

业 22公下梅科研

Section 5.3 54 S.5

EX.38

a) pmf: To 0 P.Tol 0.04 0.2 0.37 0.3 0.09

b) ENO) = $\mu_{70} = 0 \times 0.09 + 1 \times 0.2 + \cdots + 4 \times 0.09 = 2.2 = 2 \mu$ c) $\sigma_{70}^2 = E(T_0^2) - \mu_{70}^2$, $E(T_0^2) = \sigma^2 \times 0.09 + 1^2 \times \frac{0.2}{0.02} + \cdots + 4^2 \times 0.09 = 5.82$ · 1 070 = 5-82 - 2.22 = 0.98

d) Now: E(To) = 4x /= 4.4, V(To) = 40 = 4x0.49 = 1.96

e) pit=81= (0.3)4= 0.0081 PLTO77)= PLTO=1) + PLTO=8) = 10.313×0.5×4 + 0.008] = 0.0621

Ex. 41

b) P(X=2.5) = 0.16 + 0.24 +0.25 +0.2 = 0.85

d) $p(\bar{x} \leq 1.5) = (0.4)^4 + (24.(0.4)^2(0.3)^2 + (4.(0.4)^3(0.2))$ = 0.0256 + 6x0.16x0.09 + 4x0.064x0.2 = 0./632

Soutionsy

Ex. 46

a) Center at $\mu=12$, $\sqrt{x}=\frac{\alpha}{\sqrt{16}}=0.01$ cm

b) Still conter at 4= 12, 67= 154 = 0.005 cm

c) partibly & x is more likely to be within o.olom of 12 cm.

The reason is that: The larger sample size is, the more normal will be normaler (concentrated)

Campus



Ex.51.

The first day:
$$P(\bar{X} \le 11) = P(\bar{X} \le \frac{11-10}{21\sqrt{5}}) = P(\bar{X} \le 1.12) = 0.8686$$

The second day: $P(\bar{X} \le 11) = P(\bar{X} \le \frac{11-10}{21\sqrt{6}}) = P(\bar{X} \le 1.22) = 0.8888$

Ex.SS

$$P(35 \le X \le 70) = P(\frac{35-50}{\sqrt{50}} \le X \le \frac{76-50}{\sqrt{50}}) = P(-2.12 \le X \le 2.83)$$

$$= P(2.83) - P(-2.12)$$

$$= 0.9977 - 0.017$$

$$= 0.9807$$

Section 8.5 Ex.58.

b) The expected value is still correct, but variance not, because the correlation will influence the final result.





Ex.70.	ν
a) E(Yi) = 0.5, E(W)= = i Xi E(Yi) = nent b) V(Yi) = 0.5 (1-0.5) = 0.7, V(W) = = 12 V(VI) = n(1+1)(2++1)
b) V(1,12.01) (1-01)/20.27, VCW/- 21 VC	11/
Ex.73	
a) Normal distribution (CLT Theorem)	
by still normal dispribution, linear comb.	ination will not break it if it is normal
c) $\mu = 10\int -100 = 5$, $\delta = \sqrt{\frac{64}{40}} + \frac{36}{35} = 1.62$	

c) $\mu = \frac{10}{-100} = 5$, $0 = \sqrt{40.735} - \frac{1.67}{35} = \frac{1-5}{1.62}$) = $P(-3) = \frac{1-5}{2} = \frac{1-5}{1.62} = \frac$

