PHYS 2211 Test 2 Fall 2011

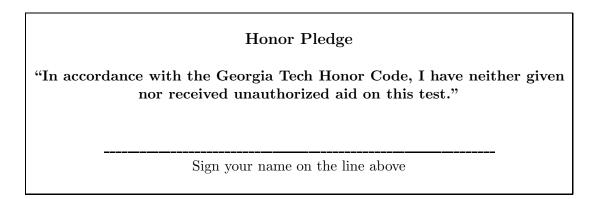
Name(print)	

Instructions

- Read all problems carefully before attempting to solve them.
- Your work must be legible, and the organization must be clear.
- You must show all work, including correct vector notation.
- Correct answers without adequate explanation will be counted wrong.
- Incorrect work or explanations mixed in with correct work will be counted wrong. Cross out anything you don't want us to read!
- Make explanations correct but brief. Don't write a lot of prose.
- Include diagrams!
- Show what goes into a calculation, not just the final number, e.g.: $\frac{a \cdot b}{c \cdot d} = \frac{(8 \times 10^{-3})(5 \times 10^6)}{(2 \times 10^{-5})(4 \times 10^4)} = 5 \times 10^4$
- Give standard SI units with your results.

Unless specifically asked to derive a result, you may start from the formulas given on the formula sheet, including equations corresponding to the fundamental concepts. If a formula you need is not given, you must derive it.

If you cannot do some portion of a problem, invent a symbol for the quantity you can't calculate (explain that you are doing this), and use it to do the rest of the problem.



PHYS 2211
Please do not write on this page.

Problem	Score	Grader
Problem 1 (25 pts)		
Problem 2 (25 pts)		
Problem 3 (25 pts)		
Problem 4 (25 pts)		

Problem 1 (25 Points)

The starship Enterprise and her crew were exploring deep space when they encountered a large black cube. After attempting to scan the cube for life, a large tractor beam from the cube locked onto the Enterprise and began to pull the starship towards itself with an attractive force with magnitude Kr^{-1} , where K is positive and r is the distance between the mysterious black cube and the Enterprise. Below is an incomplete VPython program to calculate the position of the Enterprise while under the influence of the cube's tractor beam (the only force acting on the ship). Fill in the missing VPython statements below to update the position of the spacecraft. You may assume that the mysterious black cube remains motionless.

```
from visual import *

# Objects
cube = box(pos=vector(0,0,0),color=color.black, length=3.4e6,width=3.4e6,height=3.4e6)
enterprise = sphere(pos=vector(8e5,6e5,0),color=color.gray,radius=6.4e2)

# Constants and Mass
K = 5e30
mEnterprise = 4e8

# Initial values
pEnterprise = mEnterprise*vector(2e3,-7e3,0)
deltat = 1800
t = 0
while = t<5*3600
# (a 15pts) Update the position of the Enterprise
```

```
# (b 10pts) Calculate the components of the net force on the Enterprise.
# You may need to add a line of code to part (a).

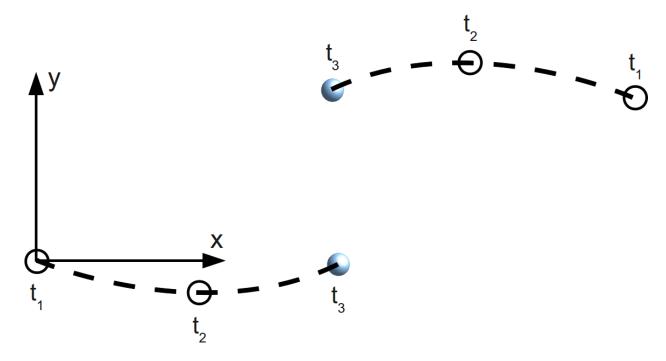
Fnet_tangent =

Fnet_perpendicular =

t = t + deltat
```

Problem 2 (25 Points)

Here is a portion of the trajectories of two identical asteroids of mass m interacting gravitationally and far from anything else. The asteroids are moving toward each other, with positions marked at times t_1 , t_2 , and t_3 .



