0.16 Candidate Keys Identification

you-said

use this function to find candidate keys in Relation(Alice, Bruce, Charlie, Dave, Elle) ; F={{Alice} -> {Bruce, Charlie}, {Charlie, Dave} -> {Elle}, {Bruce} -> {Dave}, {Elle} -> {Alice}}. def find_candidate_key(all_attributes, relations, all_left, all_right): case_1 = [] $case_2 = [] case_3 = [] case_4 = []$ for attribute in all-attributes: if attribute in all-left and attribute in all_right: case_4.append(attribute) elif attribute in all_left: case_3.append(attribute) elif attribute in all_right: case_2.append(attribute) else: case_1.append(attribute) case_1_3 = sorted(case_1 + case_3) case_4 = sorted(case_4) if validate_first(case_1_3, relations, all_attributes): return [case_1_3] return sorted(additional_checks(case_1_3, case_4, relations, all_attributes)) def additional_checks(case_1_3, case_4, relations, all_attributes): cks = [] for i in range(len(case_4)): for subset in list(combinations(case_4, i + 1)): if validate_first(sorted(list(subset) + case_1_3), relations, all_attributes): cks.append(sorted(list(subset) + case_1_3)) return find_minimal(cks) # check closure def validate_first(beta, relations, all_attributes): result = set(beta) previous_result = set() while previous_result != result: previous_result = result.copy() for i in range(len(result)): for subset in list(combinations(result, i + 1)): if tuple(sorted(subset)) in relations: result.update(relations[tuple(sorted(subset))]) if $set(result) == set(all_attributes)$: return True return False

ChatGPT said:

The candidate keys for the relation R(Alice, Bruce, Charlie, Dave, Elle)R(Alice, Bruce, Charlie, Dave, Elle) with the given functional dependencies are:

- 1. $\{Alice\}\{Alice\}$
- 2. $\{Bruce, Charlie\}\{Bruce, Charlie\}$
- 3. $\{Charlie, Dave\}\{Charlie, Dave\}$
- 4. $\{Elle\}\{Elle\}$

Each of these sets can determine all other attributes in the relation. you-said-1 $\,$

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what will be the candidate keys for: r2(A,B,C,D,E,G,H,K); F = \{\{A,B,H\} => \{C\}, \{A\} => \{D,E\}, \{B,G,H\} => \{K\}, \{K\} => \{A,D,H\}, \{B,H\} => \{G,E\}. ChatGPT said:
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The candidate keys for the relation r2(A, B, C, D, E, G, H, K)r2(A,B,C,D,E,G,H,K) with the given functional dependencies are:

- 1. $\{B, H\}\{B, H\}$
- 2. $\{B, K\}\{B, K\}$

Both of these sets can determine all other attributes in the relation. you-said-2

explain this briefly

ChatGPT said:

In the relation $r_2(A, B, C, D, E, G, H, K)$ r $_2(A, B, C, D, E, G, H, K)$, we are tasked with finding sets of attributes (candidate keys) that can uniquely identify all other attributes using the given functional dependencies (FDs):

- 1. $\{A, B, H\} \to \{C\}\{A, B, H\} \to \{C\}$
- 2. $\{A\} \rightarrow \{D, E\}\{A\} \rightarrow \{D, E\}$
- 3. $\{B, G, H\} \to \{K\}\{B, G, H\} \to \{K\}$
- 4. $\{K\} \to \{A, D, H\} \{K\} \to \{A, D, H\}$
- 5. $\{B, H\} \to \{G, E\} \{B, H\} \to \{G, E\}$

The candidate keys must be minimal sets of attributes from which we can derive all other attributes in the relation. After analyzing the FDs, we find that:

- $\bullet \ \{B,H\} \{\mathrm{B},\mathrm{H}\} \ \mathrm{can} \ \mathrm{determine} \ \mathrm{all} \ \mathrm{attributes:} \ \{B,H\} \rightarrow \{G,E\}, \{B,H\} \rightarrow \{K\}, \{K\} \rightarrow \{A,D,H\}, \{A,B,H\} \rightarrow \{B,H\} \ \mathrm{can} \ \mathrm{determine} \ \mathrm{all} \ \mathrm{attributes:} \ \{B,H\} \rightarrow \{B,H\} \ \mathrm{can} \ \mathrm{determine} \ \mathrm{all} \ \mathrm{attributes:} \ \{B,H\} \rightarrow \{B,H\} \rightarrow \{B,H\} \rightarrow \{B,H\} \ \mathrm{can} \ \mathrm{determine} \ \mathrm{all} \ \mathrm{attributes:} \ \mathrm{can} \ \mathrm$
- $\bullet \ \{B,K\} \{\text{B,K}\} \text{ can also determine all attributes: } \{B,K\} \rightarrow \{A,D,H\}, \{B,H\} \rightarrow \{G,E\}, \{A,B,H\} \rightarrow \{G,E\}, \{A,B\}, \{A$

Thus, $\{B, H\}\{B,H\}$ and $\{B, K\}\{B,K\}$ are the candidate keys. you-said-3

using this sudo code: def find_candidate_key(all_attributes, relations, all_left, all_right):

case_1 = [] case_2 = [] case_3 = [] case_4 = [] for attribute in all_attributes: if attribute
in all_left and attribute in all_right: case_4.append(attribute) elif attribute in all_left:

case_3.append(attribute) elif attribute in all_right: case_2.append(attribute) else: case_1.append(attribute)
if closure of (case_1 + case_3) is all_attributes: return [case_1 + case_3] candidate_keys = []
for all possible combinations of case_4 as x: if closure of (x+case_1+case+3) is all_attributes:

candidate_keys.append(all x+case_1+case+3) Return candidate_keys find the candidate
keys of Relation users (userid, name, deptid, deptname); with functional dependencies FD

= {{userid}} => {name}, {userid} => {deptid}, {deptid} => {deptiname}}.

