

Ultrasound Image Enhancement with the Variance of Diffusion Models

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Presenter: Yuxin Zhang

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MIS: Image Enhancement 1 (A3L-01)



ROAD MAP

1. Introduction

Ultrasound Imaging, Modeling, and SOTA

2. Method

Linear Adaptive Beamforming, Diffusion Variance Imaging

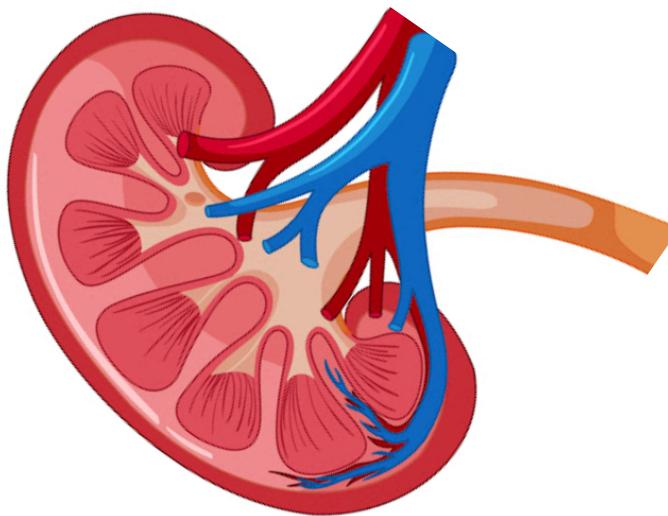
3. Results

Quantitative & Qualitative Comparison

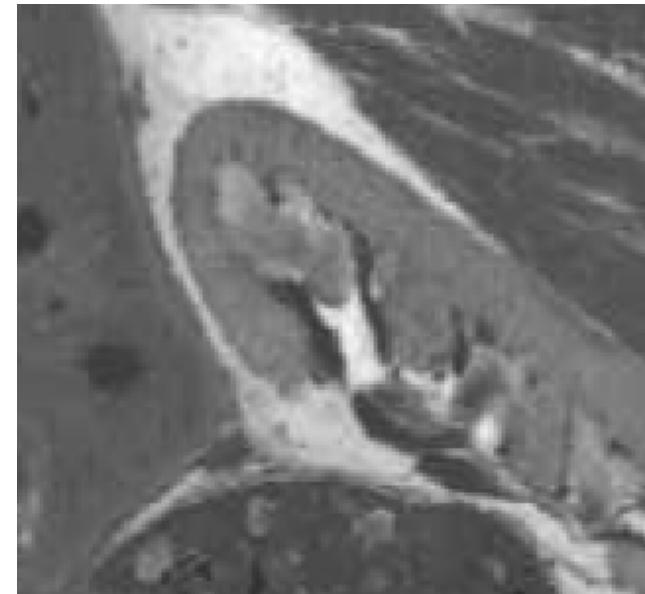
4. Conclusion

Take-home Message

Ultrasound Image Enhancement

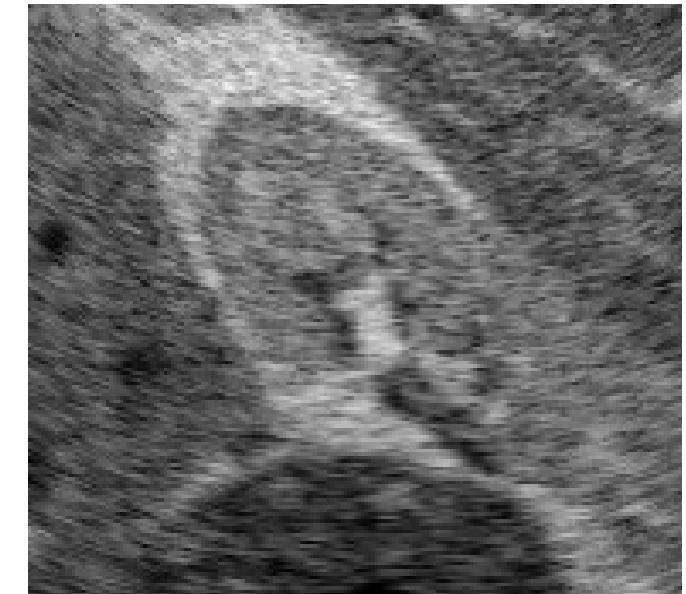


Echogenicity map



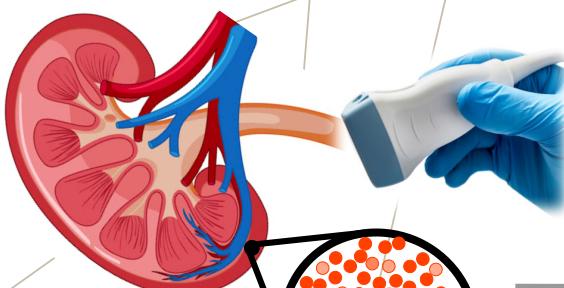
(average property of the tissue)

Observation



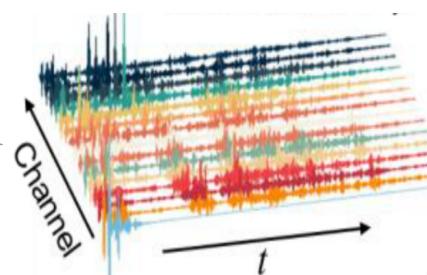
Ultrasound Image Enhancement benefits organ and tumor Classification and Segmentation.

Approximation of the Ultrasound Imaging Process



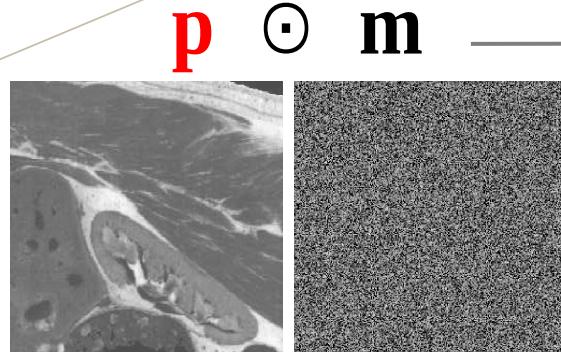
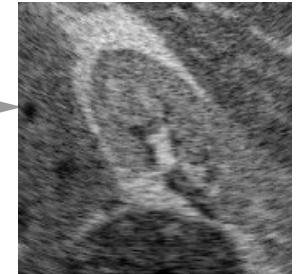
Speckle
(caused by
interferences)

Electronic
noise



Beamforming

RF image



Echogenicity
map

Random
field
 $\sim \mathcal{N}(\mathbf{0}, \mathbf{I})$



$$\mathbf{f} = \mathbf{BH} (\mathbf{m} \odot \mathbf{p}) + \mathbf{n}$$

State-of-the-Art

$$\underbrace{\mathbf{f}}_{\text{RF image}} = \underbrace{\mathbf{BH}}_{\text{PSF}} \left(\underbrace{\mathbf{m}}_{\sim \mathcal{N}(\mathbf{0}, \mathbf{I})} \odot \mathbf{p} \right) + \underbrace{\mathbf{n}}_{\sim \mathcal{N}(\mathbf{0}, \gamma \mathbf{I})}$$

Deconvolution & Despeckling & Denoising

Remove the effect of \mathbf{BH}, \mathbf{n} Estimate $\mathbf{m} \odot \mathbf{p}$

[S. Goudarzi, TUFFC 2022, E. Ozkan, TUFFC 2018,
A. Besson Trans. Comput. Imag. 2019] Inverse Problem Solving

[Y. Zhang, DGM4MICCAI, 2023, S. Goudarzi, Utrasonics 2022,
D. Perdios, TMI 2022, J. Zhang, Med. Image Anal. 2021] ML

Deconvolution & Despeckling & Denoising

Remove \mathbf{m} (ignore \mathbf{BH}, \mathbf{n}) Estimate \mathbf{p}

[G. Ramos-Llorden, TIP 2015] Anisotropic Diffusion
[P. Coupe, TIP 2009] NonLocal Means
[S. Balocco, Ultrasound Med. Biol. 2010] Bilateral Filter
[S. Esakkirajan, Ultrasound Med. Biol. 2013] Wavelet
[D. Mishra, ICPR 2018, C.-C. Shen, Sensors 2020] ML

State-of-the-Art

$$\underbrace{\mathbf{f}}_{\text{RF image}} = \underbrace{\mathbf{BH}}_{\text{PSF}} \left(\underbrace{\mathbf{m}}_{\sim \mathcal{N}(\mathbf{0}, \mathbf{I})} \odot \mathbf{p} \right) + \underbrace{\mathbf{n}}_{\sim \mathcal{N}(\mathbf{0}, \gamma \mathbf{I})}$$

Deconvolution & Despeckling & Denoising

Remove the effect of A, n

Estimate $m \odot p$

Deconvolution & Despeckling & Denoising

Remove m (ignore A, n)

Estimate p

We estimate \mathbf{p} by tackling all 3 degradation effects

[S. Goudarzi, TUFFC 2007] [Y. Zhang, DGM4MICCAI, 2023, S. Goudarzi, Utrasonics 2022, D. Perdios, TMI 2022, J. Zhang, Med. Image Anal. 2021] ML
A. Besson, Trans. Comput. Imag. 2019] Inverse Problem Solving

[P. Coupe, TIP 2009] NonLocal Means
[S. Balocco, Ultrasound Med. Biol. 2010] Bilateral Filter
[S. Esakkirajan, Ultrasound Med. Biol. 2013] Wavelet
[D. Mishra, ICPR 2018, C.-C. Shen, Sensors 2020] ML

Deconvolution & Despeckling & Denoising

Remove the effect of BH, m, n *Estimate p*

[James Ng, TUFFC 2007] Wavelet
[Y. Zhang, EUSIPCO 2024] ML

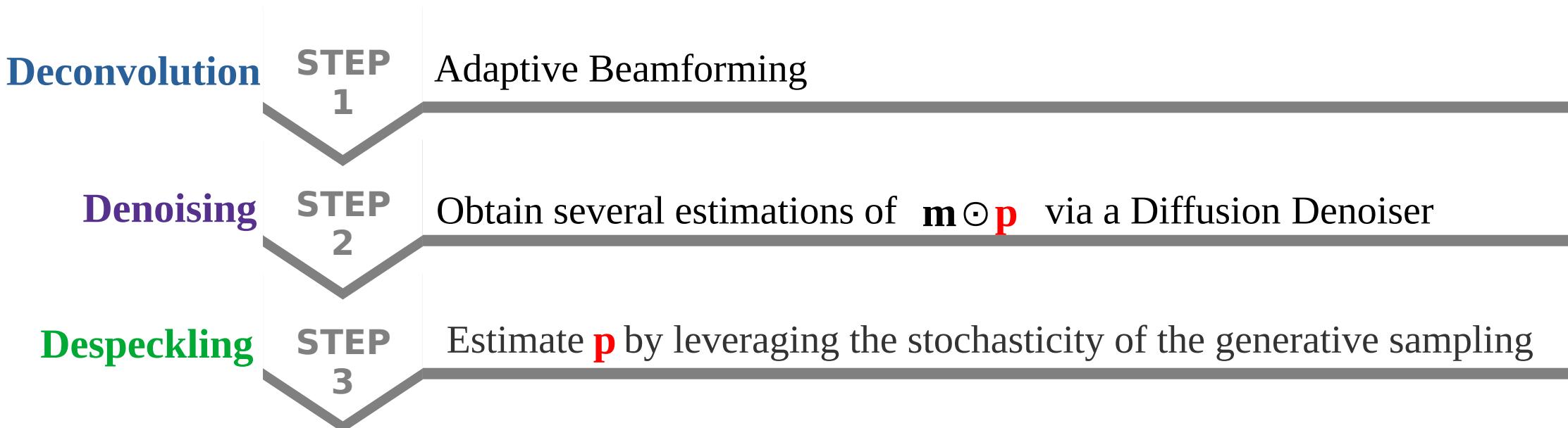
Overview of the Proposed Method

$$f = \mathbf{B}_{EBMV} \mathbf{H} \left(\underbrace{\mathbf{m}}_{\sim \mathcal{N}(\mathbf{0}, \mathbf{I})} \odot \mathbf{p} \right) + \underbrace{\mathbf{n}}_{\sim \mathcal{N}(\mathbf{0}, \gamma \mathbf{I})}$$

