STAT 510 FINAL EXAM SOLUTIONS SPRING 2017 5a) 10 3a) 10 1a) 12 56)10 36)10 16) 8 4a) 12 20)8 46) 8 26) 12

1. a)
$$\frac{y_1 + y_2}{2}$$
 AND $\frac{1}{3}$ ARE INDEPENDENT BLUES OF $\frac{1}{4}$ \frac

ERROR CONTRASTS ARE THUS

INFINITELY MANY OTHER ANSWERS ARE ALSO ACCEPTABLE.

2 b) (CONTINUED) Note THAT M+OM2+FT2+OM2:FT2-(M+OM2)-(M+FT2)+M=OM2:FT2THUS, $\sqrt{1220} - \sqrt{1210} - \sqrt{1120} + \sqrt{1110}$ Is THE BLUE. THE VARIANCE OF THIS ESTIMATOR IS 4 (03+03) BECAUSE THESE ARE EACH AVERAGES OF 5 OBSERVATIONS FROM S DIFFERENT SUBJECTS, AND THE SUBJECTS IN EACH AVERAGE ARE INDEPENDENT OF THE SUBJECTS IN THE OTHER AVERAGES. THE SE IS \\ \frac{4}{5} (1.13231^2 + 0.3941764^3). VIII. IS AVERAGE OM 1

 3. a) Z = -1.304

P-VALUE = 0.192

THE TWO EXPECTED PROBABILITIES COULD BE THE SAME. WE SEE NO STATISTICALLY SIGNIFICANT DIFFERENCE BASED ON THESE DATA.

3. b) THE PLAYER WITH THE LOWEST PREDICTED SUCCESS PROBABILITY

COMES FROM TEAM 12 WHICH WAS TAUGHT USING METHOD 2.

THE PREDICTED SUCCESS PROBABILITY IS

[+ exp{-(0.1026-0.1779-0.23008532-1.002)}]

INSTRUCTION SET IS CLEARLY THE FACTOR 4. a) X = I & 1 zxz & xx1 OF INTEREST. WE WANT TO TEST BR DIFFERENCES BETWEEN INSTRUCTION SET 1 AND 2. THUS, WE NEED FIXED EFFECTS FOR INSTRUCTION SETS! WE WANT RANDOM EFFECTS FOR PARTICIPANTS Z= [I & I, A], WHERE AND IMACES BERAUSE WE ARE NOT INTERESTED IN JUST THESE 8 PARTICIPANTS OR JUST THESE 8 IMAGES. WE WANT TO GENERALIZE OUR RESULTS TO ALL PARTICIPANTS AND IMAGES. MANY FORGOT TO SPECIFY INDEPENDENCE BETWEEN & AND C. $(4.6) \quad \mathcal{U} = \begin{bmatrix} \mathcal{U}_1 \\ \mathcal{S}_{X1} \\ \mathcal{Y}_2 \\ \mathcal{S}_{X1} \end{bmatrix} \quad \mathcal{U}_2 \quad \mathcal{U}_2 \quad \mathcal{U}_2 \quad \mathcal{U}_2 \quad \mathcal{U}_3 \quad \mathcal{U}_4 \quad \mathcal{U}_4 \quad \mathcal{U}_5 \quad \mathcal{U$

$$5. a) F = \frac{(3+17.4+180.2+4.4+3.3)}{222.8/50}$$

5. b) From Past Homework Assignment, WE know THE BLUE

$$\begin{array}{ll}
\boxed{S} & \boxed{Y_{11}} - \boxed{Y_{15}} &= \frac{1}{6} \sum_{k=1}^{6} \left(\boxed{Y_{111k}} - \boxed{Y_{15k}} \right), & \boxed{THNS}, \\
\boxed{Var} & \left(\boxed{Y_{11}} - \boxed{Y_{15}} \right) &= \frac{1}{6} & \boxed{Var} & \left(\boxed{Y_{111}} - \boxed{Y_{151}} \right) \\
&= \frac{1}{6} & \left(\boxed{\sigma^2 + \sigma^2} - 2 \ \sigma^2 \ e^4 \right) \\
&= \frac{\sigma^2}{3} & \left(\boxed{1 - e^4} \right).
\end{array}$$