# final project

1. Balance table: first balance table for two groups before treatment; then balance table for two groups considering sample attrition.

```
##
## Balance by Pre-Treatment Covariates
## ===============
                Dependent variable:
             -----
##
##
               age
                             caloric
                     {\tt height}
## -----
## Control Mean 19.82
                      1.60 1,927.40
            p = 0.00* p = 0.00* p = 0.00*
## treatment 0.60
                     -0.004
                               10.52
      p = 0.08 \quad p = 0.70 \quad p = 0.78
## Observations 100
                       100
## ===============
##
                   *p<0.05; Clustered SEs
m_list2 <- list()</pre>
m_list2[[1]] <- felm(pre_sleep ~ Di | 0 | 0 | id, data = water_df)</pre>
m_list2[[2]] <- felm(pre_exercise ~ Di | 0 | 0 | id, data = water_df)</pre>
m_list2[[3]] <- felm(pre_water ~ Di | 0 | 0 | id, data = water_df)</pre>
stargazer(m_list2,
type = "text",
digits = 2,
intercept.bottom = FALSE,
dep.var.labels = c("sleep", "exercise", "water"),
covariate.labels = c("Control Mean", "treatment"),
model.numbers = FALSE,
report = "vcp*",
star.cutoffs = c(.05, NA, NA),
notes = "$^{*}$p$<$0.05; Clustered SEs",
keep.stat = "n",
title = "Balance by Pre-Treatment Covariates",
no.space = TRUE)
## Balance by Pre-Treatment Covariates
##
                 Dependent variable:
##
             sleep exercise water
## Control Mean 8.40
                      2.46
     p = 0.00* p = 0.00* p = 0.00*
## treatment
             -0.62
                      0.17
     p = 0.03* p = 0.67 p = 0.38
## Observations 100 100
```

100

```
## Note:
##
                *p<0.05; Clustered SEs
##
## Balance by Pre-Treatment Covariates
## =============
##
           Dependent variable:
          -----
##
##
          weight composition
## -----
## Control Mean 66.14 77.76
## p = 0.00* p = 0.00* ## treatment 0.05 1.38 ## p = 0.91 p = 0.55
## Observations 100 100
## ===============
            *p<0.05; Clustered SEs
##
```

2. Dropping out Checking the coveriates after removing dropout Checking the dropout rates

```
#remove dropouts
waterdrop_df <- water_df %>% filter(drop_out==0)
#Checking coveriates
d_list <- list()</pre>
d_list[[1]] <- felm(age ~ Di | 0 | 0 | id, data = waterdrop_df)</pre>
d_list[[2]] <- felm(height ~ Di | 0 | 0 | id, data = waterdrop_df)</pre>
d_list[[3]] <- felm(caloric_intake ~ Di | 0 | 0 | id, data = waterdrop_df)</pre>
# Creating Table:
stargazer(d_list,
type = "text",
digits = 2,
intercept.bottom = FALSE,
dep.var.labels = c("age", "height", "caloric_intake"),
covariate.labels = c("Control Mean", "treatment"), model.numbers = FALSE,
report = "vcp*",
star.cutoffs = c(.05, NA, NA),
notes = "$^{*}$p$<$0.05; Clustered SEs",
keep.stat = "n",
title = "Balance by Pre-Treatment Covariates After Removing Dropout",
no.space = TRUE)
```

## Balance by Pre-Treatment Covariates After Removing Dropout

```
p = 0.00* p = 0.00* p = 0.00*
treatment 0.53 -0.004 7.48
p = 0.14 p = 0.72 p = 0.85
```

#### Observations 91 91 91

Note: NA \*p<0.05; Clustered SEs

```
##
## Balance by Pre-Treatment Covariates After Removing Dropout
## ===============
               Dependent variable:
##
            _____
             sleep exercise
                           water
  _____
##
                     2.41
## Control Mean 8.33
                            1.05
      p = 0.00* p = 0.00* p = 0.00*
##
## treatment
           -0.55
                   0.14
                           -0.05
           p = 0.07 p = 0.74 p = 0.50
##
## Observations
              91
                      91
  _____
##
##
                 *p<0.05; Clustered SEs
##
## Balance by Pre-Treatment Covariates After Removing Dropout
  _____
##
             Dependent variable:
##
##
             weight
                    composition
##
## Control Mean 66.18
                       77.69
##
            p = 0.00* p = 0.00*
## treatment
             0.004
                       1.28
                     p = 0.61
##
            p = 1.00
## Observations
               91
## =============
## Note:
                            NA
            *p<0.05; Clustered SEs
##
```