ChatGPT said:

It seems like I can't do more advanced data analysis right now. Please try again later. If you'd like, I can walk you through how to solve this manually or attempt the task again another time.

you-said-4

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using this sudo code: def find_candidate_key(all_attributes, relations, all_left, all_right):

case_1 = [] case_2 = [] case_3 = [] case_4 = [] for attribute in all_attributes: if attribute
in all_left and attribute in all_right: case_4.append(attribute) elif attribute in all_left:
case_3.append(attribute) elif attribute in all_right: case_2.append(attribute) else: case_1.append(attribute)

Provide me the attributes that will be in each case for: Relation Shopping(Egg, Dress,
Chocolate, Basket, Apple); Functional dependencies FD = {{Apple, Basket, Chocolate}}

-> {Dress}, {Apple, Basket, Chocolate} -> {Dress, Egg}, {Dress} -> { Apple , Basket},

{Egg} -> { Apple , Chocolate }}
```

ChatGPT said:

Let's break down the problem by applying the pseudocode to the relation and functional dependencies provided.

relation-shoppingegg-dress-chocolate-basket-apple

Relation: Shopping(Egg, Dress, Chocolate, Basket, Apple)

We need to place the attributes into four different cases:

- 1. Case 1: Attributes that do not appear on either side of any functional dependencies.
- 2. Case 2: Attributes that only appear on the right side of some functional dependencies.
- 3. Case 3: Attributes that only appear on the left side of some functional dependencies.
- 4. Case 4: Attributes that appear on both the left and right sides of functional dependencies.

functional-dependencies-fd

Functional Dependencies (FD):

- 1. $\{Apple, Basket, Chocolate\} \rightarrow \{Dress\} \{Apple, Basket, Chocolate\} \rightarrow \{Dress\}$
- 2. $\{Apple, Basket, Chocolate\} \rightarrow \{Dress, Egg\} \{Apple, Basket, Chocolate\} \rightarrow \{Dress, Egg\}$
- 3. $\{Dress\} \rightarrow \{Apple, Basket\} \{Dress\} \rightarrow \{Apple, Basket\}$
- 4. $\{Egg\} \rightarrow \{Apple, Chocolate\} \{Egg\} \rightarrow \{Apple, Chocolate\}$ step-by-step-categorization

ccxxiv

Step-by-Step Categorization:

attributes-in-the-left-hand-side-of-fds

- $\bullet \ \{Apple, Basket, Chocolate\} \\ \{Apple, Basket, Chocolate\} \\$
- $\{Dress\}\{Dress\}$
- $\{Egg\}\{Egg\}$

 $\label{lem:all-Left-Attributes: Apple, Basket, Chocolate, Dress, Egg} \\ \text{Apple, Chocolate, Dr$

- $\{Dress\}\{Dress\}$
- $\{Dress, Egg\}\{Dress, Egg\}$
- $\{Apple, Basket\}\{Apple, Basket\}$
- {Apple, Chocolate}{Apple, Chocolate}

 $\label{eq:All Right Attributes: Press, Egg, Apple, Basket, Chocolate} \\ \{Dress, Egg, Apple, Basket, Chocolate\} \\ \{Dress, Egg, Apple, Chocolate\} \\ \{Dress, Egg, Apple, Chocolate\} \\ \{Dress, Egg, Apple,$

Case Assignment:

- 1. Case 1 (Neither Left nor Right):
 - There are no attributes that are absent from both the left and right sides of FDs. So, Case 1 = [].
- 2. Case 2 (Only in Right):
 - No attributes only appear on the right side of FDs without also being on the left. So, Case 2 = [].
- 3. Case 3 (Only in Left):

• There are no attributes that only appear on the left side without also being on the right. So, Case 3 = [].

4. Case 4 (Both in Left and Right):

- Every attribute appears on both the left and right sides of some functional dependencies.
- Case 4 = [Apple, Basket, Chocolate, Dress, Egg].

summary-of-the-cases

Summary of the Cases:

- **Case 1:** (empty)
- Case 2: (empty)
- Case 3: (empty)
- Case 4: {Apple, Basket, Chocolate, Dress, Egg}{Apple, Basket, Chocolate, Dress, Egg} you-said-5

use this algorithm on the given cases: candidate_keys = [] for all possible subsets of case_4 as x: if closure of (x) is Relation: candidate_keys.append(x) Return candidate_keys ChatGPT said:

We will apply the algorithm step by step to find the **candidate keys** for the relation Shopping(Egg, Dress, Chocolate, Basket, Apple)Shopping(Egg, Dress, Chocolate, Basket, Apple) with the following functional dependencies:

functional-dependencies-fd-1

Functional Dependencies (FD):

- 1. $\{Apple, Basket, Chocolate\} \rightarrow \{Dress\} \{Apple, Basket, Chocolate\} \rightarrow \{Dress\}$
