

## Appendix

### Q1. Point-to-point motion planning

Q1(a) Move a single joint robot from  $\theta = 20$  to  $60$  in 3 secs using the cubic polynomial.

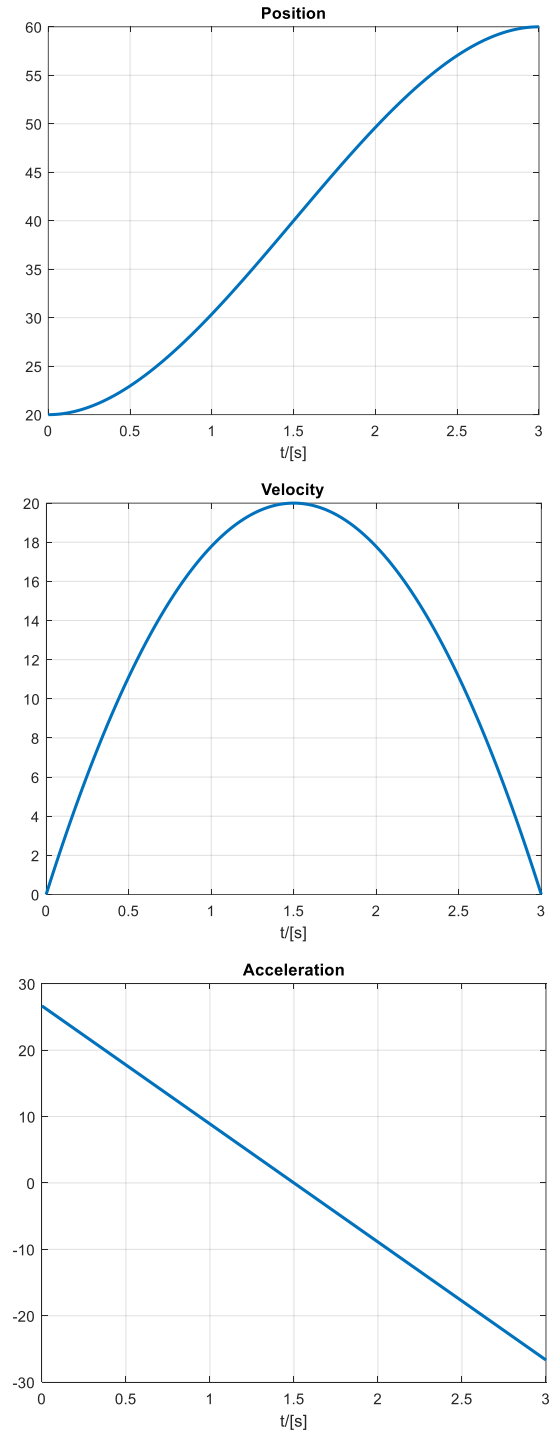


Fig. 1

**Q1(b) Move the robot from  $\theta = 5$  to 95 in 1 sec and compare with Q1(a) using the cubic polynomial.**

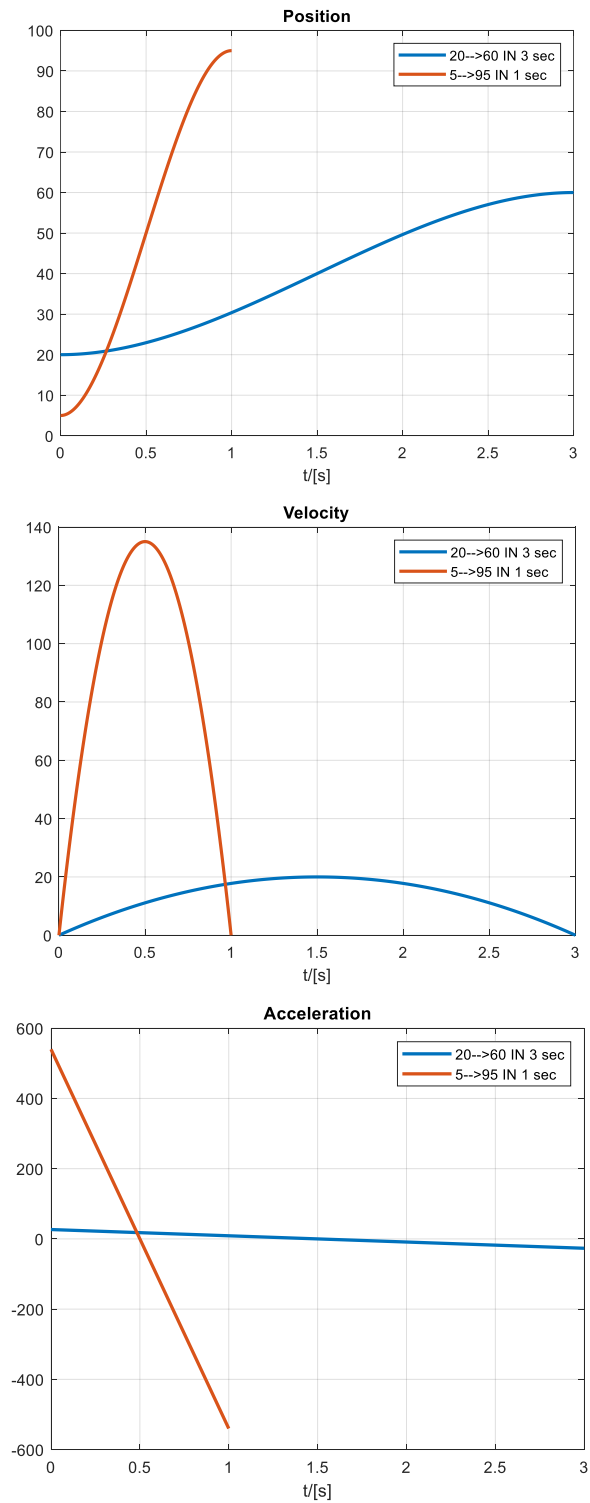


Fig. 2

**Q1(c) Using the linear function with parabolic blends approach, 40 deg/s<sup>2</sup> and 100 deg/s<sup>2</sup> as the two different accelerations to generate the trajectories and compare with (a).**

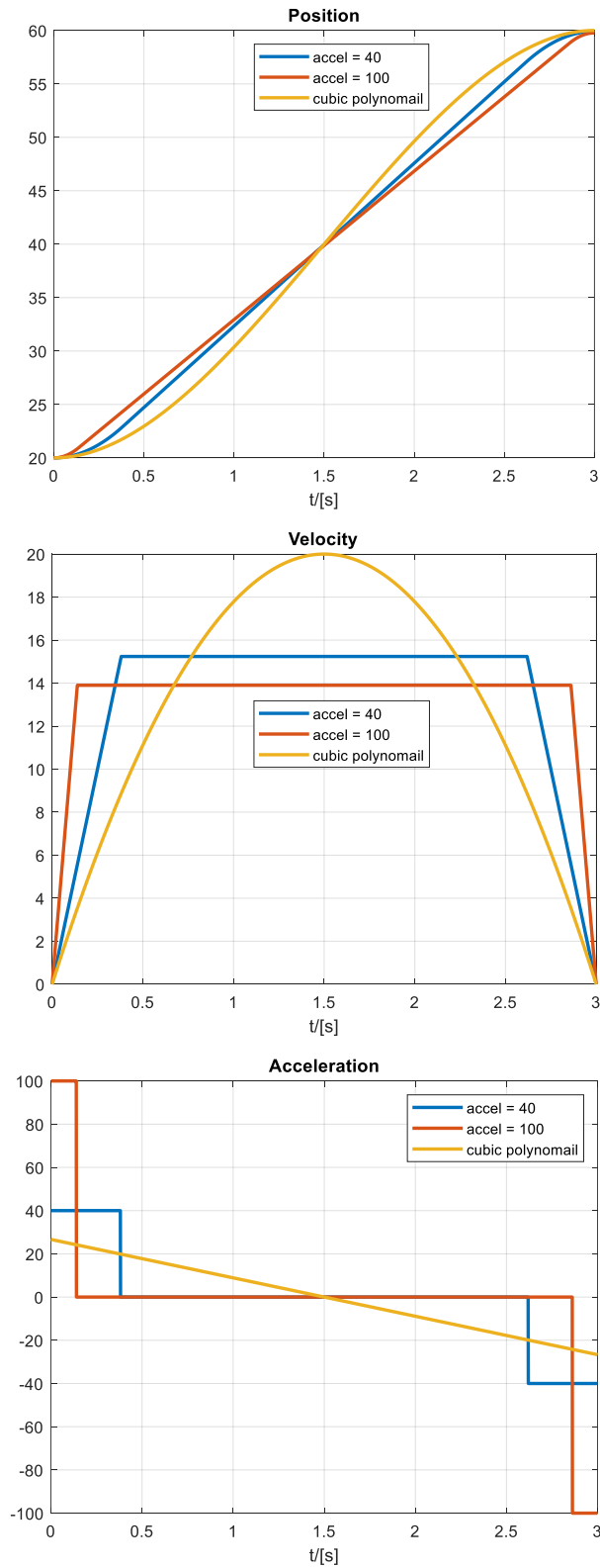


Fig. 3

**Q1(d) Repeat (a) with the linear function with parabolic blends approach, choose acceleration as  $20 \text{ deg/s}^2$ .**

