

Temporal Aggregated Analysis of GPS Trajectory Data using Two-fluid Model

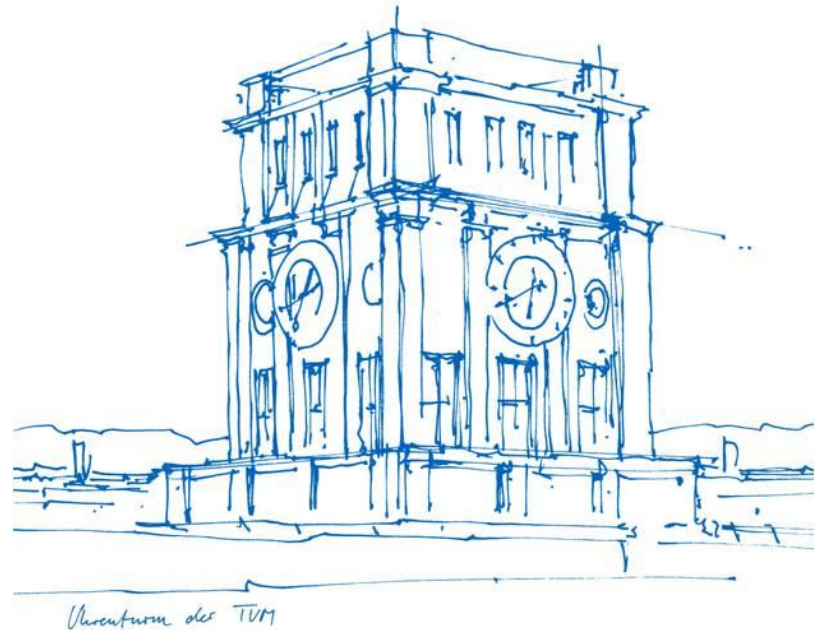
TRBAM-22-04844

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Dr. Felix Rempe (BMW Group)

Prof. Dr. Klaus Bogenberger (TUM)



Outline

- Background
- Methodology
- Case study
- Conclusion

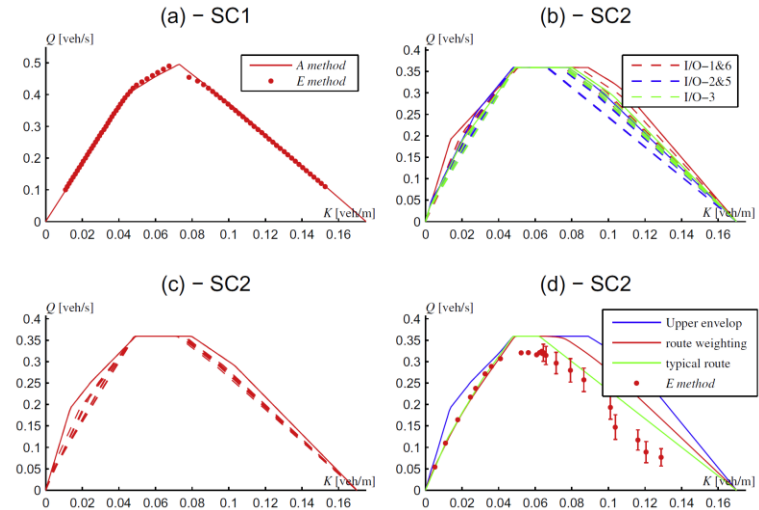
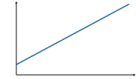
Two trends