- 2. $\{Apple, Basket, Chocolate\} \rightarrow \{Dress, Egg\} \{Apple, Basket, Chocolate\} \rightarrow \{Dress, Egg\}$
- 3. $\{Dress\} \rightarrow \{Apple, Basket\} \{Dress\} \rightarrow \{Apple, Basket\}$
- $4. \ \ \{Egg\} \rightarrow \{Apple, Chocolate\} \ \{Egg\} \rightarrow \{Apple, Chocolate\}$

step-1-attributes

ccxxvi

Step 1: Attributes

The relation has the following attributes: $\{Egg, Dress, Chocolate, Basket, Apple\}\{Egg, Dress, Chocolate, Basket, Apple}\}$

• Case 4 (attributes that are both on the left and right sides of FDs): $\{Apple, Basket, Chocolate, Dress, Egg\}$ {Apple,Basket,Chocolate,Dress,Egg}.

step-2-algorithm-application

Step 2: Algorithm Application

We'll check all possible subsets of **Case 4** (which includes all the attributes), and for each subset, we will calculate its closure. If the closure of a subset contains all the attributes in the relation, that subset is a candidate key.

subsets-of-case-4

We need to check the closure of the following subsets:

- $\{Apple\}\{Apple\}$
- $\{Basket\}\{Basket\}$
- $\{Chocolate\}\{Chocolate\}$
- $\{Dress\}\{Dress\}$
- $\{Egg\}\{Egg\}$
- $\{Apple, Basket\}\{Apple, Basket\}$
- $\{Apple, Chocolate\}\{Apple, Chocolate\}$
- $\{Apple, Dress\}\{Apple, Dress\}$
- $\{Apple, Egg\}\{Apple, Egg\}$
- $\{Basket, Chocolate\}\{Basket, Chocolate\}$
- $\{Basket, Dress\}\{Basket, Dress\}$
- $\{Basket, Egg\}\{Basket, Egg\}$
- $\{Chocolate, Dress\}\{Chocolate, Dress\}$
- $\{Chocolate, Egg\}\{Chocolate, Egg\}$
- (and so on, for all subsets)

step-3-calculating-closures

ccxxvii

Step 3: Calculating Closures

Now, we will calculate the closure of each subset to check if it can determine all the attributes of the relation (i.e., $\{Egg, Dress, Chocolate, Basket, Apple\}$ (Egg, Dress, Chocolate, Basket, Apple).

- 1. Closure of {Apple, Basket, Chocolate}{Apple, Basket, Chocolate}:
 - From FD 1 and FD 2, $\{Apple, Basket, Chocolate\} \rightarrow \{Dress, Egg\} \{Apple, Egg\} \}$
 - Now, we have {Apple, Basket, Chocolate, Dress, Egg}{Apple, Basket, Chocolate, Dress, Egg}, which is all the attributes.
 - So, {Apple, Basket, Chocolate} {Apple, Basket, Chocolate} is a candidate key.
- 2. Closure of $\{Egg\}\{Egg\}$:
 - From FD 4, $\{Egg\} \rightarrow \{Apple, Chocolate\} \{Egg\} \rightarrow \{Apple, Chocolate\}.$
 - From FD 1 and FD 2, $\{Apple, Basket, Chocolate\} \rightarrow \{Dress, Egg\} \{Apple, Egg\} \}$
 - So, $\{Egg\} \rightarrow \{Apple, Basket, Chocolate, Dress, Egg\} \{Egg\} \rightarrow \{Apple, Basket, Chocolate, Dress, Egg which is all the attributes.$
 - So, $\{Egg\}\{Egg\}$ is a candidate key.

step-4-conclusion

Step 4: Conclusion

The candidate keys for the relation are:

- {Apple, Basket, Chocolate}{Apple, Basket, Chocolate}
- $\{Egg\}\{Egg\}$

Both of these sets can uniquely determine all other attributes in the relation. you-said-6 $\,$

for FDs: {Apple,Basket,Chocolate} \rightarrow {Dress} {Apple,Basket,Chocolate} \rightarrow {Dress,Egg} {Dress} \rightarrow {Apple,Basket} {Egg} \rightarrow {Apple,Chocolate} Give me Closure of {Egg} ChatGPT said:

To calculate the closure of $\{Egg\}\{Egg\}$, we use the given functional dependencies and check which attributes can be determined starting from $\{Egg\}\{Egg\}$. functional-dependencies

Functional Dependencies:

- 1. $\{Apple, Basket, Chocolate\} \rightarrow \{Dress\} \{Apple, Basket, Chocolate\} \rightarrow \{Dress\}$
- $2. \ \{Apple, Basket, Chocolate\} \rightarrow \{Dress, Egg\} \\ \{Apple, Chocolate\} \rightarrow \{Dress$
- 3. $\{Dress\} \rightarrow \{Apple, Basket\} \{Dress\} \rightarrow \{Apple, Basket\}$
- $4. \ \{Egg\} \rightarrow \{Apple, Chocolate\} \\ \{Egg\} \rightarrow \{Apple, Chocolate\}$

step-by-step-closure-calculation-for-eggegg

Step-by-Step Closure Calculation for $\{Egg\}$ {Egg}:Step-by-Step Closure Calculation for $\{Egg\}$ {Egg}:

- 1. Start with $\{Egg\}\{Egg\}$:
 - Initial closure: $\{Egg\}\{Egg\}$
- 2. **Apply FD 4:**
 - $\{Egg\} \rightarrow \{Apple, Chocolate\} \{Egg\} \rightarrow \{Apple, Chocolate\}$
 - Closure now: $\{Egg, Apple, Chocolate\}\{Egg, Apple, Chocolate\}$
- 3. Check FD 1 and FD 2:
 - With $\{Apple, Chocolate\}\{Apple, Chocolate\}$ in the closure, FD 1 or FD 2 applies if we also have $\{Basket\}\{Basket\}$.
 - However, at this stage, {Basket}{Basket} is not in the closure, so FD 1 and FD 2 cannot be applied yet.
- 4. No further FDs can be applied at this point.

final-closure-of-eggegg

Final Closure of $\{Egg\}\{Egg\}$:Final Closure of $\{Egg\}\{Egg\}$:

 $\{Egg, Apple, Chocolate\}$

{Egg,Apple,Chocolate}

The closure of $\{Egg\}\{Egg\}$ includes $\{Egg, Apple, Chocolate\}\{Egg, Apple, Chocolate\}$. you-said-7

Give me Closure of {Apple}

ChatGPT said:

Let's calculate the **closure of** $\{Apple\}\{Apple\}$ using the given functional dependencies.

functional-dependencies-1

Functional Dependencies:

- 1. $\{Apple, Basket, Chocolate\} \rightarrow \{Dress\} \{Apple, Basket, Chocolate\} \rightarrow \{Dress\}$
- $2. \ \ \{Apple, Basket, Chocolate\} \rightarrow \{Dress, Egg\} \\ \{Apple, Chocolate\} \rightarrow \{Dress, Egg\} \\ \{Apple,$
- 3. $\{Dress\} \rightarrow \{Apple, Basket\} \{Dress\} \rightarrow \{Apple, Basket\}$
- 4. $\{Egg\} \rightarrow \{Apple, Chocolate\} \{Egg\} \rightarrow \{Apple, Chocolate\}$

step-by-step-closure-calculation-for-appleapple

Step-by-Step Closure Calculation for $\{Apple\}\{Apple\}$:Step-by-Step Closure Calculation for $\{Apple\}\{Apple\}$:

- 1. Start with $\{Apple\}\{Apple\}$:
 - Initial closure: $\{Apple\}\{Apple\}$
- 2. Check each FD:
 - None of the FDs can be directly applied with just {Apple}{Apple}, because each FD requires more attributes on the left-hand side (like Basket, Chocolate, etc.).
- 3. No further FDs apply at this point.

final-closure-of-appleapple

Final Closure of $\{Apple\}$ Final Closure of $\{Apple\}$ Apple ::

 $\{Apple\}$

{Apple}

Since $\{Apple\}\{Apple\}$ alone doesn't determine any other attributes based on the given FDs, the closure of $\{Apple\}\{Apple\}$ is simply $\{Apple\}\{Apple\}$.

you-said-8

Give me Closure of {Basket}

ChatGPT said:

Let's calculate the **closure of** $\{Basket\}\{Basket\}$ using the given functional dependencies.

functional-dependencies-2

Functional Dependencies:

- 1. $\{Apple, Basket, Chocolate\} \rightarrow \{Dress\} \{Apple, Basket, Chocolate\} \rightarrow \{Dress\}$
- 2. $\{Apple, Basket, Chocolate\} \rightarrow \{Dress, Egg\} \{Apple, Basket, Chocolate\} \rightarrow \{Dress, Egg\}$
- 3. $\{Dress\} \rightarrow \{Apple, Basket\} \{Dress\} \rightarrow \{Apple, Basket\}$
- $4. \ \{Egg\} \rightarrow \{Apple, Chocolate\} \\ \{Egg\} \rightarrow \{Apple, Chocolate\}$

step-by-step-closure-calculation-for-basketbasket

Step-by-Step Closure Calculation for $\{Basket\}$ {Basket}:Step-by-Step Closure Calculation for $\{Basket\}$ {Basket}:

- 1. Start with $\{Basket\}\{Basket\}$:
 - Initial closure: {Basket}{Basket}
- 2. Check each FD:
 - None of the FDs can be directly applied with just {Basket}{Basket}, because each FD requires more attributes on the left-hand side (like Apple, Chocolate, etc.).
- 3. No further FDs apply at this point.

final-closure-of-basketbasket

Final Closure of $\{Basket\}$ {Basket}: Final Closure of $\{Basket\}$ {Basket}:

 $\{Basket\}$

{Basket}

Since $\{Basket\}\{Basket\}$ alone doesn't determine any other attributes based on the given FDs, the closure of $\{Basket\}\{Basket\}$ is simply $\{Basket\}\{Basket\}$.

you-said-9

Give me Closure of {Chocolate}

ChatGPT said:

Let's calculate the **closure of** $\{Chocolate\}\{Chocolate\}$ using the given functional dependencies.

functional-dependencies-3

Functional Dependencies:

- 1. $\{Apple, Basket, Chocolate\} \rightarrow \{Dress\} \{Apple, Basket, Chocolate\} \rightarrow \{Dress\} \{Dress\} \}$
- $2. \ \{Apple, Basket, Chocolate\} \rightarrow \{Dress, Egg\} \\ \{Apple, Chocolate\} \rightarrow \{Dress$
- 3. $\{Dress\} \rightarrow \{Apple, Basket\} \{Dress\} \rightarrow \{Apple, Basket\}$
- $4. \ \{Egg\} \rightarrow \{Apple, Chocolate\} \\ \{Egg\} \rightarrow \{Apple, Chocolate\}$

step-by-step-closure-calculation-for-chocolatechocolate

Step-by-Step Closure Calculation for $\{Chocolate\}$ {Chocolate}:Step-by-Step Closure Calculation for $\{Chocolate\}$ {Chocolate}:

- 1. Start with {Chocolate}{Chocolate}:
 - Initial closure: {Chocolate}{Chocolate}
