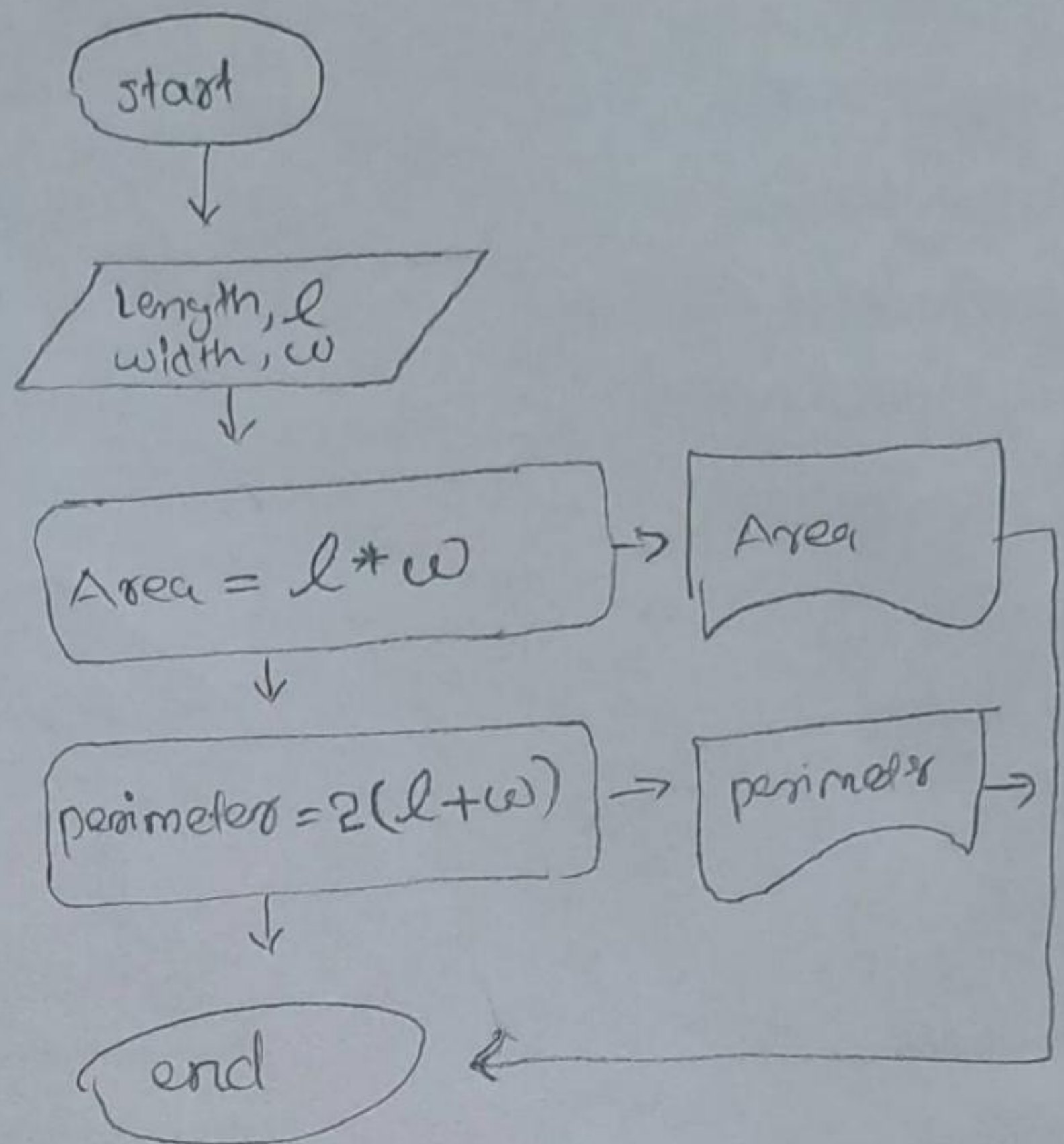


①

1. start
2. read, length & width
3. $\text{Area} = \text{length} \times \text{width}$
4. $\text{perimeter} = 2(\text{length} + \text{width})$
perimeter
5. end



②

$$ax^2 + bx + c$$

a, b, c - constant

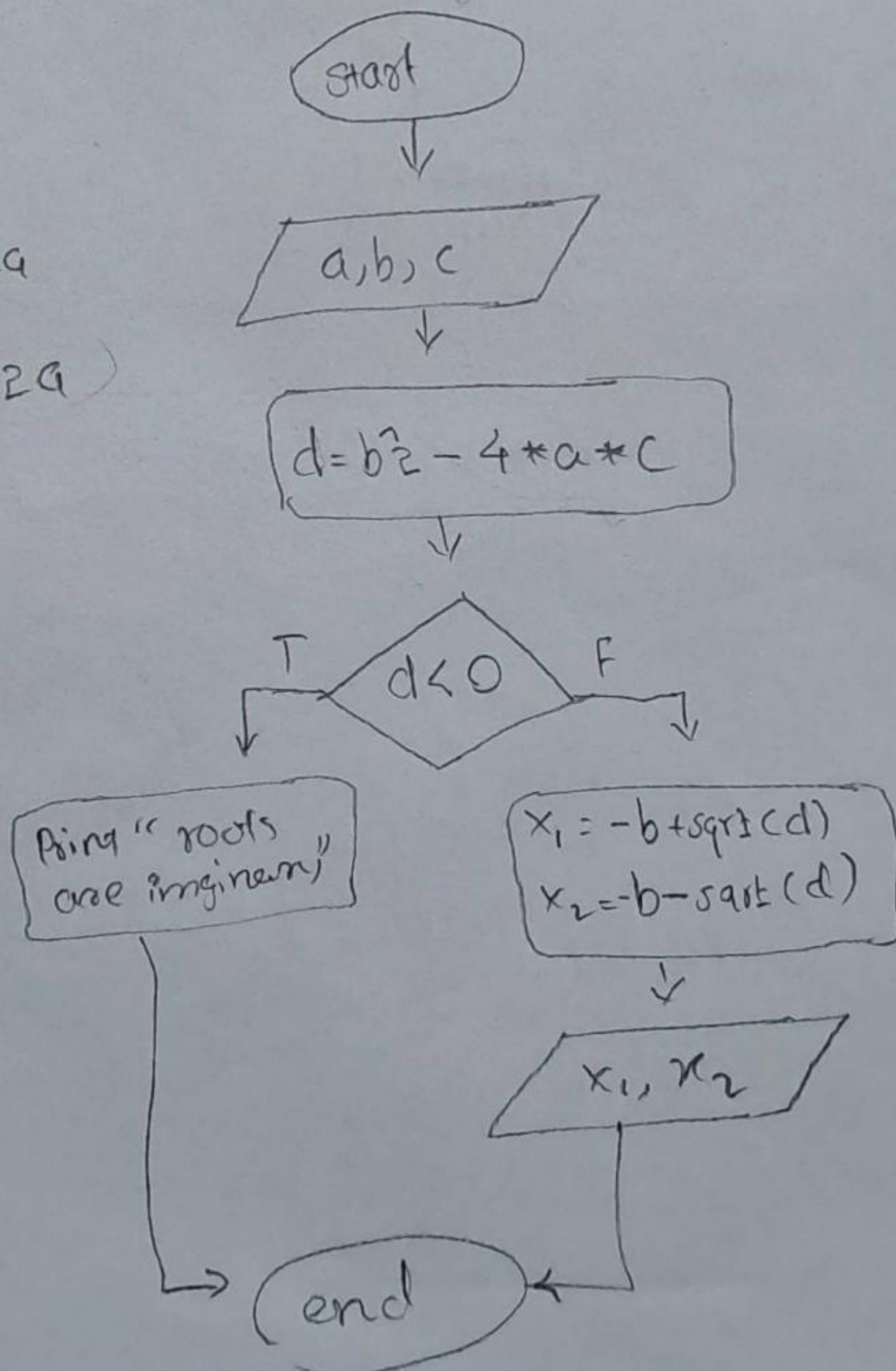
$$x_1 = \frac{-b + \sqrt{b^2 - 4ac}}{2a}$$