Massive GPS (trajectory) data 



Trajectory of 50 vehicles over 1 hour

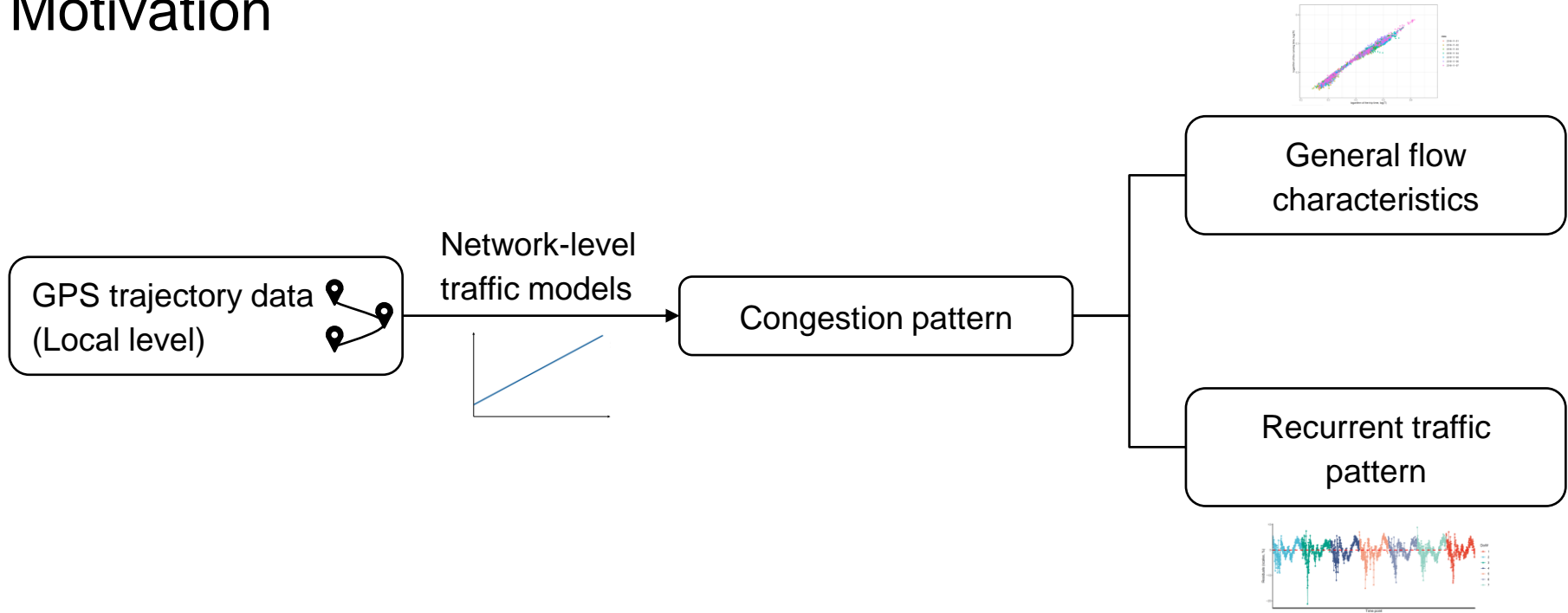
Network-level traffic models



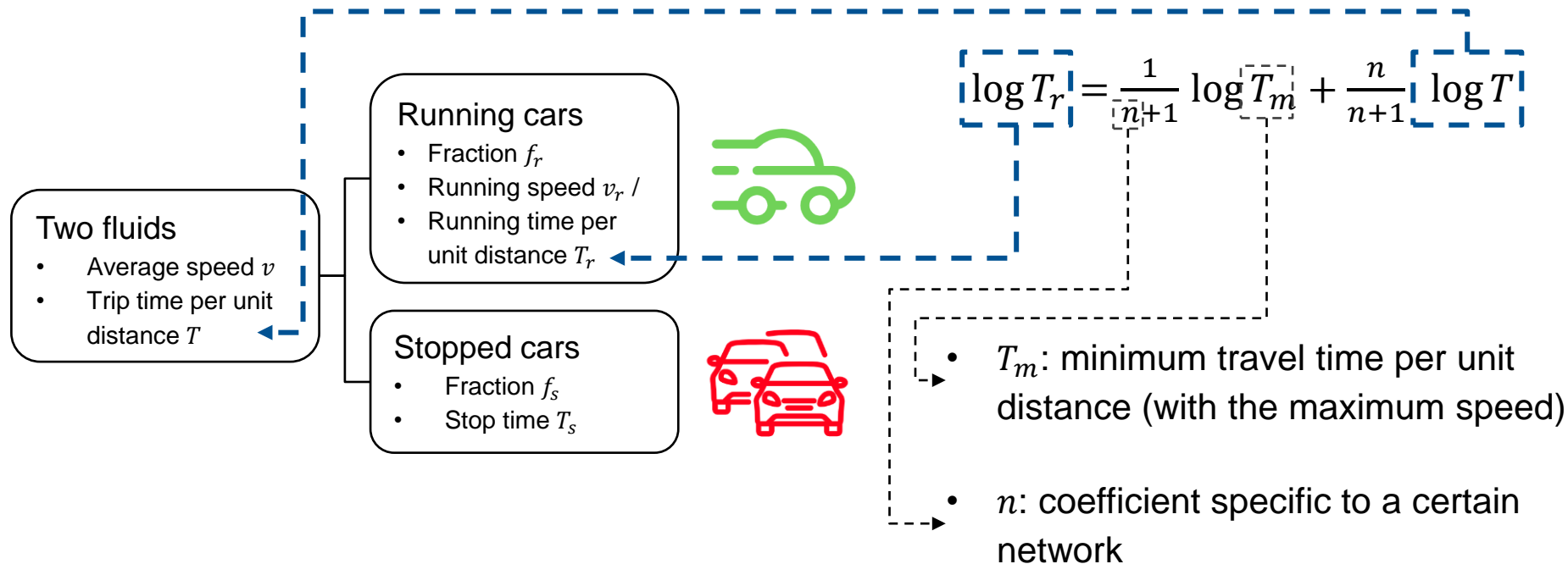
Examples of Estimated MFD

Leclercq, L., Chiabaut, N., & Trinquier, B. (2014). Macroscopic fundamental diagrams: A cross-comparison of estimation methods. Transportation Research Part B: Methodological, 62, 1-12.