Convolution **Speckle** **Noise**

f = $\mathbf{B}_{EBMV} \mathbf{H}$ $(\underbrace{\mathbf{m}}_{\sim \mathcal{N}(\mathbf{0}, \mathbf{I})} \odot \mathbf{p})$ $+ \underbrace{\mathbf{n}}_{\sim \mathcal{N}(\mathbf{0}, \gamma \mathbf{I})}$

RF image
(EBMV)



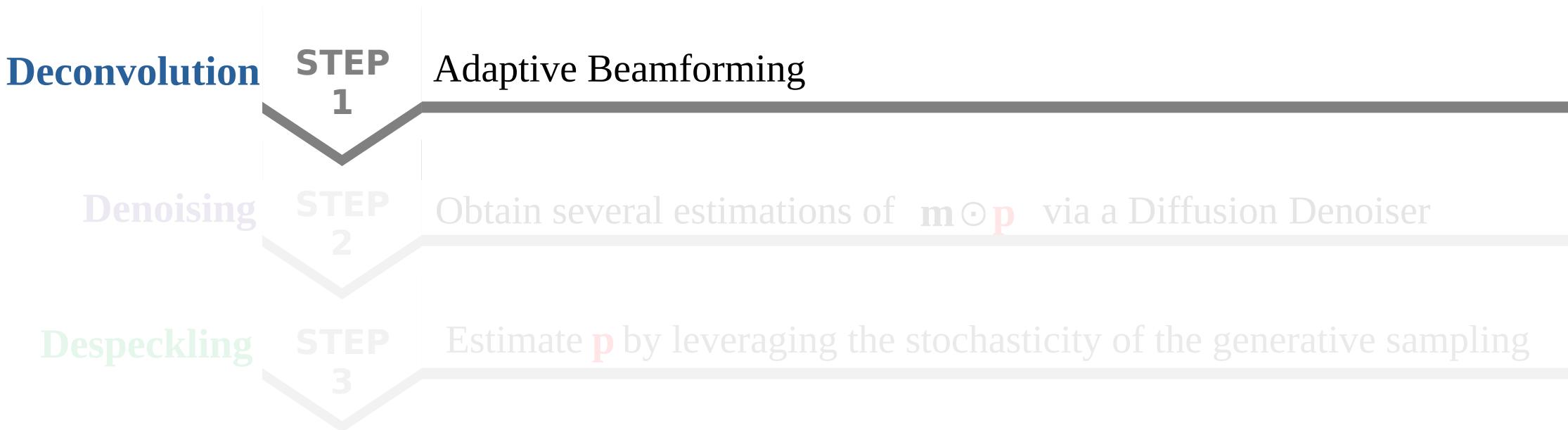
Overview of the Proposed Method

$$f = \mathbf{B}_{EBMV} \mathbf{H} \left(\underbrace{\mathbf{m}}_{\sim \mathcal{N}(\mathbf{0}, \mathbf{I})} \odot \mathbf{p} \right) + \underbrace{\mathbf{n}}_{\sim \mathcal{N}(\mathbf{0}, \gamma \mathbf{I})}$$

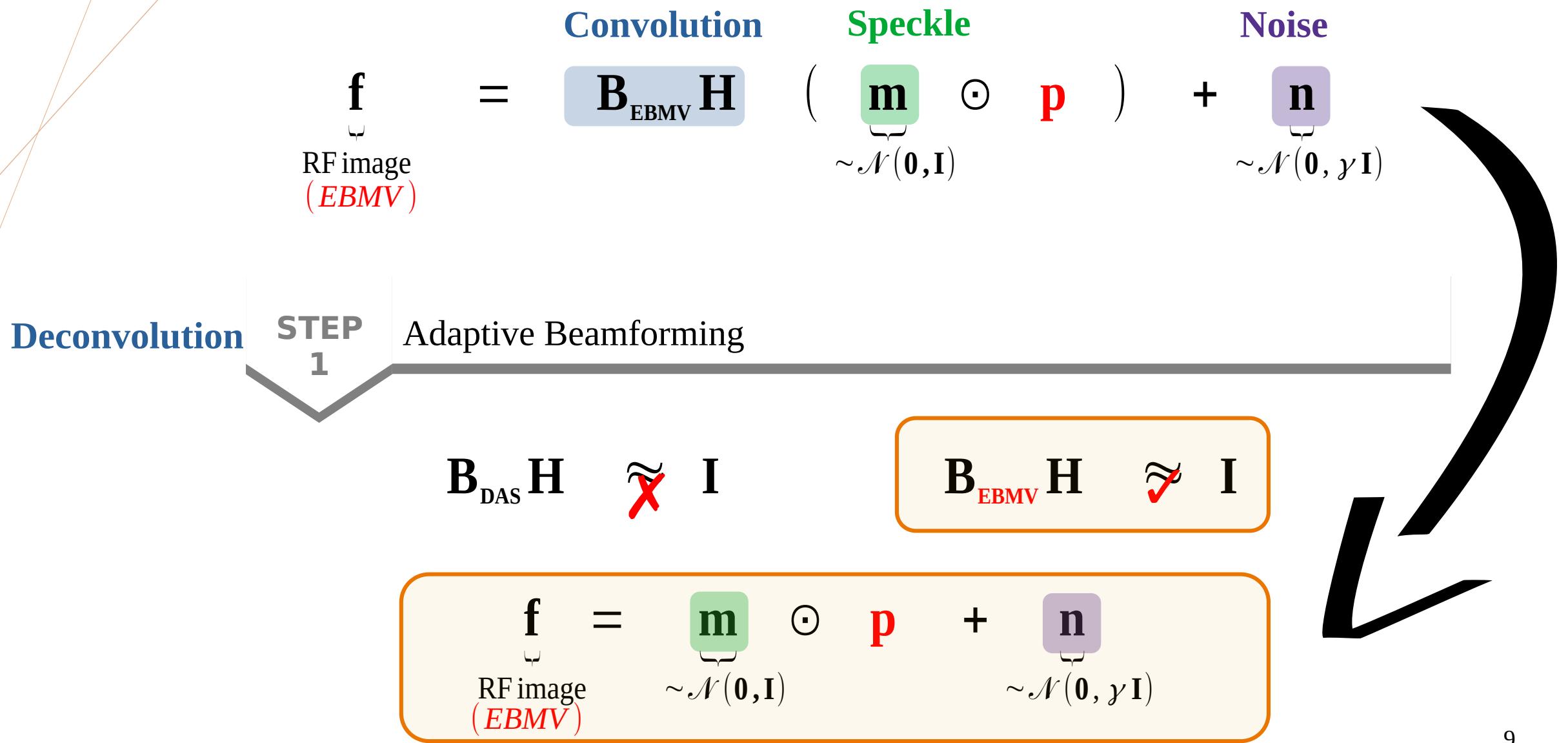
Convolution **Speckle** **Noise**

f = $\mathbf{B}_{EBMV} \mathbf{H}$ $(\underbrace{\mathbf{m}}_{\sim \mathcal{N}(\mathbf{0}, \mathbf{I})} \odot \mathbf{p})$ $+ \underbrace{\mathbf{n}}_{\sim \mathcal{N}(\mathbf{0}, \gamma \mathbf{I})}$

RF image
(EBMV)