### A tibble: $2 \times 2$

Di dropout\_rate

 $1\ 0\ 0.08\ 2\ 1\ 0.10$ 

3. Non-compliance, whether some girls from the treatment group were not treated, whether some girls from the control group received treatment

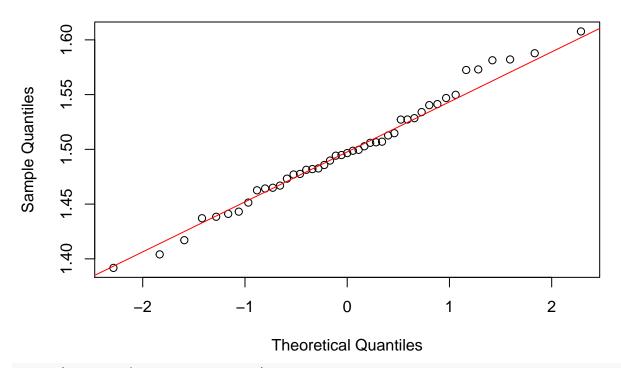
```
treatment <- water_df %>%
  mutate(extrawater = post_water - pre_water) %>%
```

```
filter(Di == 1)
shapiro.test(treatment$extrawater)

##
## Shapiro-Wilk normality test
##
## data: treatment$extrawater
## W = 0.98701, p-value = 0.8887

require(graphics)
qqnorm(treatment$extrawater);qqline(treatment$extrawater, col = 2)
```

### Normal Q-Q Plot



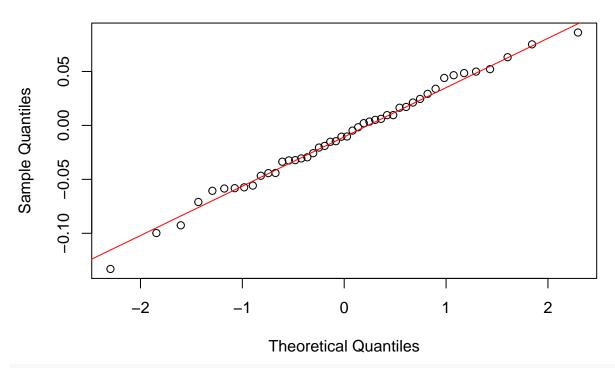
#### t.test(treatment\$extrawater, mu=1.5)

```
##
##
   One Sample t-test
##
## data: treatment$extrawater
## t = -0.10417, df = 44, p-value = 0.9175
## alternative hypothesis: true mean is not equal to 1.5
## 95 percent confidence interval:
## 1.484351 1.514111
## sample estimates:
## mean of x
## 1.499231
# shapiro test suggests it's normally distributed; ttest can be interpreted as there's no non-complianc
control <- water_df %>%
  mutate(extrawater = post_water - pre_water) %>%
 filter(Di == 0)
```

#### shapiro.test(control\$extrawater)

```
##
## Shapiro-Wilk normality test
##
## data: control$extrawater
## W = 0.99092, p-value = 0.9741
require(graphics)
qqnorm(control$extrawater);qqline(control$extrawater, col = 2)
```

## Normal Q-Q Plot



#### t.test(control\$extrawater, mu=0)

```
##
## One Sample t-test
##
## data: control$extrawater
## t = -1.4386, df = 45, p-value = 0.1572
## alternative hypothesis: true mean is not equal to 0
## 95 percent confidence interval:
## -0.023929538    0.003988794
## sample estimates:
## mean of x
## -0.009970372
```

# shapiro test suggests it's normally distributed; ttest can be interpreted as there's no non-complianc

The null-hypothesis of the shapiro test is that the population is normally distributed. Thus, if the p-value is less than the chosen alpha level, then the null hypothesis is rejected and there is evidence that the data tested are not from a normally distributed population; in other words, the data are not normal.

Conclusion: only the treatment group received treatment and all of them received treatment; no one in the

control group received any treatment and the amount of water they drunk did not differ significantly from what they had drunk before the experiment.

#### 4.Estimate ATE

## A tibble: $2 \times 4$

```
Di ATE_weight ATE_comp ATE_BMI 1 0 -0.78 -4.02 -0.31 2 1 -1.87 -9.80 -0.74
```