Clustering Analysis on Wholesale Customer (Hierarchical & K-Means)

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```
library(dplyr)
library(ggplot2)
wholesale <- read.csv('wholesale_customers_data.csv')</pre>
```

Procedure of Data Analysis:

- 1. EDA before Clustering
- 2. Hierarchical Clustering
- 3. K-Means Clustering
- 4. Evaluate Clustering Solutions: SSE and Slihouette Coefficient
- 5. Analysis after clustering
- 6. Summary for clustering and other analysis results

Variable Name Description

Channel: Client channel ("1" means Horeca (Hotel/Restaurant/Cafe) and "2" means Retail) Region: Client region ("1" means Lisbon, "2" means Oporto, and "3" means other regions) Fresh: Annual spending on fresh products. Milk: Annual spending on milk products. Grocery: Annual spending on grocery products. Frozen: Annual spending on frozen products. Detergents Paper: Annual spending on detergents and paper products. Delicatessen: Annual spending on deli products.

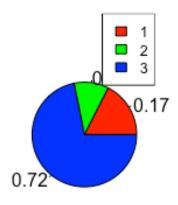
```
EDA before Clustering
par(mfrow = c(1, 2))

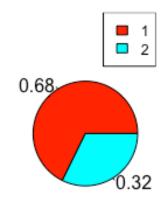
# pie chart for region
pie(table(wholesale$Region), labels = round(table(wholesale$Region)/440, 2),
main = "Region Pie Chart", col = rainbow(3))
legend("topright", c("1","2","3"), cex = 0.8, fill = rainbow(3))

# pie chart for channel
pie(table(wholesale$Channel), labels = round(table(wholesale$Channel)/440, 2)
, main = "Channel Pie Chart", col = rainbow(2))
legend("topright", c("1","2"), cex = 0.8, fill = rainbow(2))
```

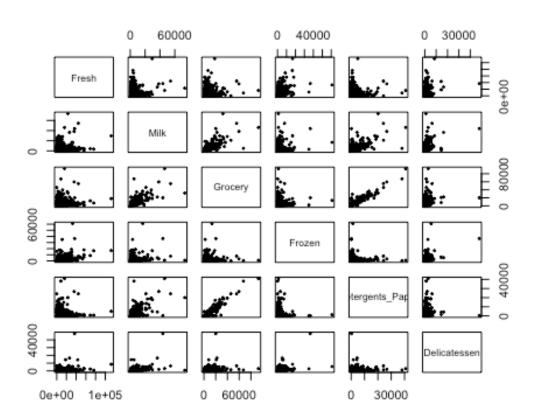
Region Pie Chart

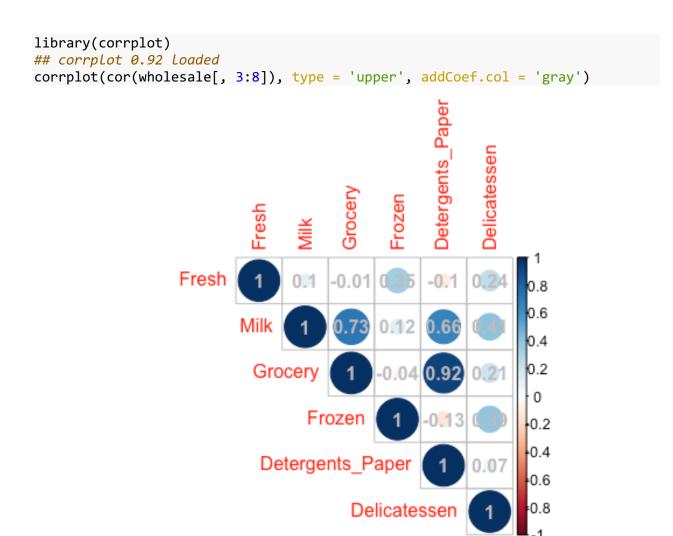
Channel Pie Chart





check correlation among variables
pairs(wholesale[, 3:8], cex = 0.5, pch = 20)





Hierarchical Clustering