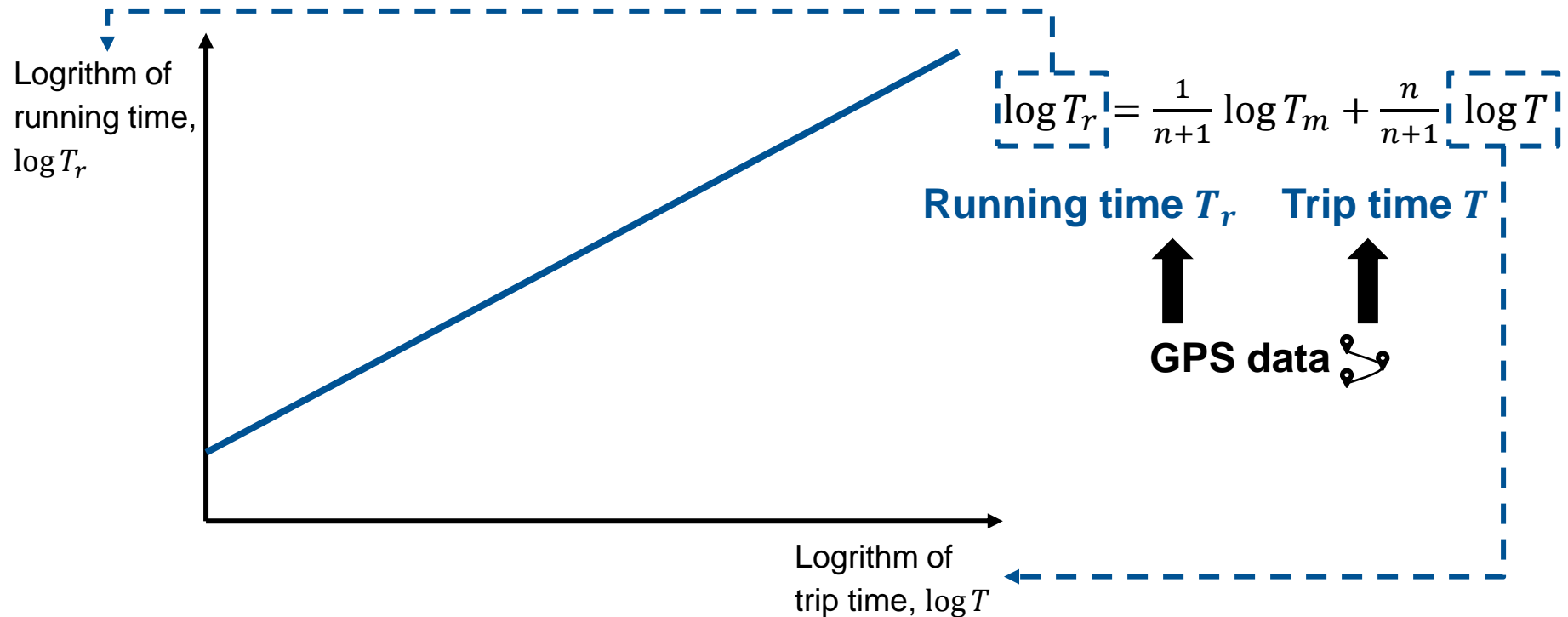
Motivation



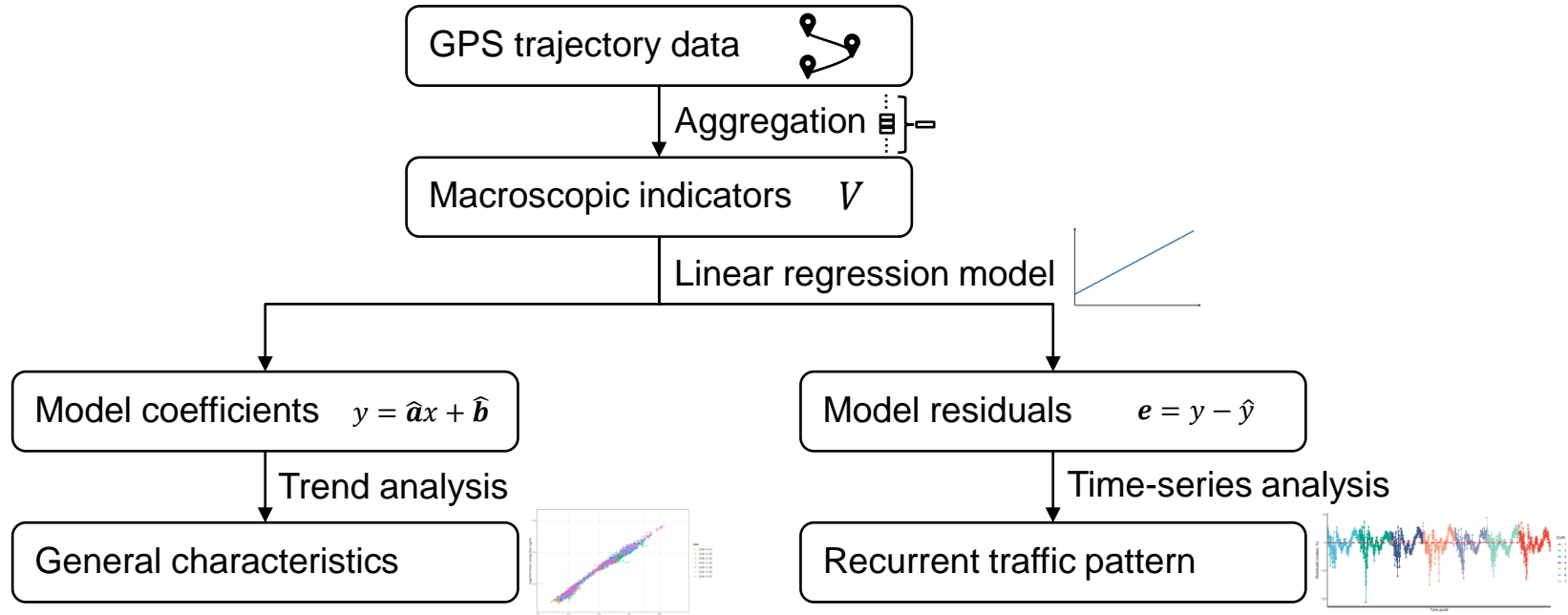
Network-level model: Two-fluid



Network-level model: Two-fluid



Methodology



Data set

- Data source: Didi Chuxing, GAIA Open  Data Initiative [3]
- Location: Chengdu (16.3M), China
- Time period: November 2016
- Average frequency: 3.11 seconds
- Dimension: ~30M records/day
- Variables:

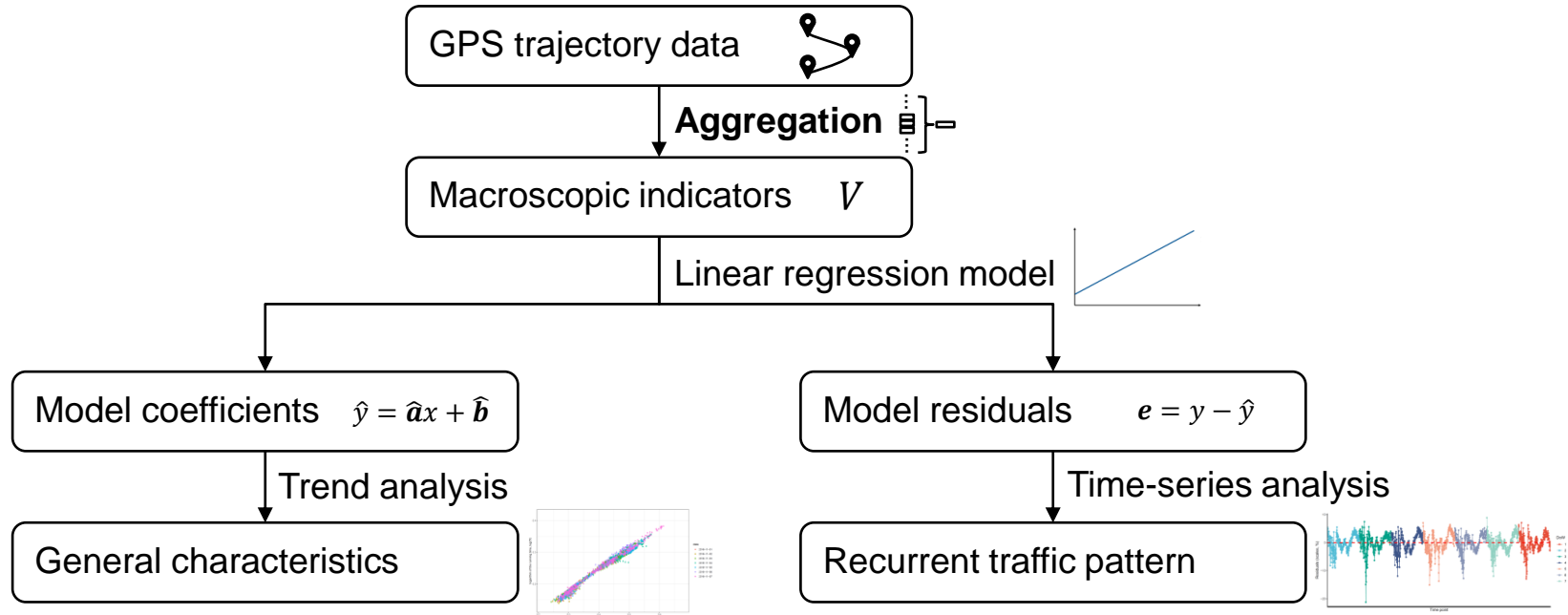
Variable	Example
Driver Id	"389b1a63fca70651270be4d9e64464a8"
Order Id	"13994a1c492c8901d5db1baf1c7c3ee"
Timestamp	1477962003
Longitude	104.05
Latitude	30.67

Didi Chuxing. (2021). The Gaia Initiative. <https://outreach.didichuxing.com/research/opendata/en/>. [Online; accessed 14-Dec-2021].

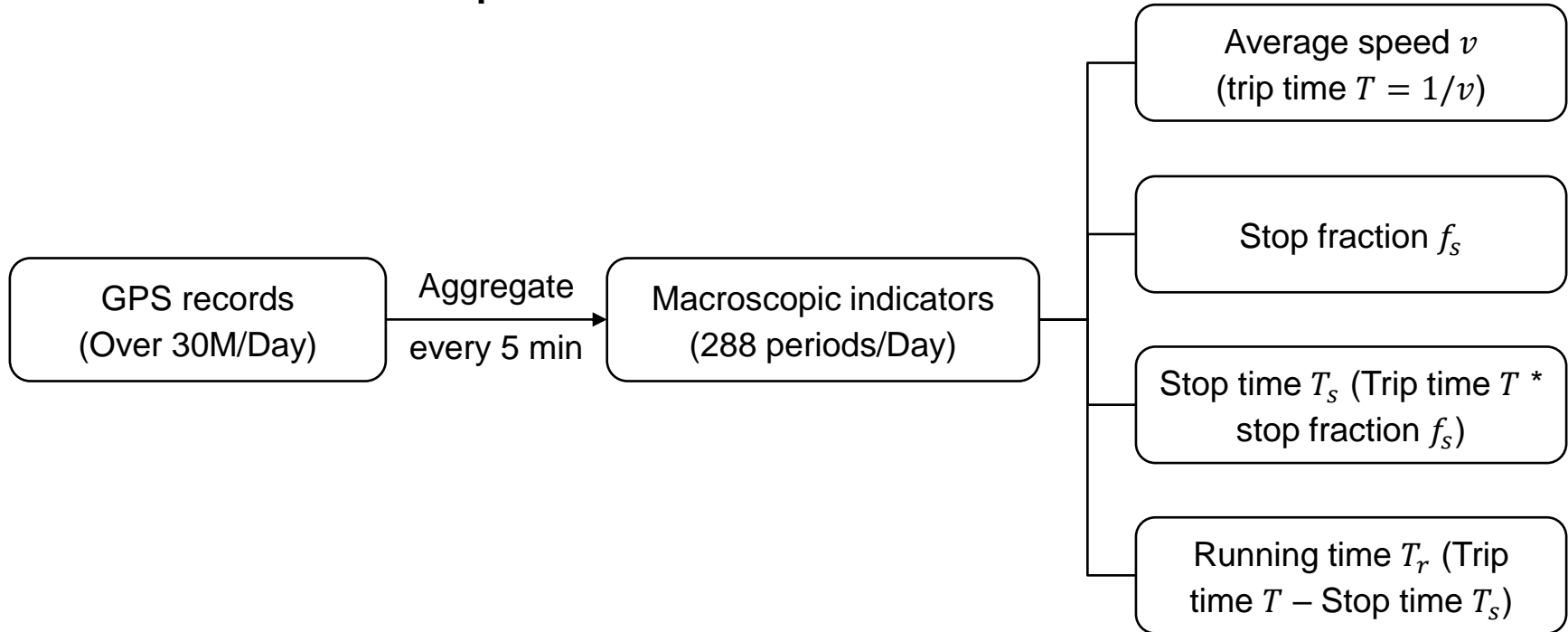


Liu et al. (2014). An Integrated Approach to Study the Impacts of Urbanization Process. https://www.researchgate.net/figure/Location-of-Chengdu-Sichuan-China_fig1_277673826. [Online; accessed 04-Jan-2022].