- 2. Check each FD:
 - None of the FDs can be directly applied with just {Chocolate}{Chocolate}, because they require additional attributes (like Apple, Basket, etc.).
- 3. No further FDs apply at this point.

final-closure-of-chocolatechocolate

Final Closure of $\{Chocolate\}$ {Chocolate}: Final Closure of $\{Chocolate\}$ {Chocolate}:

 $\{Chocolate\}$

{Chocolate}

Since $\{Chocolate\}\{Chocolate\}$ alone doesn't determine any other attributes based on the given FDs, the closure of $\{Chocolate\}\{Chocolate\}$ is simply $\{Chocolate\}\{Chocolate\}$, you-said-10

Give me Closure of {Dress}

ChatGPT said:

Let's calculate the **closure of** $\{Dress\}\{Dress\}$ using the given functional dependencies.

functional-dependencies-4

Functional Dependencies:

- 1. $\{Apple, Basket, Chocolate\} \rightarrow \{Dress\} \{Apple, Basket, Chocolate\} \rightarrow \{Dress\} \{Dress\} \}$
- 2. $\{Apple, Basket, Chocolate\} \rightarrow \{Dress, Egg\} \{Apple, Basket, Chocolate\} \rightarrow \{Dress, Egg\}$
- 3. $\{Dress\} \rightarrow \{Apple, Basket\} \{Dress\} \rightarrow \{Apple, Basket\}$
- $4. \ \{Egg\} \rightarrow \{Apple, Chocolate\} \\ \{Egg\} \rightarrow \{Apple, Chocolate\}$

step-by-step-closure-calculation-for-dressdress

Step-by-Step Closure Calculation for $\{Dress\}$ {Dress}: Step-by-Step Closure Calculation for $\{Dress\}$ {Dress}:

- 1. Start with $\{Dress\}\{Dress\}$:
 - Initial closure: {Dress}{Dress}
- 2. **Apply FD 3:**
 - $\{Dress\} \rightarrow \{Apple, Basket\} \{Dress\} \rightarrow \{Apple, Basket\}$
 - Closure now: $\{Dress, Apple, Basket\}\{Dress, Apple, Basket\}$
- 3. Check if any other FDs can be applied:

ccxxxiii

- With {Apple, Basket, Dress} {Apple, Basket, Dress} in the closure, we can apply FD 1 or FD 2.
- From FD 1: $\{Apple, Basket, Chocolate\} \rightarrow \{Dress\} \{Apple, Basket, Chocolate\} \rightarrow \{Dress\} \}$. However, we don't yet have $\{Chocolate\} \{Chocolate\}$ in the closure, so FD 1 and FD 2 do not apply at this stage.

4. No further FDs can be applied.

final-closure-of-dressdress

Final Closure of $\{Dress\}$:Final Closure of $\{Dress\}$:

 $\{Dress, Apple, Basket\}$

{Dress,Apple,Basket}

Thus, the closure of $\{Dress\}\{Dress\}$ includes $\{Dress, Apple, Basket\}\{Dress, Apple, Basket\}$. you-said-11

Give me Closure of {Apple, Basket}

ChatGPT said:

Let's calculate the **closure of** $\{Apple, Basket\}\{Apple, Basket\}$ using the given functional dependencies.

functional-dependencies-5

Functional Dependencies:

- $1. \ \{Apple, Basket, Chocolate\} \rightarrow \{Dress\} \\ \{Apple, Basket, Chocolate\} \rightarrow \{Dress\} \\$
- 2. $\{Apple, Basket, Chocolate\} \rightarrow \{Dress, Egg\} \{Apple, Basket, Chocolate\} \rightarrow \{Dress, Egg\}$
- 3. $\{Dress\} \rightarrow \{Apple, Basket\} \{Dress\} \rightarrow \{Apple, Basket\}$
- 4. $\{Egg\} \rightarrow \{Apple, Chocolate\} \{Egg\} \rightarrow \{Apple, Chocolate\}$

step-by-step-closure-calculation-for-applebasketapplebasket

Step-by-Step Closure Calculation for $\{Apple, Basket\}$ {Apple, Basket}: Step-by-Step Closure Calculation for $\{Apple, Basket\}$ {Apple, Basket}:

1. Start with {Apple, Basket}{Apple,Basket}:

• Initial closure: {Apple, Basket}{Apple,Basket}

2. Check FDs:

- FD 1 and FD 2 both require {Chocolate} {Chocolate} to apply. Since {Chocolate} {Chocolate} is not in the closure, we can't apply them yet.
- 3. No other FDs can be applied with just {Apple, Basket} {Apple, Basket} at this stage.

final-closure-of-applebasketapplebasket

 $\textbf{Final Closure of } \{Apple, Basket\} \\ \textbf{\{Apple, Basket\}} \\ \textbf{\{Apple,$

 $\{Apple, Basket\}$

{Apple,Basket}

Since $\{Apple, Basket\}\{Apple, Basket\}$ alone doesn't allow any further FDs to apply, the closure remains $\{Apple, Basket\}\{Apple, Basket\}$.

you-said-12

Give me closure of all these [{Apple, Chocolate}, {Apple, Dress}, {Apple, Egg}, {Basket, Chocolate}, {Basket, Dress}, {Basket, Egg}, {Chocolate, Dress}, {Chocolate, Egg}, {Dress, Egg}]

ChatGPT said:

Let's calculate the closures for each set of attributes one by one, based on the given functional dependencies.

functional-dependencies-6

Functional Dependencies:

- 1. $\{Apple, Basket, Chocolate\} \rightarrow \{Dress\} \{Apple, Basket, Chocolate\} \rightarrow \{Dress\}$
- 2. $\{Apple, Basket, Chocolate\} \rightarrow \{Dress, Egg\} \{Apple, Basket, Chocolate\} \rightarrow \{Dress, Egg\}$
- 3. $\{Dress\} \rightarrow \{Apple, Basket\} \{Dress\} \rightarrow \{Apple, Basket\}$
- 4. $\{Egg\} \rightarrow \{Apple, Chocolate\} \{Egg\} \rightarrow \{Apple, Chocolate\}$

closure-calculations

Closure Calculations: closure-of-applechocolateapplechocolate • Start with $\{Apple, Chocolate\}\{Apple, Chocolate\}$ • No functional dependencies can be applied directly since {Basket}{Basket} is missing. • Closure: {Apple, Chocolate} {Apple, Chocolate} closure-of-appledressappledress • Start with $\{Apple, Dress\}\{Apple, Dress\}$ $\bullet \ \operatorname{Apple} \ \operatorname{Basket} \} \ (\operatorname{Dress}) \to \{\operatorname{Apple}, \operatorname{Basket}\} \ (\operatorname{Dress}) \to \{\operatorname{Apple}, \operatorname{Basket}\}, \ \operatorname{so} \ \{\operatorname{Apple}, \operatorname{Dress}\} \to \{\operatorname{Apple}, \operatorname{Basket}\} \ (\operatorname{Basket}) \ (\operatorname{Apple}, \operatorname{Basket}) \$ • No further FDs can be applied. • Closure: {Apple, Basket, Dress}{Apple, Basket, Dress} closure-of-appleeggappleegg • Start with $\{Apple, Egg\}\{Apple, Egg\}$ $\bullet \ \operatorname{Apply} \ \operatorname{FD} 4: \ \{Egg\} \rightarrow \{Apple, Chocolate\} \ \{\operatorname{Egg}\} \rightarrow \{\operatorname{Apple}, \operatorname{Chocolate}\}, \ \operatorname{so} \ \{Apple, Egg\} \rightarrow \{\operatorname{Apple}, \operatorname{Chocolate}\} \ \operatorname{Chocolate}\}$ • No further FDs can be applied.

closure-of-basketchocolatebasketchocolate

 $\bullet \ \, \textbf{Closure:} \ \{ Apple, Chocolate, Egg \} \\ \textbf{\{Apple, Chocolate, Egg \}} \\ \textbf{\{Apple, Choc$

$\bullet \ \textbf{Start with } \{Basket, Chocolate\} \{ \textbf{Basket}, \textbf{Chocolate} \}$
\bullet No FDs can be applied directly because $\{Apple\}\{\text{Apple}\}$ is missing.
$ \bullet \ \textbf{Closure:} \ \{ Basket, Chocolate \} \\ \textbf{\{Basket, Chocolate\}} \\ $
closure-of-basketdressbasketdress
Closure-Or-DasketuressDasketuress
• Start with $\{Basket, Dress\}$ {Basket, Dress}
$\bullet \ \text{Apply FD 3: } \{\textit{Dress}\} \rightarrow \{\textit{Apple}, \textit{Basket}\} \{\text{Dress}\} \rightarrow \{\textit{Apple}, \text{Basket}\}, \text{so } \{\textit{Basket}, \textit{Dress}\} \rightarrow \{\textit{Apple}, \textit{Basket}\} \}$
• No further FDs can be applied.
$ \bullet \ \textbf{Closure:} \ \{Apple, Basket, Dress\} \\ \textbf{\{Apple, Basket, Dress\}} \\ \{Apple, Basket, Dress, Dre$
alegues of hegkstaggheskstagg
closure-of-basketeggbasketegg
• Start with $\{Basket, Egg\}$ {Basket, Egg}
$\bullet \ \text{Apply FD 4: } \{Egg\} \rightarrow \{Apple, Chocolate\} \\ \{Egg\} \rightarrow \{Apple, Chocolate\}, \text{ so } \{Basket, Egg\} \rightarrow \{Basket, Egg\} \\ \rightarrow \{Basket, Egg\} \rightarrow \{Basket, Egg\} \\ \rightarrow \{$
• Apply FD 2: $\{Apple, Basket, Chocolate\} \rightarrow \{Dress, Egg\} \{Apple, Basket, Chocolate\} \rightarrow \{Dress, Egg\},$ so $\{Basket, Egg\} \rightarrow \{Basket, Apple, Chocolate, Dress, Egg\} \{Basket, Egg\} \rightarrow \{Basket, Apple, Chocolate, Dress, Egg\} \}$
$\bullet \ \textbf{Closure:} \ \{Basket, Apple, Chocolate, Dress, Egg\} \\ \{\textbf{Basket,Apple,Chocolate,Dress,Egg}\} \\$
closure-of-chocolatedresschocolatedress

$\bullet \ \textbf{Start with } \{\textit{Chocolate}, \textit{Dress}\} \{\text{Chocolate}, \text{Dress}\}$
$\bullet \ \text{Apply FD 3: } \{\textit{Dress}\} \rightarrow \{\textit{Apple}, \textit{Basket}\} \{\text{Dress}\} \rightarrow \{\textit{Apple}, \text{Basket}\}, \text{so } \{\textit{Chocolate}, \textit{Dress}\} \rightarrow \{\textit{Apple}, \text{Basket}\} \{\text{Dress}\} \rightarrow \{\textit{Apple}, \text{Basket}\} \{\text{Dress}\} \rightarrow \{\textit{Apple}, \text{Basket}\} \{\text{Dress}\} \rightarrow \{\text{Apple}, \text{Basket}\} \} $
