

Assignment4

Circuit Modeling

ELEC4700A

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Part1:

a) C matrix

0	0	0	0	0	0	0
-0.25	0.25	0	0	0	0	0
0	0	-0.2	0	0	0	0
0	0	0	0	0	0	0
0	0	0	0	0	0	0
0	0	0	0	0	0	0
0	0	0	0	0	0	0

G matrix

1	0	0	0	0	0	0
-0.5	1.5	-1	0	0	0	0
0	1	0	-1	0	0	0
0	0	-1	0.1	0	0	0
0	0	0	0	-100	1	0
0	0	0	0.1	-1	0	0
0	0	0	0	0	-10	10.001

b) Plot of DC sweep

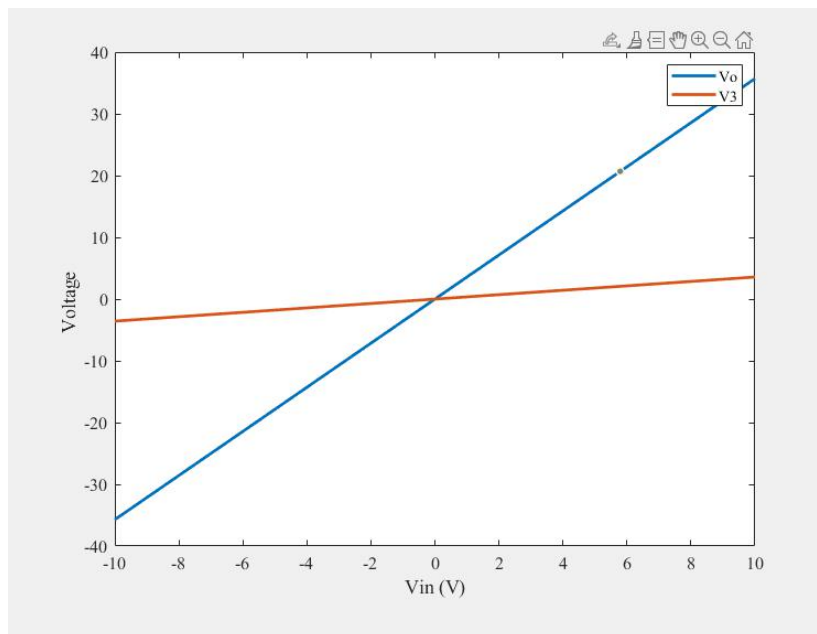


Figure1: DC sweep plot.

c) Plot of AC case of gain

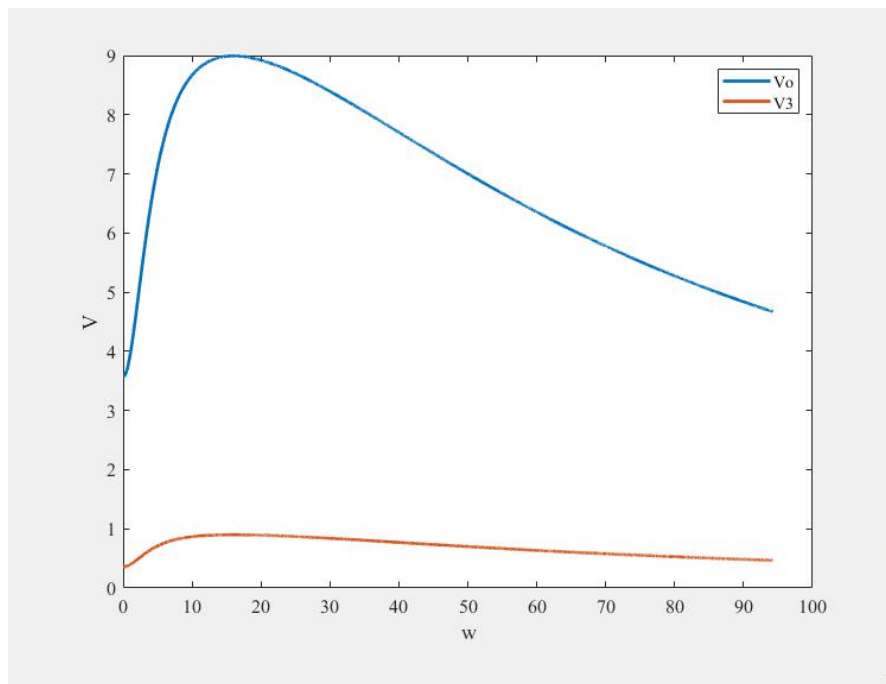


Figure2: AC case of gain plot.