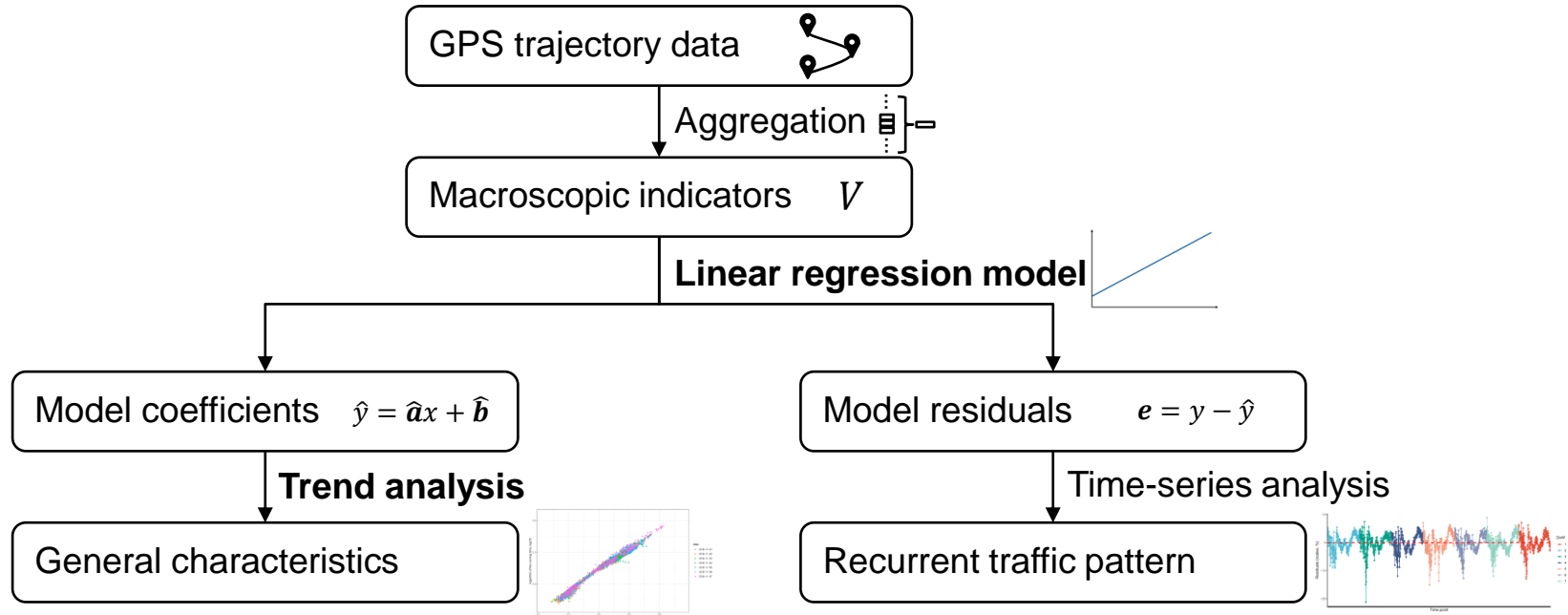
Methodology



Result: Macroscopic indicators



Methodology



Result: General characteristics

Summary of variables

Theme	Variable Description		Unit		
Two-fluid parameters	n	Model coefficient of network performance	-	}	Reciprocal
	T_m	Minimum trip time per unit distance	min/km		
	v_m	Maximum average vehicle speed	km/h		
Fraction	f_r	Fraction of moving cars	-	}	Reciprocal
	f_s	Fraction of stopped cars	-		
Velocity	u_0	Desired velocity	km/h		
	v	Average velocity	km/h		
	v_r	Average velocity of the moving cars	km/h		
	v_s	Average velocity of the stopped cars	km/h		
Trip time	T	Average trip time per unit distance	min/km	}	Reciprocal
	T_r	Average running time	min/km		
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Result: General characteristics

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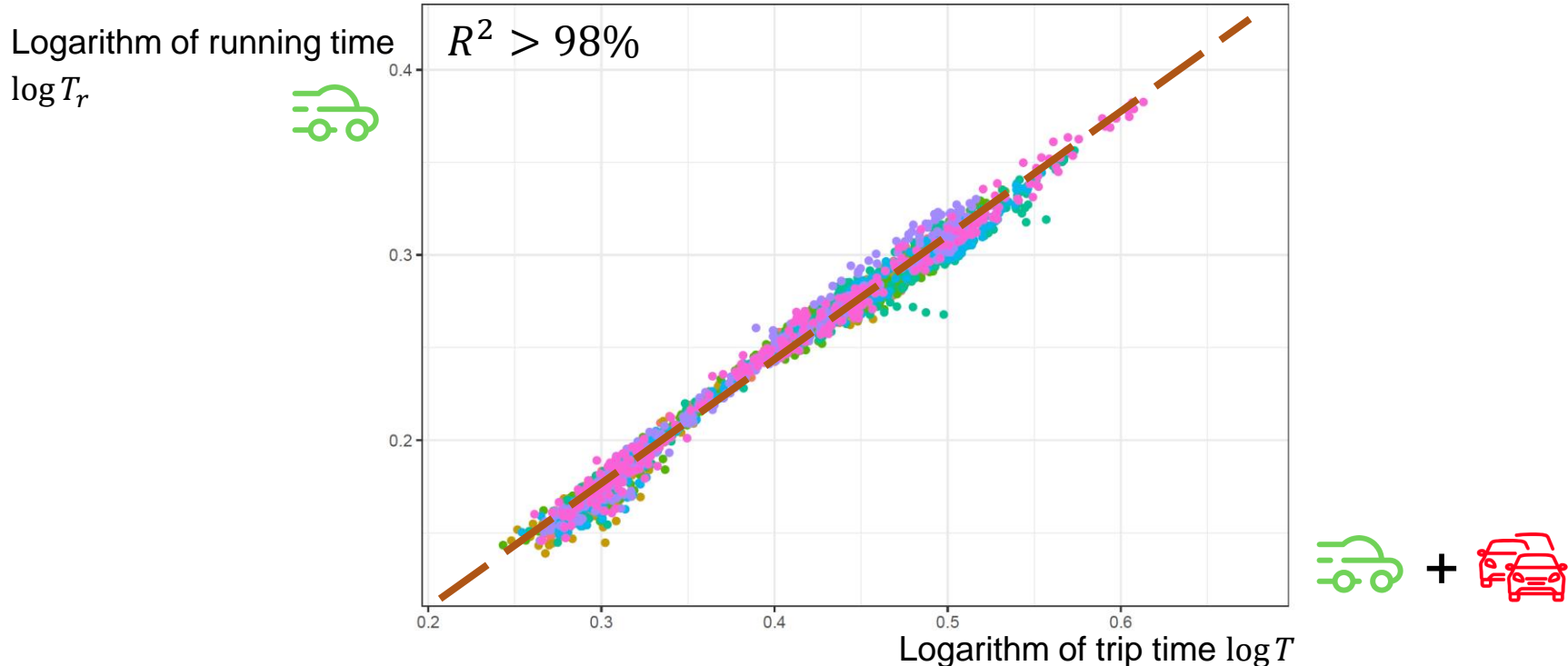