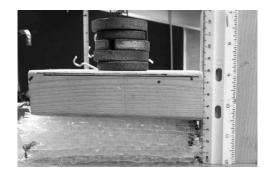
(a 12pts) At each of these positions, draw vectors of appropriate lengths and directions for the forces acting on each of the asteroids at that location. Label these vectors \vec{F} . At the same locations draw vectors of appropriate lengths and directions for the momenta of each of the asteroids at that location, and label them \vec{p} . ("Appropriate lengths" means that larger magnitudes are represented by longer vectors.)

(b 10pts) At time t_3 , asteroid 1 is located at $\vec{r}_1 = \langle d, 0, 0 \rangle$ and asteroid 2 is located at $\vec{r}_2 = \langle d, w, 0 \rangle$. Calculate the gravitational force (magnitude and direction) acting on asteroid 2.

(c 3pts) The total momentum of the two asteroid system was zero at time t_1 . Determine the center of mass \vec{r}_{CM} and momentum of the center of mass \vec{p}_{CM} of the two asteroid system at time t_3 .

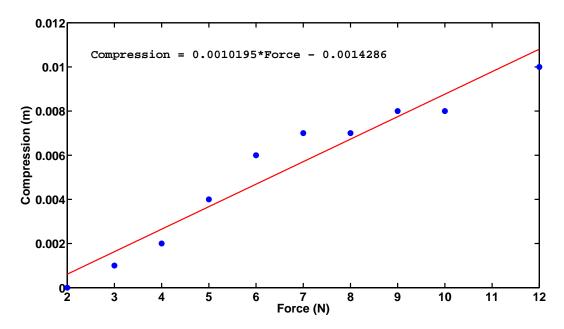
Problem 3 (25 Points)

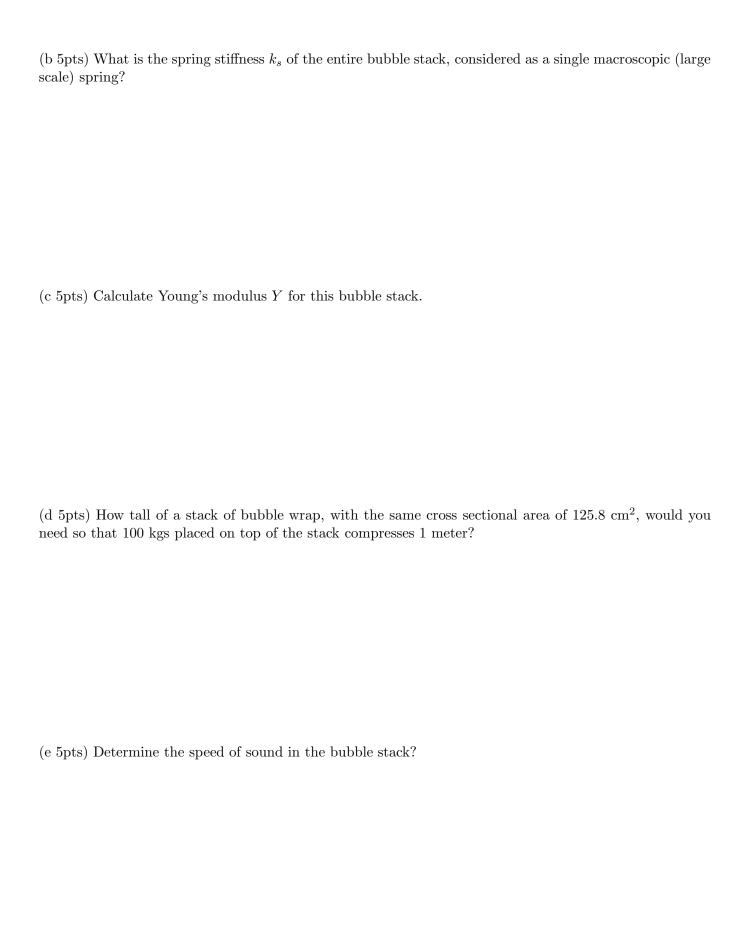
You and a friend decide that physics really is amazing and set out to measure the speed of sound in bubble wrap based on a previous lab you both completed. To do this you collect a large quantity of bubble wrap and cut it up into sheets with a cross section area of $125.8~\rm cm^2$. You stack several of these sheets on top of one another until your stack is $6.0~\rm cm$ high. By measuring the volume and mass of your bubble stack you approximate the density of bubble wrap to be $0.017~\rm g/cm^3$.