d) Plot of V_{in} and V_{out} from numerical solution in time domain

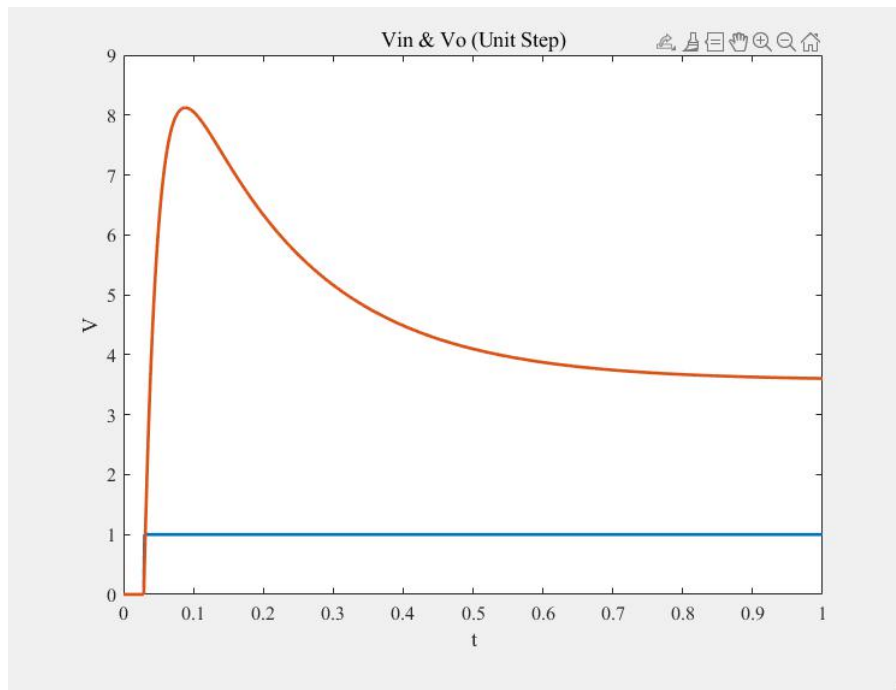


Figure3: V_{in} and V_{out} plot (Unit Step).