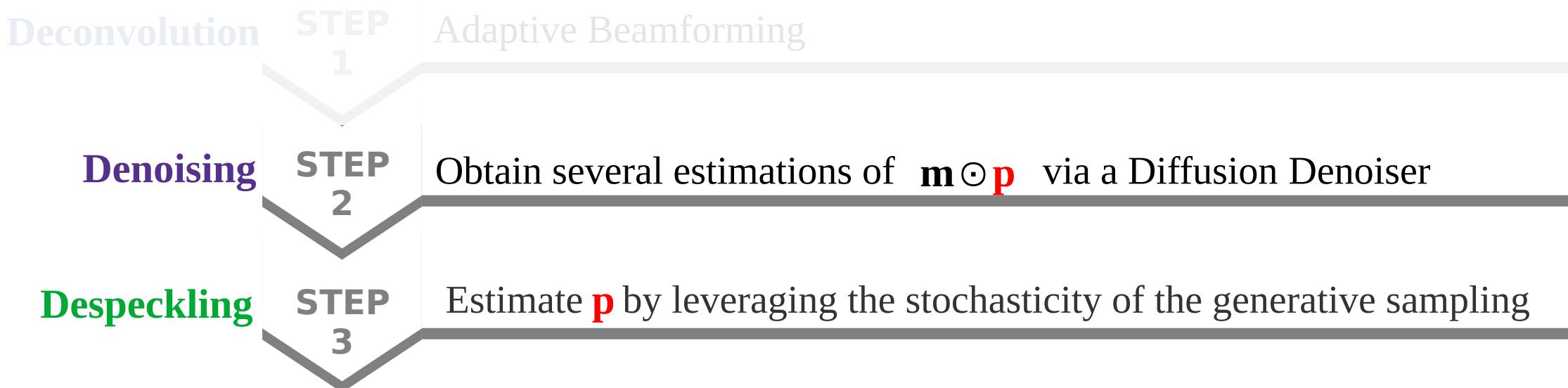


Overview of the Proposed Method

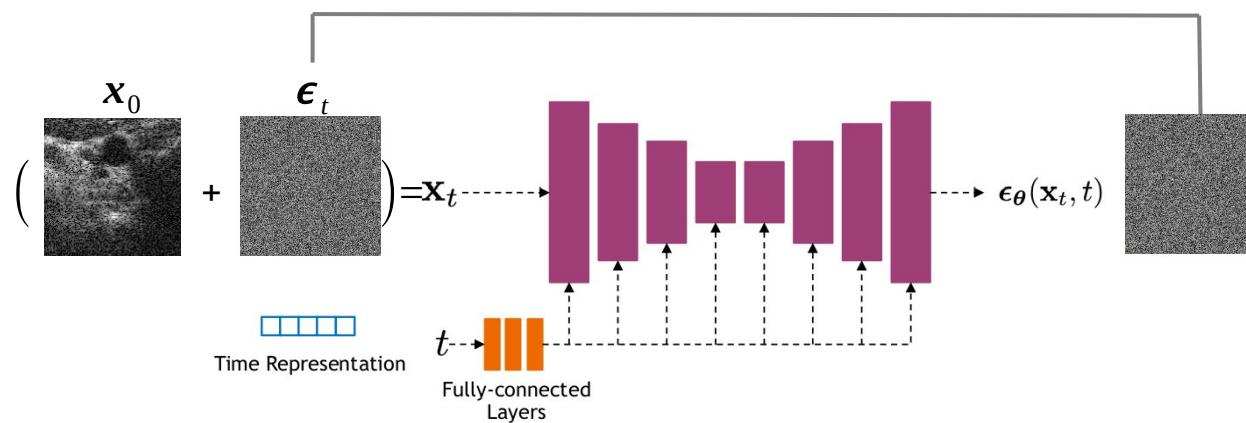
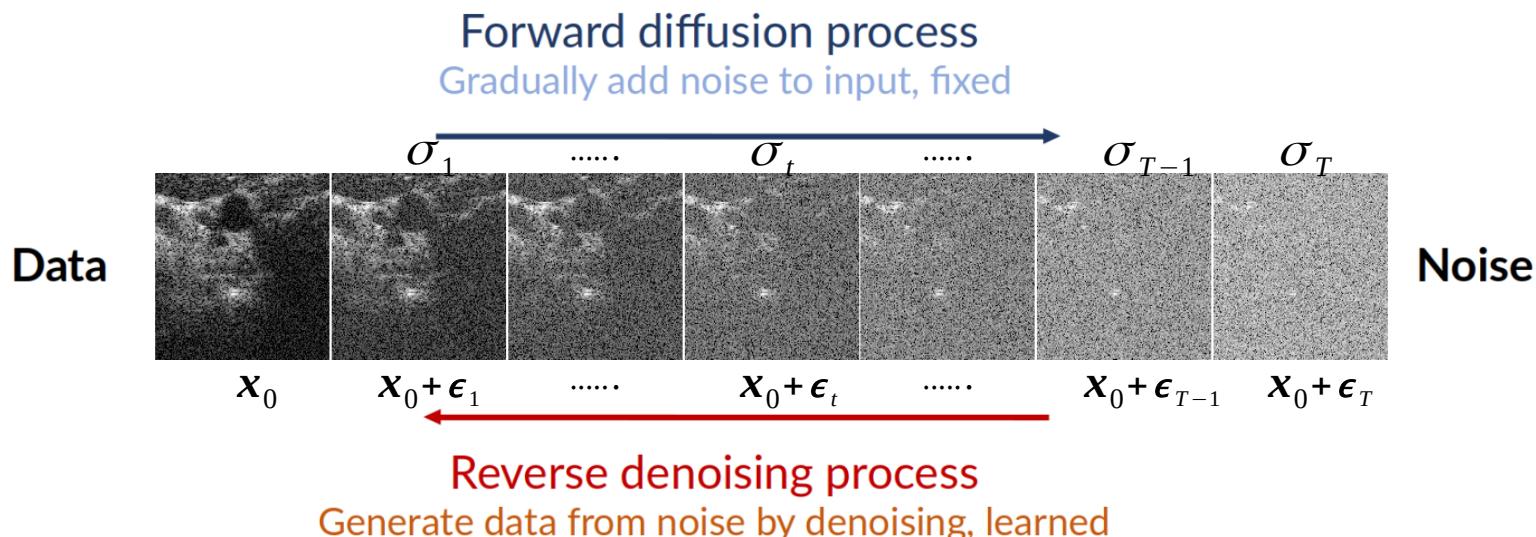


Overview of the Proposed Method

$$\underbrace{\mathbf{f}}_{\substack{\text{RF image} \\ (\text{EBMV})}} = \underbrace{\mathbf{m}}_{\sim \mathcal{N}(\mathbf{0}, \mathbf{I})} \odot \underbrace{\mathbf{p}}_{\sim \mathcal{N}(\mathbf{0}, \gamma \mathbf{I})} + \underbrace{\mathbf{n}}_{\sim \mathcal{N}(\mathbf{0}, \gamma \mathbf{I})}$$

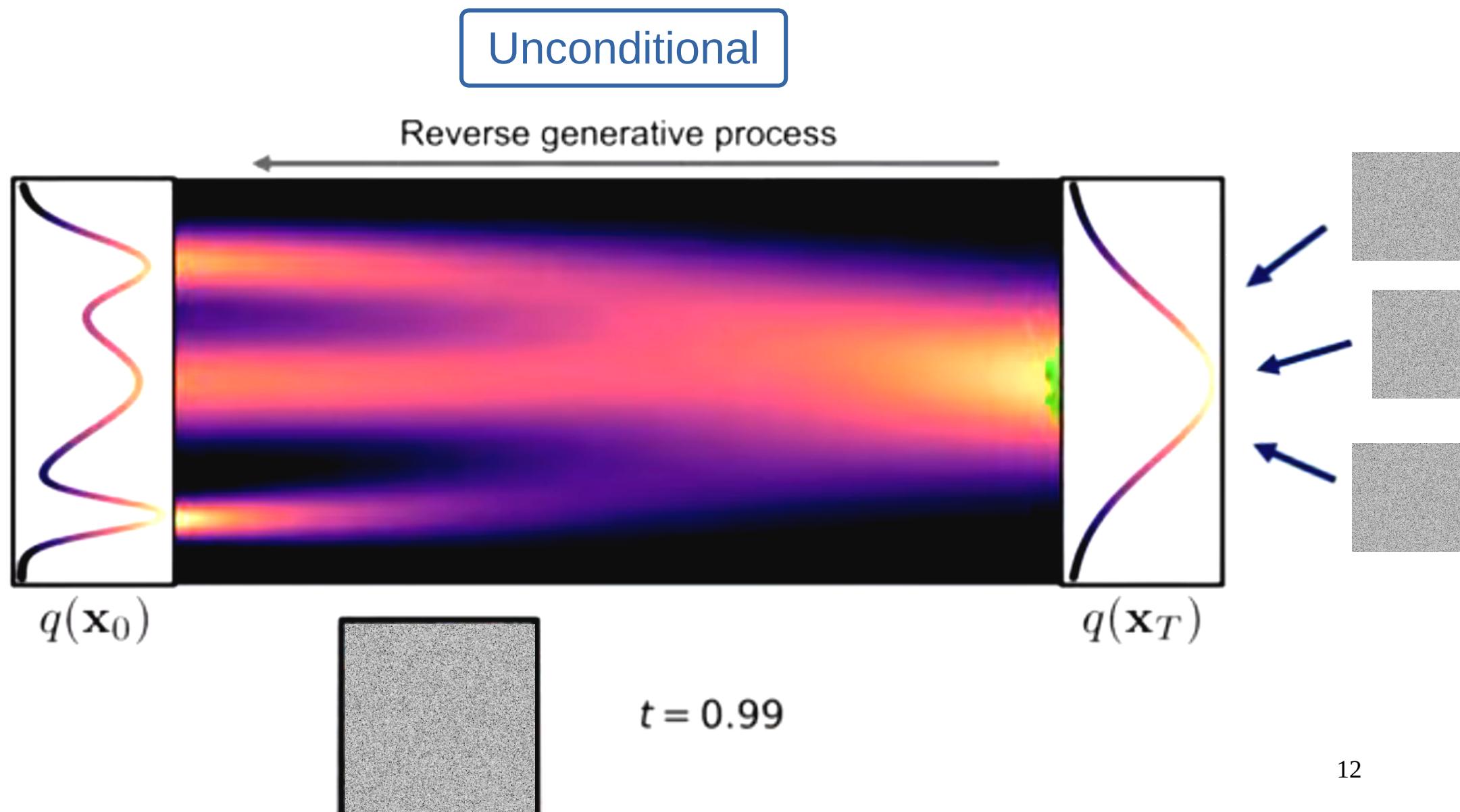


Denoising Diffusion Generative Models

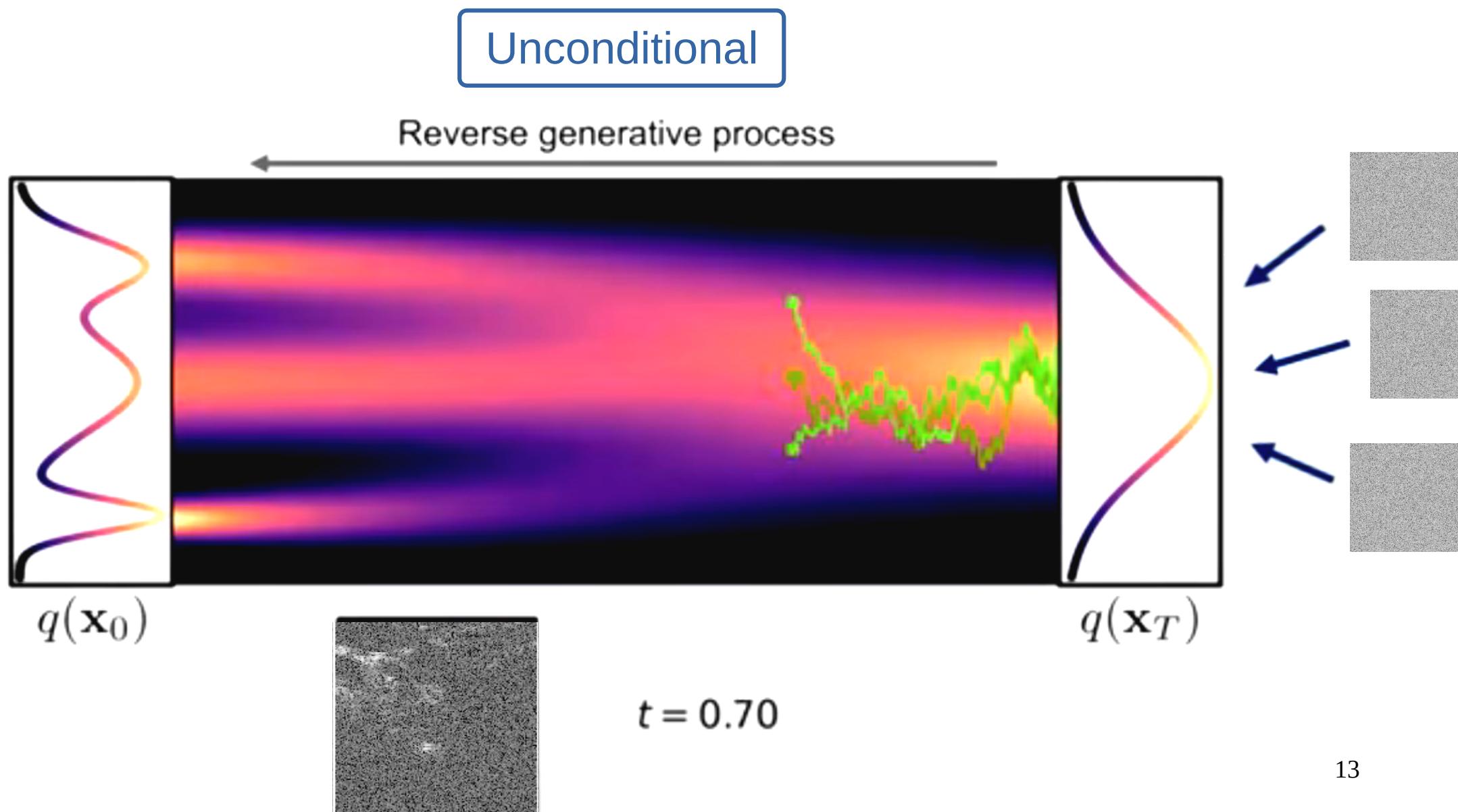


$$\text{simpleLoss} = \mathbb{E}_{x_0 \sim p_{\text{data}}} \mathbb{E}_{\epsilon_t \sim \mathcal{N}(\mathbf{0}, \sigma_t I)} \| \epsilon_\theta(x_t, t) - \epsilon_t \|_2^2$$

