```
(N1) a) g= (MN)g, ye g ∈ FV(MN)
           9- nenogbumnas morino grue ep-yun (MN)
[9 = Y(MN)]
       5) g = (1x.xM)q, ye g&FV(M)
                g= Y(Ax.xM)
        b) g = \lambda x. \times Mg, we g \notin FV(M)
g = (\lambda f. \lambda x. \times Mf)g
               (g=Y(xf. Ax. xMf))
       2) g = \lambda x \cdot \lambda y \cdot x y (gx)
              9 = [Af. Ax. Ay. xy(fx)]9
                 (9= Y (Af. Ax. Ay. xy.(fx)))
            0 = >f. >x.x-more "lepra;
            Succ = \lambda n. \lambda f. \lambda x. f(n f x) - y benurenue uc 1;
cons = <math>\lambda x. \lambda l. \lambda c. \lambda n. cx(ecn) - go sabrenue e 1ist.
            Map = \lambda f. \lambda l. \lambda c. l \lambda x. c(fx)- nymenerue k energentant b list g-ym.
               InfList = cons Q (map succ InfList)
              InfList = [Af. cons o (map suce f) InfList
                 Inf List = Y ( Af. cons Q (map succ f))
```

fib = λn . If n < 3 then I else fib (n-1) + fib (n-2)fib = $[\lambda f. \lambda n]$. If n < 3 then I else f(n-1) + f(n-2) fib fib = $Y[\lambda f. \lambda n]$. If n < 3 then I else f(n-1) + f(n-2)

(Yfib') 3+ (Yfib') 4 = fib' (Yfib') 4 = if 4<3 then 1 else

(Yfib') 3+ (Yfib') 2 = (Yfib') 3+ (Yfib') 2 = fib' (Yfib') 3+

+ (Yfib') 2 = if 3<3 then 1 else (Yfib') 2 + (Yfib') 1+

+ if 2<3 then 1 else (Yfib') 1 + (Yfib') 0 =

= (Yfib') 2+ (Yfib') 3+ 1 = if 2<3 then 1 else

(Yfib') 1+ (Yfib') 0 + if 1<3 then 1 else (Yfib') 0+ (Yfib') -1+

+ 1 = 1+1+1=3