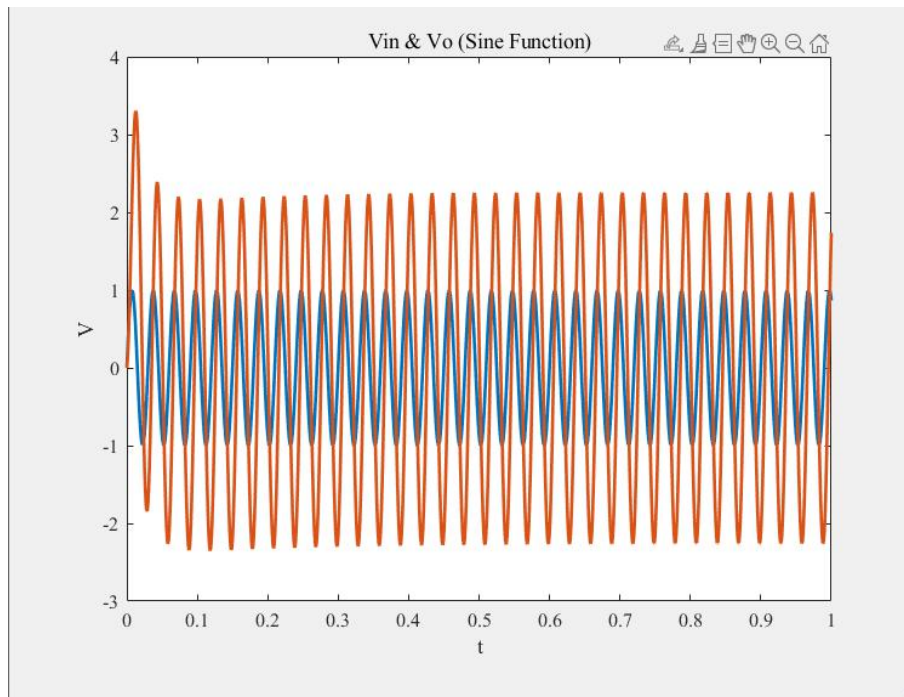


Figure4: V_{in} and V_{out} plot (Sine Function).

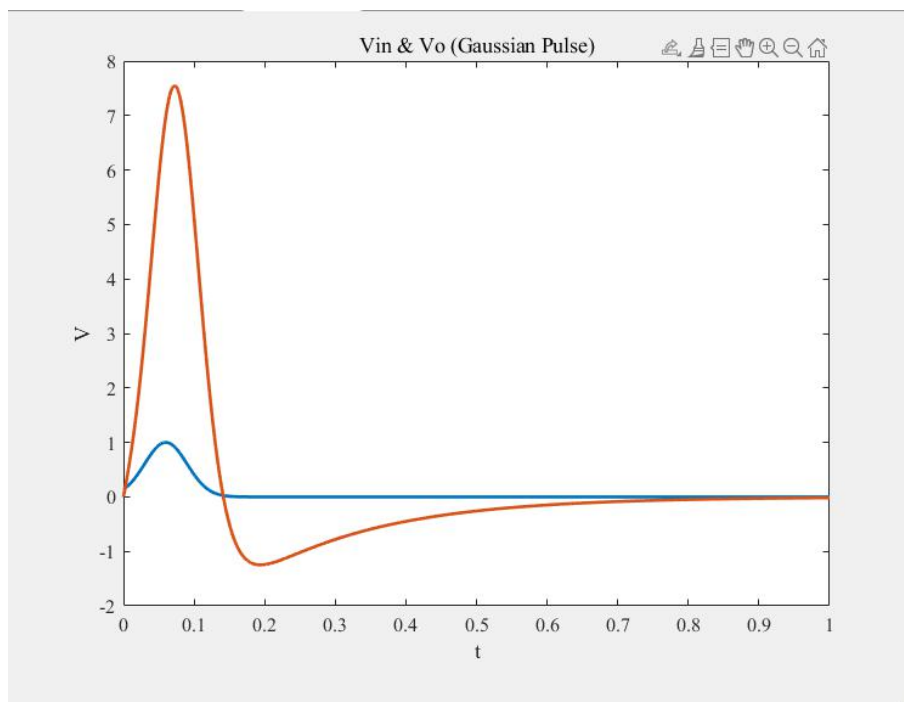


Figure5: V_{in} and V_{out} plot (Gaussian Pulse).

