

**12.13** A civil engineer involved in construction requires 4800, 5810, and 5690 m<sup>3</sup> of sand, fine gravel, and coarse gravel, respectively, for a building project. There are three pits from which these materials can be obtained. The composition of these pits is

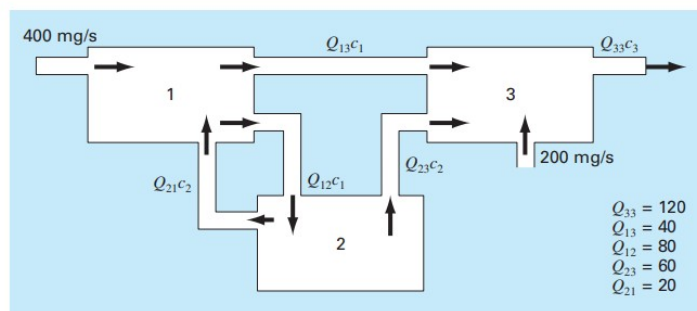
	<b>Sand %</b>	<b>Fine Gravel %</b>	<b>Coarse Gravel %</b>
Pit 1	52	30	18
Pit 2	20	50	30
Pit 3	25	20	55

How many cubic meters must be hauled from each pit in order to meet the engineer's needs?

**12.6** Figure P12.6 shows three reactors linked by pipes. As indicated, the rate of transfer of chemicals through each pipe is equal to a flow rate ( $Q$ , with units of cubic meters per second) multiplied by the concentration of the reactor from which the flow originates ( $c$ , with units of milligrams per cubic meter). If the system is at a steady state, the transfer into each reactor will balance the transfer out. Develop mass-balance equations for the reactors and solve the three simultaneous linear algebraic equations for their concentrations.

**FIGURE P12.6**

Three reactors linked by pipes. The rate of mass transfer through each pipe is equal to the product of flow  $Q$  and concentration  $c$  of the reactor from which the flow originates.



**12.10** An irreversible, first-order reaction takes place in four well-mixed reactors (Fig. P12.10),

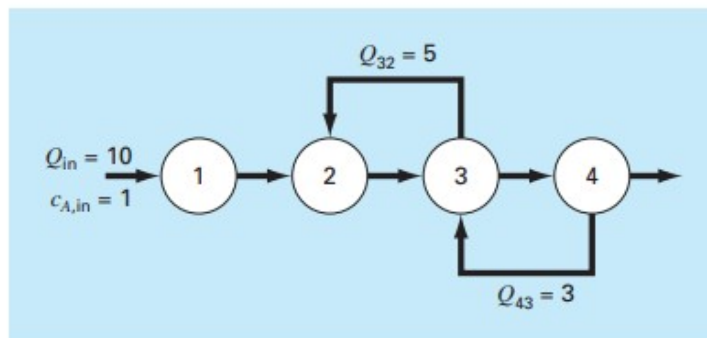


Thus, the rate at which  $A$  is transformed to  $B$  can be represented as

$$R_{ab} = kVc$$

The reactors have different volumes, and because they are operated at different temperatures, each has a different reaction rate:

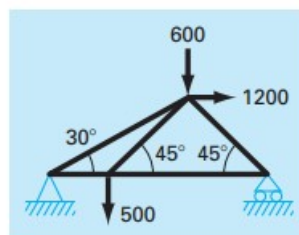
Reactor	$V, \text{ L}$	$k, \text{ h}^{-1}$
1	25	0.05
2	75	0.1
3	100	0.5
4	25	0.1



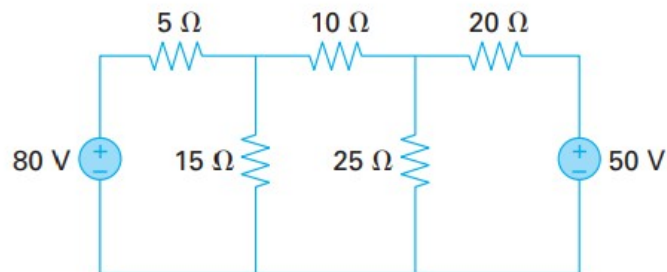
**FIGURE P12.10**

**12.16** Calculate the forces and reactions for the truss in Fig. 12.4

**FIGURE P12.14**



**12.27** Determine the currents for the circuit in Fig. P12.27.



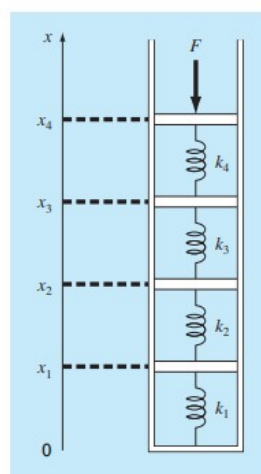
**FIGURE P12.27**

**12.33** Idealized spring-mass systems have numerous applications throughout engineering. Figure P12.33 shows an arrangement of four springs in series being depressed with a force of 2000 kg. At equilibrium, force-balance equations can be developed defining the interrelationships between the springs,

$$\begin{aligned} k_2(x_2 - x_1) &= k_1 x_1 \\ k_3(x_3 - x_2) &= k_2(x_2 - x_1) \\ k_4(x_4 - x_3) &= k_3(x_3 - x_2) \\ F &= k_4(x_4 - x_3) \end{aligned}$$

where the  $k$ 's are spring constants. If  $k_1$  through  $k_4$  are 150, 50, 75,

225 N/m



**FIGURE P12.33**