```
Normalization
```

```
normalize = function(x) {
return((x - min(x)) / (max(x) - min(x)))
}
# use the mutate_at() to specify the indexes of columns needed normalization
ws_normalized <- wholesale %>% mutate_at(c(3:8), normalize)
# we also preserve a normalized dataset for k-means Later
ws_normalized_k <- wholesale %>% mutate_at(c(3:8), normalize)
```

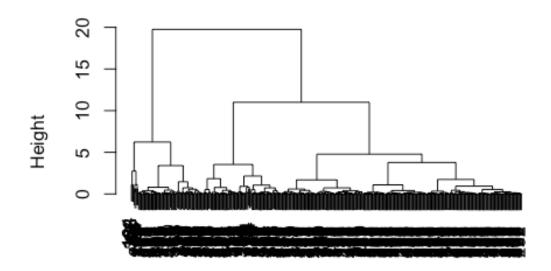
Distance Matrix

```
# dist() from package stats can generate distance matrix
library(stats)
# prepare the distance matrix
# the euclidean distance method
distance_matrix <- dist(ws_normalized[, 3:8], method = "euclidean")</pre>
```

Hierarchical Clustering

```
# we use Ward's Method to measure distances
# plot the dendrogram
hierarchical = hclust(distance_matrix, method = "ward.D")
plot(hierarchical)
```

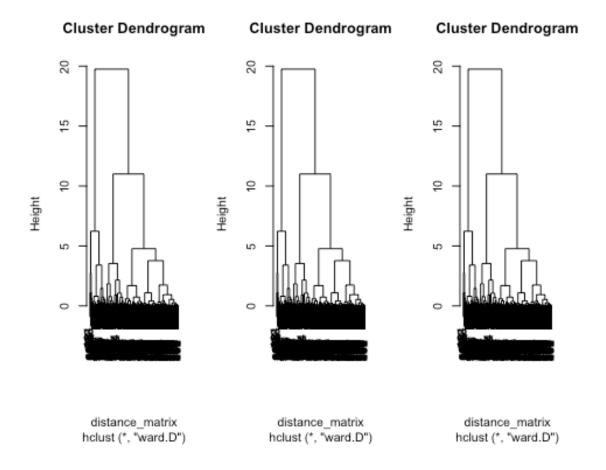
Cluster Dendrogram



distance_matrix hclust (*, "ward.D")

Check the Cluster Number of 4, 5, and 6 Respectively

```
par(mfrow = c(1, 3))
# set cluster number = 4
plot(hierarchical)
# rect.hclust() can mark the clustering solution for a given number of cluste
rs rect.hclust(hierarchical, k = 4)
# set cluster number = 5
plot(hierarchical)
# rect.hclust() can mark the clustering solution for a given number of cluste
rs rect.hclust(hierarchical, k = 5)
# set cluster number = 6
plot(hierarchical)
```



Check the number of data in each cluster

curtree() can cut the dendrogram and tell you which entities belong to which
h clust er

ws_normalized\$hcluster <- cutree(hierarchical, k = 5)</pre>

also append the cluster labels on the original dataset, maybe we will need this

wholesale\$hcluster <- cutree(hierarchical, k = 5) # just show the head of 6 r ows

head(ws_normalized)

##	Channel	Region	Fresh	Milk	Grocery	Frozen	Detergents_P
aper							
## 1	2	3	0.11294004	0.13072723	0.08146416	0.003106305	0.0654
2720							
## 2	2	3	0.06289903	0.13282409	0.10309667	0.028548419	0.0805
8985							
## 3	2	3	0.05662161	0.11918086	0.08278992	0.039116429	0.0860
5232							
## 4	1	3	0.11825445	0.01553586	0.04546385	0.104841891	0.0123
4568							
## 5	2	3	0.20162642	0.07291369	0.07755155	0.063933995	0.0434

```
5483
## 6
           2
                  3 0.08390698 0.11170568 0.05521843 0.010535139
                                                                       0.0438
9575
    Delicatessen hcluster
##
## 1
      0.02784731
## 2
      0.03698373
                         1
## 3
      0.16355861
      0.03723404
                         2
## 4
## 5
      0.10809345
                         2
                         1
## 6
      0.03020442
table(ws normalized$hcluster)
##
##
    1
        2
             3
                     5
                4
## 92 88 73 179
                    8
```

K-Means Clustering

Based on the results of the previous hierarchical clustering, we are more in favor of 5 or 6 clusters rather than 4, and 5 is more than 6.

Set a Cluster Number of 5 First