e) Fourier Transform plots of Frequency response

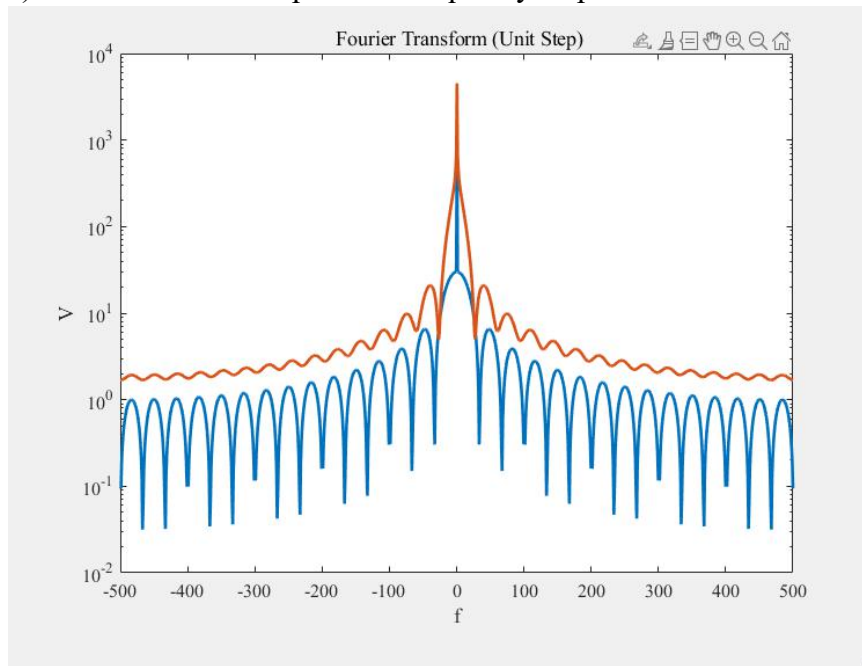


Figure6: Fourier Transform plot (Unit Step).

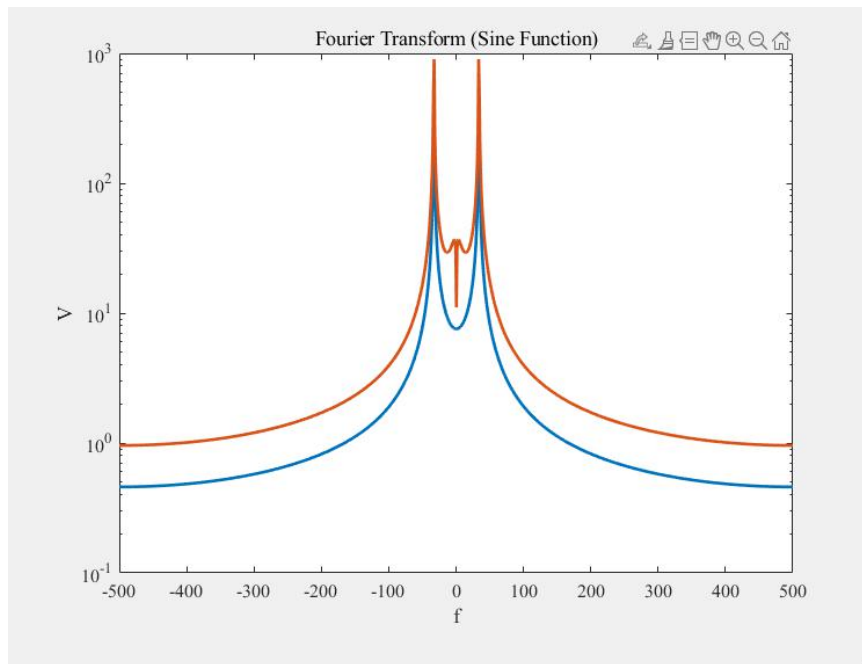


Figure7: Fourier Transform plot (Sine Function).