Date	Day-of-Week	R^2	n	T_m
01.11.2016	Tuesday	0.986	2.13	0.814
02.11.2016	Wednesday	0.987	2.00	0.855
03.11.2016	Thursday	0.980	1.95	0.865
04.11.2016	Friday	0.979	1.80	0.907
05.11.2016	Saturday	0.987	1.98	0.846
06.11.2016	Sunday	0.986	2.34	0.765
07.11.2016	Monday	0.989	1.89	0.895

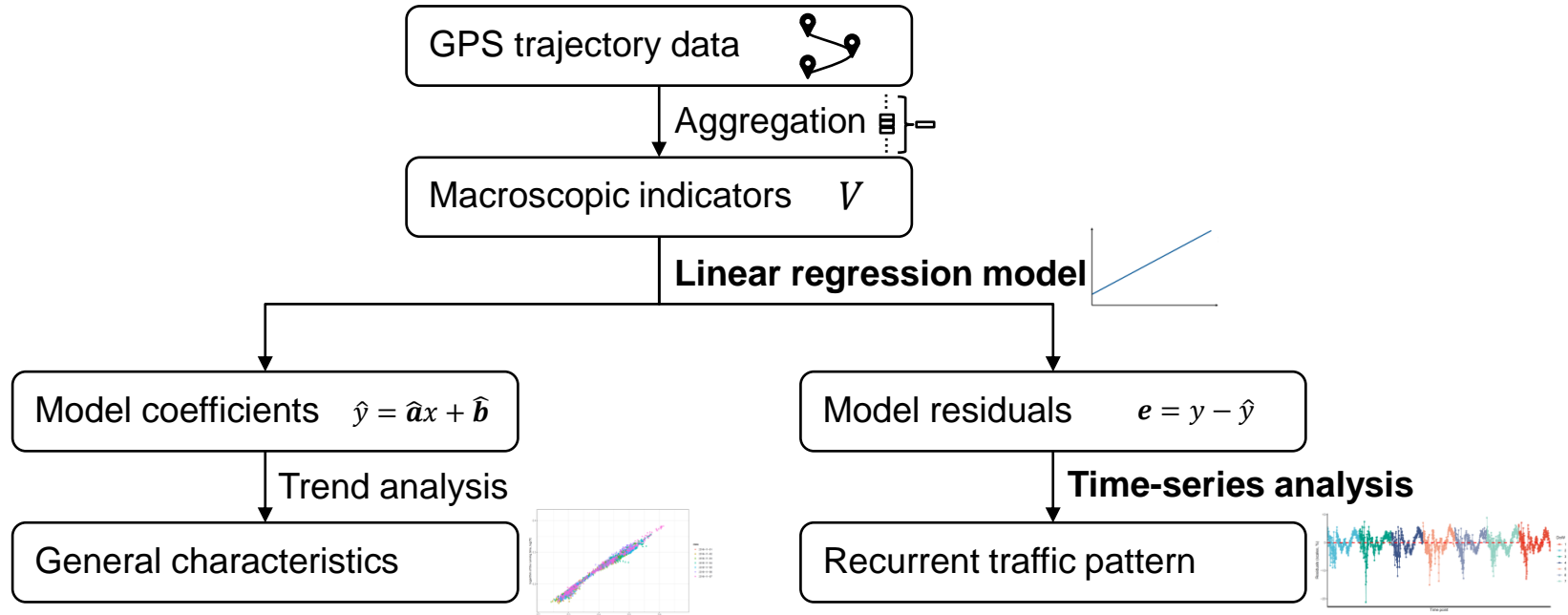
Result: General characteristics