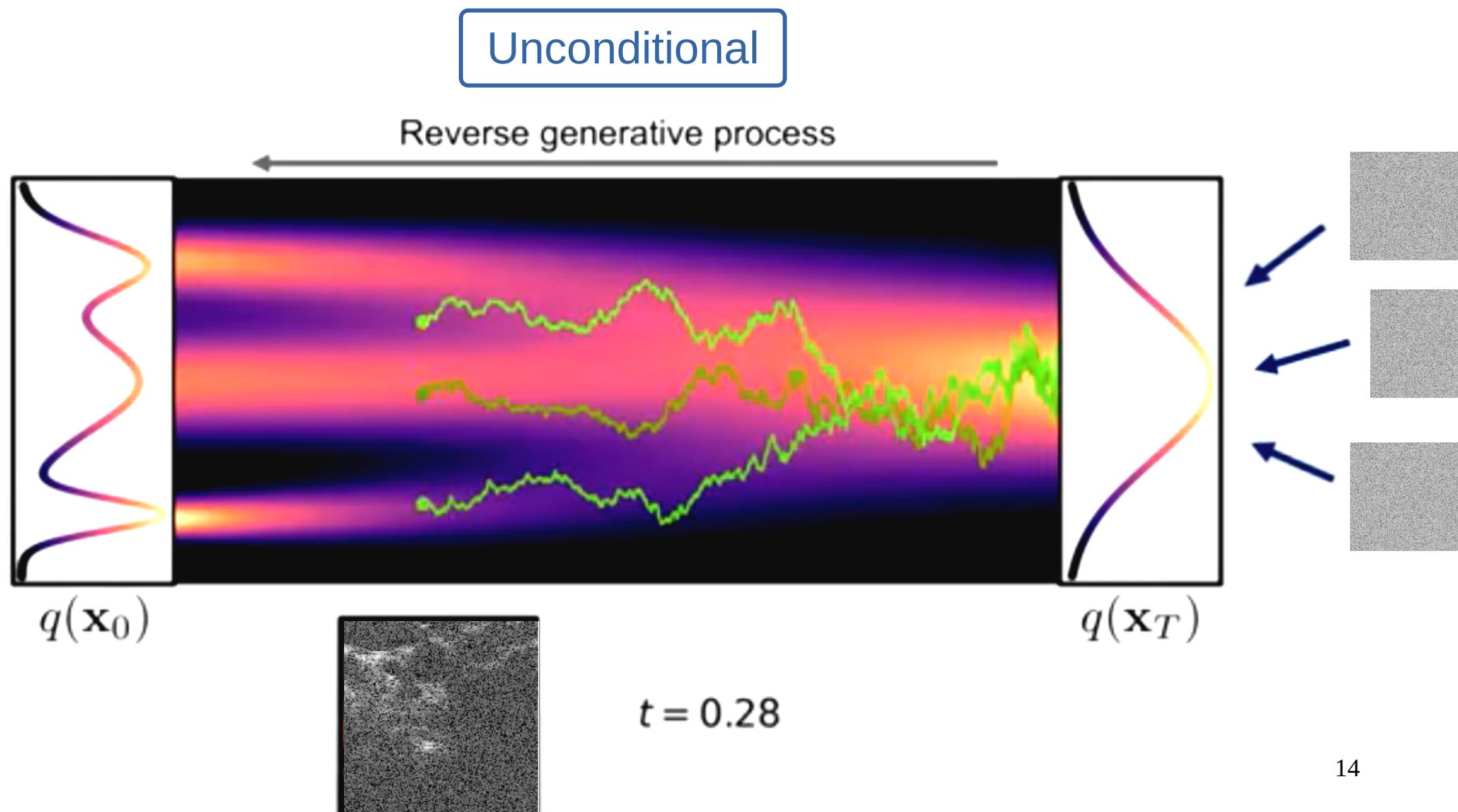
Diffusion Generative Process



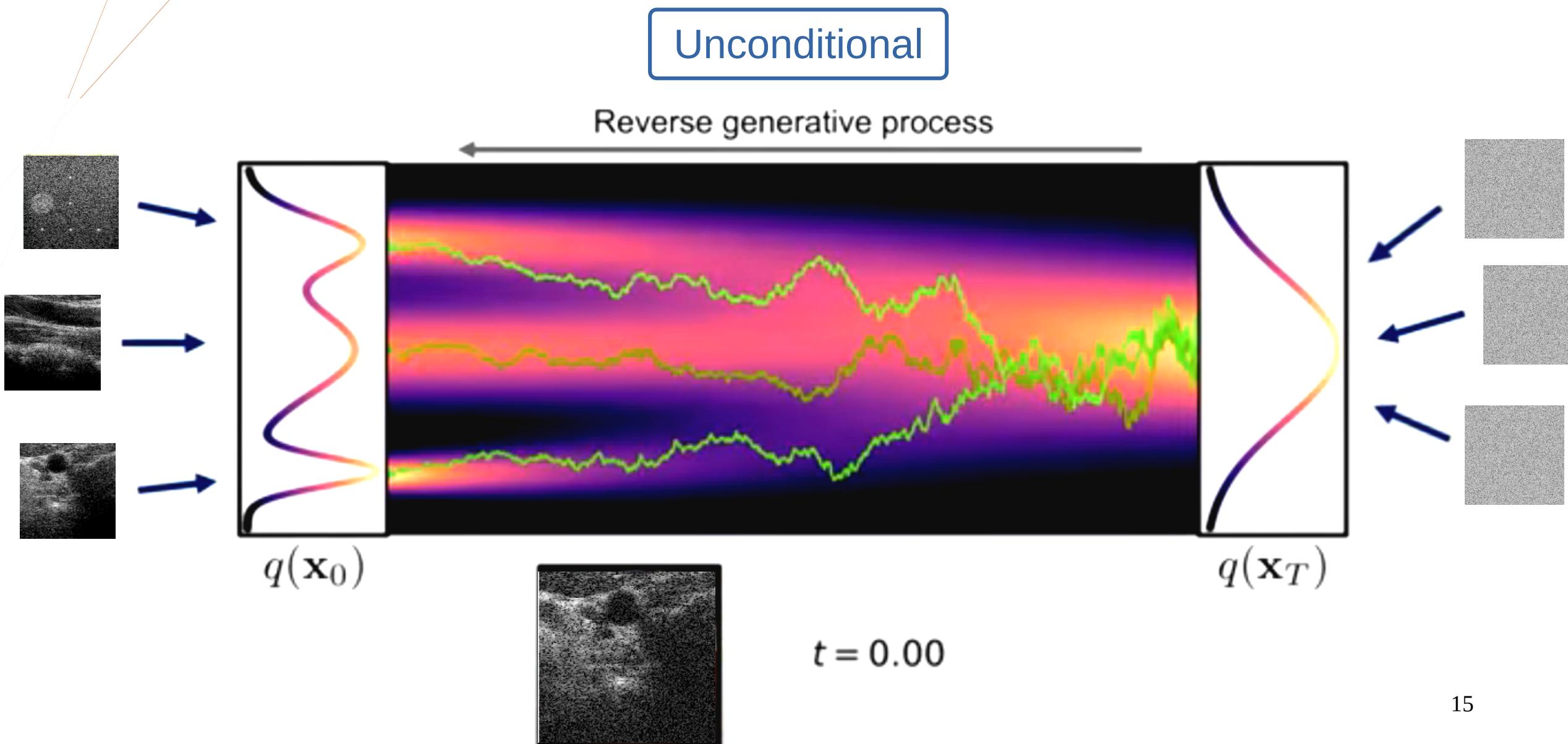
Diffusion Generative Process



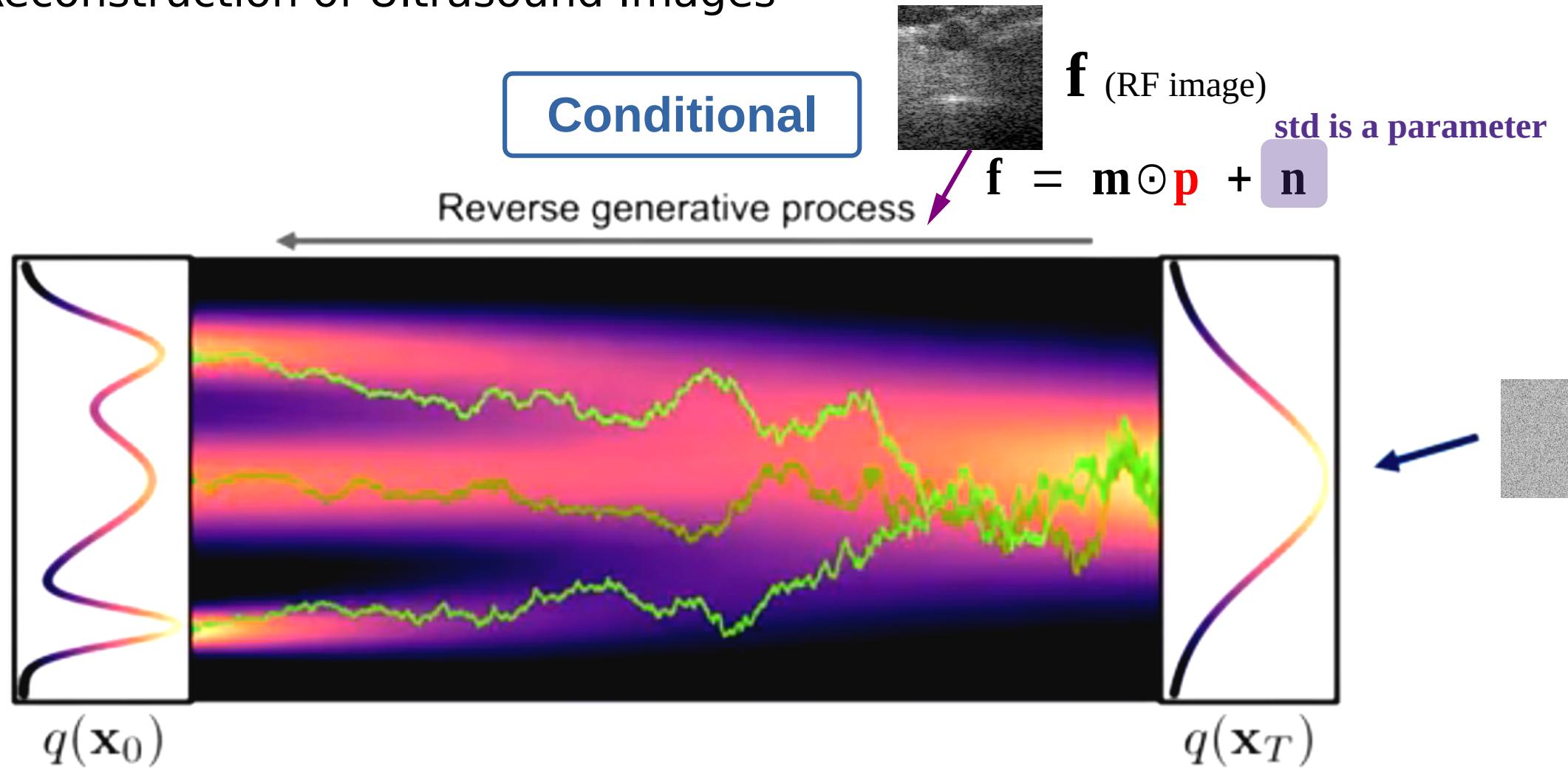
Diffusion Generative Process



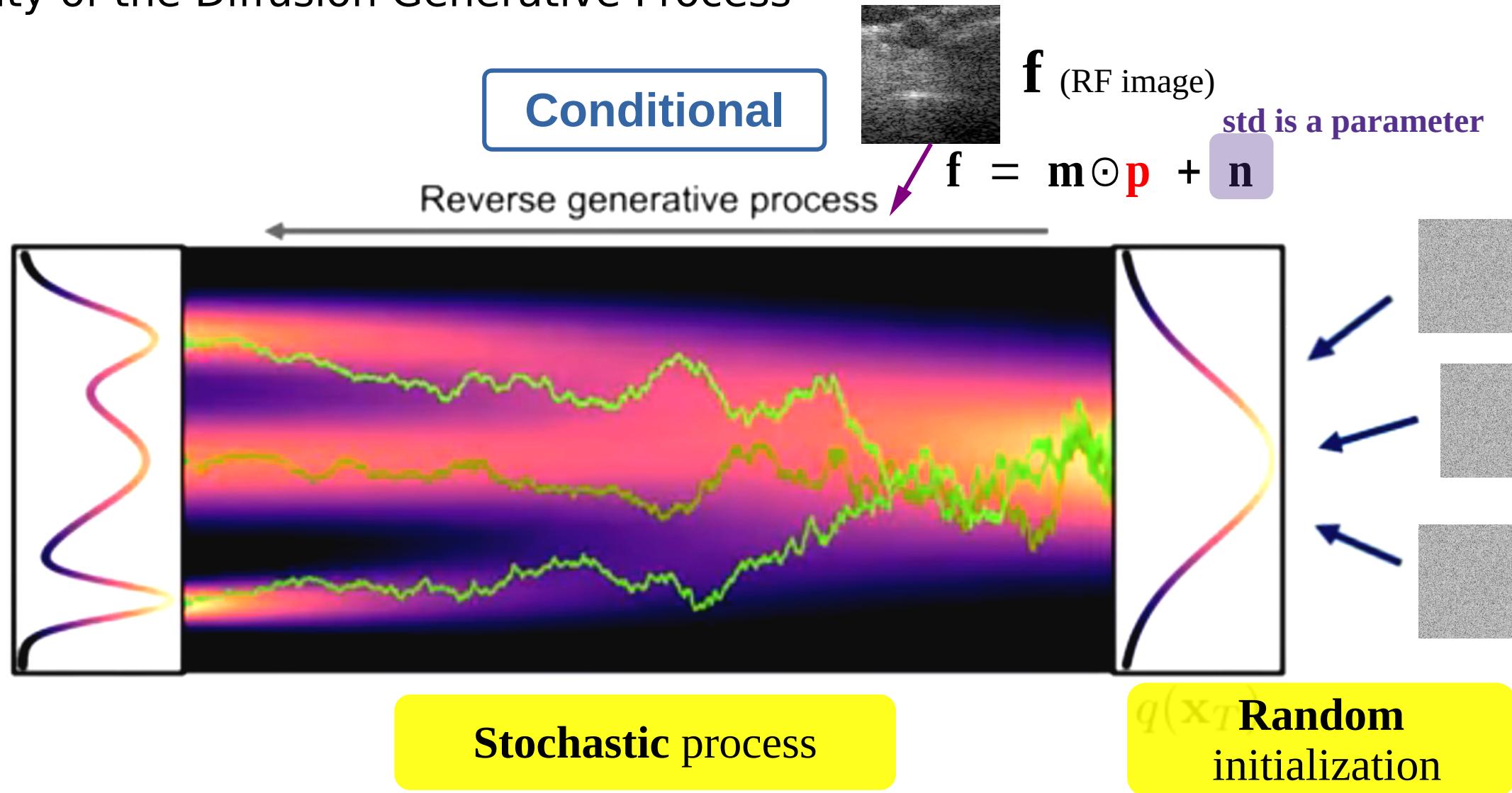
Diffusion Generative Process