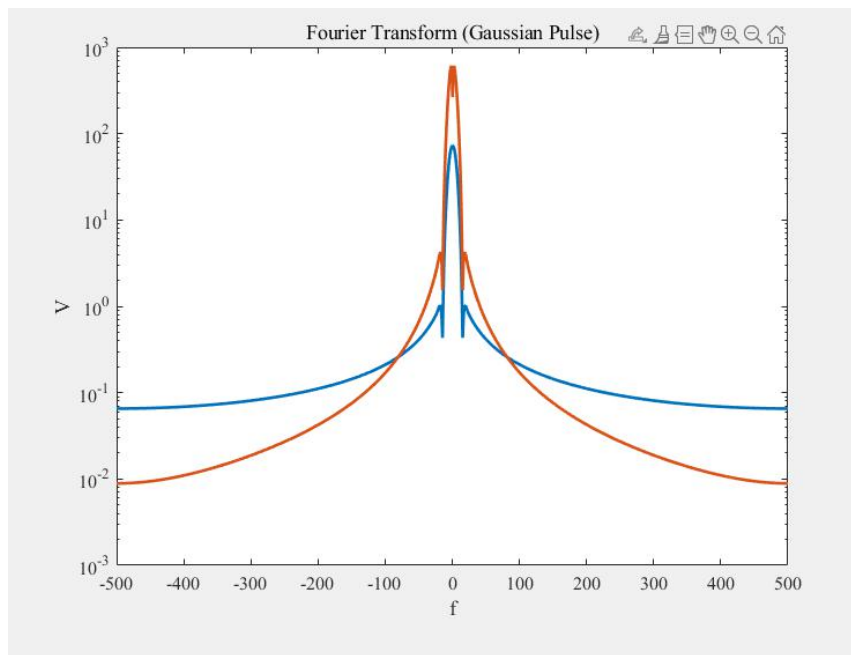


Figure8: Fourier Transform plot (Gaussian Pulse).

Part2:

a) Updated C matrix

0	0	0	0	0	0	0
-0.25	0.25	0	0	0	0	0
0	0	-0.2	0	0	0	0
0	0	0	0.00001	0	0	0
0	0	0	0	0	0	0
0	0	0	0	0	0	0
0	0	0	0	0	0	0

b) Plot of V_{out} with noise source

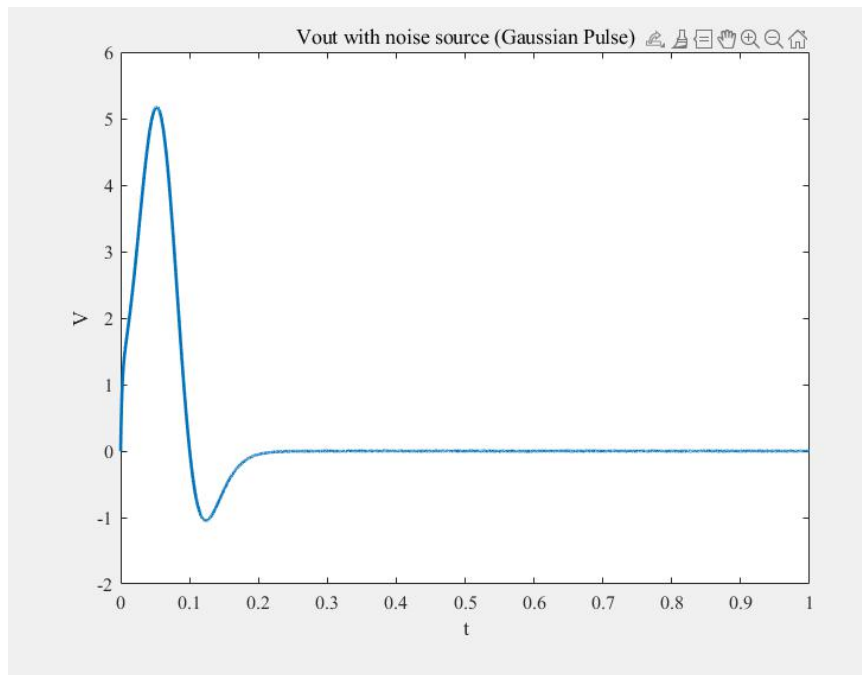


Figure9: V_{out} with noise source (Gaussian Pulse).