$$x_2 = \frac{-b - \sqrt{b^2 - 4ac}}{2a}$$

$$D = b^2 - 4ac$$

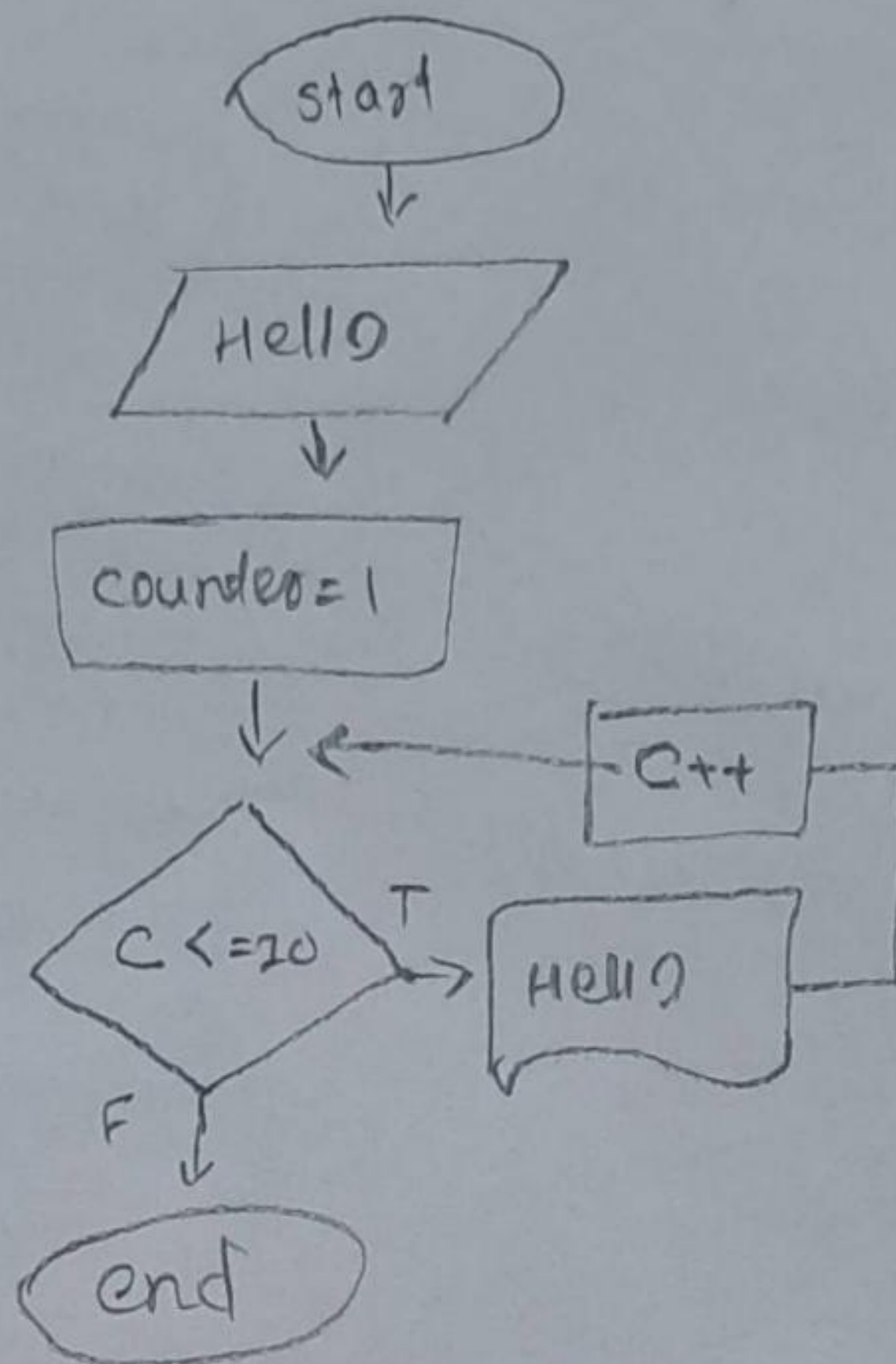
if $D < 0$ then
roots are imaginary

else,
roots real

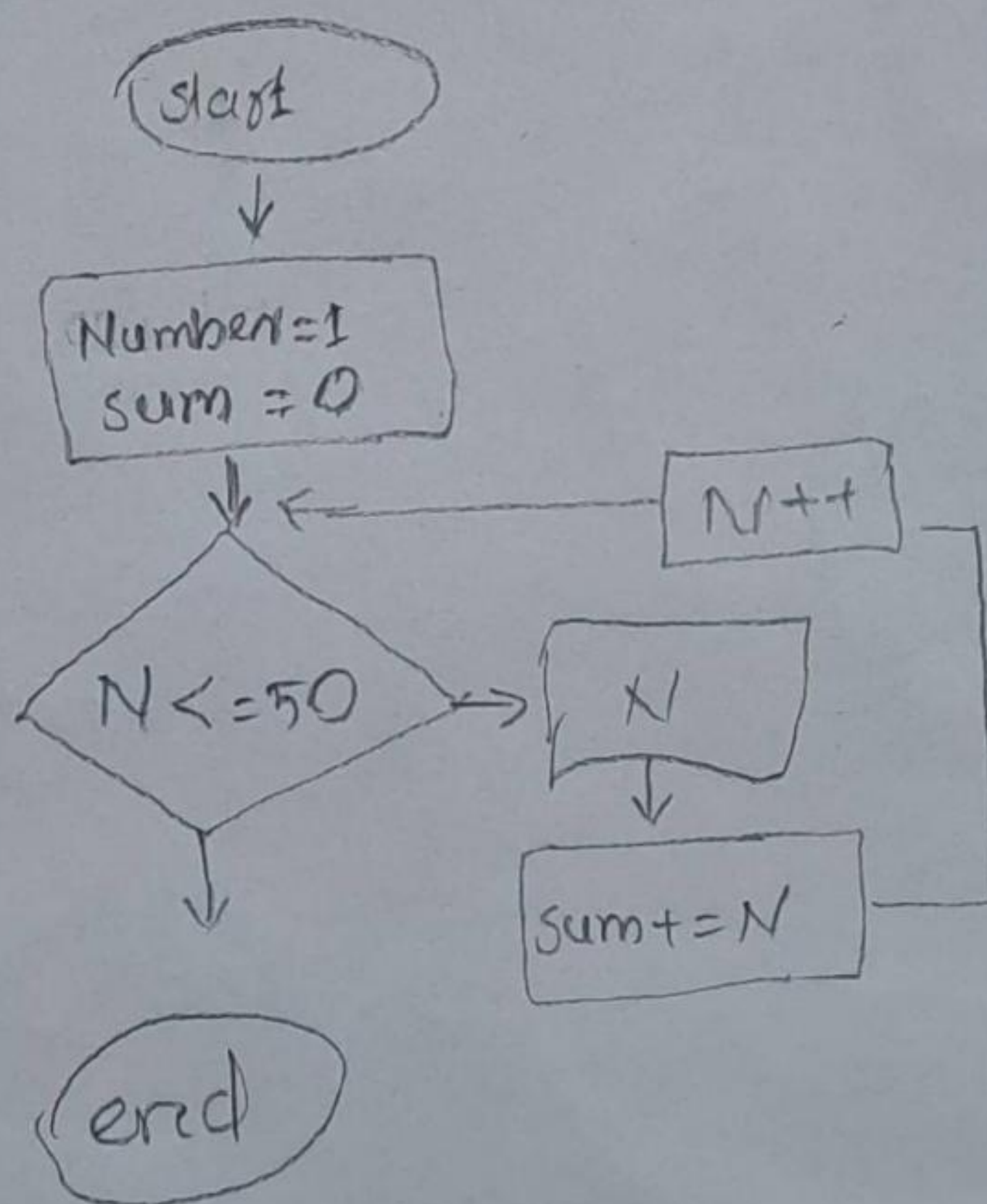


3

start
input Hello
counter = 1
counter \leq 10, then
Hello, output
counter++
else
End

