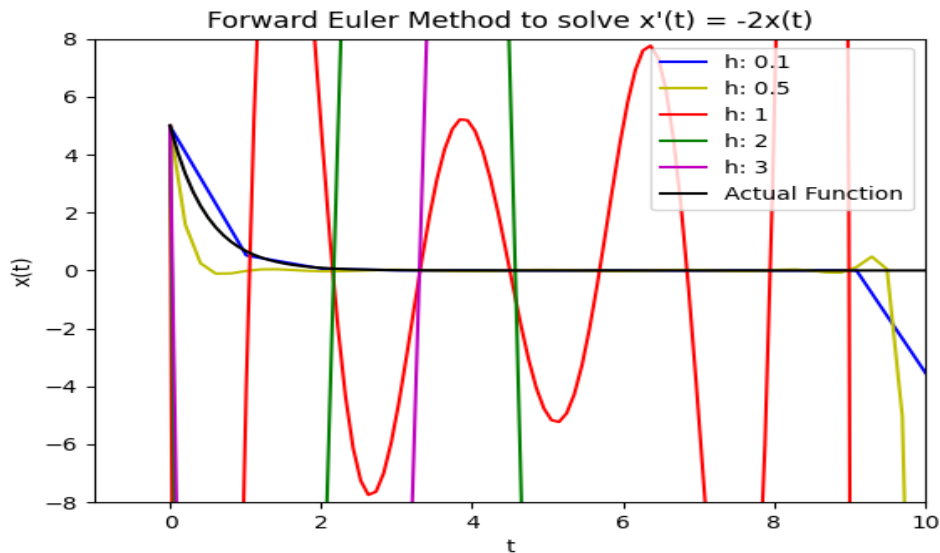


## Coding Assignment 6

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Q1. Approach mentioned in comments.



Polynomial solutions which I got using Forward Euler Method, for different values of h are as follows:

for  $h = 0.1$ , Polynomial equation is:

$$4.98 - 10.73x + 10.77x^2 - 6.36x^3 + 2.34x^4 - 0.53x^5 + 0.07x^6$$

for  $h = 0.5$ , Polynomial equation is:

$$5.0 - 24.77x + 47.35x^2 - 47.03x^3 + 27.16x^4 - 9.54x^5 + 2.04x^6 - 0.26x^7 + 0.02x^8$$

for  $h = 1$ , Polynomial equation is:

$$5.0 - 674.51x + 1666.98x^2 - 1629.71x^3 + 837.3x^4 - 250.8x^5 + 45.33x^6 - 4.87x^7 + 0.29x^8 - 0.01x^9$$

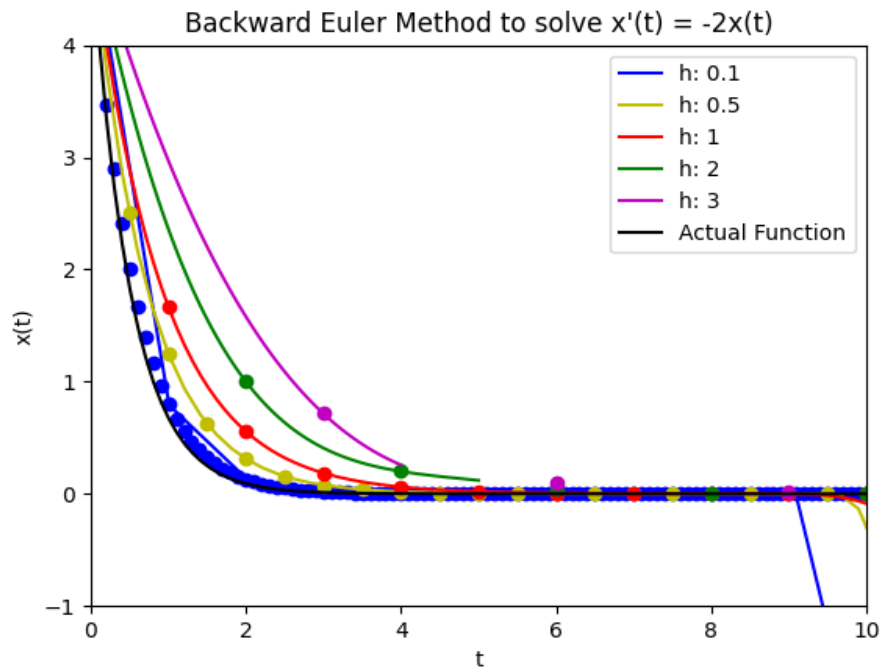
for  $h = 2$ , Polynomial equation is:

$$5.0 - 243.33x + 196.67x^2 - 46.67x^3 + 3.33x^4$$

for  $h = 3$ , Polynomial equation is:

$$5.0 - 160.0x + 70.0x^2 - 6.67x^3$$

Q2. Approach mentioned in comments.