c) Fourier Transform plot

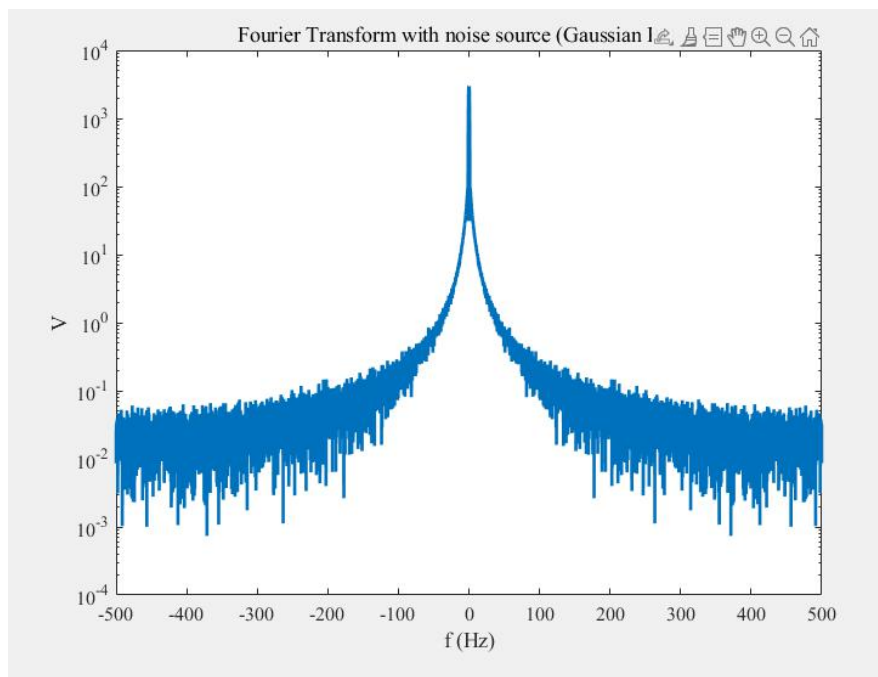


Figure10: Fourier Transform with noise source (Gaussian Pulse).

d) 3 Plots of V_{out} with different values of C_{out}

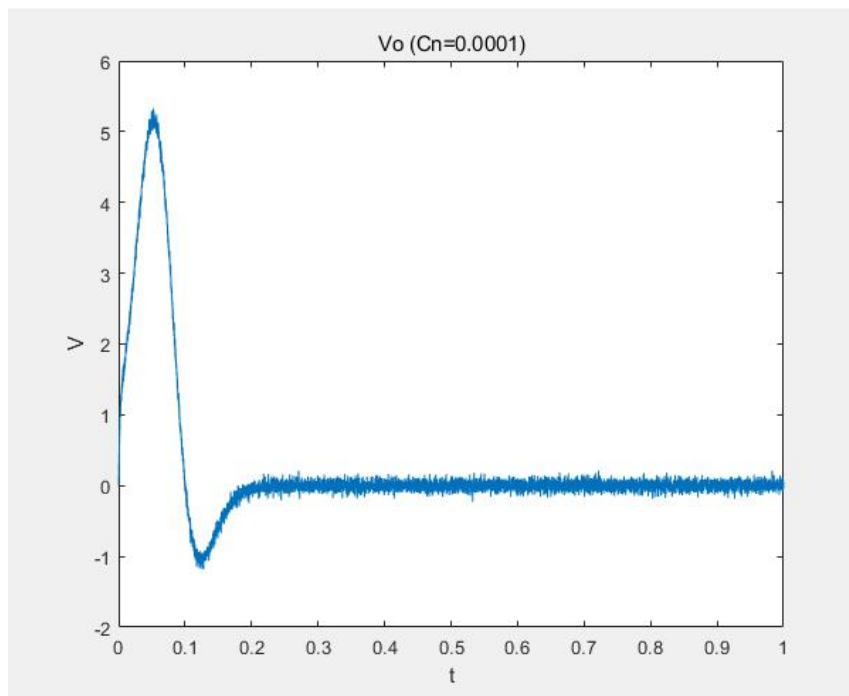


Figure11: V_{out} Plot ($C_n=0.0001$).