$ \bullet \text{ Apply FD 2: } \{Apple, Basket, Chocolate\} \rightarrow \{Dress, Egg\} \\ \{Apple, Basket, Chocolate\} \rightarrow \{Dress, Egg\}, \\ so \{Chocolate, Dress\} \rightarrow \{Apple, Basket, Chocolate, Dress, Egg\} \\ \{Chocolate, Dress\} \rightarrow \{Apple, Basket, Chocolate, Dress, Egg\} \\ \{Chocolate, Dress\} \rightarrow \{Apple, Basket, Chocolate, Dress, Egg\} \\ \{Chocolate, Dress\} \rightarrow \{Apple, Basket, Chocolate, Dress, Egg\} \\ \{Chocolate, Dress\} \rightarrow \{Apple, Basket, Chocolate, Dress, Egg\} \\ \{Chocolate, Dress\} \rightarrow \{Apple, Basket, Chocolate, Dress, Egg\} \\ \{Chocolate, Dress\} \rightarrow \{Apple, Basket, Chocolate, Dress, Egg\} \\ \{Chocolate, Dress\} \rightarrow \{Apple, Basket, Chocolate, Dress, Egg\} \\ \{Chocolate, Dress\} \rightarrow \{Apple, Basket, Chocolate, Dress, Egg\} \\ \{Chocolate, Dress\} \rightarrow \{Apple, Basket, Chocolate, Dress, Egg\} \\ \{Chocolate, Dress\} \rightarrow \{Apple, Basket, Chocolate, Dress, Egg\} \\ \{Chocolate, Dress\} \rightarrow \{Apple, Basket, Chocolate, Dress, Egg\} \\ \{Chocolate, Dress, Dress, Egg\} \\ \{Chocolate, Dress, Dress$
$\bullet \ \textbf{Closure:} \ \{Apple, Basket, Chocolate, Dress, Egg\} \\ \{\textbf{Apple,Basket,Chocolate,Dress,Egg}\} \\ \bullet \ \textbf{Closure:} \ \{Apple, Basket, Chocolate, Dress, Egg\} \\ \{\textbf{Apple,Basket,Chocolate,Dress,Egg}\} \\ \bullet \ \textbf{Closure:} \ \{Apple, Basket, Chocolate, Dress, Egg\} \\ \{\textbf{Apple,Basket,Chocolate,Dress,Egg}\} \\ \bullet \ \textbf{Closure:} \ \ Clo$
closure-of-chocolateegg
\bullet Start with $\{Chocolate, Egg\}\{$ Chocolate, Egg}
$\bullet \ \text{Apply FD 4: } \{Egg\} \rightarrow \{Apple, Chocolate\} \\ \{Egg\} \rightarrow \{Apple, Chocolate\}, \text{ so } \{Chocolate, Egg\} \rightarrow \{Apple, Chocolate\} \\ \{Egg\} \rightarrow \{Apple, Chocolate\} \\ \{Egg\}$
• No further FDs can be applied.
• Closure: $\{Apple, Chocolate, Egg\}\{Apple, Chocolate, Egg\}$
closure-of-dresseggdressegg
• Start with $\{Dress, Egg\}$ $\{Dress, Egg\}$
$\bullet \ \text{Apply FD 3: } \{Dress\} \rightarrow \{Apple, Basket\} \{\text{Dress}\} \rightarrow \{Apple, Basket\}, \text{so } \{Dress, Egg\} \rightarrow \{Apple, Basket\} \}$
$\bullet \ \text{Apply FD 4: } \{Egg\} \rightarrow \{Apple, Chocolate\} \\ \{Egg\} \rightarrow \{Apple, Chocolate\}, \text{ so } \{Dress, Egg\} \rightarrow \{Apple, Belle \} \\ \bullet \ Apple \ Apple \\ \bullet \ Apple \\ \bullet \ Apple \ Apple \ Apple $
$\bullet \ \textbf{Closure:} \ \{Apple, Basket, Dress, Egg, Chocolate\} \\ \{\textbf{Apple,Basket,Dress,Egg,Chocolate}\} \\ $
final-closures-summary
v

Final Closures Summary:

- Closure of {Apple, Chocolate} {Apple, Chocolate}: {Apple, Chocolate} {Apple, Chocolate}
- Closure of $\{Apple, Dress\}$ $\{Apple, Dress\}$: $\{Apple, Basket, Dress\}$ $\{Apple, Basket, Dress\}$
- Closure of $\{Apple, Egg\}$ $\{Apple, Egg\}$: $\{Apple, Chocolate, Egg\}$ $\{Apple, Chocolate, Egg\}$
- Closure of {Basket, Chocolate}{Basket, Chocolate}: {Basket, Chocolate}{Basket, Chocolate}
- Closure of {Basket, Dress}{Basket, Dress}: {Apple, Basket, Dress}{Apple, Basket, Dress}
- Closure of {Basket, Egg}{Basket, Egg}: {Basket, Apple, Chocolate, Dress, Egg}{Basket, Apple, Chocolate, Dress, Egg}
- $\bullet \ \, \textbf{Closure of} \ \{Chocolate, Dress\} \\ \{\textbf{Chocolate}, \textbf{Dress}\} \\ : \ \{Apple, Basket, Chocolate, Dress, Egg\} \\ \{Apple, Basket, Chocolate, Dress, Chocola$
- Closure of $\{Chocolate, Egg\}$ {Chocolate, Egg}: $\{Apple, Chocolate, Egg\}$ {Apple, Chocolate, Egg}
- Closure of {Dress, Egg} {Dress, Egg}: {Apple, Basket, Dress, Egg, Chocolate} {Apple, Basket, Dress, I you-said-13

Give me Closure of all [{Apple, Basket, Chocolate}, {Apple, Basket, Dress}, {Apple, Chocolate, Egg}]

ChatGPT said:

Let's calculate the closures for each of the given sets of attributes based on the functional dependencies.

functional-dependencies-7

Functional Dependencies:

- 1. $\{Apple, Basket, Chocolate\} \rightarrow \{Dress\} \{Apple, Basket, Chocolate\} \rightarrow \{Dress\}$
- $2. \ \{Apple, Basket, Chocolate\} \rightarrow \{Dress, Egg\} \\ \{Apple, Chocolate\} \rightarrow \{Dress$
- 3. $\{Dress\} \rightarrow \{Apple, Basket\} \{Dress\} \rightarrow \{Apple, Basket\}$
