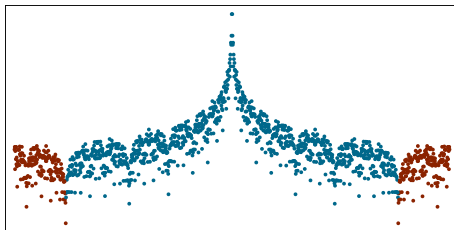


Gap structure of 1D cut and project Hamiltonians

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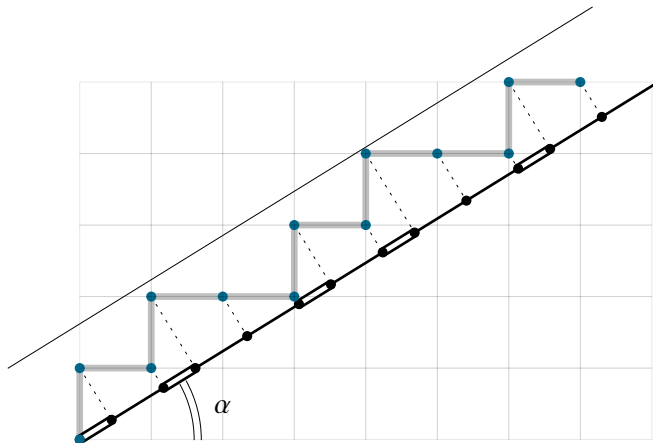
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OUTLINE

1 The gap labeling theorem

ELECTRONS ON QUASIPERIODIC CHAINS



$$\alpha_l = \frac{p_l}{q_l}$$

$$\alpha_l \rightarrow \alpha$$

Hamiltonian of the l^{th} approximant:

$$H(\alpha) = \sum_{x \in \mathbb{Z}} t_{x,x+1} |x\rangle \langle x+1| + \text{h.c.}$$

THE GAP LABELING THEOREM

The IDOS inside spectral gaps can be indexed using the irrational involved in the construction of the chain

$$\text{idos}(E \in \text{gap}) = \frac{n}{1 + \alpha} \mod 1$$