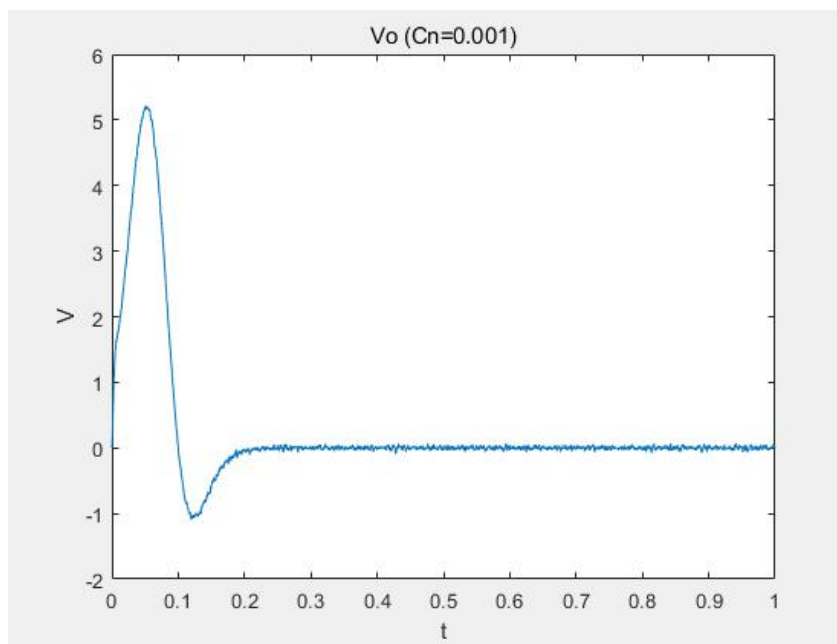


Figure12: V_{out} Plot ($C_n=0.001$).

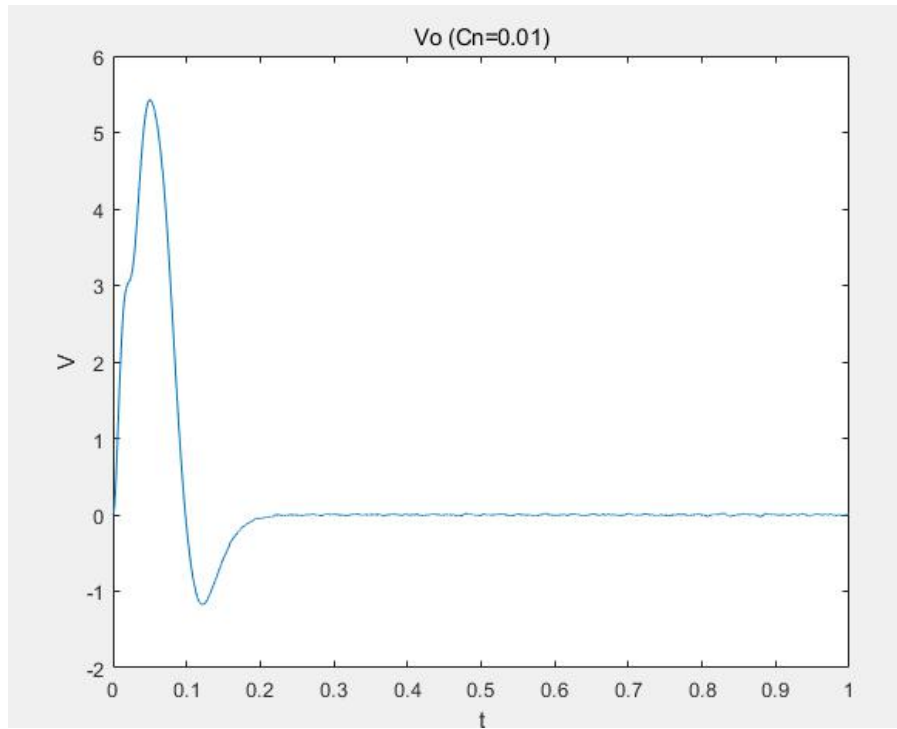


Figure13: Vout Plot (Cn=0.01).

