

$$\begin{aligned} Q1 \quad a) i) P(\text{drama, female}) &= P(\text{drama}) \cdot P(\text{female} | \text{drama}) \\ &= 21/120 \times 14/21 \\ &= \frac{7}{60} \approx 0.11667 \end{aligned}$$

$$\begin{aligned} a) ii) P(\text{action}) &= 25/120 \\ &= \frac{5}{24} \\ &\approx 0.2083 \end{aligned}$$

$$\begin{aligned} a) ii) P(\text{comedy, male}) &= P(\text{comedy}) \cdot P(\text{male} | \text{comedy}) \\ &= 30/120 \times 7/30 \\ &= \frac{7}{120} \\ &\approx 0.0583 \end{aligned}$$

$$\begin{aligned} iii) P(\text{action}) &= 25/120 \\ &= \frac{5}{24} \\ &\approx 0.2083 \end{aligned}$$

$$\begin{aligned} iv) P(\text{non-binary} | \text{comedy}) \\ &= 7/30 \\ &= 0.233 \end{aligned}$$

$$b) \because X \perp Z | Y \quad \therefore P(X, Z | Y) = P(X | Y) \cdot P(Z | Y)$$

$$P(X | Z | Y) = P(X | Y)$$

Independence

$$\begin{aligned} P(XYZ) &= P(X) \cdot P(YZ | X) \\ &= P(X) \cdot P(Z | Y) \cdot P(Y | X) \\ &= P(X) \cdot P(Z | Y) \cdot P(Y) \end{aligned}$$

cont.

$$\begin{aligned}
 Q1 \text{ b i)} \quad & P(X=0, Y=0, Z=1) = P(X=0, Z=1, Y=0) \\
 &= P(Z=1, Y=0) \cdot P(X=0 | Z=1, Y=0) \quad \text{Product Rule} \\
 &= P(Z=1, Y=0) \cdot P(X=0, Y=0) \quad \text{Independence} \\
 &= P(Y=0) \cdot P(Z=1 | Y=0) \cdot P(X=0) \cdot P(Y=0 | X=0) \quad \text{Product Rule} \\
 &= P(Y=0) \times 0.2 \times (1 - P(X=1)) \times (1 - P(Y=1 | X=0)) \\
 &\quad \text{Substitute value into and use the sum rule} \\
 &= P(Y=0) \times (0.2 \times 0.8 \times 0.4) \\
 &= 0.064 \times (P(X=0, Y=0, Z=0) + P(X=0, Y=0, Z=1) \\
 &\quad + P(X=1, Y=0, Z=0) + P(X=1, Y=0, Z=1)) \\
 &= 0.064 \times \left(\frac{P(Y=0)}{P(X=0, Y=0)} \right) \quad \text{Product Rule} \\
 &\quad \text{P(XY) = P(Y)P(X|Y)} \\
 &\quad \text{P(Y) = } \frac{P(X=0)}{P(X|Y)} \\
 &= 0.064 \times \frac{0.4}{0.8 \times 0.4} = 0.08 \\
 &= 0.08
 \end{aligned}$$

$$\begin{aligned}
 \text{b) ii)} \quad & P(Z=1 | X=1) = \frac{P(Z=1) P(X=1 | Z=1)}{P(X=1)} \quad \text{Bayes} \\
 &= \frac{P(X=1, Z=1)}{P(X=1)} \quad \text{Product} \\
 &= \frac{P(X=1, Y=0, Z=1) + P(X=1, Y=1, Z=1)}{P(X=1)} \quad \text{Sum} \\
 &= \frac{\frac{1}{0.8} \times 0.2 \times 0.2 \times 0.7}{0.2} +
 \end{aligned}$$

Q 2 a) i) Zero Prob ~~can~~ can be addressed by adding 2 fake ~~instances~~ test instances, one instance is with value of all 0, the other is all one.
~~It's because~~ It's aiming for solving any ~~of~~ 0 occur among $P(f_1|C) \dots P(f_n|C)$

ii) ~~It assumes~~ The Naive Bayes assumes that Features ~~are~~ are all conditionally ~~not~~ independent.

iii) ~~Wants to calculate:~~ $P(c)$
It's because $P(C|f_1, f_2, \dots, f_n)$ is equal to

$$\frac{P(C) P(f_1|f_2, \dots, f_n|C)}{P(f_1, f_2, \dots, f_n)}$$

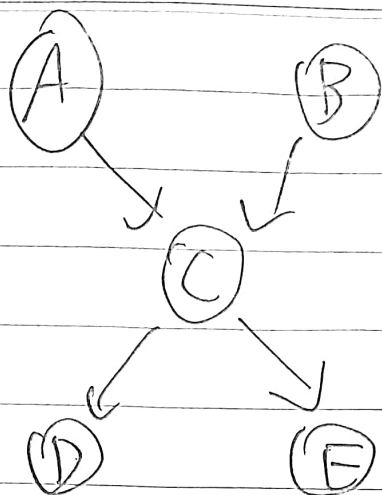
And since features are independent, so
the ~~numerator~~ $P(c)$

$$\rightarrow = \cancel{P(c)} P(f_1|C) P(f_2|C) \dots P(f_n|C) \cdot P(c)$$

this can be ignore.

And the \rightarrow is the same, so that's why
the Posterior also has the
largest.

Q.2 b) i)



$D \perp E$

b) ii) A is conditional independent on E given C

And ~~A~~^B is conditional independent on E given C

And A is conditional independent on D given C
 $A \perp E | C$ $A \perp D | C$ $B \perp E | C$

$A B \perp D | C$

b) iii) $P(a|d,e) = \frac{P(a)P(d,e|a)}{P(d,e)}$

$\rightarrow D \perp E \rightarrow \frac{P(a) \cancel{P(a|a)} \cancel{P(e|a)} P(d,e)}{P(d) \cancel{D \perp E}}$

$= \frac{P(a)P(d)P(e)}{P(d)} \quad D \perp E, \text{ so } P(D,E) = P(D)P(E)$

Q3 a) classical Planning do the plan does NOT consider the time taken, so it may take long time

Scheduling consider time to make sure the time consuming is low

b) Delivery from ~~node~~ depot to clients
Hospital ambulance find ~~patient~~ route to patient, and the Hospital is like the depot

c) i) $At(A)$

ii) $At(C)$

iii) Move (A, B) Move A to B Room
Carry (Obj)

iv) Pick (Obj)
Drop (Obj)

v)

Q 4a) images, Robots, text

b) Volume : Size of data

Variety : different types of Data

Velocity : Speed of Data Moves and come in

c) It map into the high-dimension space rather than the 2D dimension.
Everything can be linear separable as long as the dimension is high enough.

d) Auto Encoder : ~~Non-classified~~ ^{Non-supervised}
CNN : ~~Classified~~ ^{Supervised}

e) Deep Forest : supervised

GP : non-supervised