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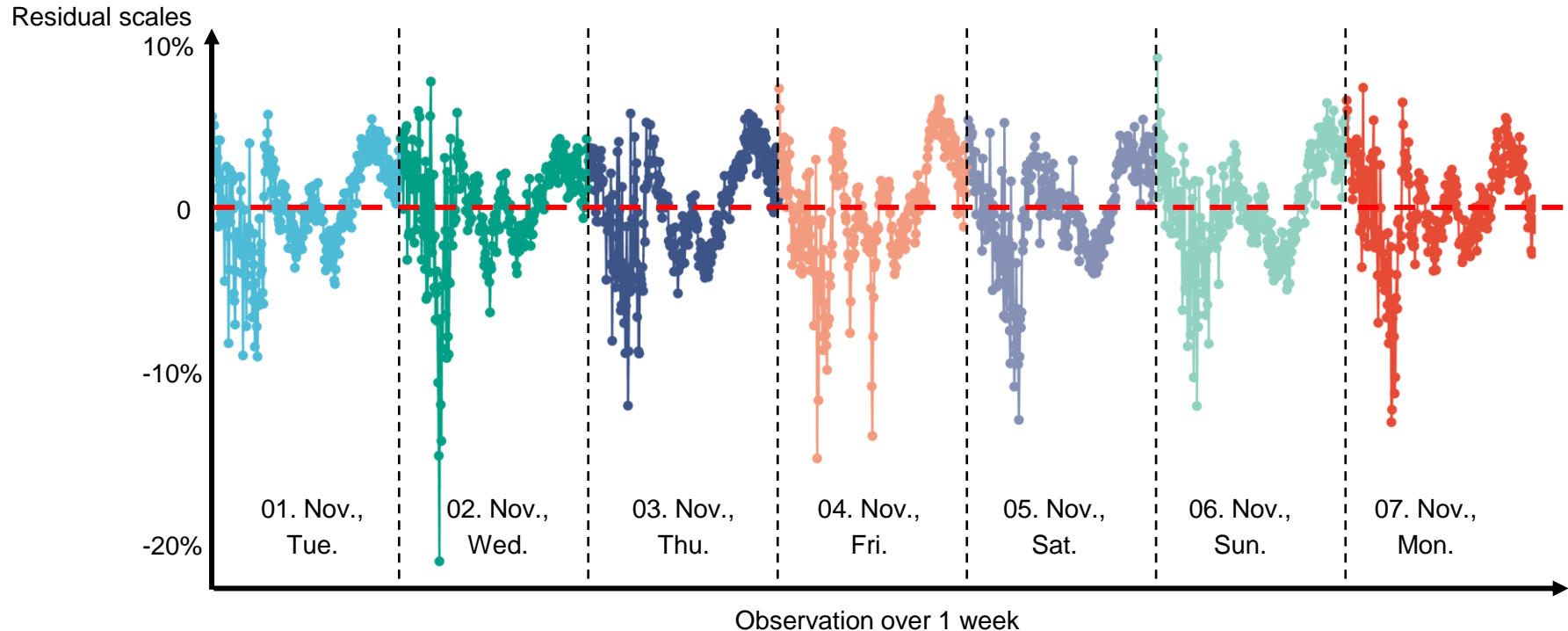
Result: General characteristics



Methodology



Result: Recurrent traffic pattern



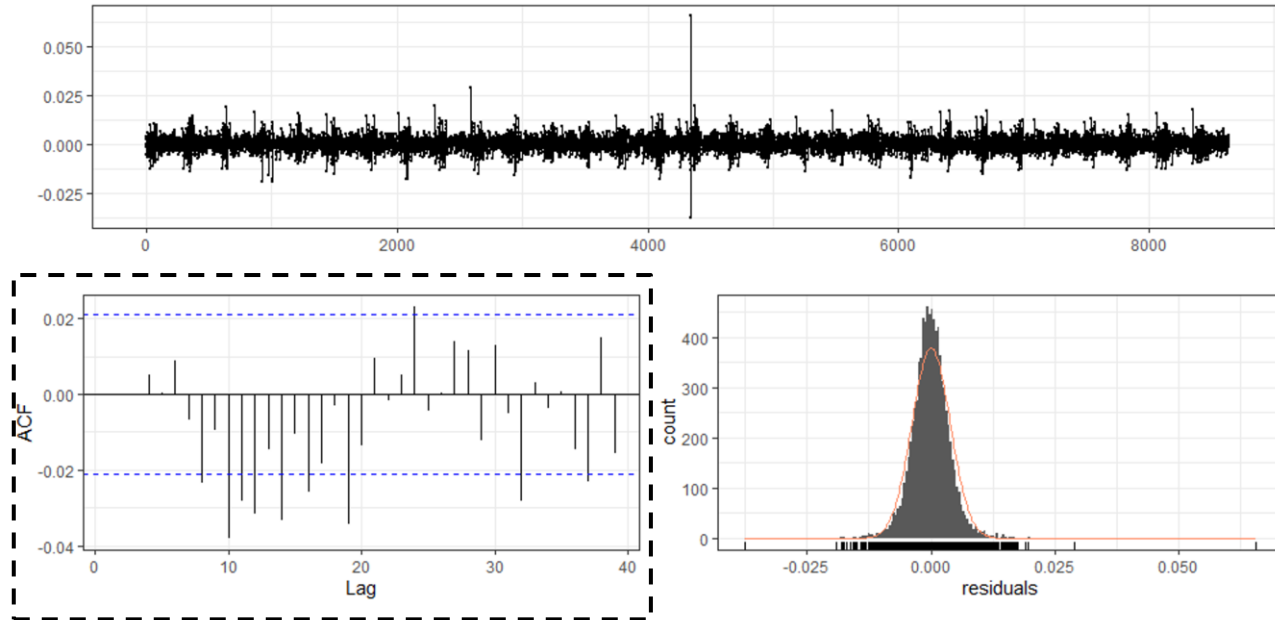
Result: Recurrent traffic pattern

- Differencing (degree d)
- AutoRegressive Integrated MovingAverage (ARIMA) model
- ARIMA (p, d, q) model