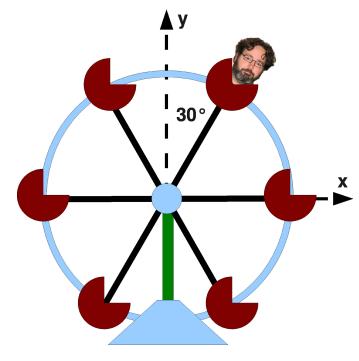
(a 5pts) The bubble wrap is made of plastic which is mostly carbon. Carbon has an atomic mass of 12.011 g/mol. If we approximate our bubble stack as a ball-and-spring collection of carbon atoms, determine the center-to-center distance between two of the carbon atoms in our stack.

Next you stack weights on your stack of bubble wrap (see above) and measure how much the stack compresses. You record this data in excel and find a linear fit of your data just as you did in lab for the stretch of a copper wire. This data is given below along with a best fit.





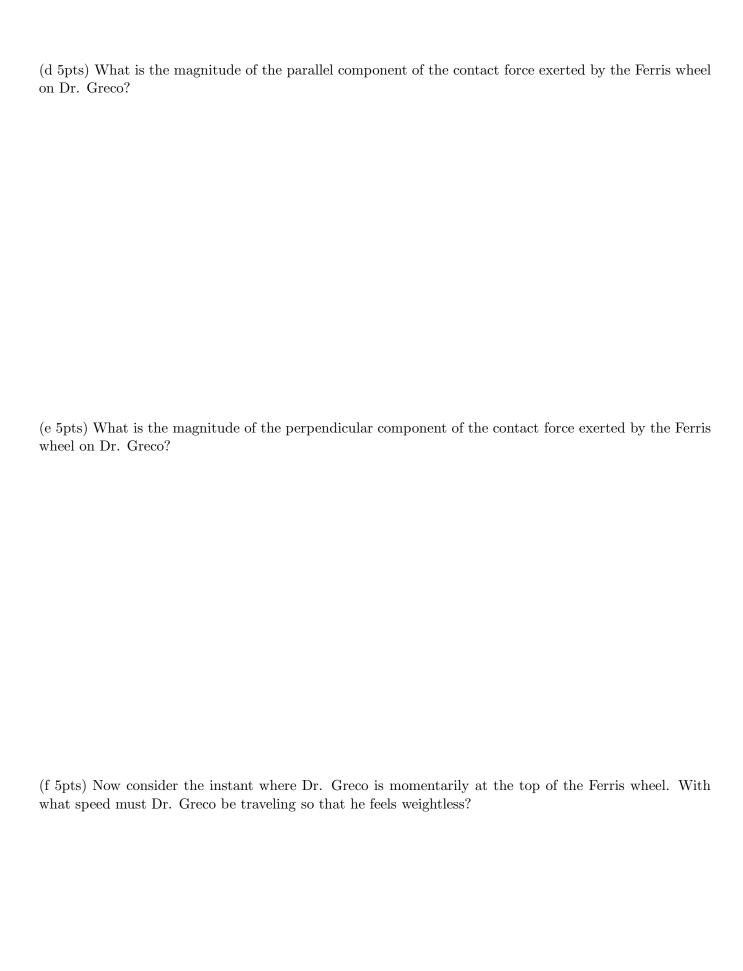
The Singapore Flyer (the world's largest Ferris wheel) has a diameter of 165 m. The wheel rotates counterclockwise at a constant rate, completing a full rotation in 37 minutes. Dr. Greco, a 100 kg passenger, is riding in the gondola at an angle of 30 degrees from the vertical.



(a 3pts) Choosing Dr. Greco as your system, which objects in the surroundings exert a force on him.