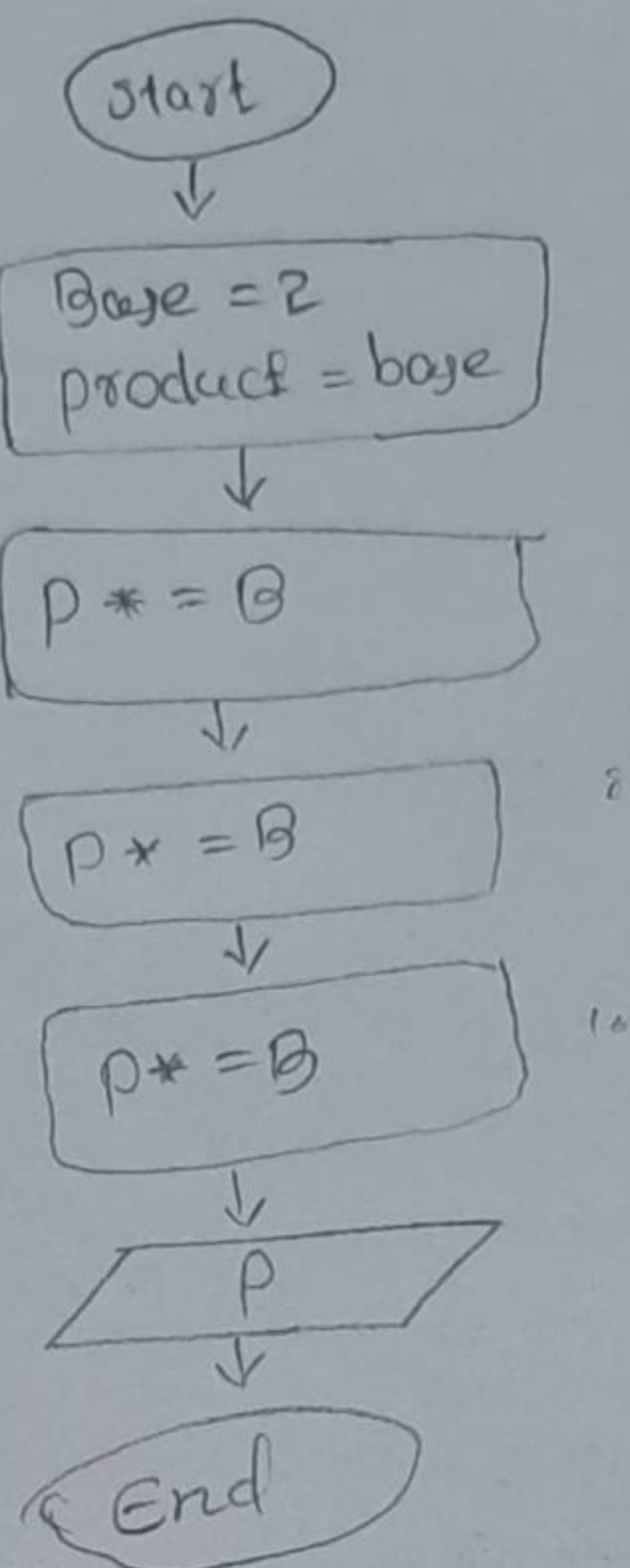


4



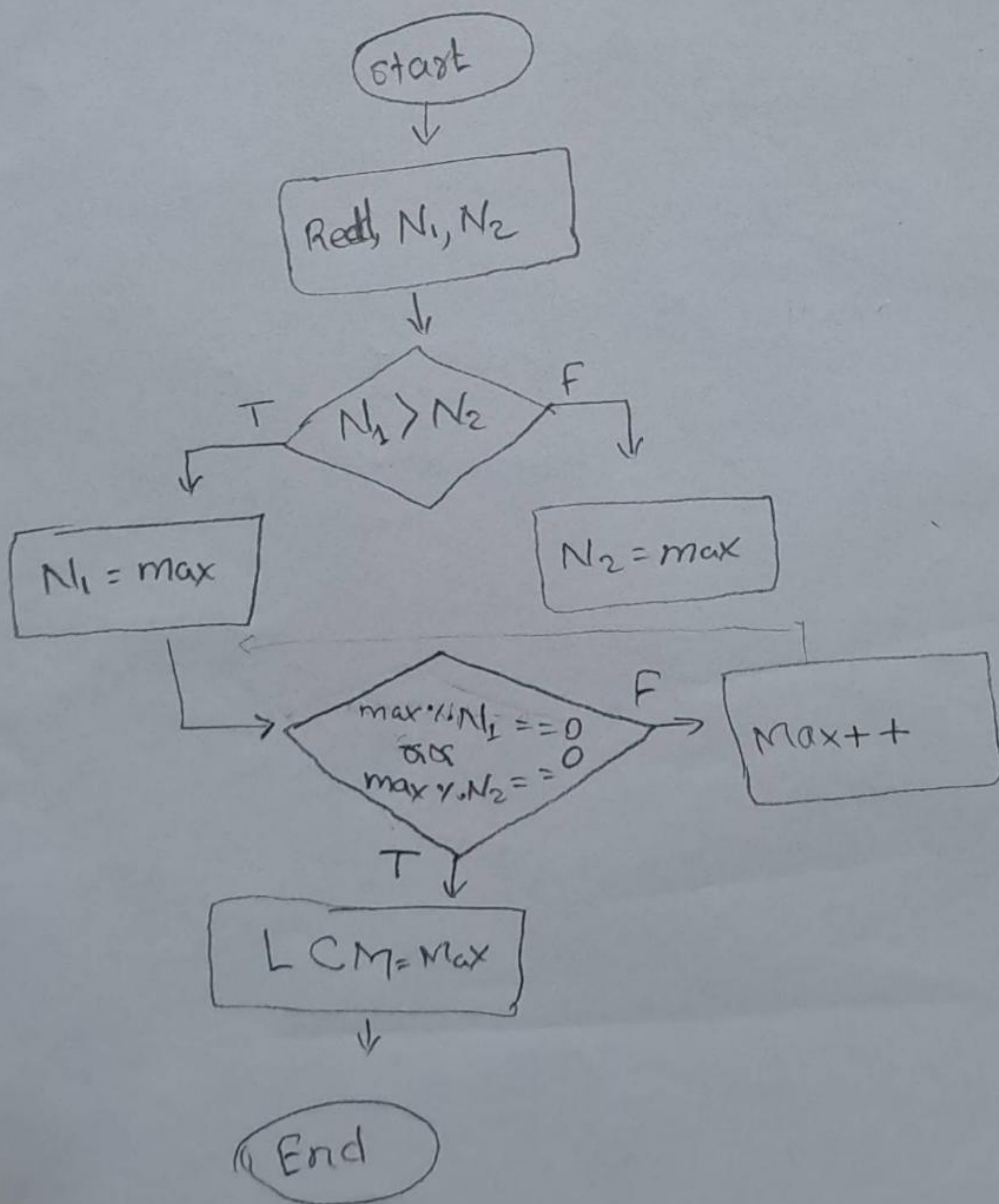
5

1. start
2. Base = 2
3. product = base
4. product * = base
5. product * = base
6. product * = base
7. product
9. End