```
# use a this normalized dataset that we've preserved previously, ws normalize
d k # note that kmeans() works only with Euclidean distance
kcluster <- kmeans(ws_normalized_k[, 3:8], centers = 5)</pre>
head(kcluster$centers) # can see the centroids
##
                      Milk
          Fresh
                              Grocery
                                          Frozen Detergents Paper Delicatesse
## 1 0.54007799 0.40936962 0.18659438 0.62494795
                                                       0.05266510
                                                                    0.4317410
## 2 0.14232889 0.47184211 0.52312427 0.04979291
                                                       0.60925436
                                                                    0.0613224
## 3 0.07896195 0.04101507 0.04145936 0.04354059
                                                       0.02474872
                                                                    0.0217047
## 4 0.05181527 0.14567365 0.18337739 0.02360488
                                                       0.18012570
                                                                    0.0388978
## 5 0.30814781 0.06249623 0.05936277 0.09574838
                                                       0.02039198
                                                                    0.0430013
0
```

Visualize the Results

```
library(cluster)
library(fpc)
library(mclust)

## Package 'mclust' version 6.0.0

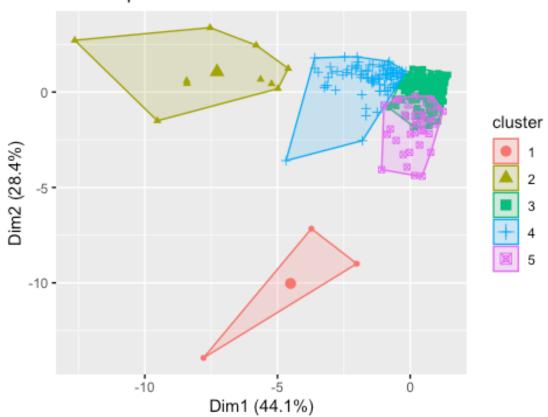
## Type 'citation("mclust")' for citing this R package in publications.
```

```
library(FactoMineR)
library(factoextra)

## Welcome! Want to learn more? See two factoextra-related books at https://g
oo.gl/ve3WBa

# cluster plot
fviz_cluster(kcluster, data = ws_normalized_k[, 3:8], geom = "point")
```

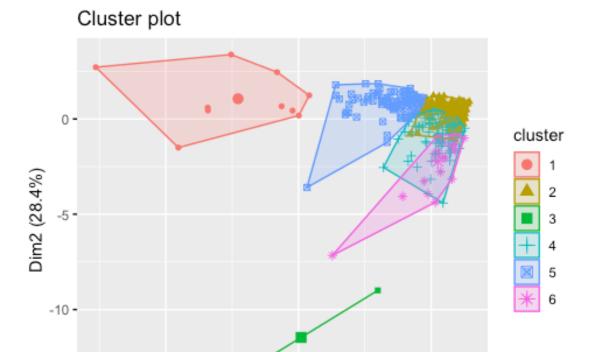
Cluster plot



The first PC accounts for about 44.1% of the total variation, while the second counts for 28.4%. There is abvious vairance between different clusters. It is reasonable to have 5 clusters.

Set a Cluster Number of 6

```
kcluster_6 <- kmeans(ws_normalized_k[, 3:8], centers = 6)
fviz_cluster(kcluster_6, data = ws_normalized_k[, 3:8], geom = "point")</pre>
```



clusters, 4 clusters are on the top-right, which are hard to interpret. Also, there is only 2 data points in a cluster. The performance of 5 clusters is better than 6.

Dim1 (44.1%)

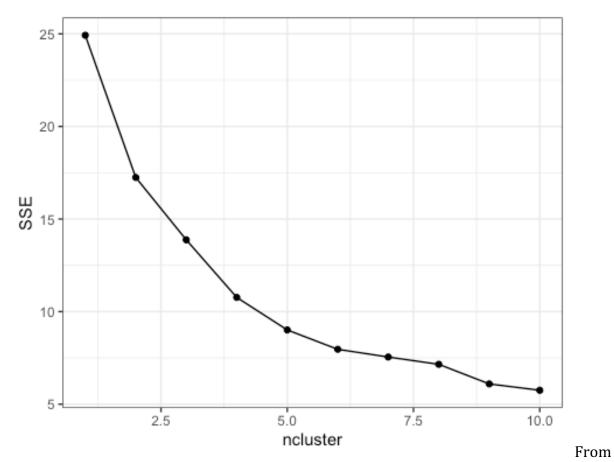
Ó

For 6

Evaluate Clustering Solutions: SSE Curve

-10