Diffusion Reconstruction of Ultrasound Images

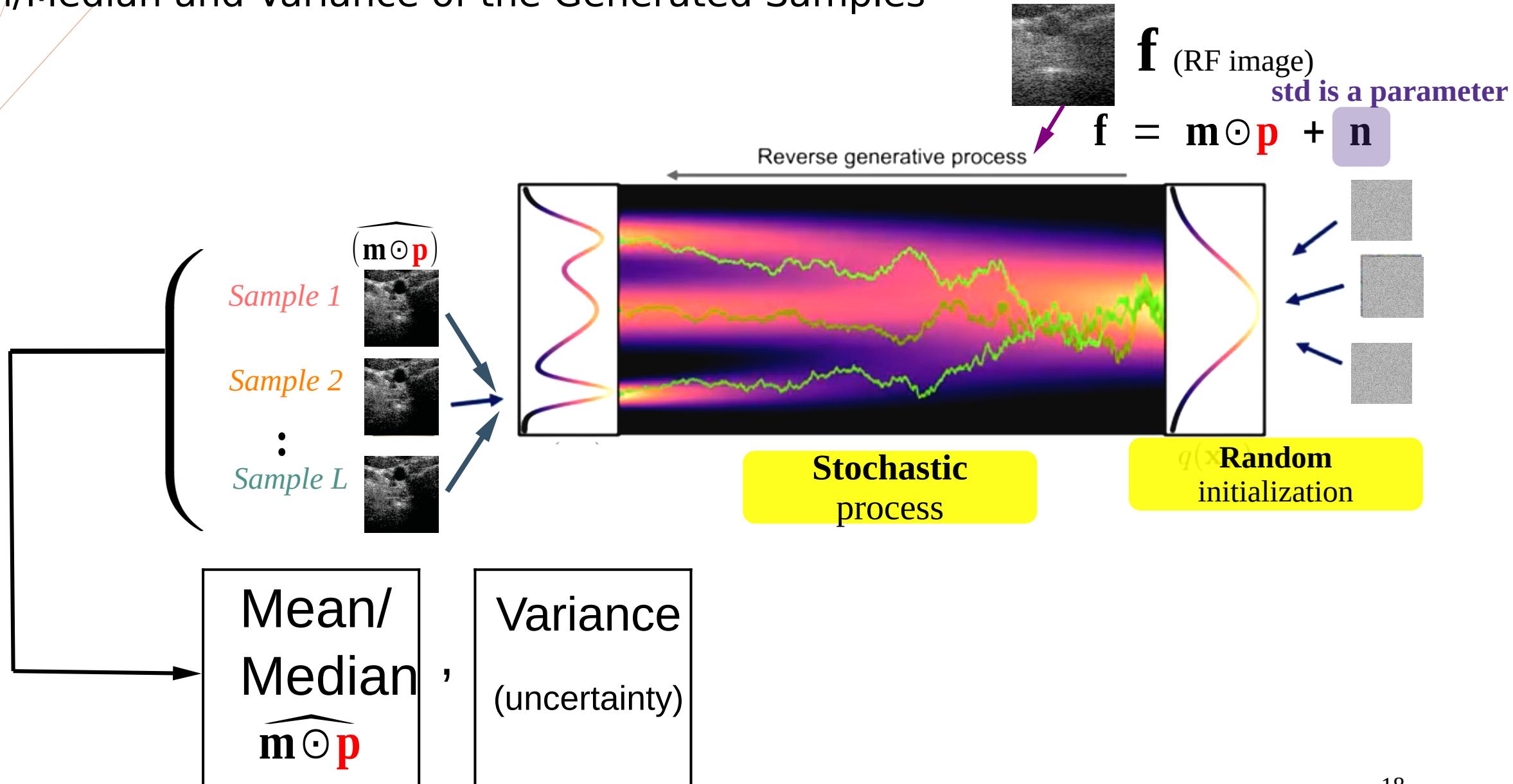


Stochasticity of the Diffusion Generative Process

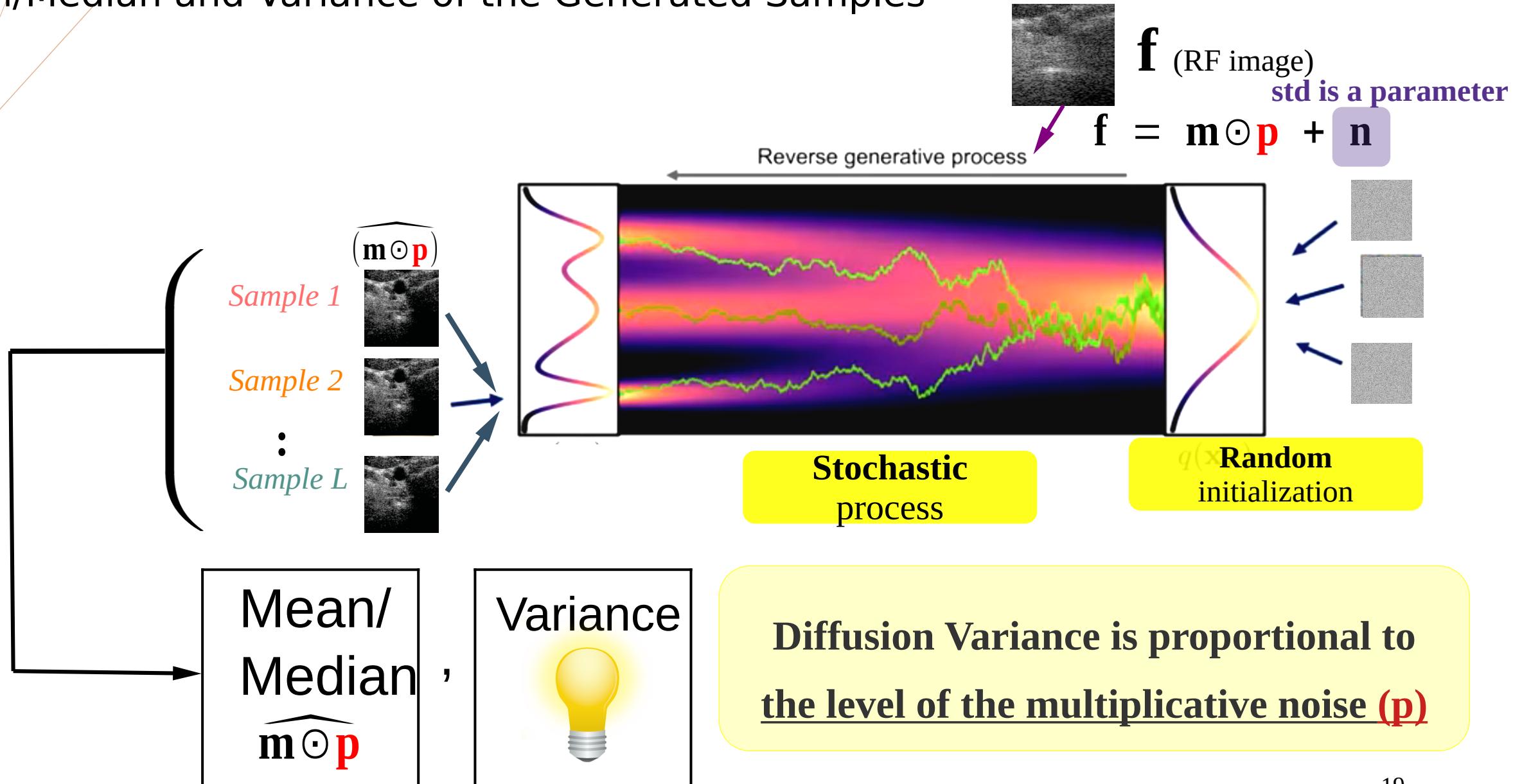


We can generate unlimited number of different $\widehat{(m \odot p)}$ from a single observation