e) 2 Plots of Vout with different time steps

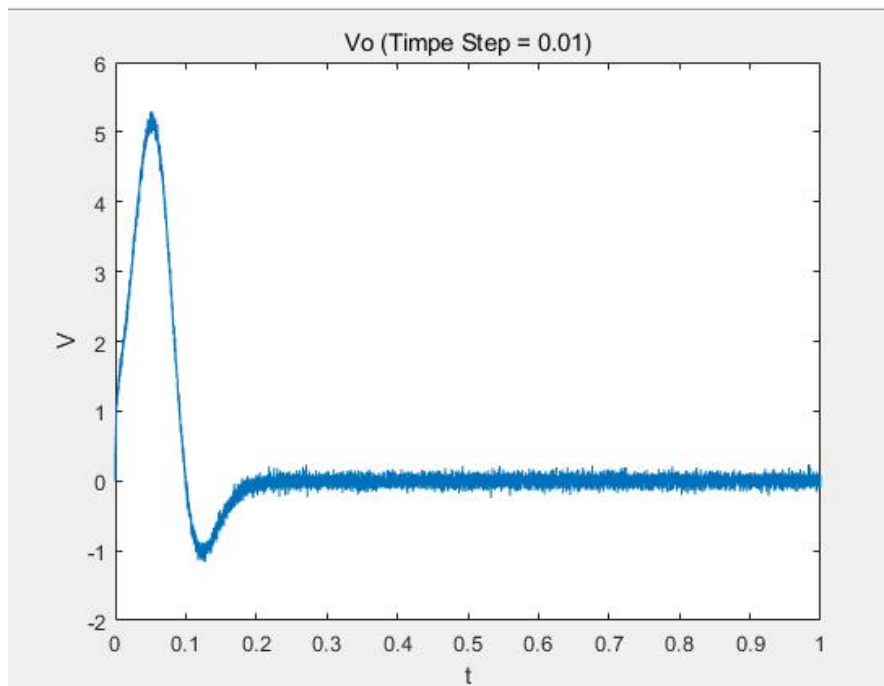


Figure14: Vout Plot (time step=0.01).

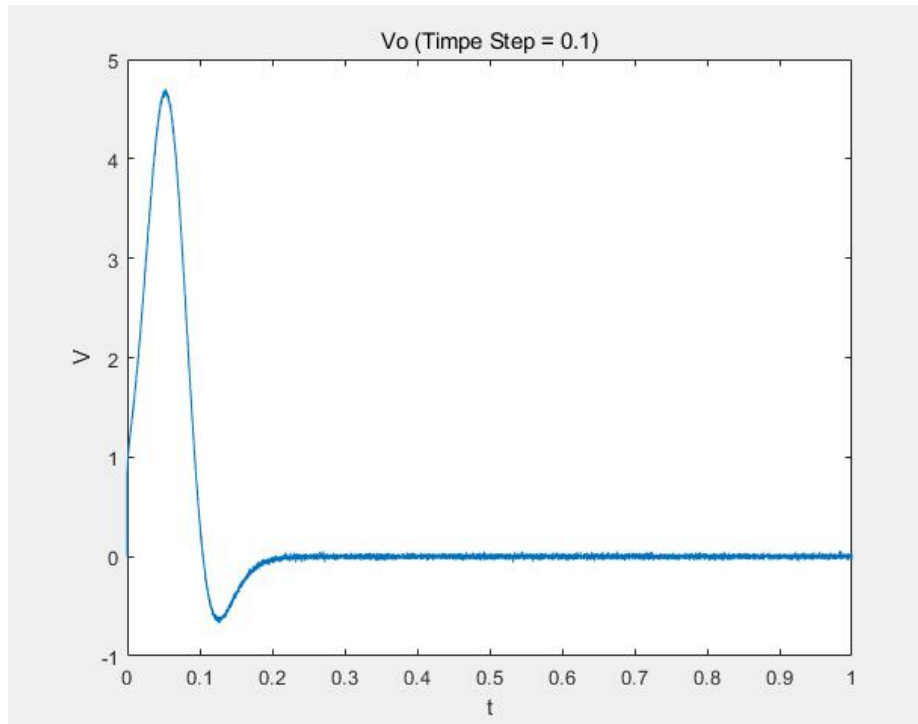


Figure15: Vout Plot (time step=0.1).

Part3:

For solving the nonlinear transconductance equation that the voltage source on the output stage, a b matrix is needed to form the MNA equation $\Phi(x) = Gx + F(x) - b = 0$. Besides, a Jacobian Matrix $M(x)$ is needed to implement the Newton's Iterations in the form $M(x(k)) \times \Delta x = -\Phi(x(k))$, where $x(k+1) = x(k) + \Delta x$.