```
# the vector to store the SSE
SSE_curve = c()
for (n in 1:10){
   kc = kmeans(ws_normalized_k[, 3:8], centers = n)
   SSE_curve[n] = kc$tot.withinss
}
# do the plot
plot_data = data.frame(ncluster = 1:10, SSE = SSE_curve)
ggplot(plot_data, aes(x = ncluster, y = SSE)) + geom_line() + geom_point() +
theme_bw()
```



the elbow plot, it shows that 5 clusters is good enough.

Silhouette coefficient

Silhouette coefficient = 1 indicates the data point x is very compact within its own cluster and far away from other clusters. Silhouette coefficient = -1 indicates the opposite situation.

```
library(cluster)
sc <- silhouette(ws_normalized$hcluster, dist = distance_matrix)</pre>
summary(sc)
## Silhouette of 440 units in 5 clusters from silhouette.default(x = ws norma
lized$hcluster, dist = distance_matrix) :
## Cluster sizes and average silhouette widths:
            92
##
                        88
                                               179
## 0.16970290 -0.01045482 0.13952127 0.33046600 -0.09460692
## Individual silhouette widths:
      Min. 1st Ou.
                      Median
                                  Mean
                                       3rd Qu.
                                                    Max.
## -0.48362 0.04804 0.25625 0.18926 0.36564 0.48338
```

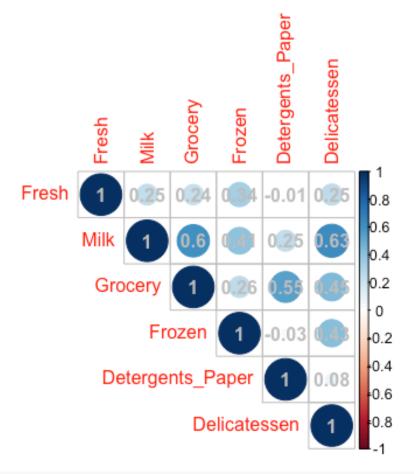
Analysis after Clustering

Split by region

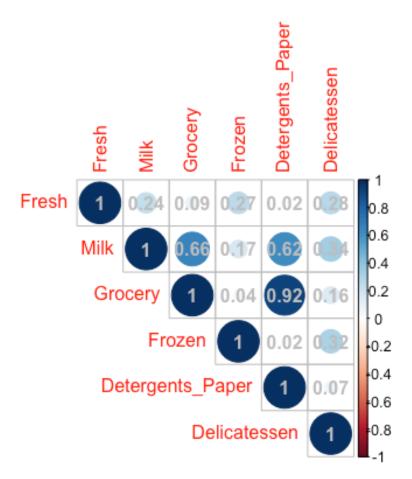
```
ws_normalized_re1 <- ws_normalized %>% filter(Region == 1)
ws_normalized_re2 <- ws_normalized %>% filter(Region == 2)
ws_normalized_re3 <- ws_normalized %>% filter(Region == 3)
```

Split by channel

```
ws_normalized_ch1 <- ws_normalized %>% filter(Channel == 1)
ws_normalized_ch2 <- ws_normalized %>% filter(Channel == 2)
corrplot(cor(ws_normalized_ch1[, 3:8]), type = 'upper', addCoef.col = 'gray')
```



```
corrplot(cor(ws_normalized_ch2[, 3:8]), type = 'upper', addCoef.col = 'gray')
```



According to the 2 correlation plots, there is strongest positive correlation between Grocery and Detergents_Papers. The strong positive correlations between food products(Fresh, Milk, Frozen, and Delicatessen) appears in channel 1 only after splitting by channel.

Through analyzing the correlation, we believe the channels segmentation could preserve or even create meaningful correlation for the data, thus it might be a good idea to do different business strategies in channel 1 and 2, respectively.

However, we didn't find valuable insights in terms of region, so we might not suggest do further strategies in different regions.