Mean/Median and Variance of the Generated Samples



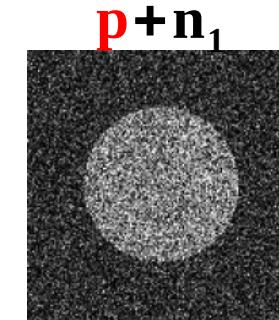
Mean/Median and Variance of the Generated Samples



Diffusion Variance Behavior

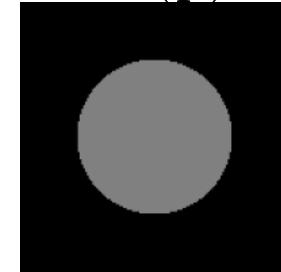
with only
additive noise
(e.g. natural images)

Measurements

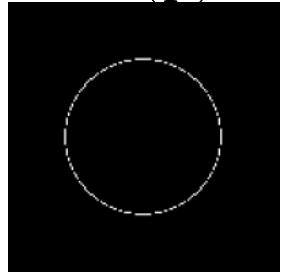


Diffusion Model

Mean
 $E(\hat{p})$

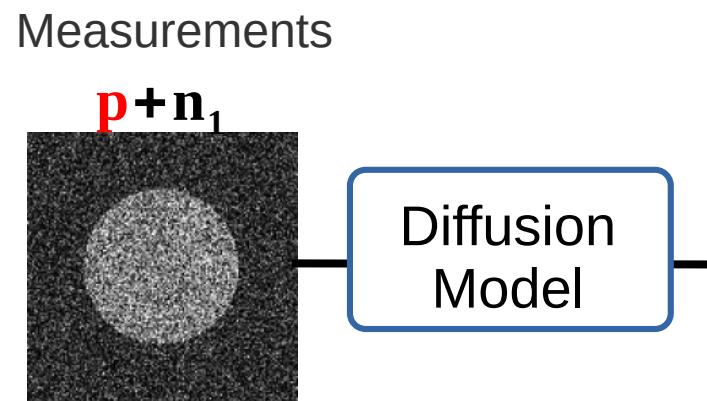


Variance
 $V(\hat{p})$



Diffusion Variance Behavior

with only
additive noise
(e.g. natural images)



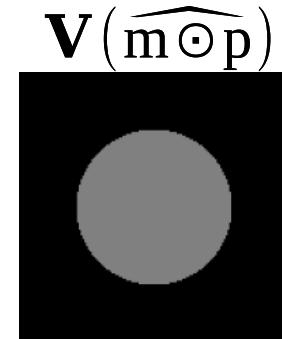
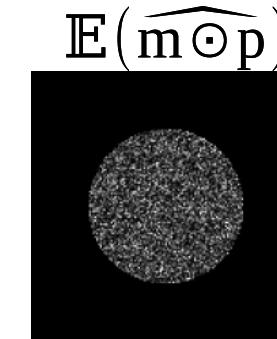
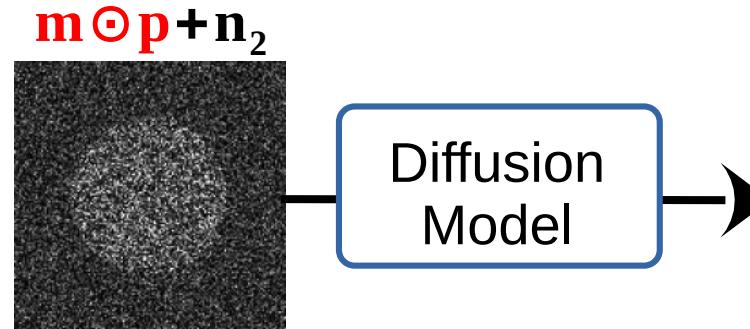
Mean

$E(\hat{p})$

Variance

$V(\hat{p})$

with
multiplicative noise
(e.g. ultrasound)

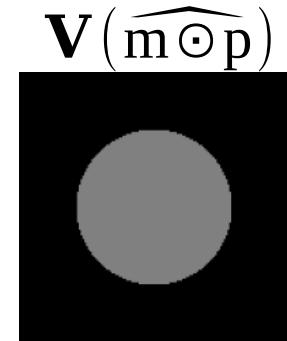
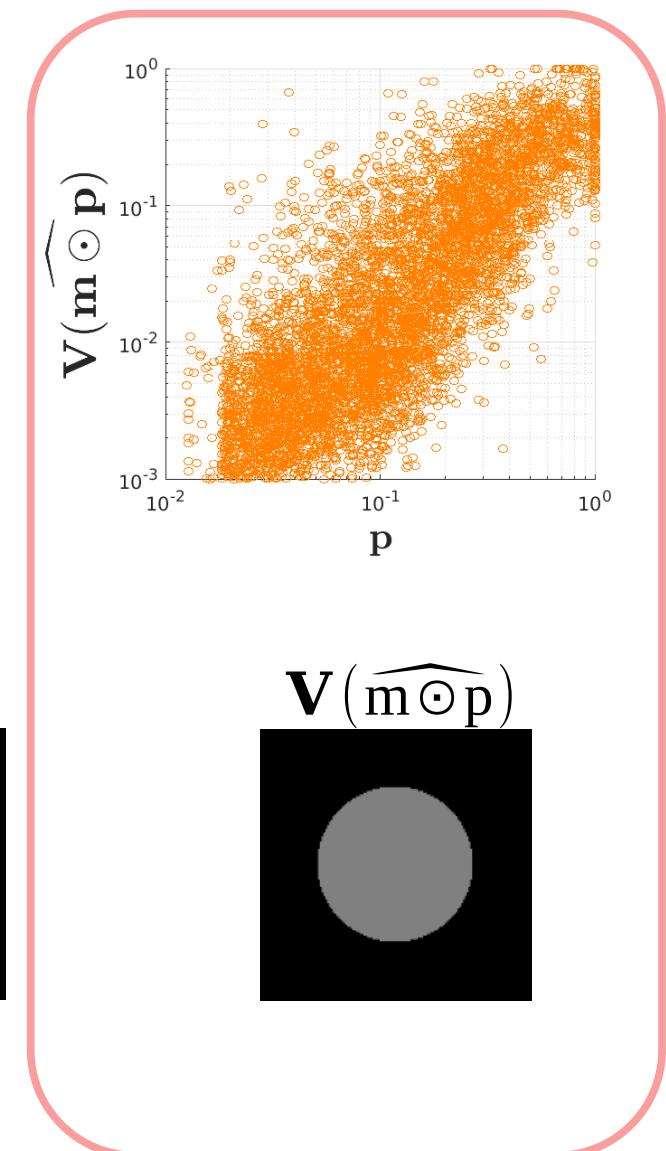
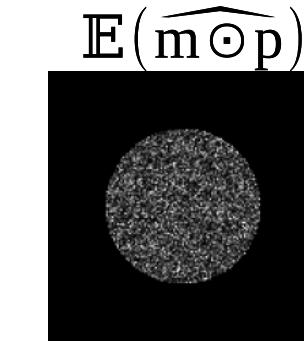
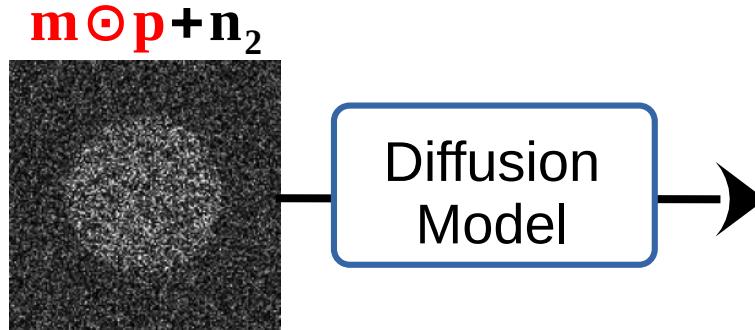


Variance of diffusion samples inform the level of the multiplicative noise

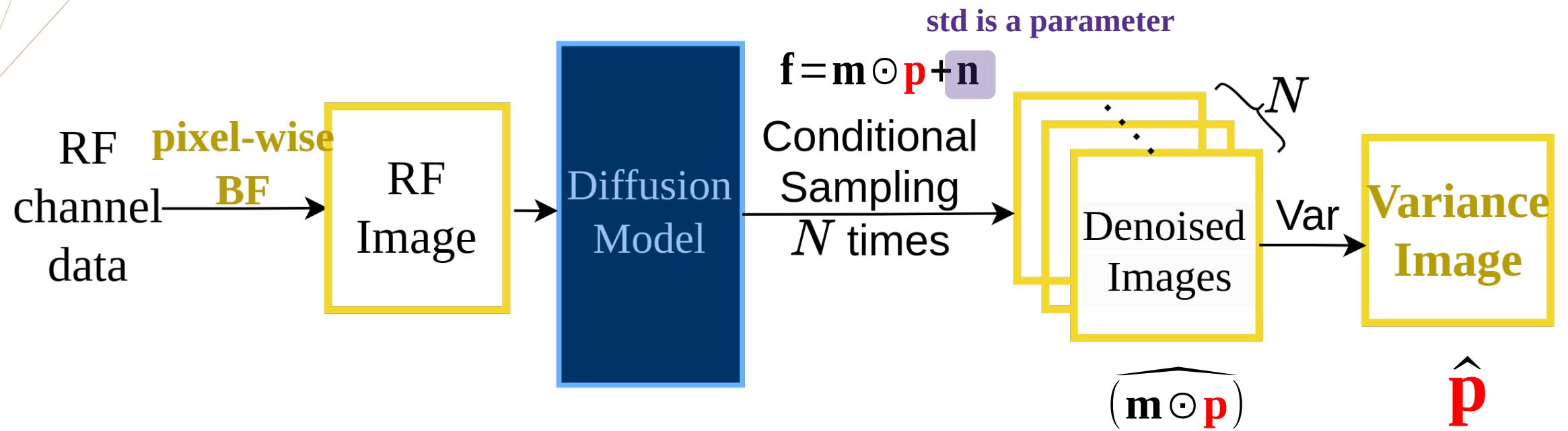
Diffusion Variance Behavior

Variance of diffusion samples inform the level of the multiplicative noise

with
multiplicative noise
(e.g. ultrasound)

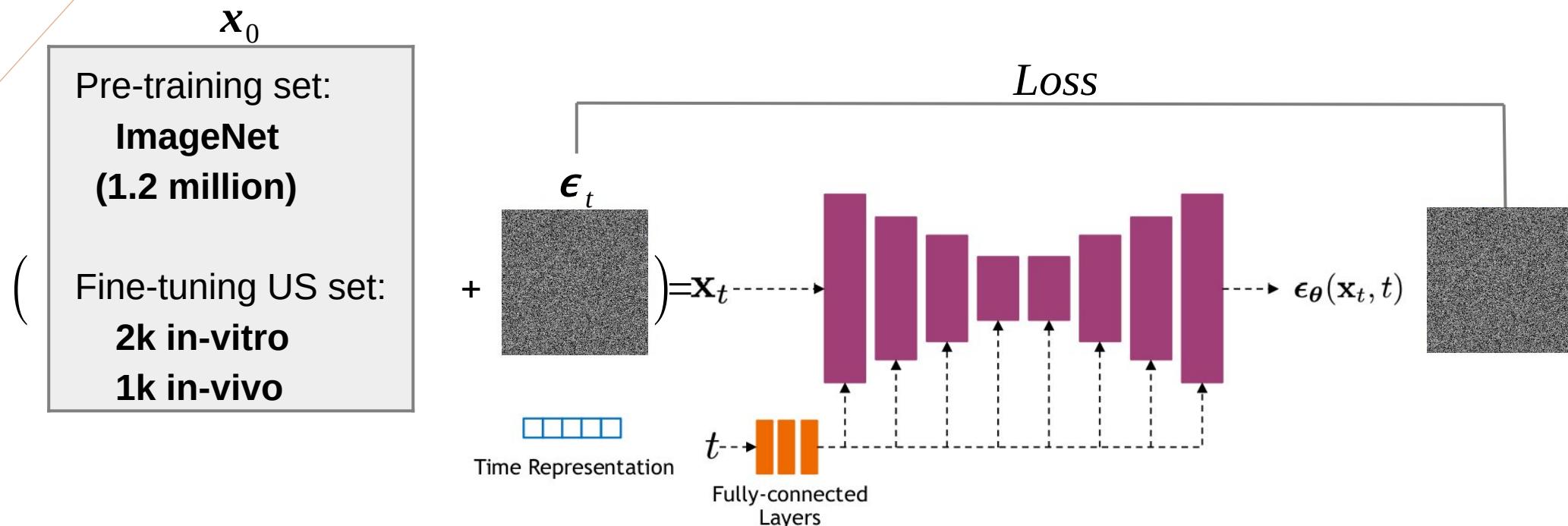


Workflow

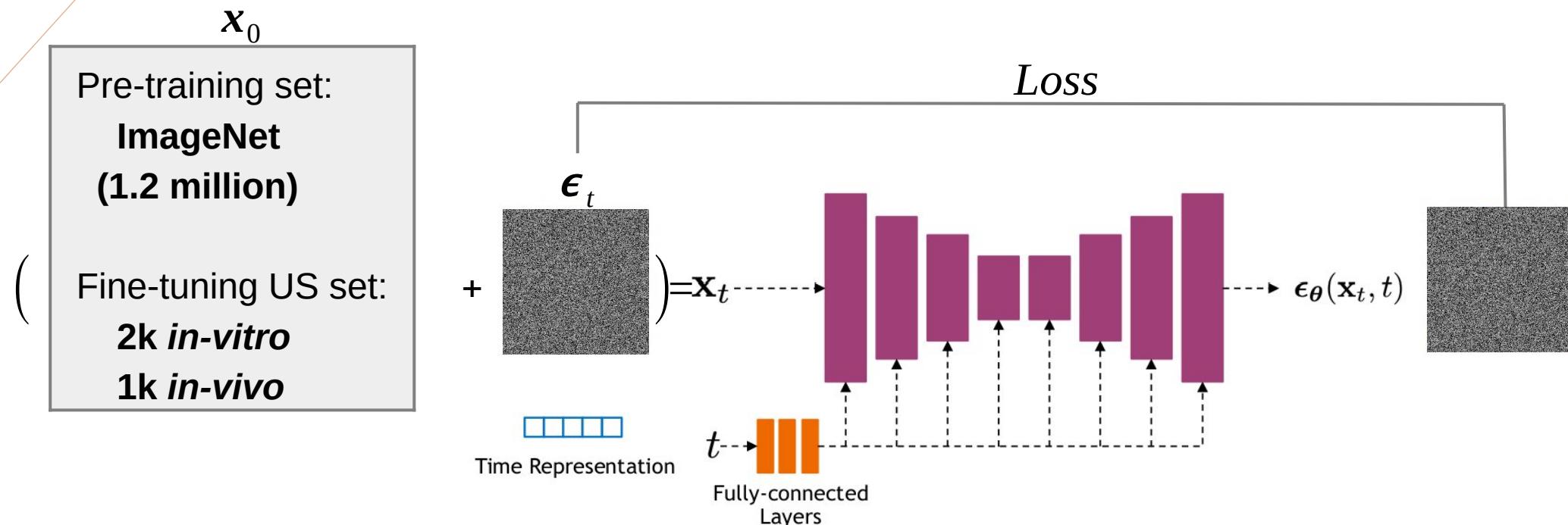


$\left(\begin{array}{l} \text{10 samples} \\ \text{50 iterative steps for each sampling} \end{array} \right)$

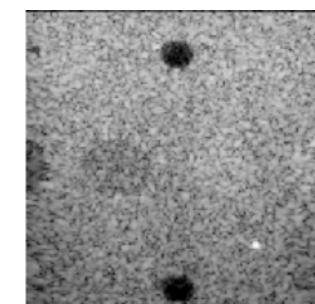
Experimental Setup



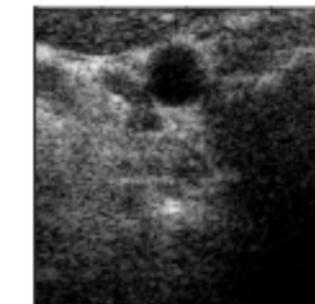
Experimental Setup



Validation dataset:
(PICMUS)



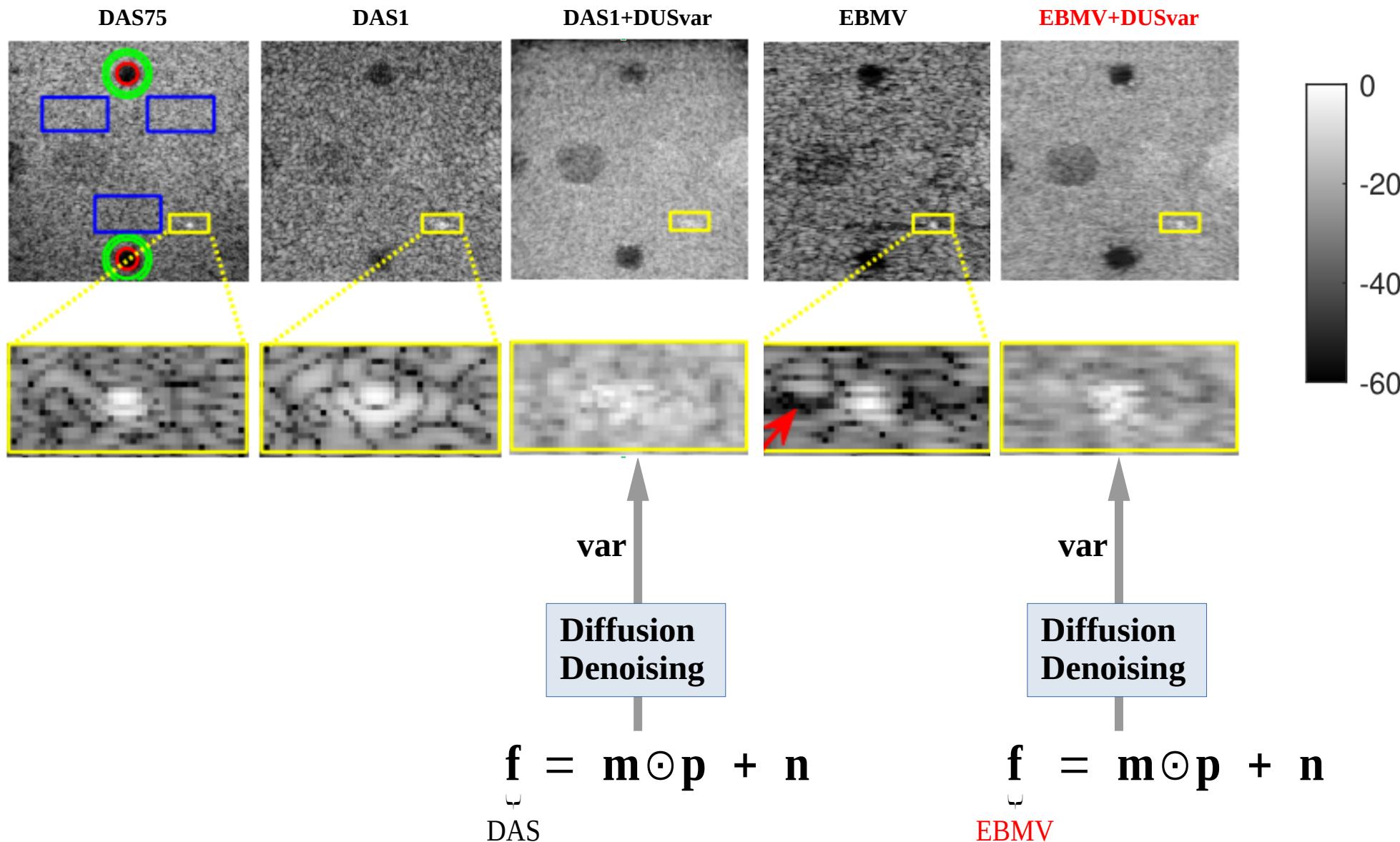
in-vitro



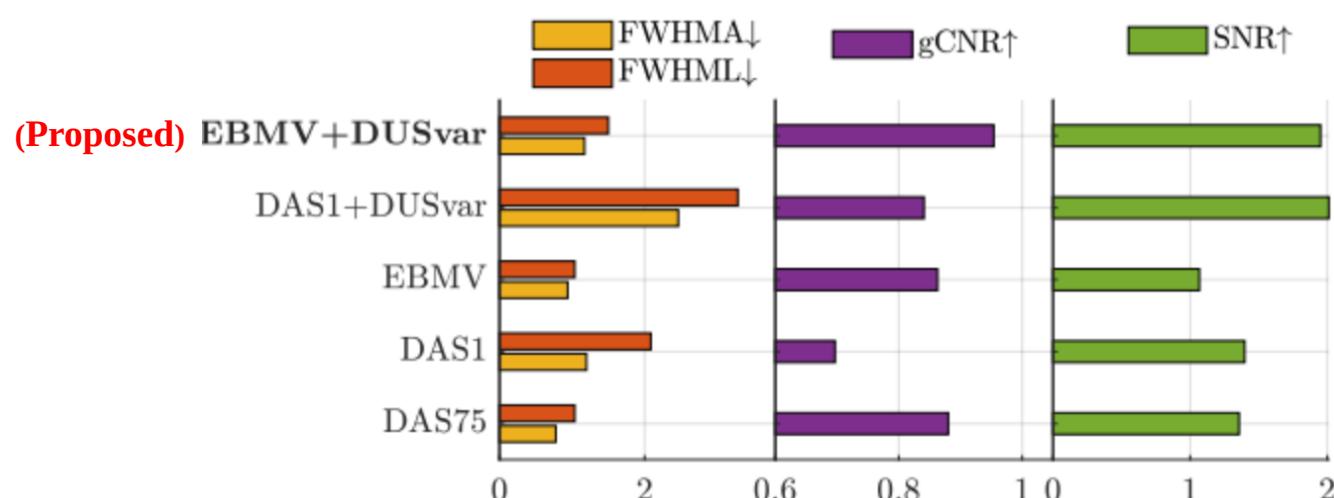
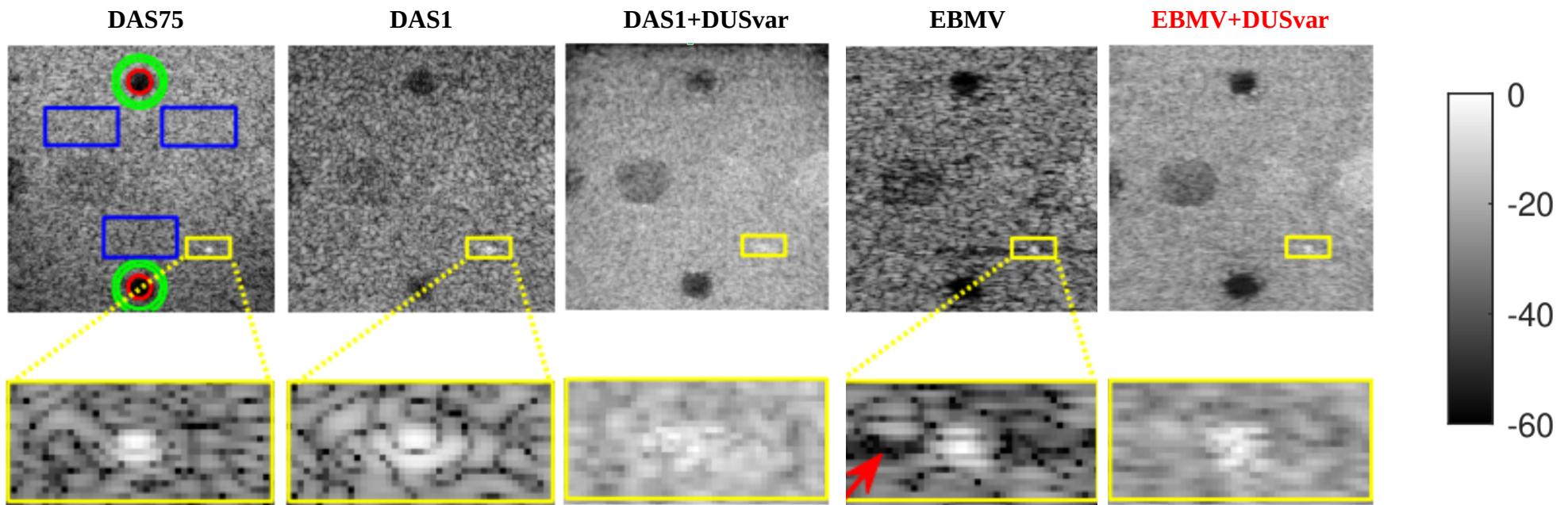
in-vivo

1 PW reconstruction

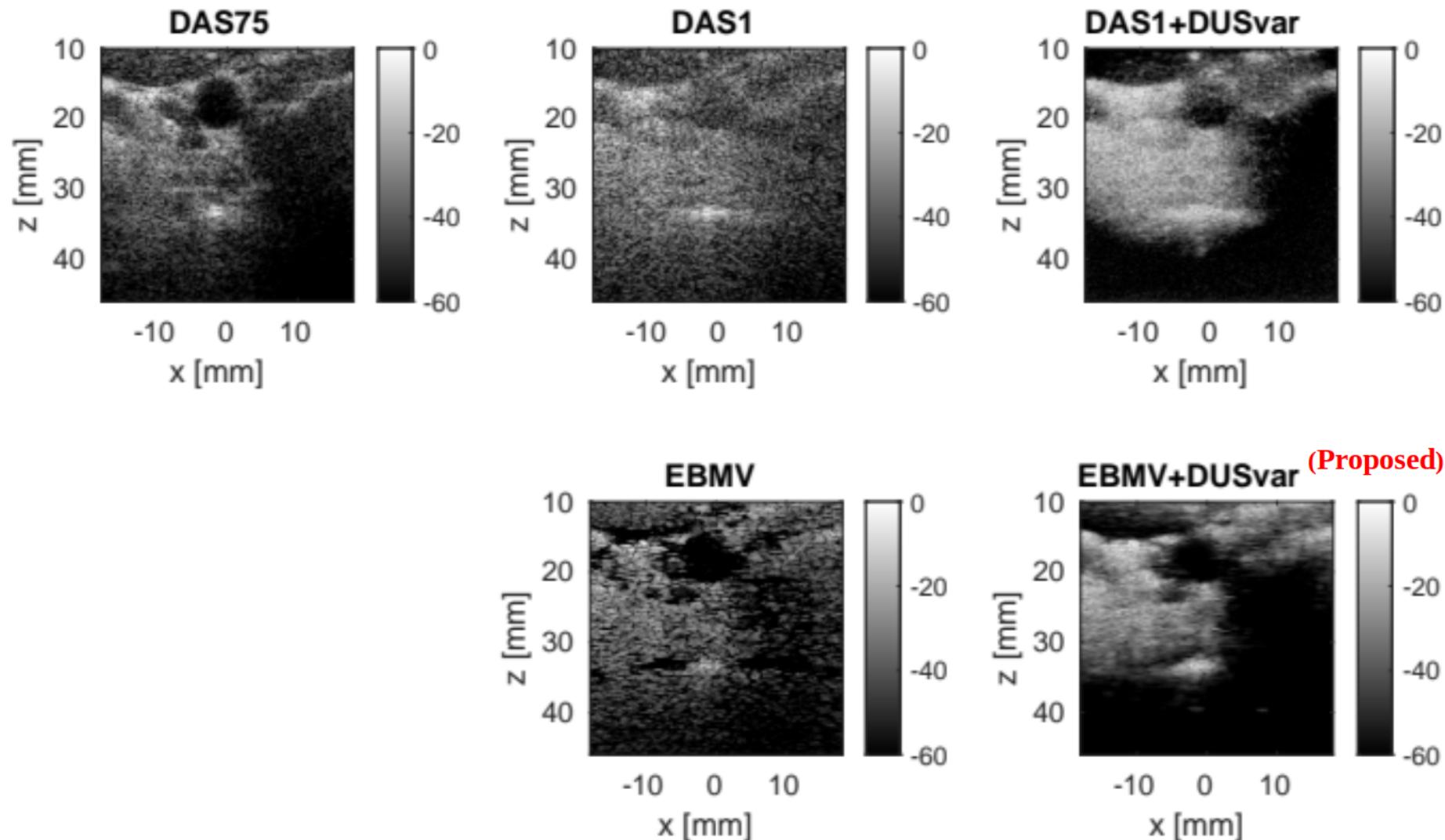
On an Experimental Dataset



On an Experimental Dataset



On an *In-Vivo* Dataset

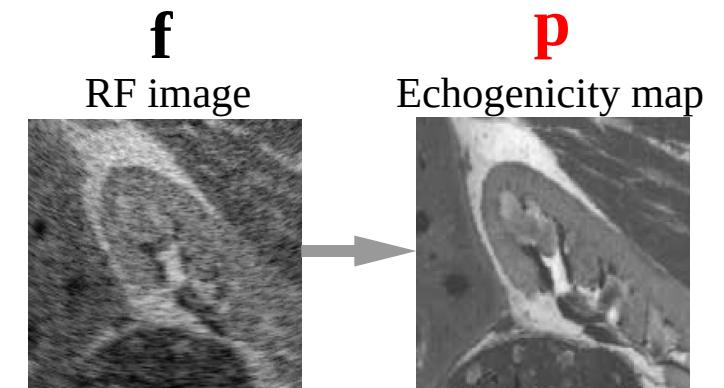


Take-Home Message

Problem: Ultrasound Image Enhancement

Contribution:

- 1) Introducing an adaptive beamforming-based diffusion variance imaging, which achieves deconvolution & denoising & despeckling.
- 2) Showing the complementary effects of combining pixel-wise beamforming with denoising diffusion variance imaging, particularly for resolution improvement and background recovery.





THANK YOU!

yuxin.zhang@ls2n.fr

GitHub



State-of-the-Art

Previous Work

$$\underbrace{\mathbf{f}}_{\text{RF image}} = \underbrace{\mathbf{A} \left(\underbrace{\mathbf{m}}_{\text{PSF}} \odot \underbrace{\mathbf{p}}_{\sim \mathcal{N}(\mathbf{0}, \mathbf{I})} \right)}_{(DAS)} + \underbrace{\mathbf{n}}_{\sim \mathcal{N}(\mathbf{0}, \gamma \mathbf{I})}$$

STEP
1

Estimate $\mathbf{m} \odot \mathbf{p}$ via a
Diffusion Inverse Problem Solver

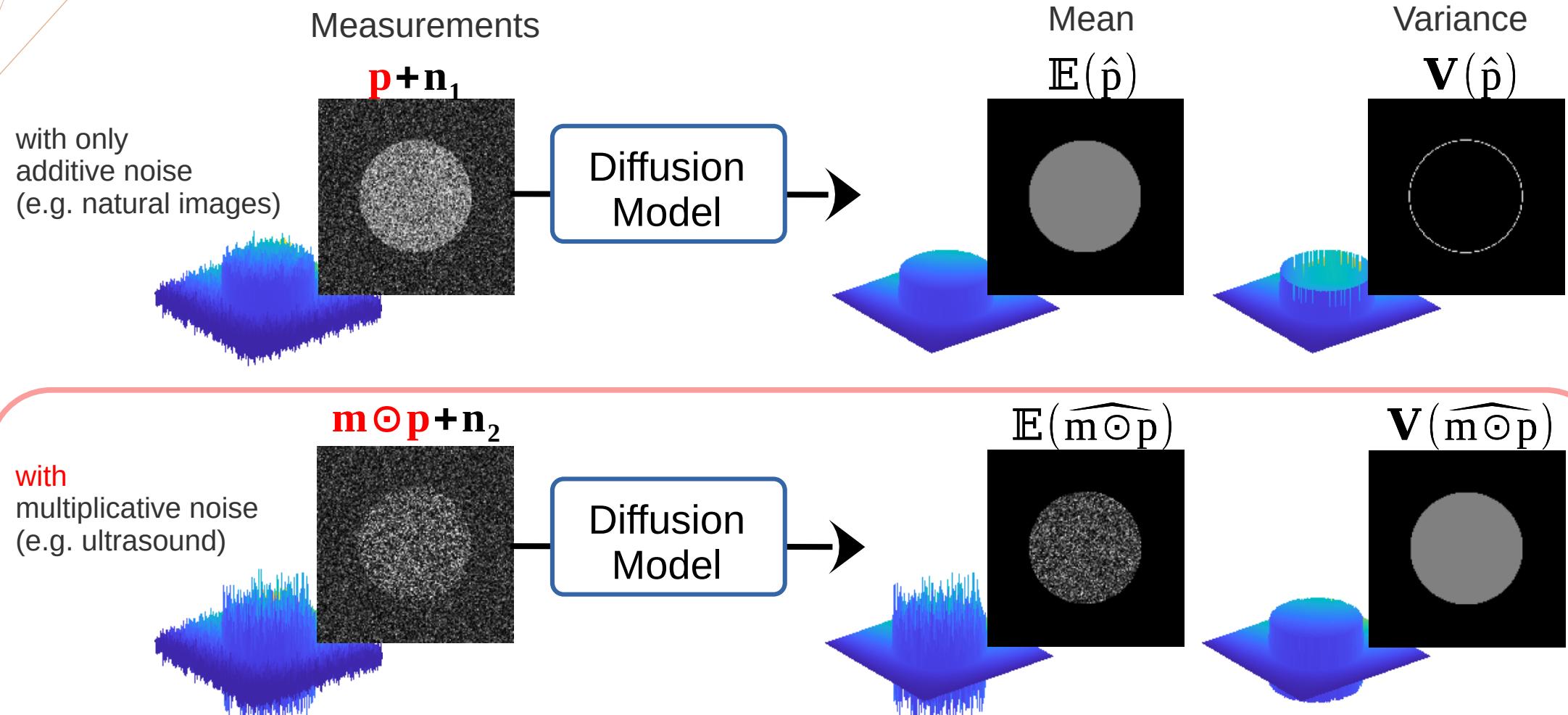


SLOW !!!
Due to the complexity of \mathbf{A}

STEP
2

Estimate \mathbf{p} by leveraging the
stochasticity of the generative sampling

Diffusion Variance Behavior



Variance of diffusion samples inform the level of the multiplicative noise