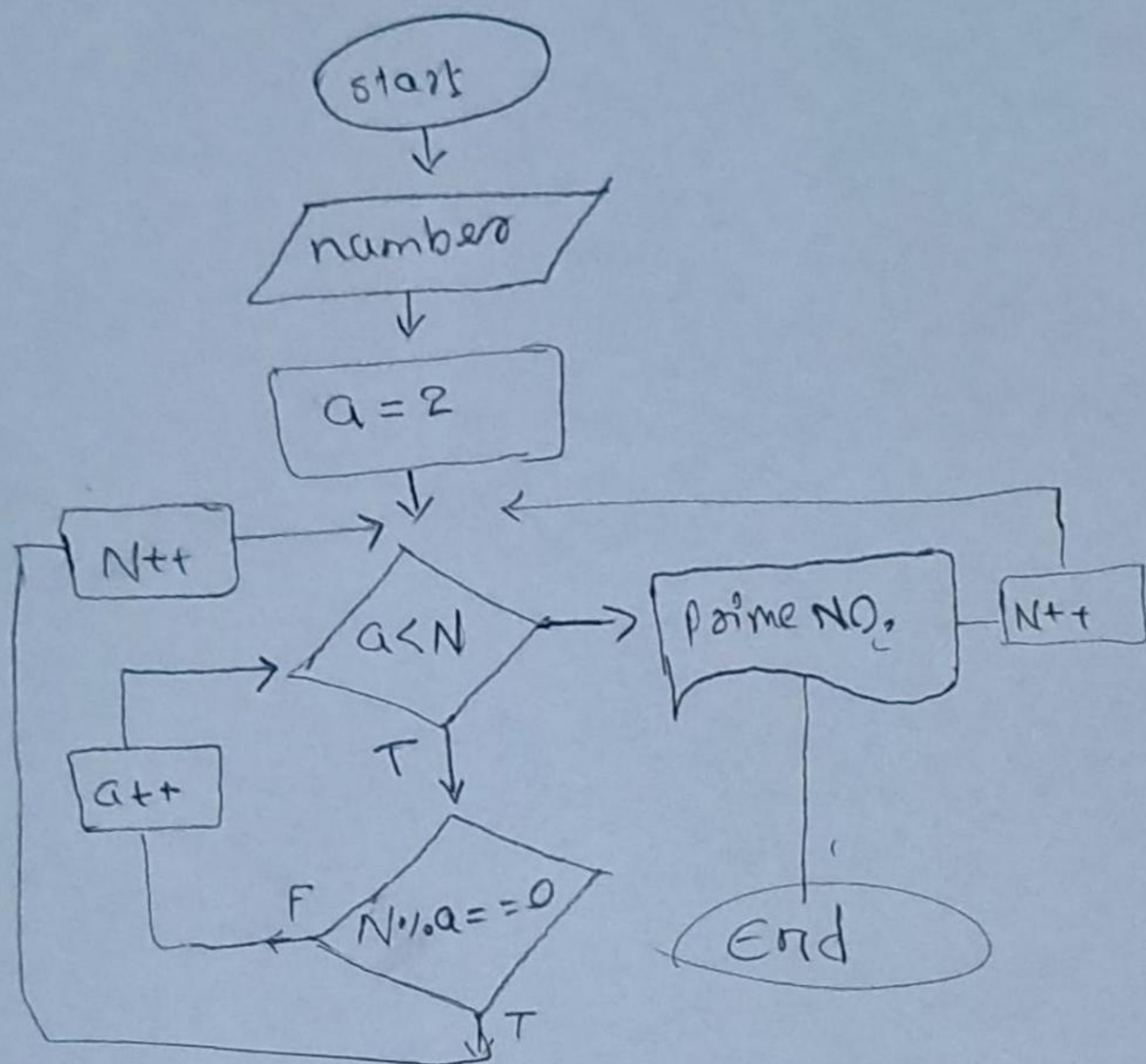


$$p = p \times B$$
$$2 = 2 \times 2 = 4$$

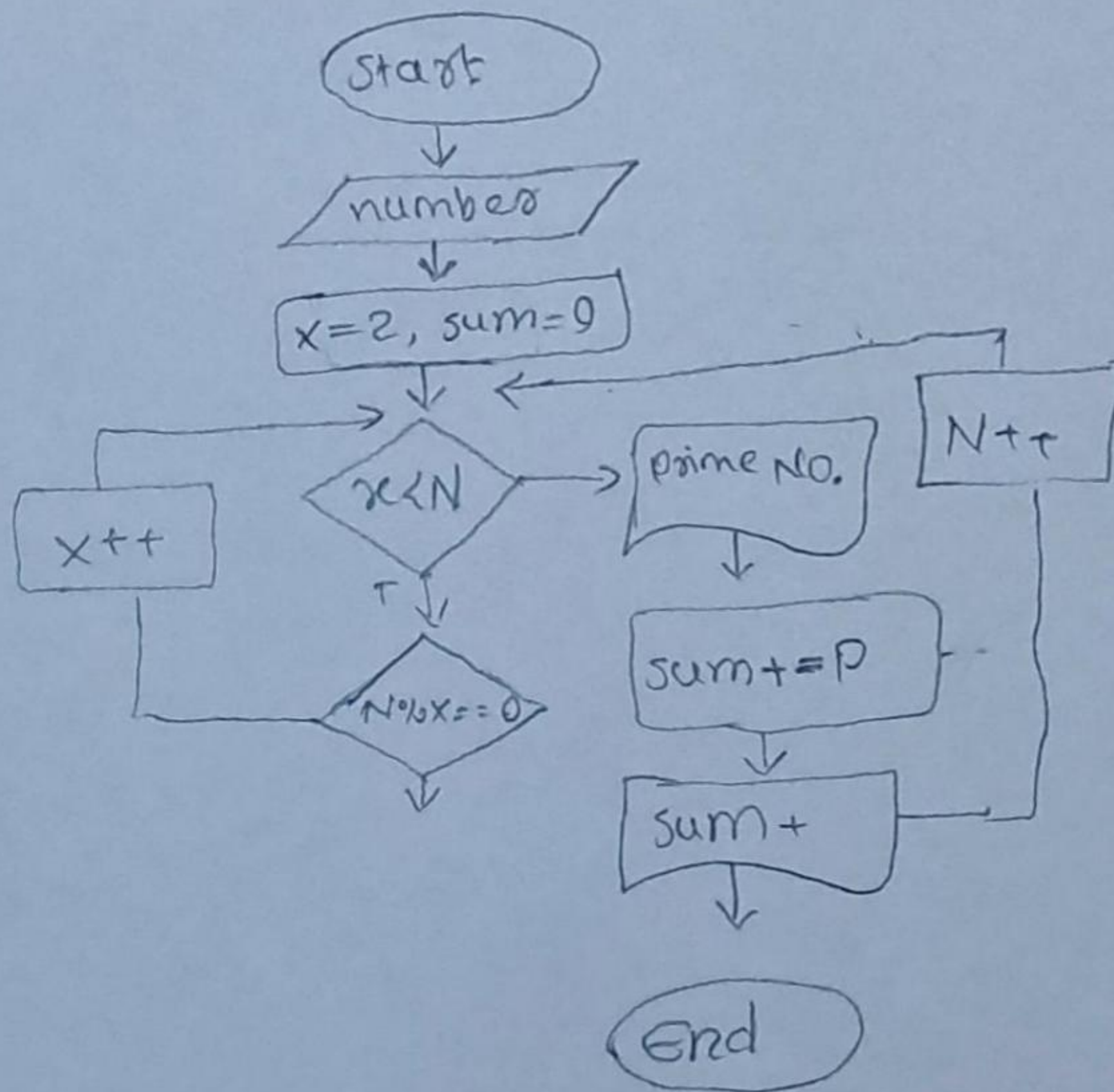
6



7



8



⑨

1. start

2. read n

3. $sum = 0$

4. $number = n$

4. $rem = n \% 10$

5. $sum = sum + (rem * rem * rem)$

6. $n = n / 10$

7: Repeat steps 4 to 6 until $n > 0$

8: is $sum = number$ then

Print " n is armstrong number"

else,

Print " n is not armstrong number".

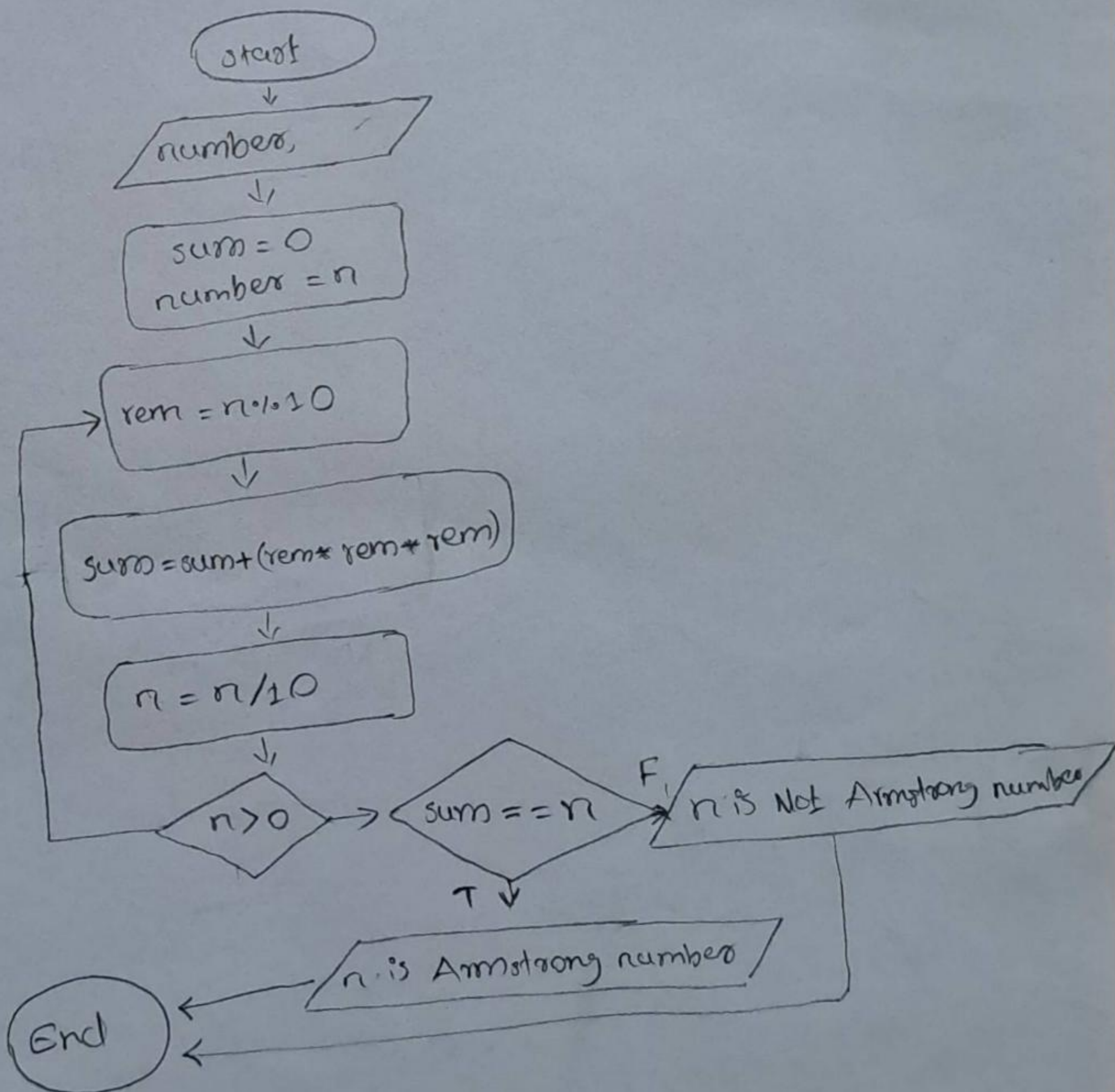
9. stop.