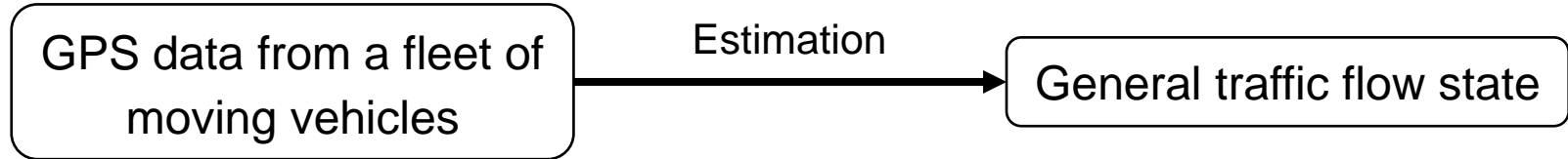
$$e'_i = e_i - e_{i-1}$$
$$y'_t = c + \overbrace{\varphi_1 y'_{t-1} + \dots + \varphi_p y'_{t-p}}^{\text{AutoRegressive term (} p \text{ steps)}} + \underbrace{\theta_1 \varepsilon_{t-1} + \dots + \theta_q \varepsilon_{t-q}}_{\text{MovingAverage term (} q \text{ steps)}} + \varepsilon_t$$

Result: Recurrent traffic pattern

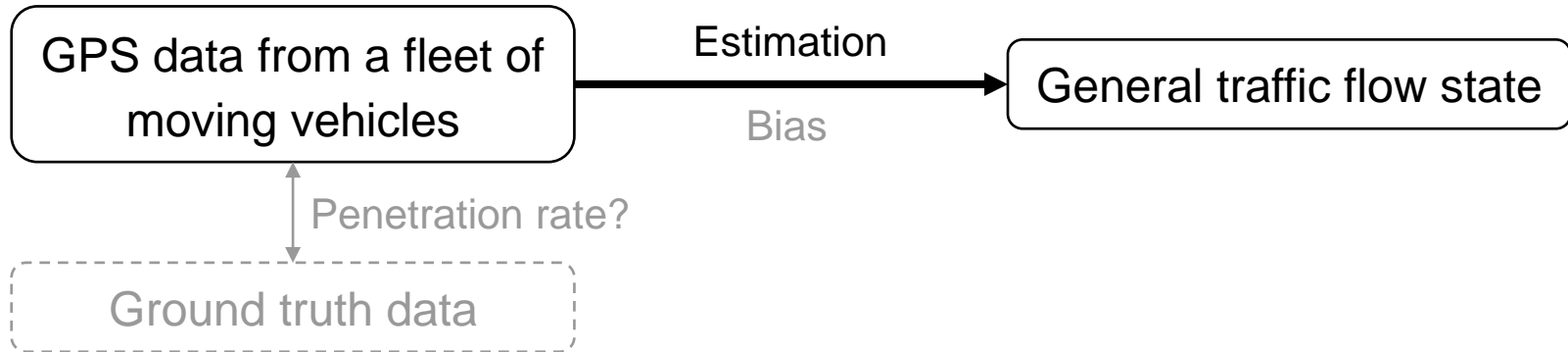
- ARIMA model: $(0, 1, 4)$
(Moving average model)
- ACF: autocorrelation function existing in the differenced residuals (no AR term)
- Depends linearly on the current and past 4 values (20-minute duration) of stochastic terms



Contribution

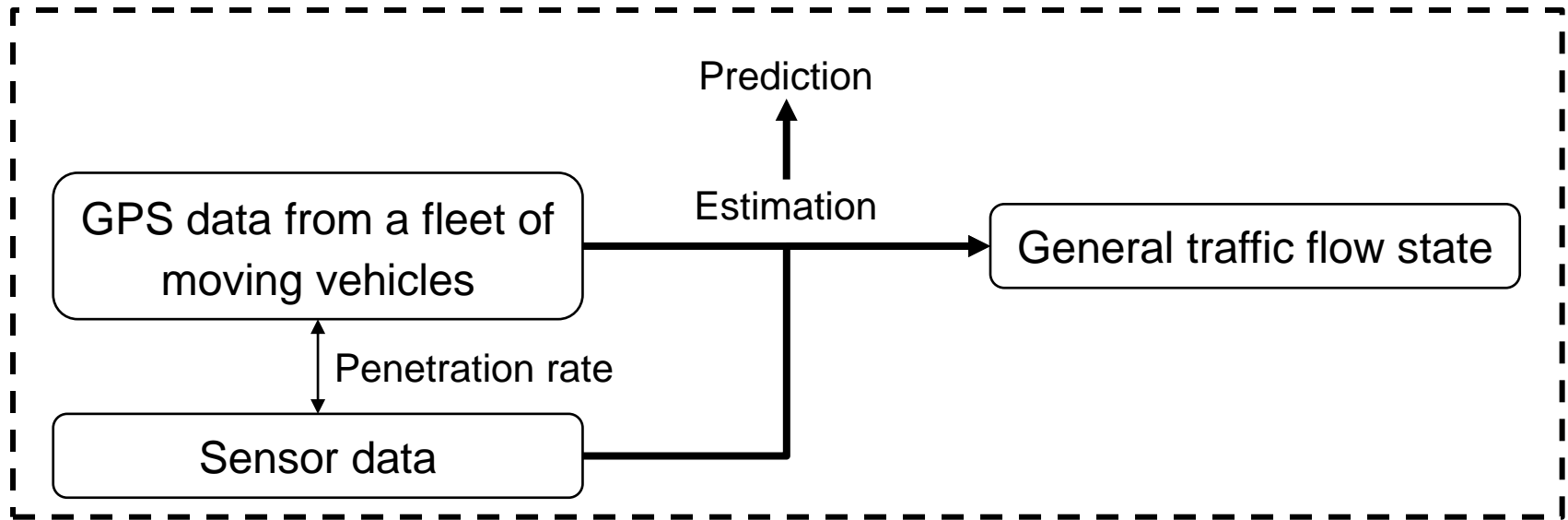


Restriction



Further works

Compare multiple cities to find the influence factors



Thanks and any questions?

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Full paper: