7	作既争统计作业 22CsT 蒋云翔》 2022[02330 Date
7	Chapter 5
0	Section 5:
0	Ex. 9.
7	a) \(\frac{30}{20} \k (\frac{1}{2} + \frac{1}{2}) dx dy = 1 \), then: \(\k \frac{20}{20} \frac{1}{20} \
7	then: 10 K /30 x2 dx + 10 K /30 y2 dy = 1
	then: $10 \text{k} \int_{30}^{30} x^2 dx + 10 \text{k} \int_{30}^{30} y^2 dy = 1$ then $20 \text{k} \times \frac{1900}{3} = 1$
7	K = 380000
0	b) \ (x=26 and 1=26) = \ \[\frac{1}{20} \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \ \
0	$= k \int_{20}^{26} (6x^2 + 31)^2 dx$
0	= (38304) = 0-3024
0	c) $P(X-Y \le 2) = 1 - \int_{20}^{28} \int_{X+2}^{30} f(X+Y) dy dx - \int_{22}^{3} \int_{2-}^{X-2} f(X+Y) dy dx$
	= 0.3593
	d) fxxx = \(\frac{1}{20} \k (x^2 + y^2) dy = 10 \k x^2 + 0.05 (20 \le x \le 30)
0	e) f(x,y) + f(x,x) f(x,y), so X, Y are not independent.
0	Full Street March & Committee of the Street
0	$[-X \cdot /2]$
	a) $P(x73) = \int_{3}^{\infty} \int_{0}^{\infty} x e^{-x(1+y)} dy dx = \int_{3}^{\infty} e^{-x} dx = 0.05$ b) $f_{x(x)} = \int_{0}^{\infty} x e^{-(1+y)x} dy = e^{-x} (x70)$ $f_{y(y)} = \int_{3}^{\infty} x e^{-(1+y)x} dx = \frac{1}{(1+y)^{2}} (y70)$
0	$f_{X(X)} = \int_{0}^{\infty} \chi e^{-(Hy)X} dX = \frac{1}{1 + 1} \int_{0}^{1} \chi dx$
0	f.v. u + fv(x): fever) of v and Y are not independent
0	$f(x,y) \neq f(x) \cdot f(x,y)$, so x and y are not independent. c) $P(x>3 \text{ or } y>3) = -P(x<3 \text{ and } y<3) = -\int_{0}^{2} \int_{0}^{3} x e^{-(1+y)x} dy dx$
	= 1- [3 [3 xexe-xy dy)
0	$= 1 - \int_{0}^{3} e^{x} (1 - e^{-3x}) dx$
0	= 0.3
0	
0	Ex.18.
0	a) we know that: Pxc1) = 0.34: then: Pyx(011) = 0.08 = 0.7353
0	Paix (+11) = 0.20 = 6.5882
0	Pylx (211) = 0.06 = 0.1765
0	
0	
0	KOKUYI



No.

6)	4	. 6	. 1	. 2.
	Palx(412)	0-12	0.78	0.60
	PHIXOL	-		

a)
$$f_{X|X(Y|X)} = \frac{f_{(X^2)}}{f_{X(X)}} = \frac{f_{(X^2)}}{f_{(X^2)}} =$$

c)
$$E(Y|X=22) = \int_{20}^{30} y \cdot \frac{k(22^2+y^2)}{p(k)22^2+y^2} dy = >5.372912$$

 $E(Y^2|X^222) = \int_{20}^{30} y^2 \cdot \frac{k(22^2+y^2)}{(p(k)22^2+y^2)} dy \neq 652.02864$
 $V(Y|X=22) = E(Y^2|X=22) - E(Y|X=22)^2 = 8.243976$
 $\sigma = \sqrt{V(Y|X=22)} = 2.87$



Section S.Z					y			
Ex.24:	hixiy)	1	2	3	4	5	6	
we can draw a table:	!	-	2	3	4	3	2	every p(xm)= 3
	. 2	. 2	-	2	3	4	3	
<i></i>	3	3	. 2	•	2	3	4	
	4	.4	3	2	-	2	3.	
	5		4			•	2	
	6				3	2	-	
So: E(h(X,Y)) = \sum_{x y} h(x)	14). PLX.	<u>)</u> =	30	= 2	.8			
Ex-26.								
revenue = 3x + 10 Y, so	E.(reven						'(X,y) =	: 15.4\$
				•				
EX-33								
E(XY) = E(X)·E(Y), COV()		(Y) -	Eux)	·EU	Y)=	0		
		(Y) -	Eux)	EU	Y)=	-0		
E(XY) = E(X)·E(Y), COV()		(Y) -	E(x)	EU	Y)=	-0		
E(XY) = E(X)·E(Y), COV() So: Corr(X,Y) = Cov(X,Y) Ex. 35.	= 0							d.)
$E(XY) = E(X) \cdot E(Y)$, $Cov(X)$ $So: Corr(X,Y) = \frac{Cov(X,Y)}{S \times S Y}$ $E(X,Y) = \frac{Cov(X,Y)}{S \times S Y}$ $E(X,Y) = \frac{Cov(X,Y)}{S \times S Y}$ $E(X,Y) = \frac{Cov(X,Y)}{S \times S Y}$	= 0 (ax+b)(c	Ytd	<u>, </u>	ΕC	axtl	n) ⊁ E		
$E(XY) = E(X) \cdot E(Y)$, $Cov(X)$ $So: Corr(X,Y) = \frac{Cov(X,Y)}{\delta \times \delta Y}$ $E(X,Y) = \frac{Cov(X,Y)}{\delta \times \delta Y}$	= 0 (ax+b)(c acXY+a	Ytd dxt]]- bcY	E (ax+1 d)-) *E &E	x)r.b)(d) (cE(Y) td)] E(X) E(Y)
$E(XY) = E(X) \cdot E(Y)$, $Cov(X)$ $So: Corr(X,Y) = \frac{Cov(X,Y)}{\delta x \delta Y}$ Ex. 3S. A) Cov(oxtb, cYtd) = EI = E(= 0 (ax+b)(c acXY+a E(XY) -0	Ytd dxt acEu)] - bcY x) El	E (: + b : Y) = =	axtl d)- ac) *E [&E: (Ec:	x)r.b)(xY) - { (X, Y)	(cEcyled)] E(X)E(Y)
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$E(XY) = E(X) \cdot E(Y)$, $Cov(X)$ $So: Corr(X,Y) = \frac{Cov(X,Y)}{\delta \times \delta Y}$ $E(X,Y) = \frac{Cov(X,Y)}{\delta \times \delta Y}$	= 0 (ax+b) (c acxy+ a E(xy) - 0 (ax+b, cy D(ax+b) SD(Ytd dxt acEu)] - bcY x) El	E(+ b) = = ac	axtl d)- ac ac Cor	,) *E [aE1 (E1) cov r(X,	x)r.b)(xY) - { (X, Y) Y)	(cEcy) rd)] E(X)Ecy)

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