$$153 = 1^3 + 5^3 + 3^3 = 153$$

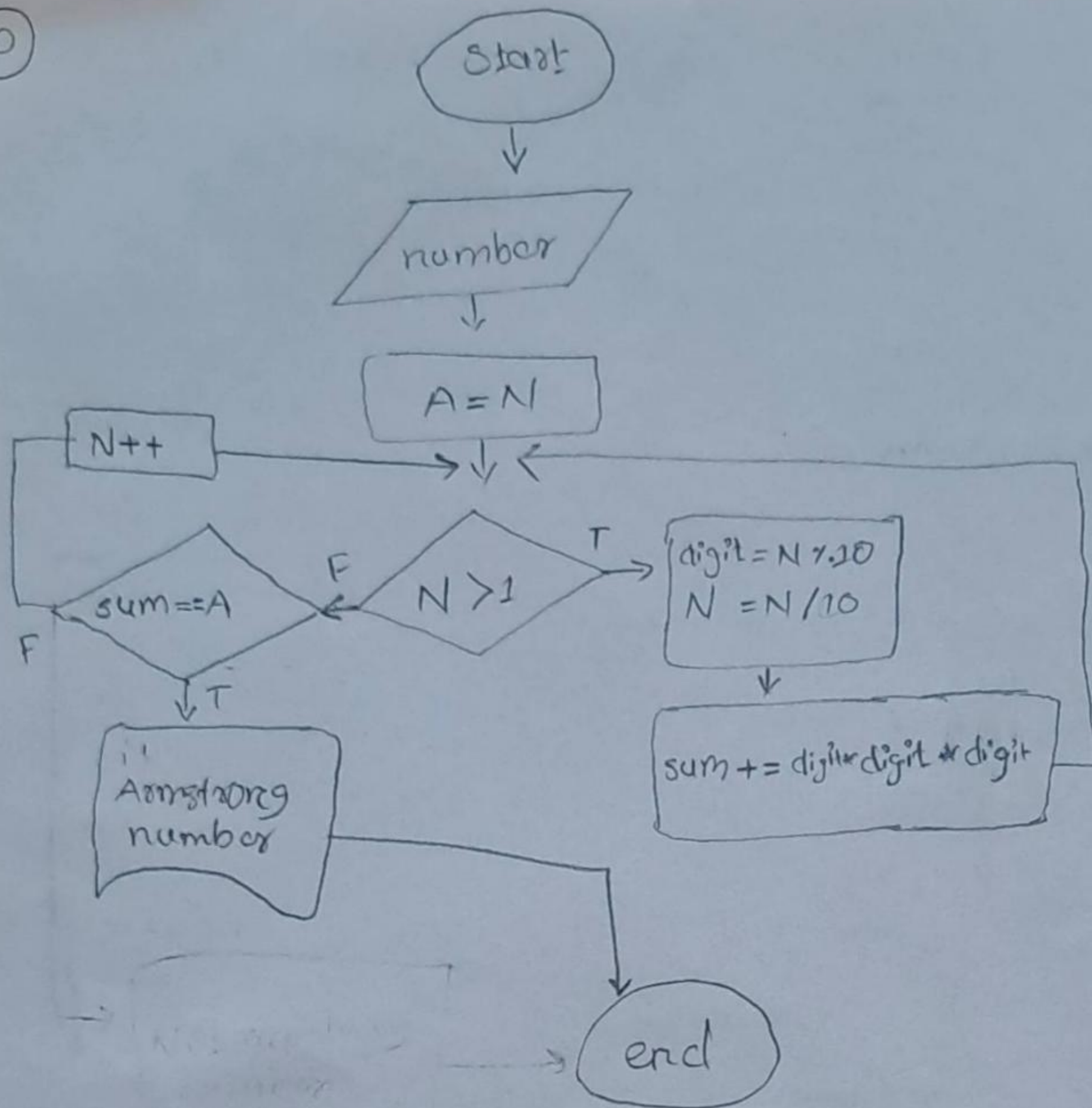
$$\begin{array}{r} 15 \\ 10 \overline{) 153} \\ \underline{100} \\ 53 \\ \underline{50} \\ 3 \end{array} \rightarrow \textcircled{3}$$

10

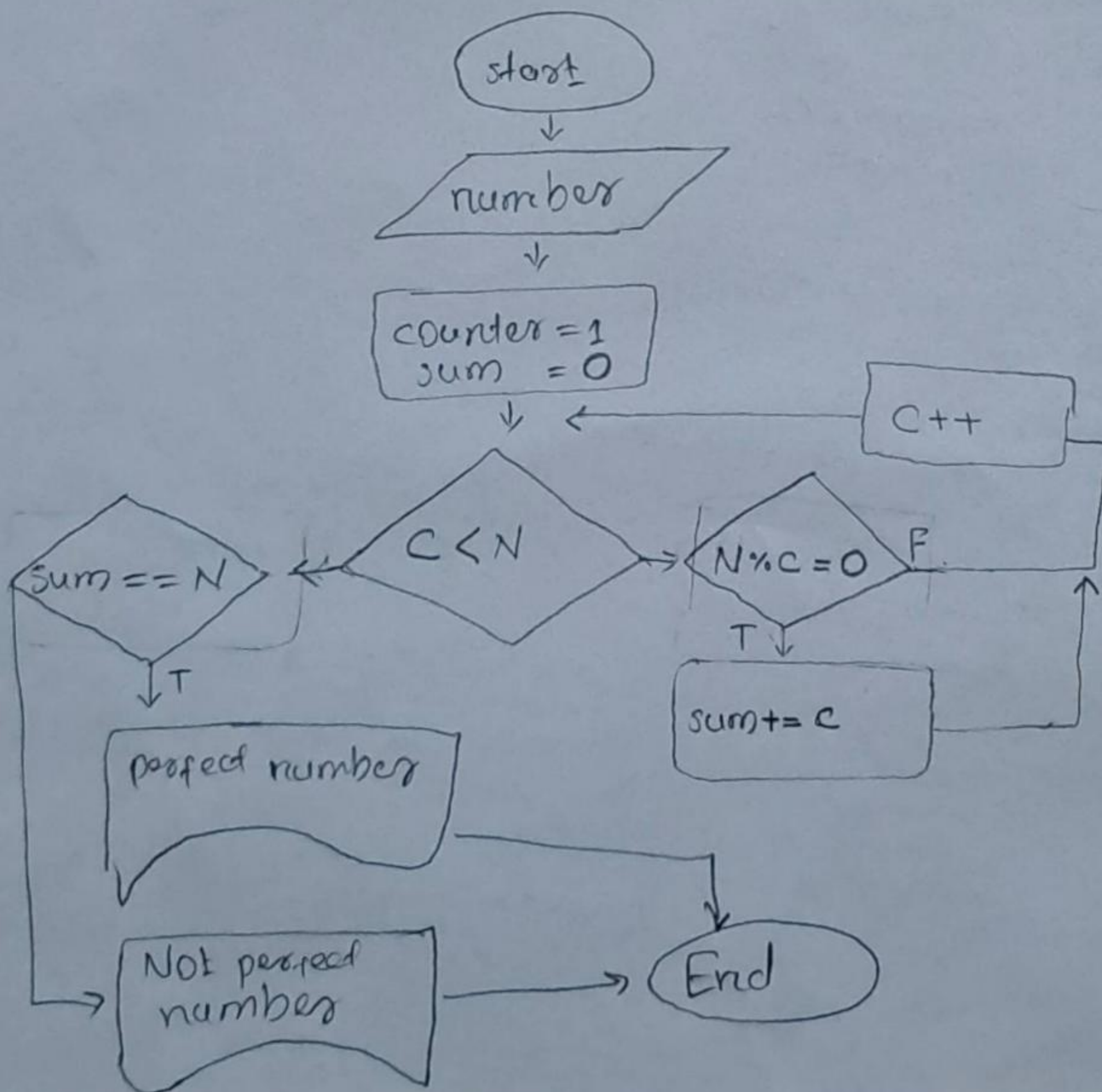
$$\begin{array}{r} 15 \\ 10 \overline{) 15} \\ \underline{10} \\ 5 \end{array}$$