- 4. $\{Egg\} \rightarrow \{Apple, Chocolate\} \{Egg\} \rightarrow \{Apple, Chocolate\}$ closure-calculations-1

Closure Calculations:

closure-of-applebasketchocolateapplebasketchocolate

$\bullet \; \text{Start with } \{Apple, Basket, Chocolate\} \\ \{\text{Apple, Basket, Chocolate}\} \\ \{\text{Apple, Chocolate}\} \\ \{A$
• Apply FD 1: $\{Apple, Basket, Chocolate\} \rightarrow \{Dress\} \{Apple, Basket, Chocolate\} \rightarrow \{Dress\},$ so $\{Apple, Basket, Chocolate\} \rightarrow \{Apple, Basket, Chocolate, Dress\} \{Apple, Basket, Chocolate\} \rightarrow \{A$
• Apply FD 2: $\{Apple, Basket, Chocolate\} \rightarrow \{Dress, Egg\} \{Apple, Basket, Chocolate\} \rightarrow \{Dress, Egg\},$ so $\{Apple, Basket, Chocolate, Dress\} \rightarrow \{Apple, Basket, Chocolate, Dress, Egg\} \}$
$\bullet \ \textbf{Closure:} \ \{Apple, Basket, Chocolate, Dress, Egg\} \\ \{\textbf{Apple,Basket,Chocolate,Dress,Egg}\} \\$
closure-of-applebasketdressapplebasketdress
$\bullet \ \textbf{Start with } \{Apple, Basket, Dress\} \\ \{\textbf{Apple}, \textbf{Basket}, \textbf{Dress}\} \\$
• Apply FD 1 or FD 2: These FDs require $\{Chocolate\}\{Chocolate\}$ to be present, but $\{Chocolate\}\{Chocolate\}$ is not in the current set.
• No further FDs can be applied.
• Closure: ${Apple, Basket, Dress}$ {Apple,Basket,Dress}
closure-of-applechocolateeggapplechocolateegg
$\bullet \ \text{Start with } \{Apple, Chocolate, Egg\} \{ \text{Apple,Chocolate,Egg} \}$
• Apply FD 4: $\{Egg\} \rightarrow \{Apple, Chocolate\} \{Egg\} \rightarrow \{Apple, Chocolate\}, so \{Apple, Chocolate, Egg\} \rightarrow \{(no new attributes gained from this FD).$
• No further FDs apply since $\{Basket\}\{Basket\}$ is missing for FDs 1 and 2, and $\{Dress\}\{Dress\}$ is not involved in any FDs relevant to the current set.
$ \bullet \ \textbf{Closure:} \ \{Apple, Chocolate, Egg\} \\ \{\textbf{Apple,Chocolate,Egg}\} \\$
final-closures-summary-1

Final Closures Summary:

- $\bullet \ \, \textbf{Closure of} \ \{Apple, Basket, Chocolate\} \\ \{\textbf{Apple}, \textbf{Basket}, \textbf{Chocolate}\} \\ : \ \{Apple, Basket, Chocolate, Dreading \} \\ : \ \{Apple, Basket$
- $\bullet \ \, \textbf{Closure of} \ \{Apple, Basket, Dress\} \\ \{\textbf{Apple}, \textbf{Basket}, \textbf{Dress}\} \\ \{Apple, Basket, Dress\} \\ \{Apple, Basket, Dress, Dre$
- Closure of $\{Apple, Chocolate, Egg\}$ $\{Apple, Chocolate, Egg\}$: $\{Apple, Chocolate, Egg\}$ $\{Apple, Chocolate, Egg\}$

Based on above Closures which sets closure contains all {Apple,Basket,Chocolate,Dress,Egg} ChatGPT said:

Based on the calculated closures, the set that contains all attributes $\{Apple, Basket, Chocolate, Dress, Egg$ is:

 $\bullet \ \, \textbf{Closure of} \ \{Apple, Basket, Chocolate\} \\ \{\textbf{Apple}, \textbf{Basket}, \textbf{Chocolate}\} \\ : \ \{Apple, Basket, Chocolate, Drese, Basket, Chocolate, Chocolate, Chocolate, Chocolate, Chocolate, Chocolate, Chocolate, Chocolate, C$

This closure includes all the attributes $\{Apple, Basket, Chocolate, Dress, Egg\}$ $\{Apple, Basket, Chocolate, Dress, Egg\}$

- $\bullet \ \, \textbf{Closure of} \ \{Apple, Basket, Dress\} \\ \{\textbf{Apple}, \textbf{Basket}, \textbf{Dress}\} \\ \{Apple, Basket, Dress\} \\ \{Apple, Basket, Dress, Dre$
- $\bullet \ \, \textbf{Closure of} \ \{Apple, Chocolate, Egg\} \\ \{\textbf{Apple}, \textbf{Chocolate}, \textbf{Egg}\} \\ : \ \{Apple, Chocolate, Egg\} \\ \{\textbf{Apple}, \textbf{Chocolate}, \textbf{Egg}\} \\ \{\textbf{Ap$

Thus, the only closure that contains all of $\{Apple, Basket, Chocolate, Dress, Egg\}$ {Apple, Basket, Chocolate is the closure of $\{Apple, Basket, Chocolate\}$ {Apple, Basket, Chocolate}.

40 mini you-said-15

The candiate keys are {Apple,Basket,Chocolate}, {Basket,Egg}, {Chocolate,Dress}, {Dress,Egg} for Relation Shopping(Egg, Dress, Chocolate, Basket, Apple); Functional dependencies FD = {{Apple, Basket, Chocolate} -> {Dress}, {Apple, Basket, Chocolate} -> {Dress, Egg}, {Dress} -> { Apple , Basket}, {Egg} -> { Apple , Chocolate}} No answer needed.

ChatGPT said:

Memory updated

Got it! If you have any further questions or need assistance with anything else, feel free to ask!

40 mini

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