(b 2pts) What is the parallel component of the rate of change of Dr. Greco's momentum? Explain how you know this. Your answer should be a vector.

(c 5pts) What is the perpendicular component of the rate of change of Dr. Greco's momentum? Your answer should be a vector.



This page is for extra work, if needed.

Things you must have memorized

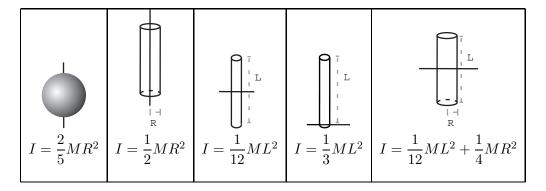
The Momentum Principle	The Energy Principle	The Angular Momentum Principle				
Definition of Momentum	Definition of Velocity	Definition of Angular Momentum				
Definitions of angular velocity, particle energy, kinetic energy, and work						

Other potentially useful relationships and quantities

$$\begin{split} \gamma &\equiv \frac{1}{\sqrt{1-\left(\frac{|\vec{v}|}{c}\right)^2}} \\ \frac{d\vec{p}}{dt} &= \frac{d|\vec{p}|}{dt} \hat{p} + |\vec{p}| \frac{d\hat{p}}{dt} \\ \vec{F}_{grav} &= -G \frac{m_1 m_2}{|\vec{r}|^2} \hat{r} \\ |\vec{F}_{grav}| &\approx mg \text{ near Earth's surface} \\ \vec{F}_{elec} &= \frac{1}{4\pi\epsilon_0} \frac{q_1 q_2}{|\vec{r}|^2} \hat{r} \\ |\vec{F}_{spring}| &= k_s s \\ U_i &\approx \frac{1}{2} k_{si} s^2 - E_M \\ K_{tot} &= K_{trans} + K_{rel} \\ K_{rot} &= \frac{L^2_{rot}}{2I} \\ \vec{F}_{man} &= \frac{L^2_{rot}}{2I} \\ \vec{F}_{rot} &= \frac{L^2_{rot}}{2I} \\ \vec{F}_{spring} &= \frac{L^2_$$

$$E_N = N\hbar\omega_0 + E_0$$
 where $N = 0, 1, 2...$ and $\omega_0 = \sqrt{\frac{k_{si}}{m_o}}$ (Quantized oscillator energy levels)

Moment of intertia for rotation about indicated axis



Constant	Symbol	Approximate Value
Speed of light	c	$3 \times 10^8 \text{ m/s}$
Gravitational constant	G	$6.7 \times 10^{-11} \text{ N} \cdot \text{m}^2/\text{kg}^2$
Approx. grav field near Earth's surface	g	$9.8 \mathrm{\ N/kg}$
Electron mass	m_e	$9 \times 10^{-31} \text{ kg}$
Proton mass	m_p	$1.7 \times 10^{-27} \text{ kg}$
Neutron mass	m_n	$1.7 \times 10^{-27} \text{ kg}$
Electric constant	$\frac{1}{4\pi\epsilon_0}$	$9\times10^9~\mathrm{N}\cdot\mathrm{m}^2/\mathrm{C}^2$
Proton charge	e $$	$1.6 \times 10^{-19} \text{ C}$
Electron volt	1 eV	$1.6 \times 10^{-19} \text{ J}$
Avogadro's number	N_A	$6.02 \times 10^{23} \text{ atoms/mol}$
Plank's constant	h	6.6×10^{-34} joule · second
$hbar = \frac{h}{2\pi}$	\hbar	1.05×10^{-34} joule · second
specific heat capacity of water	C	$4.2 \mathrm{J/g/K}$
Boltzmann constant	k	$1.38 \times 10^{-23} \text{ J/K}$

milli	m	1×10^{-3}	kilo	K	1×10^3
micro	μ	1×10^{-6}	mega	\mathbf{M}	1×10^6
nano	\mathbf{n}	1×10^{-9}	giga	G	1×10^9
pico	p	1×10^{-12}	tera	${ m T}$	1×10^{12}