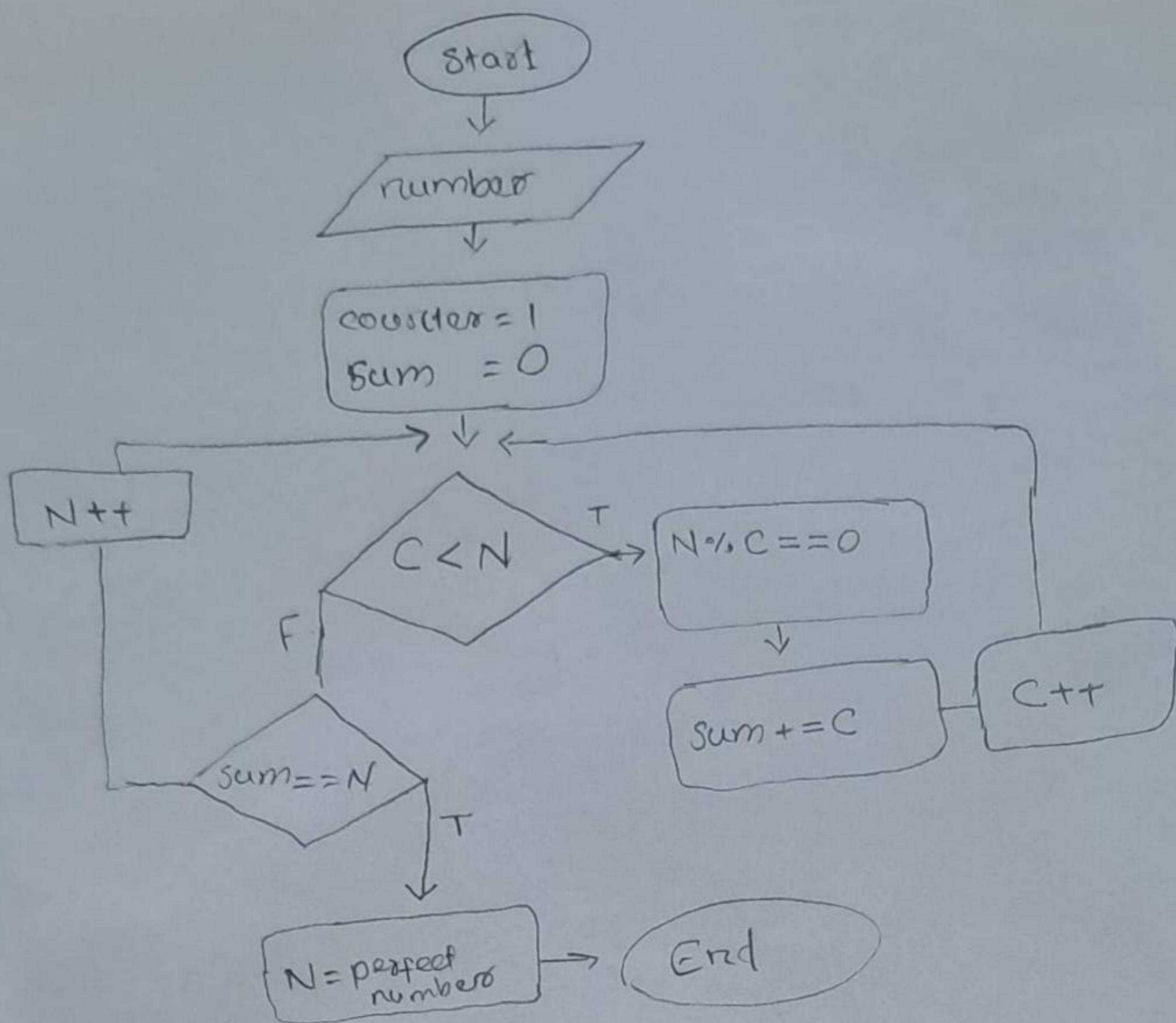
10



11



12

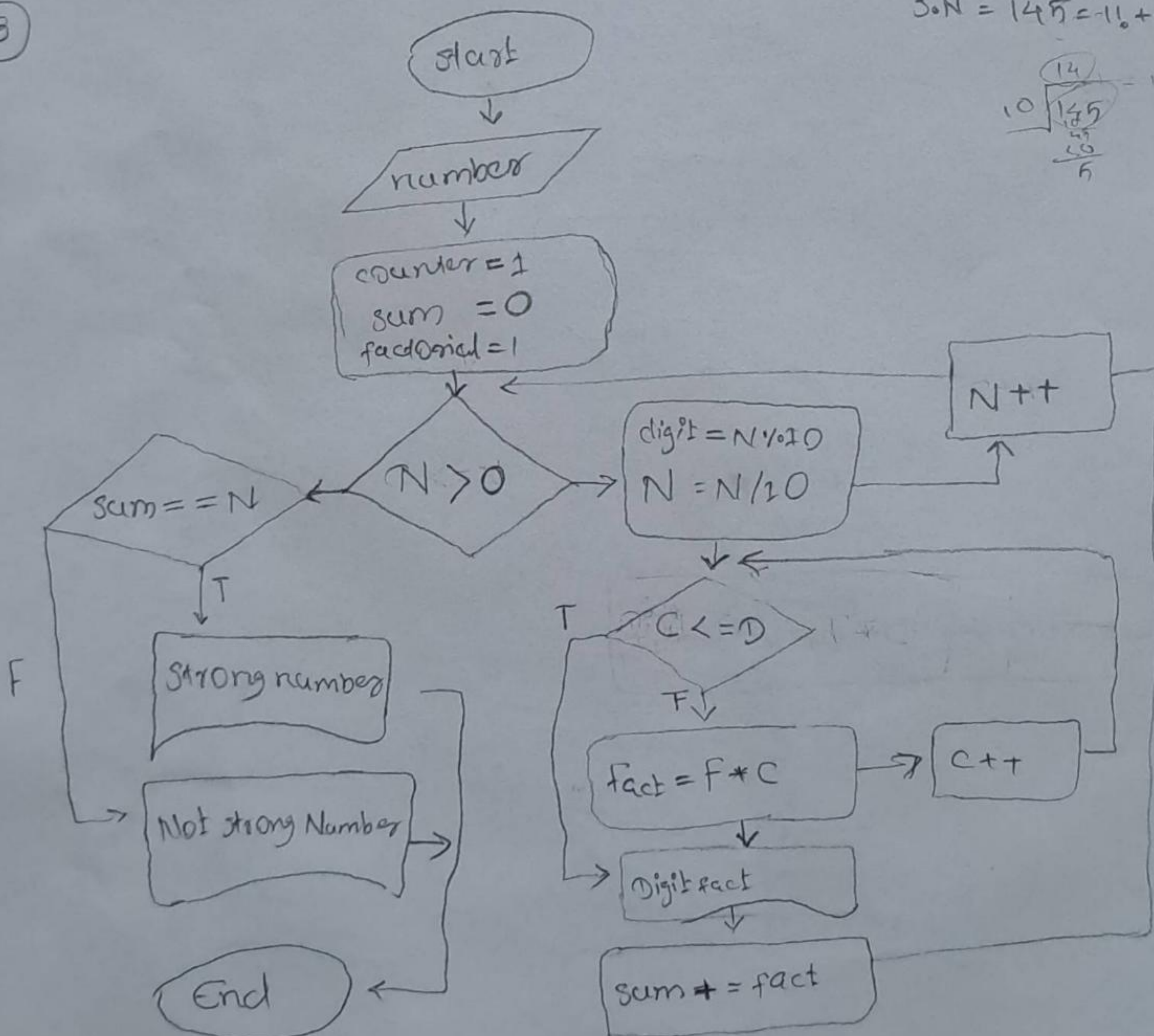


13

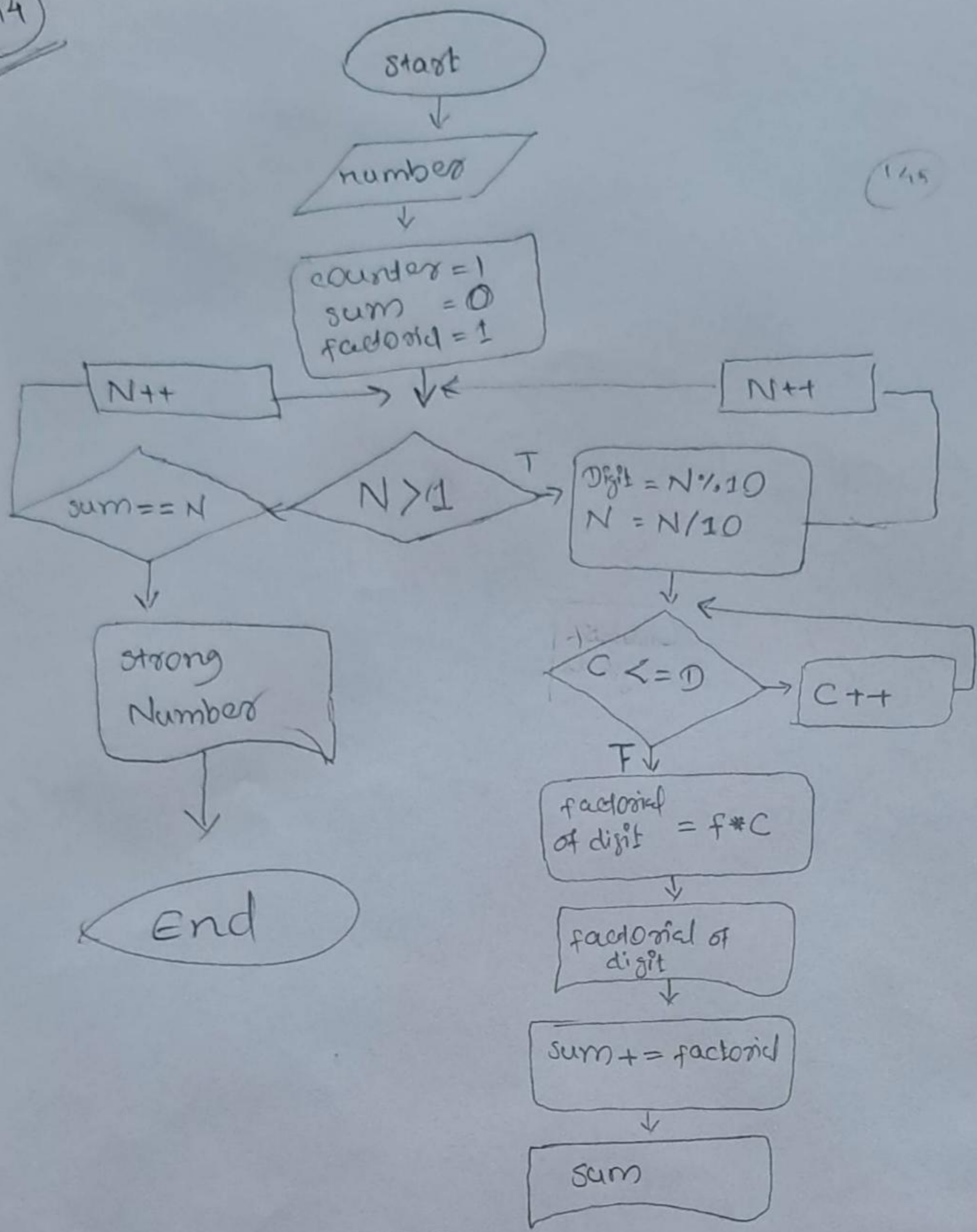
$$3 \times N = 145 = 1! + 4! + 5! = 145$$

$$\begin{array}{r} 14 \\ 10 \overline{) 145} \\ \underline{10} \\ 45 \\ \underline{40} \\ 5 \end{array} \quad \begin{array}{r} 14 \\ 10 \overline{) 14} \\ \underline{10} \\ 4 \end{array}$$