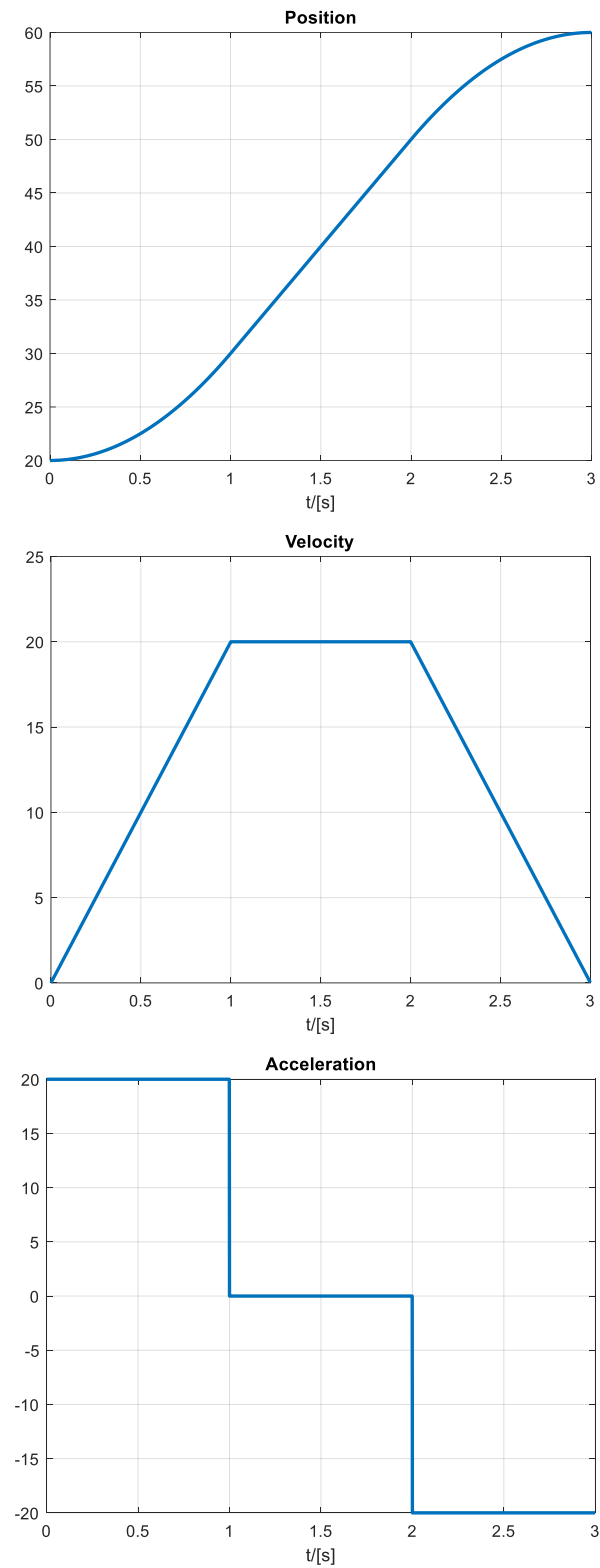


Fig. 4

**Q2(c) Plot the normalized transmission ratio  $r^*$  against the normalized acceleration  $a^*$ .**

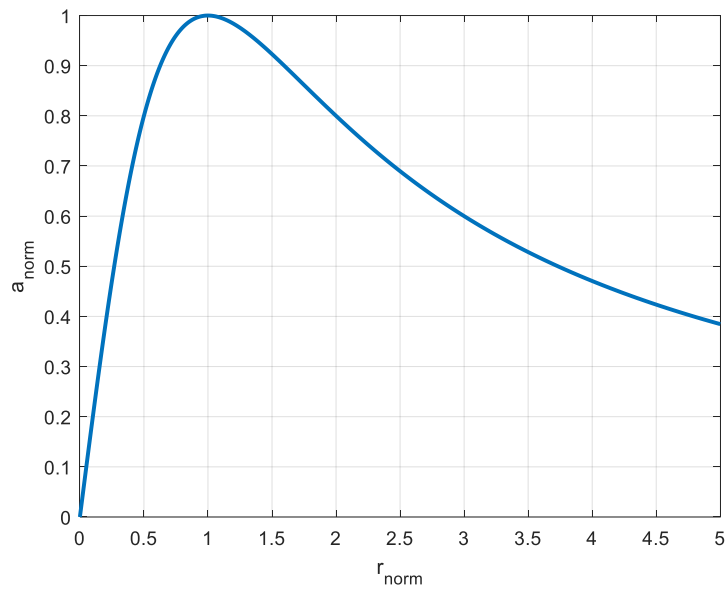


Fig. 5

**Q2(c) Plot the normalized transmission ratio  $r^*$  against the normalized acceleration  $a^*$  with  $M_{\text{new}} = kM$ , where  $k = 1.25, 1.5, 1.75$ .**

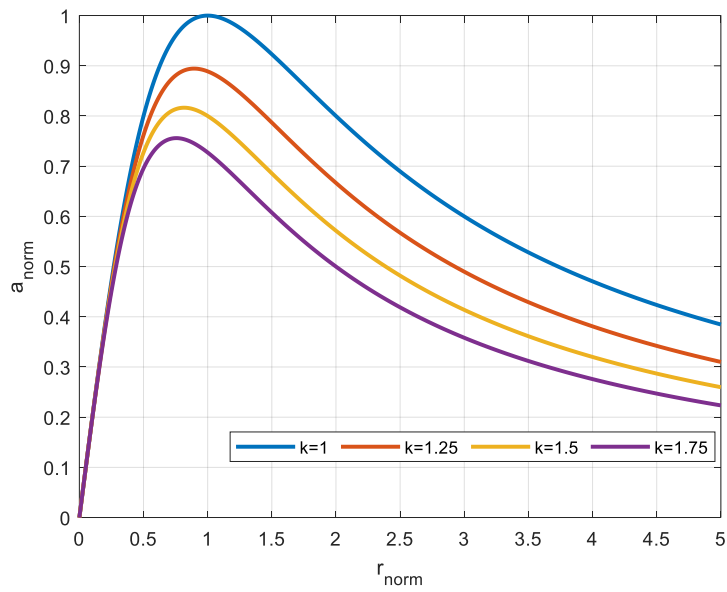


Fig. 6

**Q3(b) The step response of the system is critically damped (Without a disturbance input).**

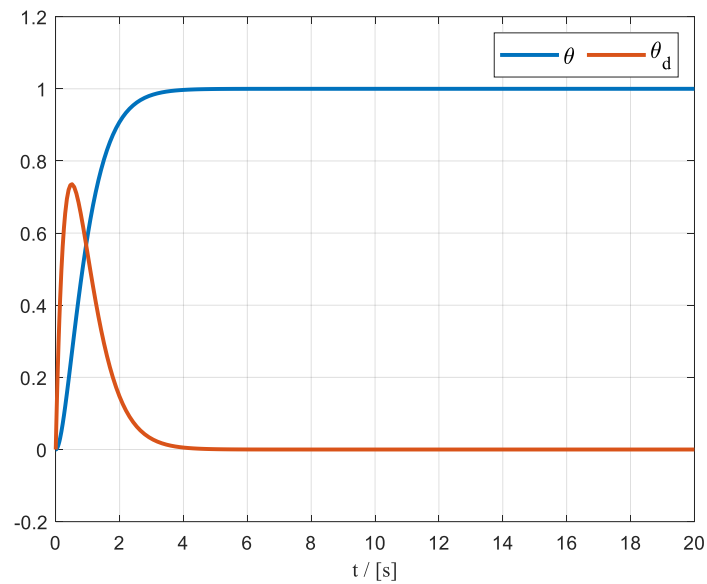


Fig. 7

**Q3(c) The step response of the closed loop system with a “step” disturbance  $\tau_{dist} = 0.12Nm$ .**

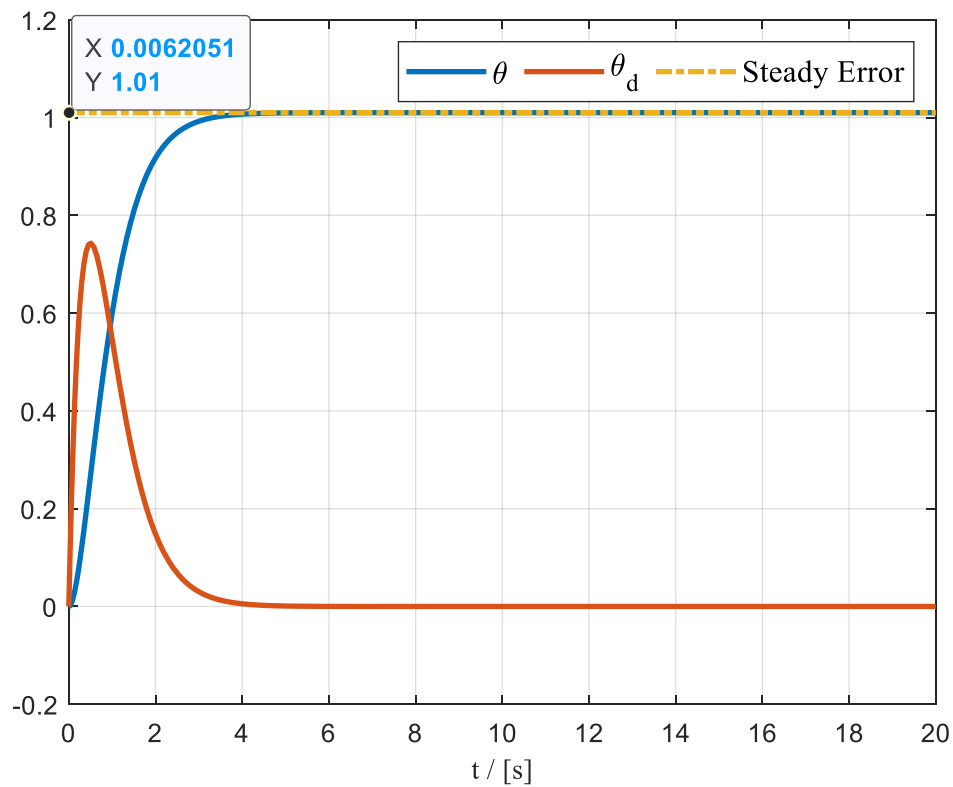


Fig. 8

**So we can see that the steady error  $e_s = 0.01rad$ .**