  degrees of freedom
Residual deviance:  523.68  on 865  degrees of freedom
  (162 observations deleted due to missingness)
AIC: 533.68

Number of Fisher Scoring iterations: 7
```

Building the model

From the distribution plot we learn that the distribution of the **country of origin** are relatively the same between **good and poor quality coffee**. We also learn that the mean of **Category two defect** is relatively the same as well for **good and poor quality coffee**. The same case also appears in the variable year harvested, we can see there is no significant difference between the distribution of **year harvested** in the **good and poor quality coffee**.

Hence we conduct 3 different model for this study, they are:

1. Model 1: Including all variable (i.e the country of origin, aroma, flavor, acidity, the count of category two defect, the mean of altitude (in meters) and year harvested).

2. Model 2: Including all variable *except* the country of origin.

3. Model 3: Including all variable *except* the country of origin and the count of category two defect.

4. Model 4: Including all variable *except* the country of origin, the count of category two defect and the year harvested.

Model Comparison

From the models we try to compare the values in order to decide which model fits the data better. The summary of model is presented in the table below:

```
model.comp.values.1 <- glance(mod.coffee1)
model.comp.values.2 <- glance(mod.coffee2)
model.comp.values.3 <- glance(mod.coffee3)
model.comp.values.4 <- glance(mod.coffee4)

Models <- c('Model 1','Model 2','Model 3', 'Model 4')
bind_rows(model.comp.values.1, model.comp.values.2,
          model.comp.values.3,model.comp.values.4,.id="Model") %>%
  mutate(Model=Models) %>%
  kable(
    digits = 2,
    caption = "Model comparison values for different models"
  )
```

Table 1: Model comparison values for different models

Model	null.deviance	df.null	logLik	AIC	BIC	deviance	df.residual	nobs
Model 1	1188.88	857	-213.01	506.01	696.19	426.01	818	858
Model 2	1188.88	857	-258.25	530.51	563.79	516.51	851	858
Model 3	1188.88	857	-258.38	528.75	557.28	516.75	852	858
Model 4	1205.70	869	-261.84	533.68	557.52	523.68	865	870

To choose the best fit for our model, we choose the model with low AIC, BIC and low deviance. From the table above, we can see that model 1 has the highest BIC, so model 3 is the best fit compared to the erst.

Now, lets look at the summary of model 3:

```
#Presenting summary model 3
summ(mod.coffee3)
```

Observations	858 (174 missing obs. deleted)
Dependent variable	binary_response
Type	Generalized linear model
Family	binomial
Link	logit

$\chi^2(5)$	672.13
Pseudo-R² (Cragg-Uhler)	0.72
Pseudo-R² (McFadden)	0.57
AIC	528.75
BIC	557.28

	Est.	S.E.	z val.	p
(Intercept)	-186.69	122.57	-1.52	0.13
aroma	4.34	0.70	6.21	0.00
flavor	7.36	0.89	8.31	0.00
acidity	3.80	0.70	5.40	0.00
altitude_mean_meters	-0.00	0.00	-0.53	0.60
harvested	0.03	0.06	0.57	0.57

Standard errors: MLE

Now, lets take a look at the confidence intervals of the explanatory variables:

```
confint(mod.coffee3)%>%
  kable()
```

	2.5 %	97.5 %
(Intercept)	-428.4069319	52.9609778
aroma	3.0073170	5.7519824
flavor	5.6896853	9.1674956
acidity	2.4446104	5.2039950
altitude_mean_meters	NA	0.0000106
harvested	-0.0841084	0.1534155

We can see the p values for **altitude_mean_meters** and **harvested** are 0.60 and 0.57 respectively, both are large than 0.05. The confident intervals for these two variables also contain zero. That means, they are not significant. So, we drop the variables **altitude_mean_meters** and **harvested**.

Model summary

The final model contains three explanatory variables aroma, flavor and acidity.

We then check the summary of this **final model**:

```
mod.final <- glm(binary_response ~ aroma + flavor + acidity,
                 data = coffee_data, family = binomial(link = "logit"))
mod.final %>%
summary()
```

```
Call:
glm(formula = binary_response ~ aroma + flavor + acidity, family = binomial(link = "logit"),
    data = coffee_data)

Deviance Residuals:
    Min       1Q   Median       3Q      Max
-3.8573  -0.3830  -0.0009   0.4439   3.1492

Coefficients:
             Estimate Std. Error z value Pr(>|z|)
(Intercept) -110.2817     7.3137 -15.079  < 2e-16 ***
aroma          4.3012     0.6073   7.082 1.42e-12 ***
flavor         7.1453     0.7580   9.426  < 2e-16 ***
acidity        3.1558     0.5716   5.521 3.37e-08 ***
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

(Dispersion parameter for binomial family taken to be 1)

    Null deviance: 1430.59  on 1031  degrees of freedom
Residual deviance:  642.46  on 1028  degrees of freedom
AIC: 650.46

Number of Fisher Scoring iterations: 7
```
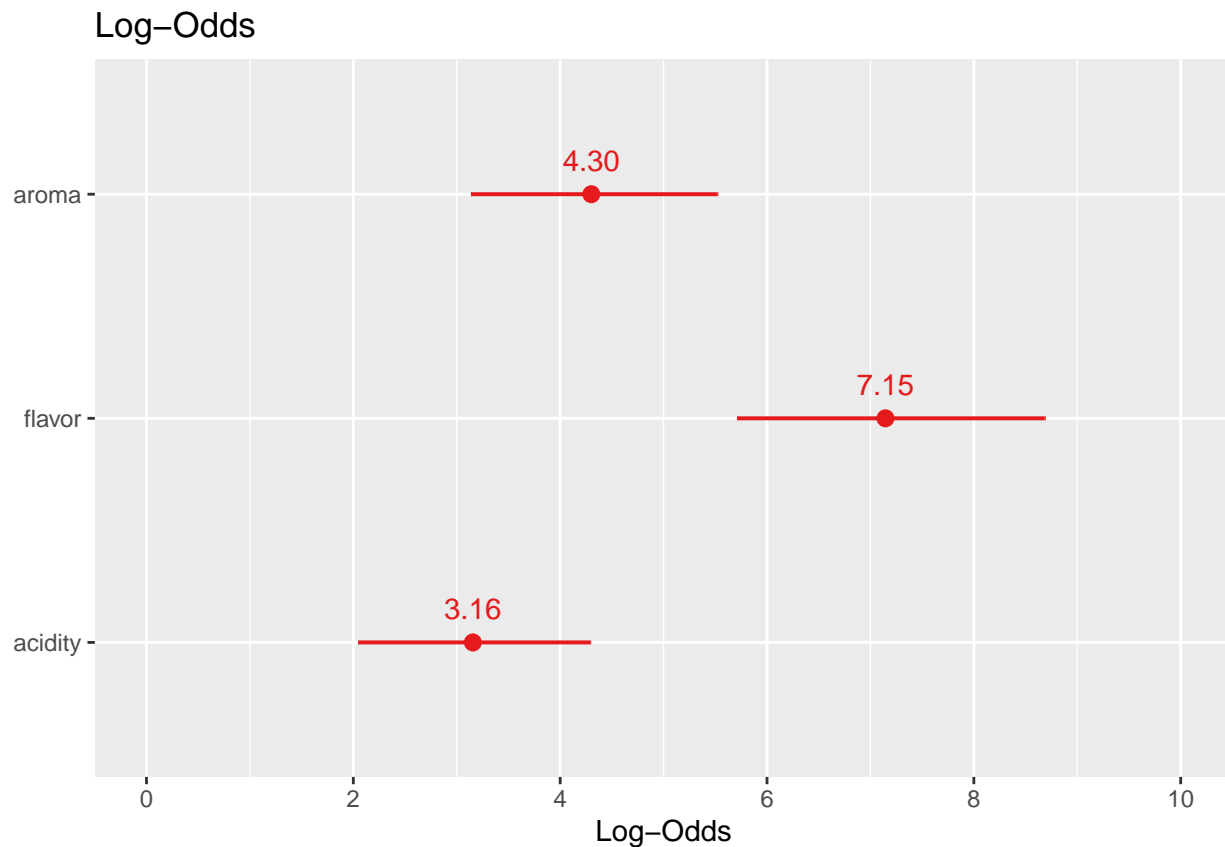
We can see that all the variables are significant and the AIC value is 650.46

Log odds plot

Finally, we look at the plot of the log odds of our final model:

```
#plotting log odds
plot_model(mod.final, show.values = TRUE, transform = NULL,
           title = "Log-Odds", show.p = FALSE)
```

Log−Odds

We interpret the odds ratios as follows:

- for each unit increase in the aroma grade of the coffee, their odds of being good quality coffee increases (by a factor of 4.30),

- for each unit increase in the flavor grade of the coffee, the odds of it being good quality coffee increases (by a factor of 7.15),

- the more acidic the coffee, their odds of being good quality coffee increases (by a factor of 3.16)

Probability of the coffee being good quality by 3 factors:

```
plot_model(mod.final, type = "pred", title = "Probability of coffee quality being good by the 3 differen
           axis.title = c(mod.final$colnumes,"Prob. of coffee quality being good"))
```
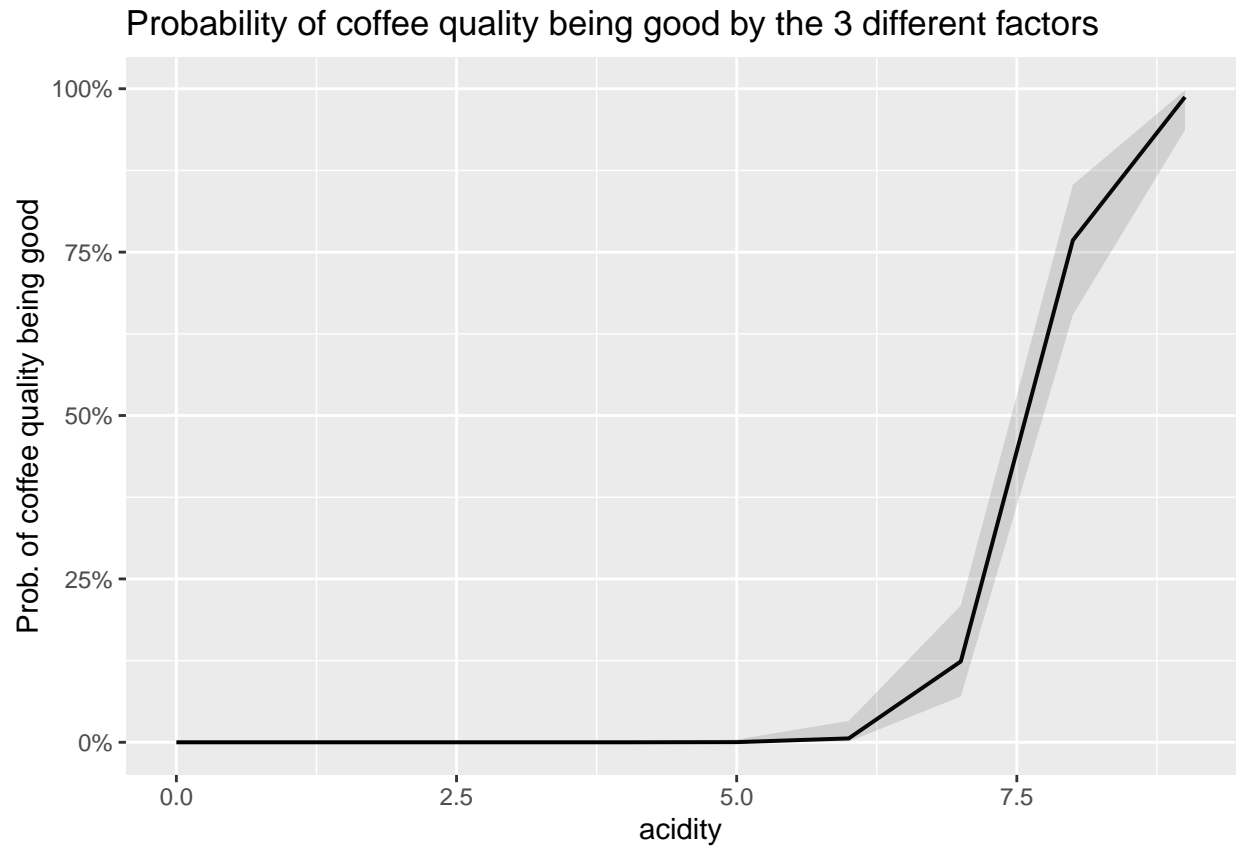
$aroma

Probability of coffee quality being good by the 3 different factors

`$flavor`

Probability of coffee quality being good by the 3 different factors

$acidity

Probability of coffee quality being good by the 3 different factors
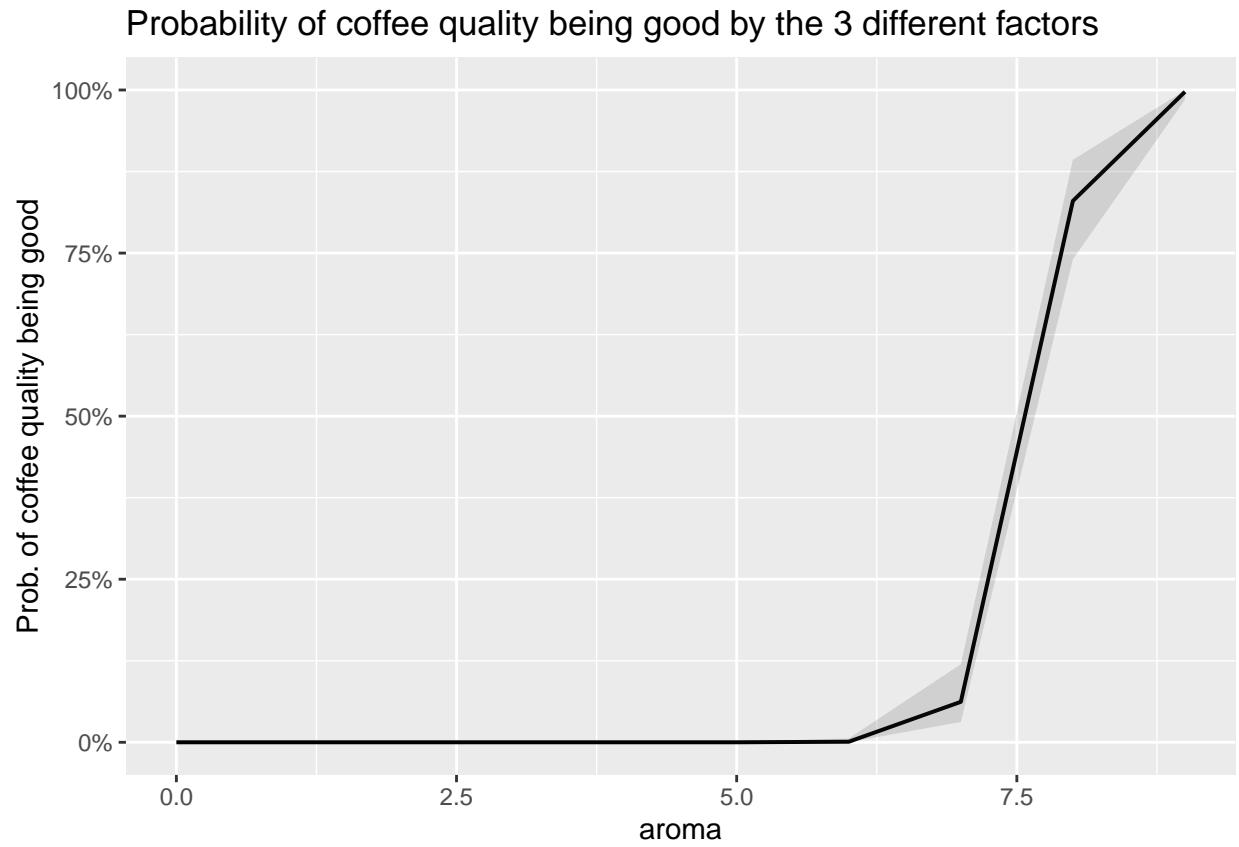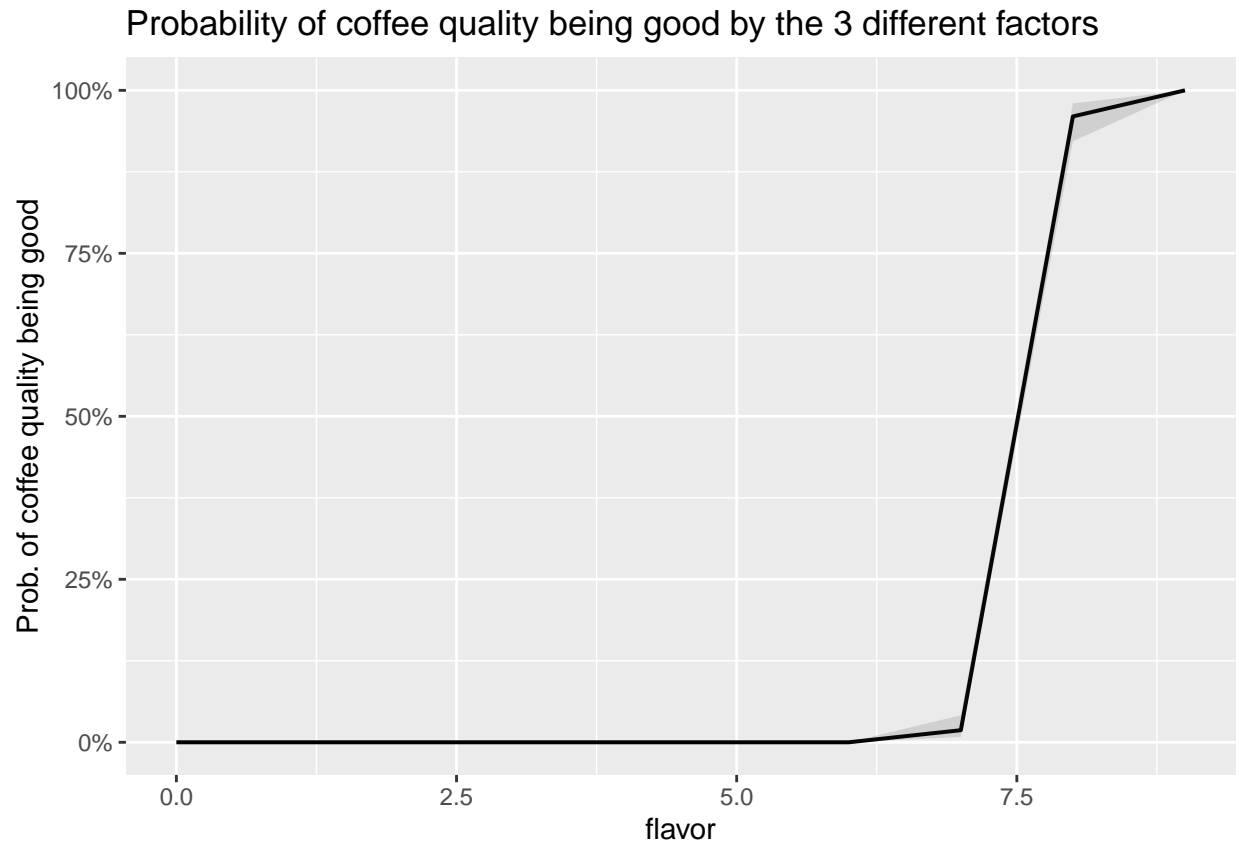
As can be seen above, the coffee will become better if aroma, flavor and acidity become better. The three probability curves are similar, all rising steadily and then rising sharply around 6.