1, 4, 5

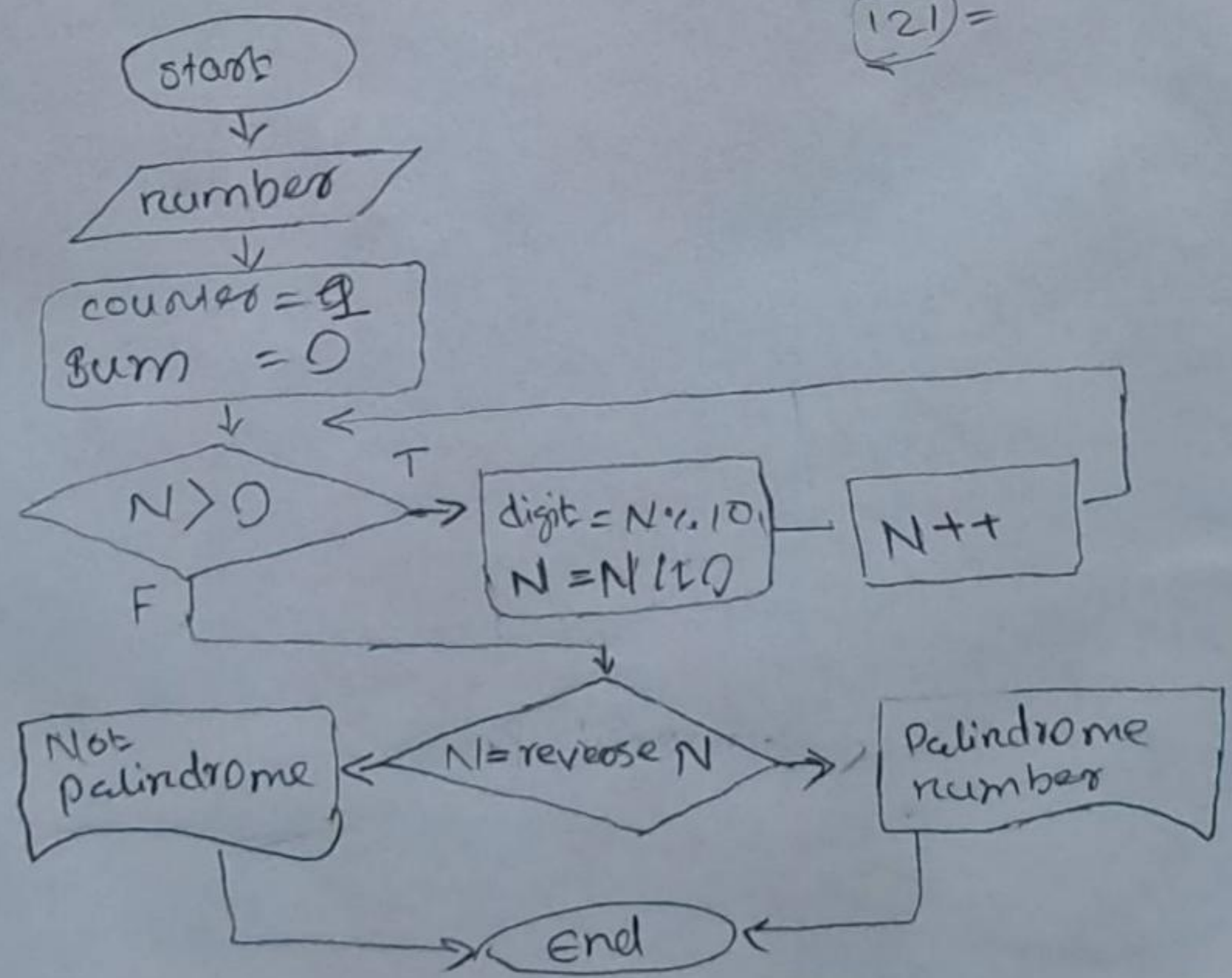


14



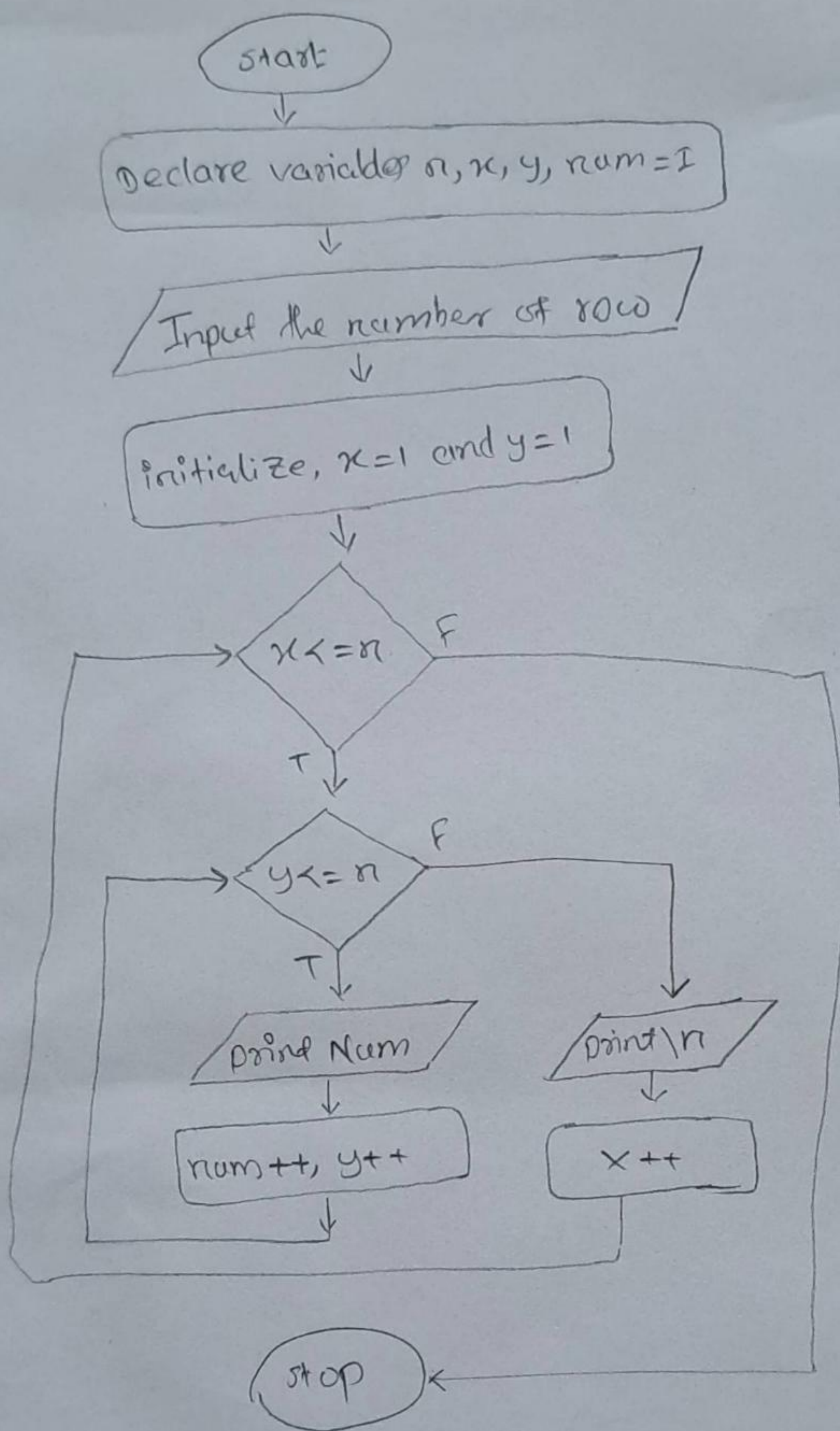
15

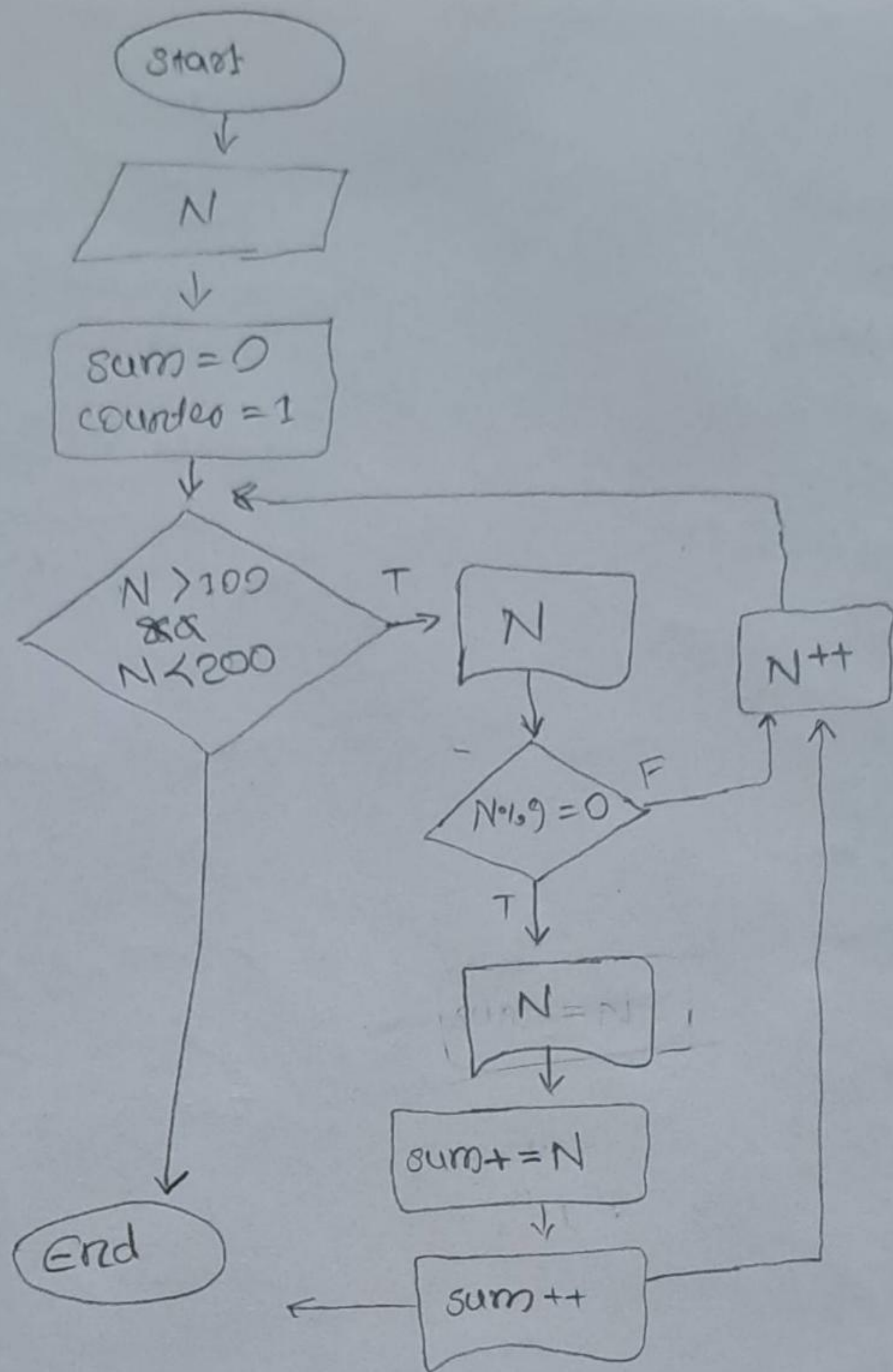
121 =



18

Floyd's Triangle





(25)

Pascal's Triangle

1. start
2. Declare variable x, y, n, a, z, s
3. Enter the limit
4. Initialize the value of variables,
 $s = n, x = 0, y = 0, z = 5$
5. Do the following operation in loop.
 - (a) $x = 0$ to n
 - (b) $a = 1, x++$
 - (c) $z = s$ to 0
 - (d) print space
 - (e) $z--$
 - (f) $y = 0$ to x
 - (g) print a
 - (h) $a = a * (x - y) / (y + 1)$
 - (i) $y = y + 1$
 - (j) go to nex line
6. Repeat the process to n
7. Print the final required triangle
8. stop.