Polynomial solutions which I got using Backward Euler Method, for different values of  $h$  are as follows:

for  $h = 0.1$ , Polynomial equation is:

$$4.99 - 8.94x + 7.66x^2 - 3.98x^3 + 1.33x^4 - 0.28x^5 + 0.03x^6$$

for  $h = 0.5$ , Polynomial equation is:

$$5.0 - 6.93x + 4.77x^2 - 2.15x^3 + 0.7x^4 - 0.16x^5 + 0.03x^6$$

for  $h = 1$ , Polynomial equation is:

$$5.0 - 5.47x + 2.95x^2 - 1.02x^3 + 0.25x^4 - 0.04x^5 + 0.01x^6$$

for  $h = 2$ , Polynomial equation is:

$$5.0 - 3.48x + 0.95x^2 - 0.12x^3 + 0.01x^4$$

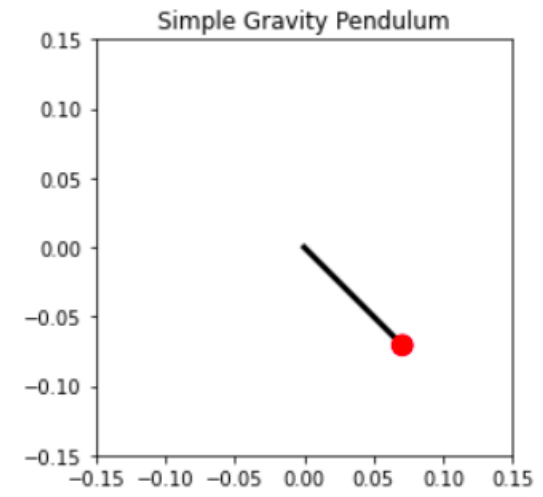
for  $h = 3$ , Polynomial equation is:

$$5.0 - 2.39x + 0.38x^2 - 0.02x^3$$

Q3. Approach mentioned in comments

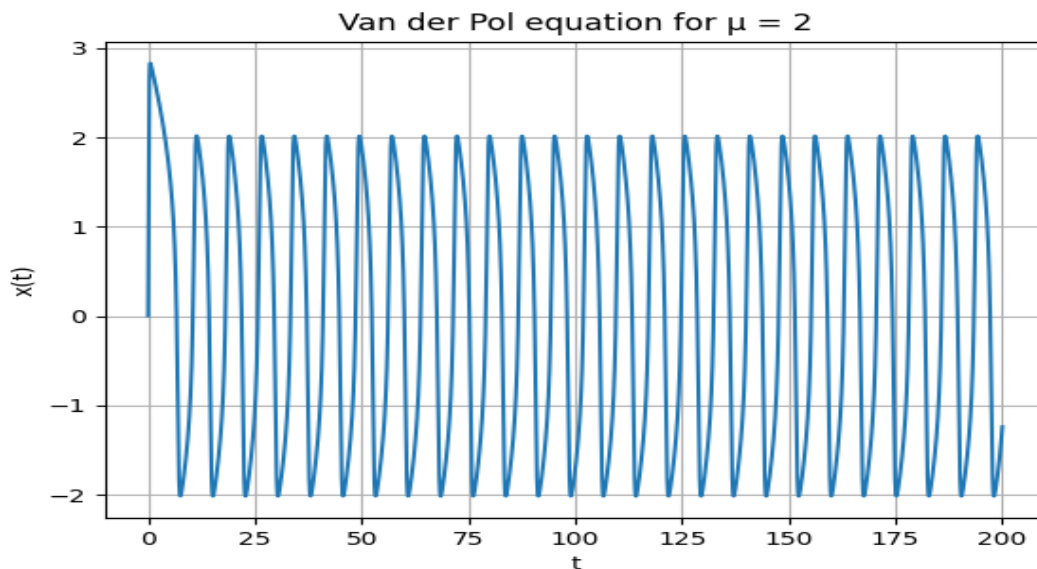
=>

Pendulum ODE has 2 single ordered differential equations which are solved using the forward Euler method. The animation is then created based on varied positions of the pendulum rod.



Q4. Approach mentioned in comments.

=> Solution of the Van der Pol equation is found using the forward Euler method. It exhibits a limit cycle. Time period of which at  $\mu = 2$  is found to be 7.7489



Time period of the limit cycle for  $\mu = 2$  is: 7.7489

Q5. Approach mentioned in comments.

=> The 3 body problem has 6 varying variables and thus 6 single ordered ODEs. The solution to the problem is found using the forward Euler method. An animation is created for different positions of the balls at varying time intervals.

